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i. Abstract

Light patterning through spatial light modulators, whether they modulate amplitude or phase, is gaining an important place within optical methods used in neuroscience, especially for manipulating neuronal activity with optogenetics. The ability to selectively direct light in specific neurons expressing an optogenetic actuator, rather than in a large neuronal population within the microscope field of view, is now becoming attractive for studies that require high spatiotemporal precision for perturbing neuronal activity in a microcircuit. Computer-generated holography is a phase-modulation light patterning method providing significant advantages in terms of spatial and temporal resolution of photostimulation. It provides flexible three-dimensional light illumination schemes, easily reconfigurable, able to address a significant excitation field simultaneously, and applicable to both visible or infrared light excitation. Its implementation complexity depends on the level of accuracy that a certain application demands: Computer-generated holography can stand alone or be combined with temporal focusing in two-photon excitation schemes, producing depth-resolved excitation patterns robust to scattering. In this chapter, we present an overview of computer-generated holography properties regarding spatiotemporal resolution and penetration depth, and particularly focusing on its applications in optogenetics.

ii. Keywords

1. Introduction

The coordinated activation of neuronal microcircuits is proposed to regulate brain functioning in health and disease. A common approach to investigate the mechanisms that reduce network complexity is to outline microcircuits and infer their functional role by selectively modulating them. Combined with suitable illumination approaches, optogenetics offers today the possibility to achieve such selective control with its ever-growing toolbox of reporters and actuators.

Wide-field single-photon (1P) illumination was the first method employed to activate optogenetic actuators *(1–8)*, and continues to be widely used for neural circuit dissection *(9, 10)* (see also Chapter 9). Using genetic tools, including viruses, Cre-dependent systems, and transgenic lines to target optogenetic actuators to neurons of interest (see Chapters 1, 2), investigators have used wide-field illumination to dissect correlation and causal interactions in neuronal subpopulations both *in vitro (11–15)* and *in vivo (13, 16–18)*. With this approach, population specificity is achieved through genetic targeting, and temporal resolution and precision are only limited by the channels' temporal kinetics and cell properties (e.g. opsin expression level and membrane potential). Suitable combination of opsins have also enabled independent optical excitation of distinct cell populations *(19)*. The primary drawback of wide-field illumination is that all opsin-expressing neurons are stimulated simultaneously, and thus wide-field schemes lack the temporal flexibility and spatial precision necessary to mimic the spatiotemporal distribution of naturally occurring microcircuits activity.

Replacing 1P visible light excitation with two-photon (2P) near infrared light illumination enables improved axial resolution and penetration depth *(20)*. However, the small single-channel conductance of actuators such as ChR2 (40-80 fS; *(21)*), in combination with the low number of channels excitable within a femtoliter-two-photon focal volume, makes it difficult to generate photocurrents strong enough to bring a neuron to firing threshold. This challenge has prompted the development of 2P-stimulation approaches that increase the excitation volume.

2P-stimulation approaches for optogenetics can be grouped in two main categories: scanning and parallel excitation techniques. 2P laser scanning methods use galvanometric mirrors to quickly scan a laser beam across several positions covering a single or multiple cells *(22–25)* (see also Chapter 9). Parallel approaches enable to simultaneously cover the surface of a single cell using a low-numerical aperture (NA) beam *(26)*, or multiple cells using computer-generated holography *(27–30)* and generalized phase contrast *(31)*. In this chapter, we will specifically focus on the description of computer-generated holography and its application to optogenetic neuronal control. A broader overview on the different approaches for 2P optogenetics can be found in Refs. *(32–35)* and Chapter 9.

2. Computer-Generated Holography

Originally proposed for generating multiple-trap optical tweezers *(36)*, the experimental scheme for computer-generated holography (CGH) (**Figure 1a**) consists in computing with a Fourier transform based iterative algorithm *(37)* the interference pattern or phase-hologram that back propagating light from a defined target (input image) will form with a reference beam, on a defined "diffractive" plane. The computer-generated phase-hologram is converted into a grey-scale image and then addressed to a liquid-crystal matrix spatial light modulator (LC-SLM), placed at the diffractive plane. In this way, each pixel of

the phase-hologram controls, proportionally to the analogous grey-scale-level, the voltage applied across the corresponding pixel of the LC matrix such as the refractive index and thus the phase of each pixel can be precisely modulated. As a result, the calculated phase-hologram is converted into a pixelated refractive screen and illumination of the screen with the laser beam (or reference beam) will generate at the objective focal plane a light pattern reproducing the desired template. This template can be any kind of light distribution in two (2D) or three dimensions (3D), ranging from diffraction-limited spots or spots of bigger sizes (bigger surface) to arbitrary extended light patterns.

Precise manipulation of neuronal activity via holographic light patterns requires an accurate control of the spatial co-localization between the generated light pattern and the target. To do so, a few years ago we proposed to generate the template for the calculation of phase-holograms on the base of the fluorescence image *(38)*. Briefly, a fluorescence image of the preparation is recorded and used to draw the excitation pattern. In this way it is possible to generate a holographic laser pattern reproducing the fluorescence image or a user defined region of interest (**Figure 1b**) *(32, 39)*.

In CGH, the pixel size and number of pixels of the LC-SLM define the lateral and axial field of excitation (FOE). The maximum lateral FOE, FOE_{xy}, is given by *(40–42)*:

$$FOE_{xy} = \Delta X \times \Delta Y = \left(2 \cdot \frac{\lambda f_{eq}}{2dn}\right) \times \left(2 \cdot \frac{\lambda f_{eq}}{2dn}\right), \tag{1}$$

where λ is the excitation wavelength, d the LC-SLM pixel size, n is the medium refractive index, and f_{eq} is the equivalent focal lens including all the lenses located between the LC-SLM and the sample plane (*see* **Note 1**).

Within this region, the diffraction efficiency, $\delta(x,y)$, defined as the intensity ratio of the incoming to the diffracted beam, depends on the lateral spot position coordinates, x,y:

$$\delta(x, y) = b\left(sinc^2\left(\frac{\pi d}{\lambda f_{eq}}x\right) sinc^2\left(\frac{\pi d}{\lambda f_{eq}}y\right)\right), \tag{2}$$

with b being a proportionality factor considering the frontal window LC-SLM reflectivity. Consequently, $\delta(x,y)$ reaches its maximum value at the center of the FOE_{xy} and the minimum one at the borders of the FOE_{xy}. Existing LC-SLM devices permit nowadays to reach diffraction efficiency values of ~95 % at the center and ~38 % at the border, which are the values close to the limit imposed by theory. The remaining light is distributed among the higher diffraction orders and an un-diffracted component, so-called zero-order, resulting in a tightly focused spot at the center of the FOE. Depending on the applied phase profile, the intensity of the zero-order spot can reach 25 % of the input light. This value can be reduced down to 2%–5%, regardless of the projected hologram, by performing *ad hoc* pre-compensation of the LC-SLM phase pixel values *(43)*. The focused zero-order spot can be removed from the FOE by adding a block or diaphragm at a plane conjugated to the sample plane *(44, 45)*. Nevertheless, this limits the accessible FOE. Alternatively, the intensity of the zero-order component can be strongly reduced by using a cylindrical lens placed in front of the LC-SLM, which stretches the zero order into a line *(46)*. A phase hologram compensating the cylindrical lens effect is then addressed onto the LC-SLM in addition to the original phase hologram generating the target spot, so that the holographic-pattern-shape is restored (**Figure 2**) (*see* **Note 2**). Importantly, the use of cylindrical lenses enables suppressing excitation from the zero-order component in the FOE_{xy} without using intermediate blocks, thus having access to the entire FOE.

Intensity inhomogeneities due to diffraction efficiency are a limiting factor for applications requiring lateral displacing of a single spot or multiple spots within the FOE. Therefore, we have proposed approaches that compensate those inhomogeneities for keeping the spot intensity constant independently on the lateral position. In the case of single spot generation, a homogenization of light distribution can be achieved by projecting one or multiple spots outside the FOE_{xy} and tuning their brightness or size to compensate the intensity loss due to the diffraction efficiency curve. Thus, a constant intensity value in the excitation spot is maintained for each position of the FOE_{xy}. The extra spots can be blocked by adding an external diaphragm placed at an intermediate imaging plane of the optical system, conjugated to the sample plane *(42)*. For multi-spot excitation, one can use graded input images in order to generate brighter spots into regions in the border of the FOE, where the diffraction efficiency is lower, and dimmer spots into the central part of the FOE, where diffraction efficiency is higher *(42, 47, 48)* (**Figure 3**). Graded input patterns can also be used to compensate for sample inhomogeneity. For example they can be applied to equalize photocurrents from cells with different expression levels *(47)*.

CGH pattern generation also suffers from "speckle", i.e. undesired intensity variations of high spatial frequency, within the same spot. This is an intrinsic limitation of CGH and it is due to phase discontinuities at the sample plane inherent to the Gerchberg-Saxton algorithm *(37)*, the most commonly used Fourier-transform based iterative algorithm. Speckle fluctuations reach 20 % in 1P and 50 % in 2P CGH implementations. Different approaches have been proposed to reduce or eliminate speckles, each with its advantages and limitations. Temporally averaging of speckle-patterns can be achieved by mechanical rotating a diffuser *(49)* or by generating multiple shifted versions of a single hologram *(50)*. Also smoother intensity profiles can be created by *ad hoc* algorithms that remove phase vortices in the holographic phase mask *(51)*. Alternatively, the interferometric method, generalized phase contrast (GPC) (*see* **Note 3**) *(52)*, generates speckle-free 2D extended shapes with adequate precision, e.g. to precisely reproduce the shape of a thin dendritic process *(31)*. Recently, researchers showed that GPC can be also extended to 3D by combining it with CGH, an approach called Holo-GPC *(53)*. In that case, a holographic phase mask is used to multiplex a GPC pattern in different lateral or axial positions.

2.1 Spatial resolution

In general, the lateral spatial resolution of an optical microscope is defined on the basis of the maximum spatial frequency that can be transferred through the focusing objective. That is related to the maximum angle of convergence of the illumination rays, i.e. to the objective angular aperture. Consequently, in CGH the smallest obtainable illumination pattern is a diffraction-limited Gaussian spot whose full width at half maximum (FWHM) is equal to $\Delta x \approx \lambda/NA_{eff}$, where NA_{eff} is the effective numerical aperture (with $NA_{eff} < NA$ for an under-filled pupil). Conjointly with the concept of resolution, it is useful to introduce the notion of spatial localization accuracy, i.e. the precision to target a certain position in the sample plane *(54)*. This is ultimately related to the minimum displacement, $\Delta\delta_{min}$, of the illumination spot that is possible to achieve by spatially modulating the phase of the incoming light beam. In particular, an illumination spot can be laterally shifted by a certain step $\Delta\delta$ by applying at the objective back aperture a prism-like phase modulation of slope $\alpha \approx \Delta\delta/f_{obj}$, where f_{obj} is the objective focal length. The spatial localization accuracy

therefore depends on the SLM capability to approximate a prism-like phase shift *(54)*. This ultimately is limited by the number of pixels, *N*, and grey levels, *g*, of the SLM. More precisely the theoretical upper limit for the minimum step $\Delta\delta_{min}$ is inversely proportional to $N \cdot g$ *(54, 55)* .

In CGH, axial resolution scales linearly with the lateral spot size and inversely with the objective numerical aperture (*NA*). Precisely, defining as *s* the holographic spot radius and $\sigma \approx \lambda/\left(NA\sqrt{8 \cdot \ln(2)}\right)$ the speckle size, the 1P and 2P axial resolution is twice the axial distance, Δz, at which the 2P intensity drops at 50% (FWHM), where Δz is given by:

$$\Delta z(s)_{1P} = \frac{2\sqrt{3}z_R\sigma}{\sqrt{s^2+\sigma^2}}; \qquad \Delta z(s)_{2P} = \frac{2z_R\sigma}{\sqrt{s^2+\sigma^2}} \quad , \qquad (3)$$

with $z_R=\pi \cdot s^2/2\lambda$. This means that a spot size of, e.g., 10 μm in diameter will correspond to an axial resolution of 14 μm using a *NA*=0.9 objective and 2P illumination at 900 nm *(56)*. The corresponding illumination volume has roughly the size of a cell soma (yellow circle, **Figure 4a**), thus enabling in principle optical photostimulation with single-cell precision (**Figure 4a**).

Optical stimulation with near cellular resolution was indeed achieved in freely moving mice using 1P holographic stimulation *(57)*. Briefly, holographic light patterning coupled to a fiber bundle with a micro-objective at the end, was used to photostimulate and monitor functional responses in cerebellar molecular layer interneurons co-expressing a calcium indicator (GCaMP5-G) and an opsin (ChR2-tdTomato) in freely behaving mice (**Figure 5**). These experiments proved optical photostimulation with near cellular resolution using sparse staining and sparse distribution of excitation spots. However, a similar approach would not reach the same precision if applied for multi-site photostimulation of a densely labelled neuronal population as in this case the axial resolution would quickly deteriorate both using 1P and 2P excitation (**Figure 4b**).

A few years ago, we demonstrated that micrometer-size optical sectioning independent of the lateral spot dimension *(49)* can be achieved by combining CGH and GPC with temporal focusing. Briefly, the technique of temporal focusing (TF), originally demonstrated to perform wide-field 2P microscopy *(58, 59)*, uses a dispersive grating to diffract the different frequencies comprising the ultra-short excitation pulse toward different directions. The various frequencies thus propagate toward the objective focal plane at different angles, such that the pulse is temporally smeared above and below the focal plane, which remains the only region irradiated at peak powers efficient for 2P excitation.

The combination of TF with CGH is achieved by adding to the conventional TF optical path a LC-SLM and a focusing lens (L1) so that the TF grating lies at the focal plane of L1 and is illuminated by the holographic pattern. A second telescope, made by a second lens (L2) and the objective, conjugates the TF plane with the sample plane, thus enabling the generation of spatiotemporally focused patterns (**Figure 6a**). Notably, TF enables decoupling lateral and axial resolution so that the same axial resolution is achieved independently on the lateral extension of the excitation spot (**Figure 6b, c**) *(49)*. TF combined with low-*NA* Gaussian beams, GPC and CGH has enabled efficient 2P optogenetic excitation with micrometer axial resolution and millisecond temporal resolution both *in vitro* and *in vivo (23, 26, 27, 31)*.

Although wave-front shaping and TF enable precise sculpting of the excitation volume, the ultimate spatial precision achievable for 2P optogenetics depends also on the opsin distribution within the expressing neurons: opsins are efficiently trafficked to the membrane of cell soma, as well as to dendrites

and axons. Consequently, illumination with a theoretically micrometer-sized focal volume could depolarize all cells whose processes (dendrites and axons) cross the target excitation volume, even if their somata are located micrometers away from the illumination spot (**Figure 7**). This activation cross talk needs to be carefully considered, for example when performing connectivity experiments, as it could prevent distinguishing if a postsynaptic response, recorded while photo-stimulating a presynaptic cell, originates from a true connection between the two cells rather from direct stimulation of postsynaptic dendrites or axons crossing the photostimulation volume. Reaching a true cellular resolution for exciting densely labelled samples requires combining optical focusing with molecular strategies enabling confined opsin expression in restricted cell areas (soma or axonal hillock) *(48, 60)*.

2.2 Temporal resolution

Parallel light illumination enables simultaneous excitation of all selected targets. The temporal resolution is therefore only limited by the illumination time needed to evoke, e.g., an action potential (AP), a detectable Ca^{2+} response or a defined behavioral change *(32, 33)*. This ultimately depends on opsin conductance, virus promoter, serotype, titer, kinetics parameters and excitation power (see Chapters 1, 2, 3). In the following we will specifically focus on reviewing how the opsin kinetics parameters determine temporal resolution, temporal precision (temporal jitter) and AP spiking rate.

Light illumination of an opsin-expressing cell with a hundred-millisecond illumination pulse generates a characteristic photocurrent trace (**Figure 8a**) where one can distinguish an activation, inactivation and deactivation part, characterized by a temporal decay, τ_{on}, τ_{inact} and τ_{off}, respectively. The overall kinetics of the current, as well as the ratio of the peak-to-the-plateau-current can be qualitatively well reproduced by using a 3- or 4-state model *(61–65)* (**Figure 8b**), the latter being more accurate to reproduce the bi-exponential decay of the light-off current and the photocurrent voltage dependence *(62)*. A qualitative value for the characteristic temporal decay, τ_{on}, τ_{inact} and τ_{off}, can be directly extracted by assuming a mono-exponential process for the three transitions. In Table 1 we report the values of τ_{on} (at saturation), τ_{inact} and τ_{off} measured under 2P holographic illumination of CHO (Chinese Hamster Ovary) cells expressing a fast (Chronos) *(19)*, an intermediate (CoChR) *(19)* and a slow (ReaChR) *(66)* opsin.

In practice, the efficient current integration obtained under parallel photostimulation enables using photostimulation pulses much shorter than the channel rise time therefore enabling *in vitro* AP generation with millisecond temporal resolution and sub-millisecond temporal jitter, independently on τ_{on} *(28, 29, 48)* (**Figure 9a**). Conversely, the value of τ_{off} has a key role in limiting the achievable spiking rate, as shown in **Figure 9b**, where the *in vitro* spike generation under 2P holographic illumination of interneurons (layer 2/3 of visual cortex) expressing different opsins (Chronos, ReaChR, CoChR) is reported. Fast opsins, such as Chronos, enabled generation of light-evoked AP trains up to 100 Hz spiking rate *(29)*, while for ReaChR, with a ~50 times slower τ_{off}, the light-evoked firing rate was limited at ~35 Hz (~15 Hz for pyramidal cells) *(28)*. Photostimulation of interneurons expressing CoChR, which has an intermediate value of τ_{off} (~30 ms), could still generate light-evoked trains at 100 Hz but the temporal precision and fidelity were progressively lost across the train.

Interestingly the efficient current integration achievable with parallel holographic illumination enables reliable AP generation with millisecond temporal resolution and sub-millisecond precision using, at depths of ~100 μm, excitation densities less than 1 mW/μm² or 100 μW/μm², with a conventional mode-locked high-repetition rate (80 MHz) laser oscillator or a low-repetition rate (500 kHz) amplifier, respectively *(28, 29, 48)*.

2.3 Penetration depth

As previously described, temporal focusing coupled with CGH or GPC enables micrometer-range axial confinement. A further advantage of this approach is that it also enables robust light propagation through scattering media *(27, 42, 67)*. Scattering deviates the original photon trajectory, thus deforming the excitation spot shape at the focal plane. For light illumination with diffraction-limited spots, this mainly translates into occurrence of aberrations and loss of axial and lateral resolution. Moreover, scattered photons do not contribute to signal arising from the focal volume, which translates in loss of light intensity *(68)*.

For large illumination areas, the presence of scattering also generates speckle in the excitation spot due to the random interference between ballistic and scattered photons (**Figure 10**). A few years ago, we demonstrated that TF combined with both CGH *(27)* and GPC *(67)* enables to reduce this effect as scattered photons have less probability to interfere with the ballistic ones (**Figure 11**). Light propagation of patterns generated using CGH *(27)* and GPC *(67)* through cortical brain slices or zebrafish larvae *(42)* have revealed robust conservation of lateral shape and axial resolution up to depths twice the scattering length (**Figure 10**), enabling in-depth optogenetic stimulation *(67)* (see also Chapter 13).

2.4 Multi-plane light activation

One important feature of CGH is the ability to generate spots in different axial planes, a feature used to generate multi-diffraction-limited traps for optical tweezers *(36, 69)*, 3D glutamate uncaging *(41, 70–72)*, and, combined with spiral scanning, to achieve multi-plane 2P optogenetic stimulation *(73)*.

Adding lens-phase modulations to 2D-phase holograms also enables remote axial displacement and 3D positioning of laterally shaped targets *(74)*. This configuration, combined with optogenetics, can enable simultaneous control of neurons and substructures in different planes, as well as provide a flexible means to stimulate locations lying above or below the imaging plane *(30)*. Conventional 3D-CGH optical designs are not, however, compatible with TF because axially shifted excitation planes cannot be simultaneously imaged onto the TF grating. To overcome this limitation, we have recently developed a new optical system including two LC-SLMs that enable simultaneous TF at multiple planes (**Figure 12a**) *(42)*. The system achieves remote axial displacement of temporally focused holographic beams, as well as multiple temporally focused planes, by shaping the incoming wave-front in two steps, using two LC-SLMs. The first LC-SLM (SLM1 in **Figure 12a**), laterally shapes the target light distribution that is focused onto the TF grating, which disperses the spectral components of the illumination pattern onto the second LC-SLM (SLM2 in **Figure 12a**). SLM2, conjugated to the objective back focal plane, is addressed with a single or multiple Fresnel-lens phase-profiles to control the target's axial position in the sample volume. In this

way, the spatial and temporal focal planes coincide at the grating, and are jointly translated by SLM2 across the sample axial extent (**Figure 12b**).

Similarly, to what has been discussed for the generation of 2D multiple spots, the pixel size, *d*, and pixels number of the LC-SLM limit the axial FOE, FOE_z, to:

$$FOE_z = \Delta Z = \left(\frac{\lambda f_{eq}\sqrt{n^2 - NA^2}}{2dNA}\right),$$ (4)

where *NA* is the objective numerical aperture, and *n* is the refractive index of the immersion medium, giving rise to an axial-position-dependent diffraction efficiency *(42)* (**Figure 12c**). Similarly to the 2D case, homogeneous light distribution can be obtained by using graded input images (**Figure 12d**).

3. Notes

1. When CGH is used for microscopy, in principle it is sufficient to address the proper phase modulation at the back focal plane of the objective for having the desired illumination pattern at the sample plane. However, practically it is difficult to place a spatial light modulator there. The common practice is to image the back focal plane of the objective at another conjugated plane where the LC-SLM is placed, through a telescope of lenses. Typically, this includes a first lens (L1 of focal length f_1), placed at a distance equal to f_1 after the LC-SLM, which generates a first holographic intensity pattern at its focal plane, and a second lens (L2 of focal length f_2), placed at a distance $f_1 + f_2$ from L1 and $f_2 + f_{obj}$ from the objective (focal length f_{obj}), which conjugates the LC-SLM plane to the objective back focal plane. In this case $f_{eq} = (f_1 \cdot f_{obj})/f_2$. The focal lengths f_1 and f_2 are chosen to match the LC-SLM short axis to the objective back aperture size (usually 6-8 mm), in order to achieve the best possible axial resolution for the holographic patterns. As a numerical example, considering a standard commercial LC-SLM array of 12 mm, with a pixel size of 20 μm, and a typical water-immersion 40x objective (f_{obj}=4.5 mm) often used in neurophysiology experiments, the ratio f_1/f_2 is chosen to be ~ 2, which would give a FOE_{xy} ~230 x 230 μm² or ~420 x 420 μm² according to equation (1), using λ = 520 nm or λ = 950 nm, respectively.

2. In particular, for 2P-CGH combined with temporal focusing (*see* **Section 2.1**), two cylindrical lenses with opposite focal lengths, orthogonally oriented, with preference at 45° relatively to the direction of the axes of the LC-SLM array, enable generating two axially displaced zero-order lines. Then, thanks to the out-of-focus pulse dispersion of temporal focusing, the zero order contribution to the 2P signal can be reduced by 4-6 orders of magnitude *(46)*. The choice of 45° direction is related to the orientation of the grating grooves that is used for temporal focusing and the dispersion direction of spectral frequencies. Usually, the diffraction grating is placed with its grooves perpendicularly oriented in respect to the plane of incidence (i.e. the plane which contains the grating's surface normal and the propagation vector of the incoming radiation), or simply in respect to the lab's floor. This means that dispersion occurs parallel to the incidence plane. If the cylindrical lenses are oriented with their focusing axes one perpendicular and one parallel to the grating's grooves, then at the focal plane only fluorescence that originates from the line that lies along the direction of temporal focusing, i.e. the direction where the spectral frequencies are dispersed, will be efficiently suppressed. Fluorescence from the other line will be reduced, but still present at

another plane. If the cylindrical lenses are oriented with their focusing axes at 45° in respect to the grating's grooves then both zero-order lines at the sample volume undergo temporal focusing and thus fluorescence suppression.

3. The generalized phase contrast method (GPC) is an alternative approach to CGH for generating speckle-free arbitrarily shaped illumination patterns. It is a common-path interferometry visualization technique, i.e. the output image is obtained by the interference between a signal and a reference wave travelling along the same optical axis, based in Zernike's phase contrast *(75)*. The basic principle of GPC involves separating a light beam into its Fourier components by using a lens. The on-axis, low spatial frequency components are shifted in phase (usually by π or λ/2) using a small wave retarder or phase contrast filter (PCF). A second lens then recombines the high and low spatial frequencies. The introduced phase shift by the PCF causes the two different components to interfere and produces an intensity distribution according to the phase information carried by the higher spatial frequencies *(76)*. By controlling the value of the input phase function at the LC-SLM plane and by choosing appropriate phase retardation at the PCF, a pure phase to intensity imaging is accomplished. A simple binary phase modulation is sufficient in this case (e.g. addressing with 0 phase dark areas and π phase bright areas of the desired pattern, when a π phase retardation is introduced by the PCF). This means that a phase modulation is finally turned to an intensity modulation, without using any iterative algorithm that provides approximate solutions for the phase hologram, resulting to speckle patterns, like in CGH. The rapid phase variations of the holographic phase profile do not longer exist when GPC is used and patterns generated are speckle-free. The phase wavefront of the output beam is smooth, similar to the one of a Gaussian beam. This results in a long axial propagation, revealing the interferometric character of the beam *(31)*, meaning that GPC patterns lack of axial confinement. For 2P excitation, the remedy to this issue is combination of GPC with temporal focusing. Temporally focused 2P-GPC patterns result with an axial resolution similar to that obtained by 2P line-scan microscopy *(31)*.
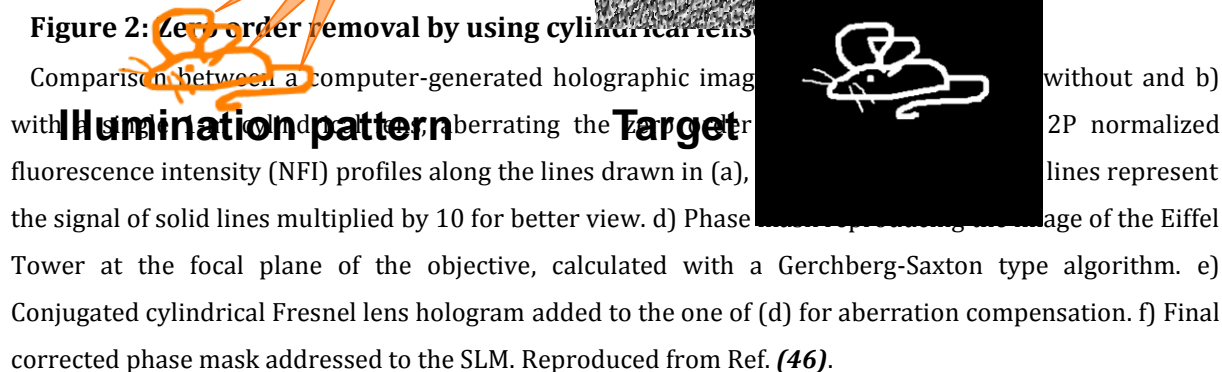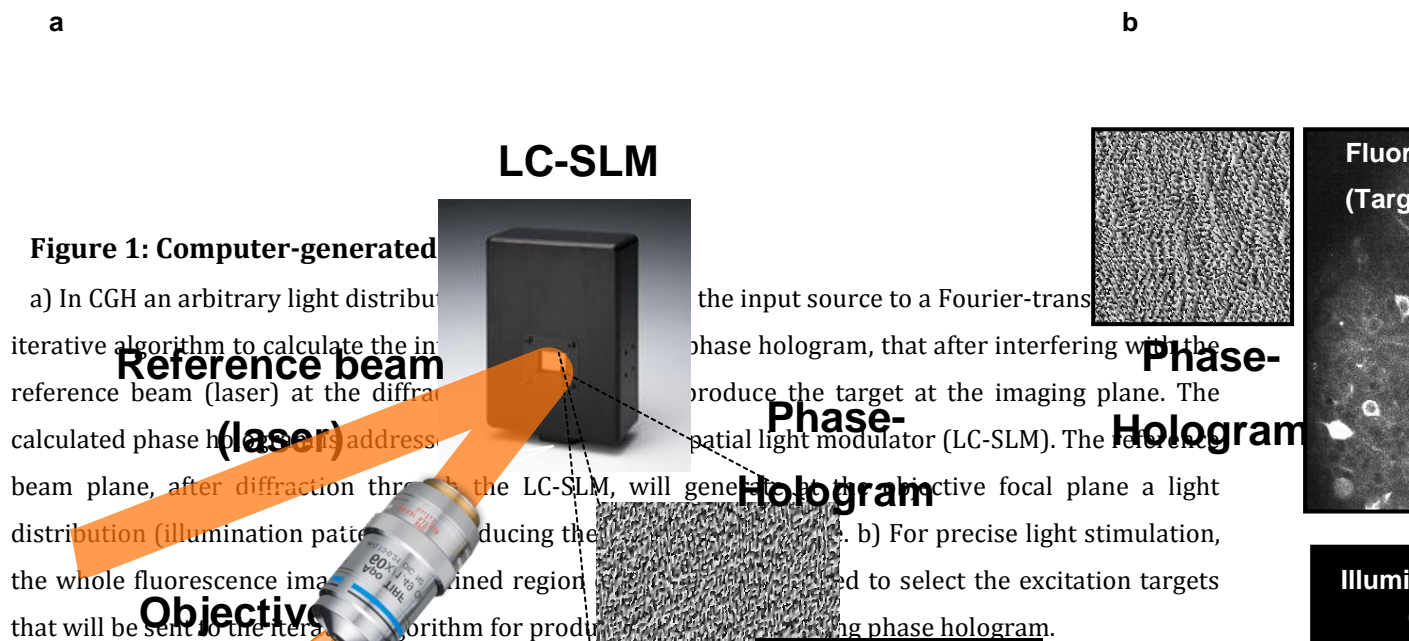
4. Outlook

Computer-generated holography combined with 2P excitation enables in depth optical stimulation with millisecond temporal resolution and sub-millisecond temporal precision. The combination of CGH with temporal focusing enables generation of excitation volumes with micrometer axial resolution and robust propagation through scattering media. For neuronal activation the efficient current integration achievable with parallel holographic illumination combined with laser amplifiers at low-repetition rate (500 kHz) enables reliable AP generation with millisecond temporal resolution and sub-millisecond precision excitation densities (<100 μW/μm²). These findings, together with high average power available nowadays in commercially available laser systems (more than 10 W at laser output), indicate that laser power is not the limiting factor for the maximum achievable number of targets using CGH. More likely, this will be limited by other factors, such as sample heating and deterioration of the photostimulation spatial resolution. Indeed, for multiple-cell stimulation, photostimulating neurites crossing the illumination volume affects cellular resolution, thus limiting the maximum number of targets that can be stimulated

with single-cell precision. Recent progresses in engineering of somatic opsins should enable to solve these limitations in the close future *(60)*.

Acknowledgements:

Figures

a   b

LC-SLM

Reference beam (laser)

Objective

Illumination pattern

Phase-Hologram

Target

Phase-Hologram

Fluor... (Targ...

Illumi...

Figure 1: Computer-generated

a) In CGH an arbitrary light distribut... the input source to a Fourier-trans... iterative algorithm to calculate the in... phase hologram, that after interfering with the reference beam (laser) at the diffra... produce the target at the imaging plane. The calculated phase ho... is address... patial light modulator (LC-SLM). The reference beam plane, after diffraction thro... the LC-SLM, will gene... the objective focal plane a light distribution (illumination patte... ducing the... b) For precise light stimulation, the whole fluorescence ima... ined region... ed to select the excitation targets that will be se... orithm for produ... g phase hologram.

Figure 2: Zero-order removal by using cylindrical lens

Comparison between a computer-generated holographic imag... without and b) with a sim... and... aberrating the ... 2P normalized fluorescence intensity (NFI) profiles along the lines drawn in (a), ... lines represent the signal of solid lines multiplied by 10 for better view. d) Phase ... age of the Eiffel Tower at the focal plane of the objective, calculated with a Gerchberg-Saxton type algorithm. e) Conjugated cylindrical Fresnel lens hologram added to the one of (d) for aberration compensation. f) Final corrected phase mask addressed to the SLM. Reproduced from Ref. *(46)*.

Figure 3: Diffraction efficiency compensation

a) A graded input image to the iterative algorithm is used to equalize the light distribution across multiple spots (10 μm in diameter) generated on regions of different diffraction efficiency. b) The corresponding light distribution is visualized by illuminating a uniform rhodamine fluorescent layer and by collecting the fluorescence on a CCD camera. Scale bar 30 μm. c) Histogram of the normalized average intensity on the spots shown in (b). Intensity is averaged over the area of the spots. Intensity variations among the spots are of the order of 9%.

Figure 4: Axial propagation of holographic beams

Experimental *y-z* and *x-y* intensity cross-sections for holographic beams generated to produce at the objective focal plane a) a circular spot, or b) multiple spots of 10-μm diameter. *y-z* cross-section in (b) is shown along the white dash-dotted line. The yellow circle in both panels approximates the size of a cell

soma. Integrated intensity profiles of *y-z* cross-sections around the circular spot (a) and in an area covering three spots (dashed yellow) of the multi-spot light configuration (b) are shown on the top of the panels. For comparison, the full width at half maximum of the axial integrated intensity profile of the single 10-µm spot is around 14 µm. Scale bars: 10 µm.

Figure 5: Holographic photostimulation and functional imaging in freely behaving mice

a) Schematic of the holographic fiberscope composed of two illumination paths: one for photoactivation with CGH including a LC-SLM, and a second for fluorescence imaging including a digital micromirror device (DMD). Backward fluorescence was detected on a scientific complementary metal oxide semiconductor (sCMOS) camera. Both paths were coupled to the sample using a fiber bundle attached to a micro-objective (MO). L, Lens; BS, beam splitter; O, microscope objective. b) Left, Calcium signal triggered by photoactivation (blue line; p=50 mW/mm^2) with a 5-µm diameter holographic spot placed on the soma of a ChR2-expressing cell recorded in a freely behaving mouse co-expressing GCaMP5-G and ChR2 in cerebellar molecular layer interneurons (MLIs). Right, Structure illumination image recorded in a freely behaving mouse and showing MLI somata and a portion of a dendrite (insert). Scale bar: 10 µm. c) Top, The same photoactivation protocol as in (a) was repeated every 30 s for 15 min (photostimulation power, 50 mW/mm^2; imaging power, 0.28 mW/mm^2). Bottom, Expansion of the top trace showing that spontaneous activity frequently occurs between evoked transients. Adapted from Ref. *(57)*.

Figure 6: Computer-generated holography and temporal focusing

a) Schematic representation of an experimental setup combining CGH with TF. G: grating, L1 and L2: lenses, BFP: Back focal plane, FFP: Front focal plane. b-c) Experimental *y-z* and *x-y* intensity cross-sections for temporally focused holographic beams generated to produce at the objective focal plane a circular spot (b), or multiple spots of 10-µm diameter (c). *y-z* cross-section in (c) is shown along the white dash-dotted line. Yellow circles approximate the size of a cell soma. Integrated intensity profiles of *y-z* cross-sections around the circular spot (b) and in an area covering three spots (dashed yellow) of the multispot light configuration (c) are shown on the top of the panels. For comparison, the full width at half maximum of the axial integrated intensity profile of the single 10-µm spot is around 9 µm. The axial confinement thanks to temporal focusing is well preserved, even when multiple spots are projected close together. Scale bars: 10 µm.

Figure 7: Two-photon holographic photostimulation of ReaChR-expressing cells in vivo

The opsin ReaChR was expressed in neurons at layer 2/3 of mouse visual cortex via injection of the viral vector rAAV1-Ef1α-ReaChR-P2A-tdTomato. Positive neurons expressing ReaChR (fluorescent cells in the 2P fluorescence image of the left panel) in isoflurane-anesthetized mouse were photostimulated with a 12-µm diameter excitation spot and 5-ms illumination duration at 0.15 mW/µm^2 and λ=1030 nm (red shaded area in the right panel). Action potentials were induced by holographic excitation of one positive cell soma (spot 1), whose membrane potential was measured using 2P-guided whole-cell recording (trace 1). Sub-threshold or supra-threshold activation was induced in the patched cell (trace 2-8) upon

holographic excitation of spots targeting around its soma (respective radial distance from spot 1 for spots 2-8: 12 μm, 12 μm, 24 μm, 12 μm, 67.6 μm, 40.4 μm, 35 μm), caused by exciting opsin-channels distributed into axon, proximal and distal dendrites of the patched neuron. Scale bar: 40 μm.

Figure 8: ChR2 photocurrent and photocycle

a) Typical photocurrent trace of a CHO cell expressing ChR2 under visible light illumination (1P excitation) for 100 ms. b) Left, schematic of the three-state model where C represents the closed/ground state, O the open state and D the closed/desensitized state. Right, schematic of the four-state model with two closed, C1 and C2, and two open states, O1 and O2. For a detailed description of the model see Ref. *(65)*.

Figure 9: Temporal resolution and spiking rate

a) Light-elicited single-spike by 2P holographic illumination (spot diameter: 15 μm; λ=1030 nm) with short light illumination pulses (t=2 ms) of Chronos (P=0.09 mW/μm^2), CoChR (P=0.1 mW/μm^2; V. Zampini, unpublished data) and ReaChR (P=0.07 mW/μm^2) expressing interneurons from layer 2/3 of the mouse visual cortex. b) Light-driven firing fidelity in opsin-positive interneurons by illuminating with a train of 10 light pulses, Chronos (t=2 ms; f=100 Hz; P=0.12 mW/μm^2), CoChR (t=3 ms; f=100 Hz; P=0.1 mW/μm^2) and ReaChR (t=10ms; f=40 Hz; P=0.04 mW/μm^2). The first 4 pulses are zoomed in, in the insets. Chronos data are adapted from Ref. *(29)* and ReaChR data are adapted from Ref. *(28)*.

Figure 10: Temporal focusing and penetration depth

a) 2P fluorescence x–y cross-sections of GPC-generated excitation patterns mimicking a neuron with small processes (top) and a 15-μm-diameter CGH spot (bottom) after propagation through 550 μm of acute coronal cortical brain slices without (middle panel) and with (right panel) temporal focusing (λ=950 nm). Non-temporally focused beams are transformed to speckled patterns after traveling through the tissue. b) 2P fluorescence x–y cross-sections of a 20-μm-diameter CGH spot after propagation through the whole brain of a zebrafish larva (~500 μm thick) without (middle panel) and with (right panel) temporal focusing (λ=920 nm). Left panels in all cases are obtained from unscattered beams. Scale bars: 10 μm. Adapted from Refs. *(27, 42, 67)*.

Figure 11: Temporal focusing in the temporal domain

The propagation of a large beam (a holographic spot in this case) diffracted by the grating produces an ultrafast line scanning of the sample. Scattering events off the scanning line at a single moment in time cannot interfere with the ballistic photons in the line. Adapted from Ref. *(27)*.

Figure 12: Multi-plane generation of spatiotemporal focused holographic patterns

a) Schematic of the experimental setup for 3D-CGH-TF. BE: Beam expander, G: diffraction grating, L1, L2, L3, L4: Lenses, OBJ1: Microscope objective. b) Left panel, top, tiled phase profiles addressed to SLM1 for encoding the words 'neuro' (plane A) and 'photonics' (plane B). Bottom, Fresnel lens-phase profiles

addressed to SLM2 to axially displace each holographic pattern generated by SLM1 on separated planes at +20 μm (plane A) and -20 μm (plane B). Middle panel, x–y 2P fluorescence intensity cross-sections at planes A and B generated by phase-holograms in the left. Right panel, orthogonal maximum 2P intensity projection along x (top) and y (bottom). c) Axial diffraction efficiency curve, where the intensity of each holographic spot projected at each axial plane is normalized to the one of a spot projected at the center of the nominal focal plane. Experimental data (red points) represent the average of four realizations and follow a Lorentzian distribution (red dashed line) with Δz_{FWHM}=360 μm. Weighting the axially displaced holographic spot intensity according to the calculated diffraction efficiency enables intensity equalization between holographic patterns in separated axial positions (blue points and dashed line represent the corrected intensity ratio and fitting, respectively). Vertical error bars show the standard deviation for the different realizations. d) Input patterns to the Gerchberg-Saxton algorithm used to calculate the holograms that generate the holographic patterns shown in (b): low-diffraction efficiency regions appear brighter over those closer to the center of the excitation field. To improve the observation of differences between conditions, the amplitude scale of the images was chosen from 0.9 to 1.5. Adapted from Ref. *(42)*.

Table 1: Kinetics parameters for different opsins

	Chronos	CoChR	ReaChR
τ_{on} (ms)	0.73	2.4	8
τ_{inact} (ms)	9.3	200	443
τ_{off} (ms)	4.2	31	94

Chronos, CoChR and ReaChR were expressed in Chinese Hamster Ovary (CHO) cells following the protocol described in Ref. *(28, 29)*. Electrophysiological data, were recorded 24 – 60 hours after transfection using 2P (λ=950 nm, pulse duration 4s for ReaChR and CoChR and 1s for Chronos; three trials at 1-minute intervals holographic illumination at variable power (from 0.05 mW/μm^2 to 1.1 mW/μm^2). The current curves at saturation (defined as the power at which the peak current reaches 90 % of its maximum) where fitted using a mono-exponetial decay for the three transitions: activation, inactivation and deactivation. The corresponding decay times, τ_{on} (ms), τ_{off} (ms), τ_{inact} (ms), are reported in the table and correspond to power close to saturation (0.86 mW/μm^2, 0.54 mW/μm^2 and 0.28 mW/μm^2 for Chronos, CoChR and ReaChR, respectively (A. Picot, M. Gajowa et al. unpublished data).

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