A FE Model for TRM Reinforced Masonry Walls with Interface Effects

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Abstract. We report on experimental and numerical investigations of textile reinforced mortar (TRM) strengthening systems, an innovative solution for reinforcing historical masonry structures. The experimental campaign presented in this paper is original and concerns two commercial TRM applications to single-leaf clay masonry panels. The proposed FE modelling is based on a multiscale approach with the possibility of simulating bed joints sliding and TRM-reinforcement debonding. This last phenomenon is frequently reported in the experimental literature and it has been observed also in our experimental tests. The numerical model is applied to study the behaviour of TRM reinforced masonry panels under diagonal compression tests.

Introduction

Conventional seismic retrofitting techniques for historical masonry structures are usually based on steel reinforced concrete jacketing. New developments of materials, methods and techniques for structural strengthening have promoted the use of composite materials in the form of fibre reinforced polymer (FRP) materials, and, more recently, of textile reinforced mortar (TRM). TRMs, also known as fibre reinforced cementitious matrix (FRCM) [1], are innovative composites constituted of high-strength fibres (basalt, glass, steel) in the form of grids embedded into inorganic matrices, such as natural mortars or cements. Over the last decade, many experimental studies have been carried out to investigate the effectiveness of TRM composites in different load configurations, see for example [2-10]. Different design approaches are currently available for quantifying the strength of masonry walls externally reinforced by composite materials [2, 8, 11]. Finite element modelling of TRM strengthened masonry, although a complex task, is a useful approach for understanding the role of material parameters on the behaviour of strengthened structures. In the literature, a limited number of numerical models has been proposed to investigate the structural behaviour of TRM strengthened masonry [5, 11-16]. In these numerical models, perfect contact is assumed between the masonry substrate and the external reinforcement. Moreover, masonry is treated as a continuum equivalent material. In the present paper, a different multiscale strategy for the failure analysis of TRM-reinforced masonry is proposed, based on the introduction of cohesive laws between mortar joints and masonry bricks and between reinforcing composite layers and masonry panel, employing suitable cohesive interface elements. The reinforcement layers are modelled as composite laminates with equivalent material properties and discretized using two-dimensional shell elements. The result is an original numerical model, implemented in Abaqus and successfully applied to simulate the behaviour of masonry panels reinforced with commercial TRM systems and subjected to diagonal compression tests.

Experimental Campaign

The experimental tests concerned 7 single-leaf masonry panels of global dimensions $1030 \times 1000 \times 120 \text{ mm}^3$, built with clay bricks (CB) of average dimensions $250 \times 120 \times 55 \text{ mm}^3$ arranged in a 14-rows layout. Bed and head joints of thickness 17 mm and 10 mm respectively were realized with a low quality lime-based mortar (LM), composed by sand (75%), lime (21%) and cement (4%). Specimens were built and cured outdoor and were strengthened after their curing period. The experimental campaign was entirely developed at LiFE S.r.l. Two commercial strengthening solutions were applied with double-sided configuration to 6 of the 7 masonry panels. The first commercial TRM system, herein after denoted GTRM, exploits preformed grids (GG) and anchors (GA) of GFRP (Glass Fiber Reinforced Polymer) embedded in natural hydraulic lime mortar matrix (GM) and was applied to 3 specimens. The second TRM system, denoted BTRM, exploits stainless steel and basalt fibre grids (BG) and helical stainless steel anchors (BA) embedded in natural lime mortar matrix added with mineral binder (BM) and was applied to 3 specimens. The reinforcements geometry, materials quality and application methods were set according to manufacturer instructions (Table 1). Finally, a single masonry panel left unstrengthened (URM) was tested as control specimen.

Table 1. Specimens' strengthening configurations

Specimen ID	Specimen #	Matrix	Grid	Anchors
URM	1	---	---	---
GTRM	1-3	Hydraulic lime mortar sprayed in a single layer of thickness 30 mm per side	Preformed GFRP grid of mean thickness 3 mm and spacing $33 \times 33 \text{ mm}^2$ per side	Coupled L-shaped preformed GFRP anchors of section 70 mm^2 and length 100 mm each
BTRM	1-3	Mineral binder-added lime mortar sprayed in two layers of total thickness 10 mm per side	Balanced basalt-stainless steel AISI 304 grid of mean thickness 0,064 mm and spacing $8 \times 8 \text{ mm}^2$ per side	Helical stainless steel AISI 316 anchors of section $14,5 \text{ mm}^2$ and length 200 mm

Experimental tests for the mechanical characterization of materials were carried out after a curing period of 28 days. Although many innovative testing methods have been proposed in the literature [17, 18] for masonry components, the standard approach was selected in this work. Compression tests were performed on clay brick cubes for deriving the average cubic compressive strength, f_c , according to UNI EN 772-1 standard [19]. Three-point bending tests were carried out on prisms of joint's mortar and matrices of the applied strengthening systems in order to derive the average flexural strength, f_t , according to UNI EN 1015-11 standard [20]. Finally, a uniaxial compression test was performed on a single small size wall specimen to estimate the elastic modulus, E , and Poisson coefficient, ν , of bricks and bed-joints mortar, according to EN 1052-1 standard [21]. The main results are summarized in Table 2 in terms of mean values and coefficient of variation (CoV). The main mechanical properties of strengthening grids and anchors as provided by the manufacturer are reported in Table 3. In order to qualify the shear strength, f_{v0} , of the mortar-brick interfaces, some triplets were realized and tested, according to UNI EN 1052-3 standard [22]. The main results are summarized in Table 4 in terms of mean values and coefficient of variation (CoV).

Table 2. Experimental mechanical properties of materials

Material type	Specimen #	f_t [MPa]	CoV [%]	f_c [MPa]	CoV [%]	E [MPa]	ν
CB	20	---	---	19,37	12	20.176	0.23
LM	18-36	0,84	25	4,64	15	2.499	---
GM	3-6	1,14	10	4,58	5	---	---
BM	3-6	2,05	17	8,16	3	---	---

Table 3. Grids and anchors geometrical and mechanical properties declared by the manufacturer

Material ID	Tensile Strength [MPa]	Elastic Modulus [GPa]	Ultimate Strain [%]
GG	≥ 350	≥ 27	$\geq 1,5$
BG	≥ 1.700	≥ 70	$\geq 1,9$
GA	≥ 440	≥ 26	$\geq 1,7$
BA	≥ 700 ($\varepsilon = 0,2\%$)	≥ 150	$\geq 3,0$

Table 4. Bond strength of mortar-brick and matrix-brick interfaces

Interface type	Specimen #	f_{v0} [MPa]	CoV [%]
LM-CB	8	0,29	23
GM-CB	3	0,36	36
BM-CB	3	0,37	68

The system BM-CB in Table 4 presents a high value of CoV. A similar values dispersion has been reported in [23]. Nevertheless, all the three triplet types exhibited the same failure mode, i.e. a debonding at the interface between brick and mortar. Experimental in-plane diagonal compression tests were carried out on URM, GTRM and BTRM, according to ASTM E 519 standard [24]. The diagonal compression load was applied to the upper and lower corners of the specimen by using two steel shoes, connected to the masonry panels with a thin layer of shrinkage free mortar to avoid local brittle failures at the interface. The upper steel shoe was connected to a servo hydraulic jack operated by an electrical pump to apply the diagonal compression load. The specimens were tested under displacement control with 0.08 mm/s rate. Four linear variable displacement transducers (LVDT) were installed along the two diagonals of both sides of the specimens to monitor the in-plane deformations along principal directions over a gauge length of 500 mm. The behaviour of specimens under in-plane diagonal compression was analysed in terms of load-strain relationship and failure mode. A vertical peak load of 70 kN with vertical deformation of 167 $\mu\text{m}/\text{m}$ was reached by URM. Average vertical peak loads of 149 kN and 170 kN were reached by GTRM and BTRM, respectively. The obtained results highlight a meaningful load carrying capacity increase of both GTRM (about 2 times) and BTRM (about 2 times and a half) when compared to URM. Regarding deformation capacity, a meaningful increase can be noticed for GTRM (+80%) but information are lacking for BTRM. The URM specimen exhibited a brittle behaviour under testing. The failure mode was due to abrupt bond sliding at the upper 5th-row joint, immediately after the peak force (Fig. 1a). BTRM specimens exhibited diagonal failure modes due to traction in horizontal direction (Fig. 1b); failure cracks involved both the bricks and reinforcement matrix, proving a very good efficacy of the strengthening system. Finally, GTRM specimens exhibited debonding of the reinforcement matrix from the wall surface and consequent bond sliding of wall bed-joints immediately after the peak force (Fig. 1c), although initial diagonal crack patterns developed during the tests (Fig. 1d). Even if the loading capacity increase of both the strengthening configurations is appreciable, the failure mode exhibited by BTRM is more efficient since it allows exploiting the overall structural capacity of the original walls.

Fig. 1. Typical failure mode of URM (a), BTRM (b), GTRM (c) and GTRM debonding detail (d)

Numerical Model

The proposed FE model was implemented in Abaqus through a simplified micro-model approach [25, 26]. For the sake of brevity, only URM and GTRM numerical models and results are presented herein.

Continuum three-dimensional elements (C3D8) model the masonry wall units, assuming a homogenous, isotropic and infinitely elastic material with brick's elastic properties (Table 2). The GTRM reinforcing layer is modelled as a composite laminate with equivalent elastic stiffness. It is discretized through two-dimensional shell elements (S4), located on rp plan and with normal rn (Fig. 2a). The stacking, shown in Fig. 2a, is assumed according to Table 1. Laminate materials are supposed homogenous and infinitely elastic.

Fig. 2. (a) TRM laminate and Wall-TRM interface, (b) interface joint traction-separation response

The matrix GM is isotropic. The grid/matrix ply (GG+GM, Fig. 2a) is modelled as an orthotropic material with two equivalent principal directions, parallel to grid fibres directions. Treating the ply GG+GM as a bidirectional symmetric composite laminate $[0^\circ, 90^\circ, 90^\circ, 0^\circ]$, its homogenized material properties in the plan rp are obtained through rule of mixtures and composite laminate theory [27].

Table 5 reports GTRM laminate properties of each ply, where V_f indicates the fibre volume ratio. Out of rp plan, the elastic properties are supposed as the same as GM.

Table 5. GTRM laminate properties

Ply	V_f	ρ [kg/m ³]	E_{rp} [MPa]	ν_{rp}	G_{rp} [MPa]
GM	0	1400	2500	0.15	1087
GG+GM	0.38	1862	8464	0.12	2072

Unit-Unit and wall-TRM interface joints (Fig. 2a) consist of 1 mm thick three-dimensional cohesive elements (COH3D8), in which all damage is supposed to concentrate. The constitutive model of these cohesive elements is based on a traction-separation ($\mathbf{t}$ - $\boldsymbol{\delta}$) behaviour, where $\mathbf{t}$ is the traction vector and $\boldsymbol{\delta}$ the relative displacement vector. Such interface behaviour is characterized by an initial linear elastic response and a subsequent damage softening [25, 26], as shown in Fig. 2b, in which the subscripts s, t indicate in-plane components and n the out-of-plane component. Superscripts c, 0, indicate damage initiation and f indicates failure. This cohesive model allows to represent two failure modes of the interface joints: tensile cracking and shear sliding. Assuming an uncoupled isotropic $\mathbf{t}$ - $\boldsymbol{\delta}$ behaviour with isotropic response, stiffness components (K_{nn} , K_{ss} , K_{tt}) can be calculated as function of mortar elastic constants and mortar thickness h_m [28]. Table 6 reports the stiffness components of the different joints. For bed and head joints h_m is the joint real thickness, and for the wall-TRM interface h_m is assumed equal to cohesive element thickness (1 mm).

Table 6. Reduced elastic and shear stiffnesses of interface joints

Joint	Mortar	h_m [mm]	K_{nn} [N/mm ³]	K_{ss} (K_{tt}) [N/mm ³]
Bed joint, bare wall	LM	17	149	61
Head joint, bare wall	LM	10	264	108
Wall-TRM	GM	1	2640	1087

The post-peak phase describes damage propagation in the cohesive joints. Damage initiates when one of the three traction components, t_n , t_s and t_t , locally reaches its critical value, t_n^c , t_s^c , t_t^c respectively (MAXS criterion, Abaqus, [29]). Critical shear stresses (t_s^c and t_t^c) generally depend on normal stress t_n according to Mohr-Coulomb failure. The dependency of t_s^c and t_t^c on t_n was implemented in a user subroutine USDFLD. In the post-peak phase, the stiffness degrades due to damage propagation. The scalar damage variable D increases from 0 (damage initiation) to 1 (joint completely damaged) during damage softening (Fig. 2b). D depends on the effective separation δ_{eff} , as reported in [26, 29, 30]. In the current study, a simple linear softening of the effective separation δ_{eff} was assumed as damage response, since the attention is focused on the elastic response before damage initiation.

Finally, one-dimensional elements simulate anchors which are used in the analysed reinforcement techniques. Three different models for anchors simulation were studied: truss (T3D2) without interaction with bare wall, free-beam (B31) without interaction with bare wall, and constrained-beam (B31) with displacement compatibility between anchor and masonry wall nodes. In all cases, anchors share a node with the reinforcement layer in the plan rp (Fig. 2a), and their material is assumed isotropic, homogenous and infinitely elastic.

Discussion

Fig. 3a shows the realized numerical model, characterized by symmetry conditions with respect to the plan YZ . FE simulations were conducted in dynamic regime (implicit integration scheme) to better handle the non-linear constitutive response of the cohesive elements (Fig. 2a, Fig. 3a), which constitute the interface joints. Moreover, upper boundary vertical displacements (Fig. 3a) were imposed in quasi-static conditions in order to reproduce experimental tests, performed with a low load application rate (0.08 mm/s). Mesh sensitivity analysis suggested a mesh average size of 30 mm. Fig. 3a shows anchors locations (round ticks), according to manufacturer specifications, and measurement nodes between which numerical vertical strains were estimated (squared ticks). Their positions were chosen to compare numerical vertical strains with experimental ones. Fig. 3b reports the macroscopic force-displacement response. GTRM axial stiffness is generally higher than URM stiffness. The proposed numerical micro-modelling of brick units-mortar and TRM-wall interfaces allows to simulate the experimental crack pattern: bed joint sliding occurs in the displacement range [240÷280 μ m] for both URM and GTRM while TRM debonding and ultimate failure take place in the range [580÷714 μ m] for GTRM. A comparison between numerical and average experimental load and deformation peak values is reported in Table 7. Numerical previsions slightly overestimate average experimental peak loads with an error less than 10%, but a lower accuracy is noticed for average experimental peak deformations.

Fig. 3. Numerical model lay-out (a) and numerical load vs displacement curves of GTRM and URM

Table 7. Numerical and experimental values comparison

Specimen	$P_{pk,num}$ [kN]	$P_{pk,exp,av}$ [kN]	ΔP_p [%]	$\epsilon_{pk,num}$ [$\mu\text{m}/\text{m}$]	$\epsilon_{pk,exp,av}$ [$\mu\text{m}/\text{m}$]	$\Delta \epsilon_{pk}$ [%]
URM	78	70	+10%	139	166	-16%
GTRM	161	149	+7%	545	299	+82%

Finally, these simulations highlighted that the presence of the anchors does not affect the macroscopic force-displacement response for the three studied anchors' models (truss, free-beam and constrained-beam).

Summary

In this work, the behaviour of masonry panels strengthened with TRM technique is studied with both experimental and numerical investigations. The performed experimental campaign shows the great potential of this strengthening technique for structural rehabilitation of historical masonry buildings located in earthquake-prone areas. The proposed FE simulations, based on a multiscale approach, show a good prevision capacity of experimental results on URM and GTRM masonry in terms of stiffness, peak load and experimental crack pattern (bed joint sliding and TRM debonding). Therefore, it can be used to explore optimal design options in the future. FE model and numerical results for BTRM will be discussed in future works.

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