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RESOLUTION-PRESERVING SPECKLE REDUCTION OF SAR IMAGES:
THE BENEFITS OF SPECKLE DECORRELATION AND TARGETS EXTRACTION

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ABSTRACT

Speckle reduction is a necessary step for many applications. Very effective methods have been developed in the recent years for single-image speckle reduction and multi-temporal speckle filtering. However, to reduce the presence of sidelobes around bright targets, SAR images are spectrally weighted and this processing impacts the speckle statistics by introducing spatial correlations. These correlations severely impact speckle reduction methods that require uncorrelated speckle as input. Thus, spatial down-sampling is typically applied to reduce the speckle spatial correlations prior to speckle filtering. To better preserve the spatial resolution, we describe how to correctly resample SAR images and extract bright targets in order to process full-resolution images with speckle-reduction methods.

Index Terms— Sentinel-1, deramping, sub-pixel target detection, sidelobe reduction, despeckling.

1. INTRODUCTION

The analysis of SAR images requires a speckle reduction step. While this step was for a long time performed by local averaging (spatial multi-looking), with the recent progress accomplished in speckle filtering, the use of more evolved methods cannot be overlooked. The speckle model assumes lying SAR reflectivity, a statistical modeling of speckle is necessary. In the overwhelming majority of cases, the speckle model assumes spatial independence from a pixel to the next. This assumption is not the case of SAR images provided by spatial agencies. If only the intensity information is available, the spatial correlation of speckle can be reduced by sub-sampling the image. This however decreases the spatial resolution of the image. When the single-look complex (SLC) image is available, it is possible to decorrelate the speckle by carefully undoing the spectral apodization, the zero-padding and, in the case of Sentinel-1 TOPS acquisition mode, deramping and demodulating the images. Without spectral apodization, strong targets produce the typical extended cardinal sine signature. These targets can be extracted to improve the processing. In this paper, we show how speckle decorrelation and strong targets extraction can improve the performance of speckle reduction methods.

2. DERAMPING, DEMODULATION AND COMPUTATION OF THE PSEUDO-RAW SENTINEL-1 IMAGES

2.1. Deramping and demodulation of a Sentinel-1 SLC image

As explained in [1], the TOPS SLC products undergo a linear frequency modulation which is due to the steering of the antenna in azimuth during the acquisition process. Inverting this linear frequency modulation is necessary for performing subpixel operations such as interpolation and resampling. This operation is called deramping. In addition to deramping, it is also useful to perform a so-called demodulation, which consists in centering the support of the complex spectrum on 0Hz. This operation roughly consists in the estimation of the Doppler centroid frequency, followed by a global translation of the complex spectrum.

Let \( v : \Omega \rightarrow \mathbb{C} \) be a TOPS SLC image of size \( M \times N \) and discrete domain \( \Omega = I_M \times I_N \), noting \( I_K = \{0, \ldots, K - 1\} \). Applying deramping and demodulation to \( v \) boils done to computing the image \( u : \Omega \rightarrow \mathbb{C} \) such that, for any pixel location \((x, y)\), we have

\[
u(x, y) = v(x, y) \cdot \Phi(\tau(x), \eta(y)) \cdot \Psi(\tau(x), \eta(y)), \tag{1}\]

where \( \Phi \) and \( \Psi \) are called the deramping and demodulation functions respectively, \( \tau(x) \) corresponds to the range time of the pixels located in the \( x \)-th column of the image, and \( \eta(y) \) corresponds to the azimuth time of the pixels located in the \( y \)-th row of the image.

The derivation of the deramping and demodulation functions relies on the metadata attached to the TOPS SLC product, following the procedure described in [1]. For the sake of completeness, we describe the main steps of this procedure. For all \((\tau, \eta) \in \mathbb{R}^2\), functions \( \Phi \) and \( \Psi \) are defined by:

\[
\Phi(\tau, \eta) = \exp\left(-i\pi \frac{\kappa_0(\tau)}{\kappa_a(\tau)} \cdot (\eta - \eta_{ref}(\tau))^2\right), \tag{2}\]

\[
\Psi(\tau, \eta) = \exp\left(-2i\pi f_{ref}(\tau) \cdot (\eta - \eta_{ref}(\tau))\right), \tag{3}\]

where \( \kappa_a = 2 \frac{V_a}{c} f_c k_{\psi} \) and \( \eta_{ref}(\tau) = \frac{f_a(0)}{k_a(0)} - \frac{f_{ref}(\tau)}{k_a(\tau)} \).

In the definition of \( \kappa_a \) above, \( c \) denotes the speed of light (in m/s), \( V_a \) the spacecraft velocity (m/s), \( f_c \) the radar frequency (Hz) and \( k_{\psi} \) the antenna steering angle (rad/s). Both values of \( f_c \) and \( k_{\psi} \) can be...
As can be seen in Fig. 1 (d), the Fourier spectrum \( \hat{u} \) has a rectangular support \( \tilde{\omega} \subseteq \Omega \) (delimited by the red dashed-rectangle in Fig. 1 (d)), showing that the image \( u \) has been sampled above the Shannon-Nyquist critical rate (oversampling). Besides, the spectrum \( \hat{u} \) also underwent some attenuation, more precisely, for all \((\alpha, \beta) \in \hat{\Omega}\), we have

\[
\hat{u}(\alpha, \beta) = \begin{cases} 
\hat{u}_0(\alpha, \beta) \cdot \gamma(\alpha, \beta) & \text{if } (\alpha, \beta) \in \tilde{\omega} \\
0 & \text{otherwise},
\end{cases}
\]  

(6)

where \( \gamma : \tilde{\omega} \to \mathbb{R}_{++} \) denotes the spectral weighting function (or apodization), and \( u_0 \) is called hereafter the pseudo-raw image. The pseudo-raw image corresponds to the image that would have been acquired at the Shannon-Nyquist critical sampling rate without any spectral weighting. The dimensions \( m \times n \) of the frequency support \( \tilde{\omega} = \tilde{I}_m \times \tilde{I}_n \), noting \( \tilde{I}_K = [-K/2, K/2) \cap \mathbb{Z} \), can be obtained based on the bandwidth and sampling frequencies,

\[
m = \left\lfloor \frac{B_s}{f_z} \cdot M \right\rfloor, \quad n = \left\lfloor \frac{B_{\alpha\beta}}{f_{\alpha\beta}} \cdot N \right\rfloor,
\]  

(7)

where \( \lfloor \cdot \rfloor \) denotes the rounding function, \( f_z \) and \( f_{\alpha\beta} \) the sampling frequency in range and azimuth directions, and \( B_s \) and \( B_{\alpha\beta} \) the bandwidth in the corresponding directions, all available through the metadata of the TOPS SLC product. Thanks to the centering of the spectrum provided by the demodulation, we can automatically find the position of the frequency support \( \tilde{\omega} \). Besides, we explained in [2] how the apodization function \( \gamma \) could be estimated (if unknown), so that we can invert (6) and compute the pseudo-raw image \( u_0 \). An example of a pseudo-raw image \( u_0 \) computed from a TOPS SLC image \( v \) is displayed in Fig. 2. Since the TOPS SLC image \( v \) undergoes an important phase modulation due to the phase-ramping, this image cannot be directly interpolated using the standard Shannon interpolation. This is particularly visible in the left-hand side of Fig. 2 (c), where we display the Shannon interpolate of the image \( v \) in the vicinity of a bright target, leading to unrealistic high frequency patterns in the azimuth direction. After deramping, we get an image which is compatible with Shannon interpolation and that can be easily manipulated at the subpixellic scale. As explained in [2, 3], computing the pseudo-raw image, such as that displayed in Fig. 2 (b), is particularly interesting from a statistical viewpoint, since the speckle in homogeneous regions exhibits almost no spatial correlation in contrast to the spatially correlated original image. Correlations in the original images are due to the oversampling and the spectral apodization. The pseudo-raw images also exhibit very strong sidelobes around bright targets (especially in urban areas) which is due to the cardinal sine response of those targets, as illustrated in the right side of Fig. 2 (c).

In what follows, we illustrate how those targets can be efficiently handled via the subpixellic methods that we recently proposed in [3].

\[\text{3. BRIGHT TARGETS EXTRACTION AND RELOCALIZATION IN PSEUDO-RAW IMAGES}\]

The range and azimuth profiles of isolated bright targets in the pseudo-raw images match very well cardinal sine functions, as illustrated in the right side of Fig. 2 (c). Therefore, the contribution of a bright target to the pseudo-raw image can be modeled by

\[
\forall (k, \ell) \in \omega, \quad u_0(k, \ell) = A \sin(\pi(k - x, \ell - y)) + u_0^*(k, \ell),
\]  

(8)

where \( A \in \mathbb{C} \) denotes the complex amplitude of the bright target, \((x, y) \in [0, m] \times [0, n]\) the subpixellic position of its center,
sin(c, t) = sin(πc)/πc · sin(πt)/πt the 2D-separable product of cardinal sine functions, and $u_0$ the pseudo-raw image that we would have observed in the absence of the target. We recently proposed in [3] an algorithm for the detection and the extraction of bright targets with cardinal sine profile such as in (8). We apply in this paper the algorithm to Sentinel-1 pseudo-raw images $u_0$. In practice, the algorithm returns a set $C = \{(x_j, y_j, A_j)\}_{1 \leq j \leq T}$ where $T$ represents the number of meaningful targets (automatically derived by the algorithm thanks to an a contrario criterion), and such that the $j$-th target is characterized by its subpixelic position $(x_j, y_j) \in [0, m] \times [0, n)$ and its complex amplitude $A_j \in \mathbb{C}$. After detection of the targets, we can form a decomposition of the image $u_0$ into the sum of a target component, noted $S_0(\omega)$, which is the linear combination of cardinal sine functions defined by

$$\forall (k, \ell) \in \omega, \quad S_0(\omega)(k, \ell) = \sum_{j=1}^{T} A_j \operatorname{sinc}(k - x_j, \ell - y_j), \quad (9)$$

and a speckle component $w_0 = u_0 - S_0(\omega)$, which represents the image that would have been acquired in the absence of the targets of $\omega$. An example of such decomposition of a Sentinel-1 pseudo-raw image is displayed in Fig. 3. As suggested in [3], an interesting way to suppress the sidelobes consists in recombining the extracted targets as a linear combination of discrete Diracs, which corresponds to computing the image $R_\omega(u_0) = w_0 + S_0(\omega)$, noting $D_\omega(\cdot) = \sum_{j=1}^{T} A_j \delta_{(x_j, y_j)}$, and $\delta_{(k, \ell)}$ the discrete Dirac centered at $(k, \ell)$ (taking the value 0 everywhere except at position $(k, \ell)$ where it takes the value 1). An example of such recombined image is displayed in Fig. 3 (b). Beyond the interesting sidelobe suppression offered by this approach, we illustrate in the next section how such a decomposition can improve the quality of speckle reduction methods.

4. IMPACT OF RESAMPLING AND TARGET EXTRACTION ON SPECKLE FILTERING

With the short revisit time of TerraSAR-X and Sentinel-1 satellite constellations, long-time series can be obtained. These SAR images can then be combined in order to produce images with strongly suppressed speckle while preserving the spatial resolution. The recent RABASAR framework [4] offers a simple yet surprisingly efficient way to exploit the temporal information: a so-called super-image is produced by combining temporal multi-looking and an ad-

![Fig. 2: Pseudo-raw Sentinel-1 images.](image)

![Fig. 3: Speckle plus target decomposition of Sentinel-1 images.](image)

![Fig. 4: Principle of multi-temporal speckle reduction with RABASAR.](image)
Fig. 5: Denoising a stack of TerraSAR-X SLC images. We used RABASAR to denoise a stack of 20 SLC images. We display in (a) one of the images of this stack. On the one hand, denoising (a) without subsampling the intermediate ratio image yields the image (b) with artifacts in homogeneous areas, due to the spatial correlations of the speckle. One the other hand, using subsampling reduces those artifacts but affects the image quality: we observe in (c) a loss of details and some aliasing artifacts. Besides, in both situations (b) and (c), we can observe that targets that were not present in the initial image appear in the denoised image (e.g. in the yellow rectangle). Noting \( u_0 \) the pseudo-raw image associated to (a), we display in (d) the denoising of \( R_u(u_0) \) obtained using the super-image computed from the speckle-components \( w_0 \) of the whole stack. Image (d) is free of the artifacts observed in (b) and (c).

In RABASAR framework, two speckle-reduction steps are performed: one to obtain the super-image, the other to filter the ratio image. In each of these two steps, spatial correlation of the speckle is an issue. In practice, images are down-sampled to reduce speckle correlation, which causes a resolution loss. This is illustrated in Fig. 5 (TerraSAR-X) and Fig. 6 (Sentinel-1), where we can see that, without subsampling prior to despeckling, the denoised image (b) exhibits some strong artefacts in homogeneous areas, while, when subsampling is used, the artefacts are attenuated at the cost of a severe loss of resolution in the denoised image (c) and even aliasing artifacts (visible in Fig. 5). Another issue in the multi-temporal filtering by RABASAR is that some bright targets, present in the super-image but not in a given SLC image at time \( t \), may appear when multiplying the denoised ratio by the super-image, at the end of the process. This is illustrated in Fig. 5 and Fig. 6, where we indicate with a yellow rectangle, the presence of a phantom target that is present (b) and (c), but absent in the initial SLC image (a). Thanks to the speckle plus target decomposition described in Section 3, we are able to replace each pseudo-raw SLC image \( u_0 \) of the stack by a SLC image \( R_u(u_0) = w_0 + D_u(\ell) \), where the speckle component \( w_0 \) has no spatial speckle correlations in homogeneous areas and \( D_u(\ell) \) is a linear combination of discrete Diracs. Besides, computing the super-image only using the stack of speckle components \( w_0 \) yields an image without bright targets. Therefore, applying the RABASAR framework to denoise a SLC image \( R_u(u_0) \) using such target-free super-image prevents the aforementioned phantom target phenomenon. Besides, the ratio between \( R_u(u_0) \) and the super-image being uncorrelated, it can be efficiently denoised, as we show in Fig. 5 (d) and Fig. 6 (d).

5. REFERENCES


