

BARRIERS TO FLUX ENTRY AND EXIT IN SEMI-REVERSIBLE TYPE II SUPERCONDUCTORS

M. Leblanc, H. Mattes

► To cite this version:

M. Leblanc, H. Mattes. BARRIERS TO FLUX ENTRY AND EXIT IN SEMI-REVERSIBLE TYPE II SUPERCONDUCTORS. Journal de Physique Colloques, 1978, 39 (C6), pp.C6-654-C6-656. 10.1051/jphyscol:19786293. jpa-00217735

HAL Id: jpa-00217735 https://hal.science/jpa-00217735

Submitted on 4 Feb 2008

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

BARRIERS TO FLUX ENTRY AND EXIT IN SEMI-REVERSIBLE TYPE II SUPERCONDUCTORS

M.A.R.Leblanc, H.G. Mattes*

University of Ottawa, Ottawa, Canada K1N 6N5

Résumé.- Un échantillon refroidi dans un champ constant montre, après qu'un pulse de chaleur ait induit une expulsion de flux, une barrière qui s'oppose à la sortie de tourbillons comparable à celle qui s'oppose à leur entrée.

Abstract.- A sample cooled in a static H exhibits, after heat pulse induced flux expulsion, a barrier against flux exit comparable to that opposing flux entry.

INTRODUCTION .- The possibility that the surface barrier can be exploited to increase the current car-rying capacity and reduce A.C. losses and may influence the stability of hysteretic type II superconductors when $H_{c1} \leq H_{c2} \leq H_{c2}$ has renewed the interest in this feature /1,2/ A.C. measurements in a constant bias field H $_{\rm A}$ /3/ and observations where the sense of a swept field is reversed /4/ cannot separate the contributions of the barrier to entry and exit of flux but measure the sum of these. Data obtained where H is increased after colling from T_c in a static H_{Ω} have been taken to measure the barrier to flux entry only and as showing that the barrier to flux exit is negligible /5/. We report on observations of heat pulse induced flux expulsion which show that the barrier to flux exit is in a critical state during the initial cooling /6/. We describe a technique for unmasking and identifying the two barriers and present evidence that they are comparable.

EXPERIMENTAL PROCEDURE AND RESULTS.- The behaviour we describe has been encountered in solid cylinders of $Pb_{0.84}In_{0.16}$ and $Nb_{0.25}Ta_{0.75}$ in a magnetic field parallel to the cylinder axis. We present data only for the PbIn sample of 8 cm length and 0.25 cm diam. An energy pulse of time constant $\tau = R_{\rm H}C \sim 10^{-4}$ s is provided by discharging a condenser C through two hair-pin shaped heaters ($R_{\rm H} \sim 20\,\Omega$ each) electrically connected in parallel and placed directly on the specimen and along its axis as shown in figure 1(a) A second non-inductively wound single layer manganin wire heater coil intimately embraces the sample and hair-pin heaters. When a suitable steady current flowing in the latter heater is interrupted., the sample cools from $T_{\rm c}$, to the 4.2 K bath temperature.

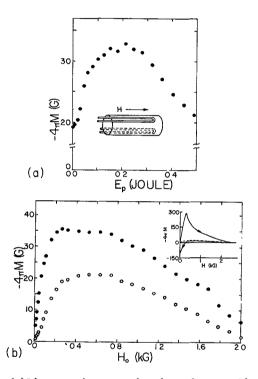


Fig.1:(a)Diamagnetic magnetization after application of heat spike of energy E_p .Sample cooled from to 4.2 K in H = 180 G before each pulse. (b) Diamagnetic magnetization after cooling from T to 4.2.K in stationary H (open circles) and after subsequent application of optimum heat spike (full circles). Inset : Magnetization curves at 4.2 K Dashed lin is "Meissner" effect.

The expulsion of flux occuring during cooling from T_c to 4.2.K in a chosen stationary applied field H_o , is monitored with a balanced pick up coil These data are displayed in figure 1(b) (open circles). The pick up coil also detects expulsion of flux caused by the subsequent application of a heat spick (pulse). In figure 1(a) we show typical variations of the diamagnetic moment ensuing from application of a heat spike vs.the energy of the discharge. We stress that the sample is cooled from

^{*} Present address : Bell Telephone Laboratories, Holmdale, N.J.

 T_c to 4.2 K before each measurement (each heat spike treatment). We note that the diamagnetic moment can be appreciably enhanced by this tehcnique, augmenting by a factor of $\sqrt[3]{5}$ 5 at low fields. The maximum diamagnetic moment achevied by application of an optimum heat pulse is presented vs.H_oin figure 1 (b) (full circles).

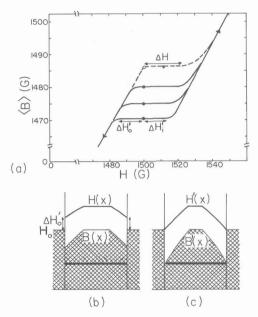


Fig.2 : (a) Average magnetic induction $\langle B \rangle$ as H is lowered or raised from H = 1500 G after cooling from T to 4.2 K No heat^ospike (top curve), less than optimum (intermediate curves) and optimum heat spike (lowest curve) applied after cooling before varying H.

(b) Profile of B and H after cooling. Horizontal line indicates B profile in sample with no barrier and no bulk pinning.

(c) Profiles of B and H when heat spike raises surface T to T thereby destroying $\Delta H'$, the barrier to flux exit but leaving T = 4.2 K in bulk.

The barriers to flux entry or exit are measured by monitoring as the applied field is either raised or lowered from H_o . The changes in magnetic behaviour induced by the heat spike treatment are especially dramatic in the range of intermediate to high fields and typical curves are displayed in fifure 2(a). When a heat pulse has been applied after cooling from T_c and the diamagnetic moment thereby augmented, the sample exhibits an opposition to exit as well as to entry of flux. These barriers are seen to be comparable when the optimum heat pulse level is utilized (lowermost curve of figure 2(a)). DISCUSSION.- The "effective" barriers to flux entry or exit at $T_f(4.2 \text{ K in our case})$ can be unmasked by the heat spike treatment. These barriers are observed

to be comparable when the heat pulse technique induced the largest additional expulsion of flux (lowest , hence largest diamagnetic moment) before H is varied after cooling in the chosen H_a.

In type II superconductors, the magnetic induction B is in equilibrium with H/H_{c2}(T) and may vary spatially in hysteretic materials. As a sample cools from T_c, flux should be expelled since $B_{eq} < H_{c^2}$ (T). This flux expulsion can be opposed by a surface barrier and bulk pinning.Consequently for flux expulsion to occur as T is lowered, the flux retaining barrier $\Delta H_{o}(T)$ must be surmounted hence be in a critical state. This is shown schematically in figure 2(b). If this situation prevails until T_f is reached, a subsequent decrease of H from H will cause flux to leave the sample leading to the illusion that there is no barrier present against flux exit. If instead, H is increased from H, flux entry will be opposed until, by Faraday-Lenz laws of induction, the paramagnetically circulating (flux retaining) surface current I so is extinguished and an irreversible critical diamagnetic (field shielding) surface current I is generated. Consequen- $1y \quad \Delta H = \mu_{O} (|I_{sO}|+|I_{si}|) = \Delta H'_{O} + \Delta H'_{i}.$

Considering an infinite slab, thickness x = X and $H_0//$ to the surfaces, we take that, after cooling, B (x) is in equilibrium with $H(x) = H_{o} + \mu_{o}I_{so} + \mu_{o} |_{c}^{x}j_{c}(x') dx'$ (1) where 0 < x < X/2. The B(x) and H(x) profiles are sketched in figure 2 (b). Here $\mu_0 = 4\pi/10$ and j is bulk critical current density. Application of a heat spike can 'ideally" raise the surface temperature to T leaving the temperature of the bulk unperturbed. In this ideal limit, $I_{so}(T) \rightarrow o$ and H (x) \rightarrow H'(x) = H_o + $\mu_o \int_{c}^{k} j_c(x') dx'$. The B profile drops to a new configuration B'(x) in equilibrium with H' (x) as shown in figure 2 (c). Intermediate configuration of B and H will occur depending on the degree of quenching of I so and heat diffusion into the bulk. The essential feature is that when the temperature returns to T_f, the barrier to flux exit is no longer in a critical state and may be fully available to oppose exit of flux when H is subsequently lowered from H_. Conversely and again in the ideal limit, an increase in H from H_{o} now needs to overcome only the true barrier $\Delta H_i^{\prime} = \mu_0^{-1} si$ to flux entry in order that vortices enter and increase.

References

/1/ Bussière,J.F., IEEE Trans.Magn. Mag-13
(1977) 131
/2/ Kim,S., Howard,R.E. and Beasley,M.R.,J.Appl.
Phys. <u>49</u> (1978) 731
/3/ Bussière,J.F. and Suenaga,M.,J.Appl. Phys.<u>47</u>
(1976) 707
/4/ Leblanc,M.A.R., and Griffiths, D.J., Phys.Lett:
<u>21</u> (1966) 150
/5/ Bussière,J.F., Phys.Lett.<u>58A</u> (1976) 343
/6/ Leblanc,M.A.R., Griffiths,D.J. and Belanger,B.C.
Phys. Rev. Lett. <u>18</u> (1967) 844