Rational solutions to the Johnson equation of order N depending on 2N – 2 parameters

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Rational solutions to the Johnson equation of order N depending on $2N-2$ parameters.

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Abstract

We construct rational solutions of order N depending on $2N-2$ parameters. They can be written as a quotient of 2 polynomials of degree $2N(N+1)$ in x, t and $4N(N+1)$ in y depending on $2N-2$ parameters. We explicitly construct the expressions of the rational solutions of order 4 depending on 6 real parameters and we study the patterns of their modulus in the plane (x, y) and their evolution according to time and parameters a_1, a_2, a_3, b_1, b_2, b_3.

PACS numbers :
33Q55, 37K10, 47.10A-, 47.35.Fg, 47.54.Bd

1 Introduction

Johnson introduced a new equation in a paper written in 1980, [1] to describe waves surfaces in shallow incompressible fluids [2, 3]. This equation was later derived for internal waves in a stratified medium [4]. The Johnson equation is a dissipative equation and there is no soliton-like solution with a linear front localized along straight lines in the (x, y) plane. We consider the Johnson equation (J) in the following normalization

$$(u_t + 6uu_x + u_{xxx} + \frac{u}{2t})_x - 3\frac{u_{yy}}{t^2} = 0, \tag{1}$$

where as usual, subscripts x, y and t denote partial derivatives.
Johnson constructed the first solutions in 1980 [1]. Golinko, Dryuma, and Stepanyants found other types of solutions in 1984 [5]. A new approach to solve this equation was given in 1986 [6] by giving a connection between solutions of the Kadomtsev-Petviashvili (KP) [9] and solutions of the Johnson equation. Another types of solutions were obtained by using the Darboux transformation [7]. More recently, in 2013, extension to the elliptic case has been considered [8].
In the following, we recall that the solutions can be expressed in terms of Fredholm determinants of order $2N$ depending on $2N-1$ parameters. They can also be given in terms of wronskians of order $2N$ with $2N-1$ parameters. These representations allow to obtain an infinite hierarchy of solutions to the Johnson equation, depending on $2N-1$ real parameters. We use these results to build rational solutions to the equation, making go a parameter towards 0.
Here we construct rational solutions of order N depending on $2N-2$ parameters without the presence of a limit.
That provides an effective method to build an infinite hierarchy of rational solutions of order N depending on $2N-2$ real parameters. We present here only the explicit rational solutions of order 4, depending on 6 real parameters, and the representations of their modulus in the plane of the coordinates (x, y) according to the real parameters a_1, b_1, a_2, b_2, a_3, b_3 and time t.

2 Rational solutions to the Johnson equation of order N depending on $2N-2$ parameters

2.1 Families of rational solutions of order N depending on $2N-2$ parameters

We need to define some notations. First of all, we define real numbers λ_j such that $-1 < \lambda_\nu < 1$, $\nu = 1, \dots, 2N$ which depend on a parameter ϵ which will be intended to tend towards 0; they can be written as

$$\lambda_j = 1 - 2\epsilon^2 j^2, \quad \lambda_{N+j} = -\lambda_j, \quad 1 \leq j \leq N, \tag{2}$$

The terms $\kappa_\nu, \delta_\nu, \gamma_\nu$ and $x_{r,\nu}$ are functions of λ_ν, $1 \leq \nu \leq 2N$; they are defined by the formulas :

$$\begin{array}{l}
\kappa_j = 2\sqrt{1-\lambda_j^2}, \quad \delta_j = \kappa_j\lambda_j, \quad \gamma_j = \sqrt{\frac{1-\lambda_j}{1+\lambda_j}};\\
x_{r,j} = (r-1)\ln\frac{\gamma_j - i}{\gamma_j + i}, \quad r = 1, 3, \quad \tau_j = -12i\lambda_j^2\sqrt{1-\lambda_j^2} - 4i(1-\lambda_j^2)\sqrt{1-\lambda_j^2},\\
\kappa_{N+j} = \kappa_j, \quad \delta_{N+j} = -\delta_j, \quad \gamma_{N+j} = \gamma_j^{-1},\\
x_{r,N+j} = -x_{r,j},, \quad \tau_{N+j} = \tau_j \quad j = 1, \dots, N.
\end{array} \tag{3}$$

e_ν $1 \leq \nu \leq 2N$ are defined in the following way :

$$\begin{array}{l}
e_j = 2i\left(\sum_{k=1}^{1/2\,M-1} a_k (je)^{2\,k+1} - i\sum_{k=1}^{1/2\,M-1} b_K (je)^{2\,k+1}\right),\\
e_{N+j} = 2i\left(\sum_{k=1}^{1/2\,M-1} a_k (je)^{2\,k+1} + i\sum_{k=1}^{1/2\,M-1} b_k (je)^{2\,k+1}\right), \quad 1 \leq j \leq N,\\
a_k, b_k \in \mathbf{R}, \quad 1 \leq k \leq N.
\end{array} \tag{4}$$

ϵ_ν, $1 \leq \nu \leq 2N$ are real numbers defined by :

$$\epsilon_j = 1, \quad \epsilon_{N+j} = 0 \quad 1 \leq j \leq N. \tag{5}$$

Let I be the unit matrix and $D_r = (d_{jk})_{1\leq j,k\leq 2N}$ the matrix defined by :

$$d_{\nu\mu} = (-1)^{\epsilon_\nu}\prod_{\eta\neq\mu}\left(\frac{\gamma_\eta + \gamma_\nu}{\gamma_\eta - \gamma_\mu}\right)\exp(\kappa_\nu x + (\frac{\kappa_\nu y}{12} - 2\delta_\nu)yt + 4i\tau_\nu t + x_{r,\nu} + e_\nu). \tag{6}$$

Then we recall the following result[1] :

Theorem 2.1 *The function v defined by*

$$v(x,y,t) = -2\,\frac{|n(x,y,t)|^2}{d(x,y,t)^2} \tag{7}$$

where

$$n(x,y,t) = \det(I + D_3(x,y,t)), \tag{8}$$

$$d(x,y,t) = \det(I + D_1(x,y,t)), \tag{9}$$

and $D_r = (d_{jk})_{1\leq j,k\leq 2N}$ the matrix

$$d_{\nu\mu} = (-1)^{\epsilon_\nu}\prod_{\eta\neq\mu}\left(\frac{\gamma_\eta + \gamma_\nu}{\gamma_\eta - \gamma_\mu}\right)\exp(\kappa_\nu x + (\frac{\kappa_\nu y}{12} - 2\delta_\nu)yt + 4i\tau_\nu t + x_{r,\nu} + e_\nu). \tag{10}$$

is a solution to the Johnson equation (1), depending on $2N-1$ parameters a_k, b_h, $1 \leq k \leq N-1$ and ϵ.

[1] The proof of this result is submitted to a review

We recall another result on the solutions to the Johnson equation obtained recently by the author in terms of wronskians. We need to define the following notations :

$$\phi_{r,\nu}=\sin\Theta_{r,\nu},\quad 1\leq\nu\leq N,\quad \phi_{r,\nu}=\cos\Theta_{r,\nu},\quad N+1\leq\nu\leq 2N,\quad r=1,3, \tag{11}$$

with the arguments

$$\Theta_{r,\nu}=\tfrac{-i\kappa_\nu x}{2}+i(\tfrac{-\kappa_\nu y}{24}+\delta_\nu)yt-i\tfrac{x_{r,\nu}}{2}+2\tau_\nu t+\gamma_\nu w-i\tfrac{e_\nu}{2},\quad 1\leq\nu\leq 2N. \tag{12}$$

We denote $W_r(w)$ the wronskian of the functions $\phi_{r,1},\dots,\phi_{r,2N}$ defined by

$$W_r(w)=\det[(\partial_w^{\mu-1}\phi_{r,\nu})_{\nu,\,\mu\in[1,\dots,2N]}]. \tag{13}$$

We consider the matrix $D_r=(d_{\nu\mu})_{\nu,\,\mu\in[1,\dots,2N]}$ defined in (10).
Then we have the following statement :

Theorem 2.2 *The function v defined by*

$$v(x,y,t)=-2\frac{|W_3(\phi_{3,1},\dots,\phi_{3,2N})(0)|^2}{(W_1(\phi_{1,1},\dots,\phi_{1,2N})(0))^2}$$

is a solution to the Johnson equation depending on $2N-1$ real parameters a_k, b_k and ϵ, with ϕ_ν^r defined in (11)

$$\begin{aligned}\phi_{r,\nu}&=\sin(\tfrac{-i\kappa_\nu x}{2}+i(\tfrac{-\kappa_\nu y}{24}+\delta_\nu)yt-i\tfrac{x_{r,\nu}}{2}+2\tau_\nu t+\gamma_\nu w-i\tfrac{e_\nu}{2}),\quad 1\leq\nu\leq N,\\ \phi_{r,\nu}&=\cos(\tfrac{-i\kappa_\nu x}{2}+i(\tfrac{-\kappa_\nu y}{24}+\delta_\nu)yt-i\tfrac{x_{r,\nu}}{2}+2\tau_\nu t+\gamma_\nu w-i\tfrac{e_\nu}{2}),\quad N+1\leq\nu\leq 2N,\quad r=1,3,\end{aligned}$$

κ_ν, δ_ν, $x_{r,\nu}$, γ_ν, e_ν being defined in(3), (2) and (4).

From those two preceding results, we can construct rational solutions to the Johnson equation as a quotient of two determinants.
We use the following notations :

$$\begin{aligned}X_\nu&=\frac{-i\kappa_\nu x}{2}+i(\frac{-\kappa_\nu y}{24}+\delta_\nu)yt-i\frac{x_{3,\nu}}{2}+2\tau_\nu t+\gamma_\nu w-i\frac{e_\nu}{2},\\ Y_\nu&=\frac{-i\kappa_\nu x}{2}+i(\frac{-\kappa_\nu y}{24}+\delta_\nu)yt-i\frac{x_{1,\nu}}{2}+2\tau_\nu t+\gamma_\nu w-i\frac{e_\nu}{2},\end{aligned}$$

for $1\leq\nu\leq 2N$, with κ_ν, δ_ν, $x_{r,\nu}$ defined in (3) and parameters e_ν defined by (4).
We define the following functions :

$$\begin{aligned}\varphi_{4j+1,k}&=\gamma_k^{4j-1}\sin X_k,\quad \varphi_{4j+2,k}=\gamma_k^{4j}\cos X_k,\\ \varphi_{4j+3,k}&=-\gamma_k^{4j+1}\sin X_k,\quad \varphi_{4j+4,k}=-\gamma_k^{4j+2}\cos X_k,\end{aligned} \tag{14}$$

for $1\leq k\leq N$, and

$$\begin{aligned}\varphi_{4j+1,N+k}&=\gamma_k^{2N-4j-2}\cos X_{N+k},\quad \varphi_{4j+2,N+k}=-\gamma_k^{2N-4j-3}\sin X_{N+k},\\ \varphi_{4j+3,N+k}&=-\gamma_k^{2N-4j-4}\cos X_{N+k},\quad \varphi_{4j+4,N+k}=\gamma_k^{2N-4j-5}\sin X_{N+k},\end{aligned} \tag{15}$$

for $1\leq k\leq N$.
We define the functions $\psi_{j,k}$ for $1\leq j\leq 2N$, $1\leq k\leq 2N$ in the same way, the term X_k is only replaced by Y_k.

$$\begin{aligned}\psi_{4j+1,k}&=\gamma_k^{4j-1}\sin Y_k,\quad \psi_{4j+2,k}=\gamma_k^{4j}\cos Y_k,\\ \psi_{4j+3,k}&=-\gamma_k^{4j+1}\sin Y_k,\quad \psi_{4j+4,k}=-\gamma_k^{4j+2}\cos Y_k,\end{aligned} \tag{16}$$

for $1\leq k\leq N$, and

$$\begin{aligned}\psi_{4j+1,N+k}&=\gamma_k^{2N-4j-2}\cos Y_{N+k},\quad \psi_{4j+2,N+k}=-\gamma_k^{2N-4j-3}\sin Y_{N+k},\\ \psi_{4j+3,N+k}&=-\gamma_k^{2N-4j-4}\cos Y_{N+k},\quad \psi_{4j+4,N+k}=\gamma_k^{2N-4j-5}\sin Y_{N+k},\end{aligned} \tag{17}$$

for $1 \leq k \leq N$.
The following ratio

$$q(x,t) := \frac{W_3(0)}{W_1(0)}$$

can be written as

$$q(x,t) = \frac{\Delta_3}{\Delta_1} = \frac{\det(\varphi_{j,k})_{j,\,k\in[1,2N]}}{\det(\psi_{j,k})_{j,\,k\in[1,2N]}}. \tag{18}$$

The terms λ_j depending on ϵ are defined by $\lambda_j = 1 - 2j\epsilon^2$. All the functions $\varphi_{j,k}$ and $\psi_{j,k}$ and their derivatives depend on ϵ. They can all be prolonged by continuity when $\epsilon = 0$.
We use the following expansions

$$\varphi_{j,k}(x,y,t,\epsilon) = \sum_{l=0}^{N-1} \frac{1}{(2l)!}\varphi_{j,1}[l]k^{2l}\epsilon^{2l} + O(\epsilon^{2N}), \quad \varphi_{j,1}[l] = \frac{\partial^{2l}\varphi_{j,1}}{\partial\epsilon^{2l}}(x,y,t,0),$$

$$\varphi_{j,1}[0] = \varphi_{j,1}(x,y,t,0), \quad 1 \leq j \leq 2N, \quad 1 \leq k \leq N, \quad 1 \leq l \leq N-1,$$

$$\varphi_{j,N+k}(x,y,t,\epsilon) = \sum_{l=0}^{N-1} \frac{1}{(2l)!}\varphi_{j,N+1}[l]k^{2l}\epsilon^{2l} + O(\epsilon^{2N}), \quad \varphi_{j,N+1}[l] = \frac{\partial^{2l}\varphi_{j,N+1}}{\partial\epsilon^{2l}}(x,y,t,0),$$

$$\varphi_{j,N+1}[0] = \varphi_{j,N+1}(x,y,t,0), \quad 1 \leq j \leq 2N, \quad 1 \leq k \leq N, \quad 1 \leq l \leq N-1.$$

We have the same expansions for the functions $\psi_{j,k}$.

$$\psi_{j,k}(x,y,t,\epsilon) = \sum_{l=0}^{N-1} \frac{1}{(2l)!}\psi_{j,1}[l]k^{2l}\epsilon^{2l} + O(\epsilon^{2N}), \quad \psi_{j,1}[l] = \frac{\partial^{2l}\psi_{j,1}}{\partial\epsilon^{2l}}(x,y,t,0),$$

$$\psi_{j,1}[0] = \psi_{j,1}(x,y,t,0), \quad 1 \leq j \leq 2N, \quad 1 \leq k \leq N, \quad 1 \leq l \leq N-1,$$

$$\psi_{j,N+k}(x,t,\epsilon) = \sum_{l=0}^{N-1} \frac{1}{(2l)!}\psi_{j,N+1}[l]k^{2l}\epsilon^{2l} + O(\epsilon^{2N}), \quad \psi_{j,N+1}[l] = \frac{\partial^{2l}\psi_{j,N+1}}{\partial\epsilon^{2l}}(x,y,t,0),$$

$$\psi_{j,N+1}[0] = \psi_{j,N+1}(x,t,0), \quad 1 \leq j \leq 2N, \quad 1 \leq k \leq N, \quad N+1 \leq k \leq 2N..$$

Then we get the following result :

Theorem 2.3 *The function v defined by*

$$v(x,y,t) = -2\frac{|\det((n_{jk})_{j,k\in[1,2N]})|^2}{\det((d_{jk})_{j,k\in[1,2N]})^2} \tag{19}$$

is a rational solution to the Johnson equation (1), where

$$\begin{array}{l}
n_{j1} = \varphi_{j,1}(x,y,t,0),\ 1 \leq j \leq 2N \quad n_{jk} = \frac{\partial^{2k-2}\varphi_{j,1}}{\partial\epsilon^{2k-2}}(x,y,t,0),\\
n_{jN+1} = \varphi_{j,N+1}(x,y,t,0),\ 1 \leq j \leq 2N \quad n_{jN+k} = \frac{\partial^{2k-2}\varphi_{j,N+1}}{\partial\epsilon^{2k-2}}(x,y,t,0),\\
d_{j1} = \psi_{j,1}(x,y,t,0),\ 1 \leq j \leq 2N \quad d_{jk} = \frac{\partial^{2k-2}\psi_{j,1}}{\partial\epsilon^{2k-2}}(x,y,t,0),\\
d_{jN+1} = \psi_{j,N+1}(x,y,t,0),\ 1 \leq j \leq 2N \quad d_{jN+k} = \frac{\partial^{2k-2}\psi_{j,N+1}}{\partial\epsilon^{2k-2}}(x,y,t,0),\\
2 \leq k \leq N,\ 1 \leq j \leq 2N
\end{array} \tag{20}$$

The functions φ and ψ are defined in (14),(15), (16), (17).

Proof : In each column k (and $N+k$) of the determinants appearing in $q(x,t)$, we can successively eliminate the powers of ϵ strictly inferior to $2(k-1)$; then each common term in the numerator and denominator is factorized and simplified; in the end, we take the limit when ϵ goes to 0.
First of all, the components j of the columns 1 and $N+1$ are respectively equal by definition to

$\varphi_{j1}[0]+0(\epsilon)$ for C_1, $\varphi_{jN+1}[0]+0(\epsilon)$ for C_{N+1} of Δ_3, and $\psi_{j1}[0]+0(\epsilon)$ for C'_1, $\psi_{jN+1}[0]+0(\epsilon)$ for C'_{N+1} of Δ_1.
So we can replace the columns C_k by C_k-C_1 and C_{N+k} by $C_{N+k}-C_{N+1}$ for $2\leq k\leq N$, for Δ_3; the same changes for Δ_1 are made. Each component j of the column C_k of Δ_3 can be rewritten as $\sum_{l=1}^{N-1}\frac{1}{(2l)!}\varphi_{j,1}[l](k^{2l}-1)\epsilon^{2l}$ and the column C_{N+k} replaced by $\sum_{l=1}^{N-1}\frac{1}{(2l)!}\varphi_{j,N+1}[l](k^{2l}-1)\epsilon^{2l}$ for $2\leq k\leq N$. For Δ_1, we make the same reductions, each component j of the column C'_k can be rewritten as $\sum_{l=1}^{N-1}\frac{1}{(2l)!}\psi_{j,1}[l](k^{2l}-1)\epsilon^{2l}$ and the column C'_{N+k} replaced by $\sum_{l=1}^{N-1}\frac{1}{(2l)!}\psi_{j,N+1}[l](k^{2l}-1)\epsilon^{2l}$ for $2\leq k\leq N$.
The term $\frac{k^2-1}{2}\epsilon^2$ for $2\leq k\leq N$ can be factorized in Δ_3 and Δ_1 in each column k and $N+k$, and so those common terms can be simplified in the numerator and denominator.
If we restrict the developments at order 1 in columns 2 and $N+2$, we respectively get $\varphi_{j1}[1]+0(\epsilon)$ for the component j of C_2, $\varphi_{jN+1}[1]+0(\epsilon)$ for the component j of C_{N+2} of Δ_3, and $\psi_{j1}[1]+0(\epsilon)$ for the component j of C'_2, $\psi_{jN+1}[1]+0(\epsilon)$ for the component j of C'_{N+2} of Δ_1. We can extend this algorithm up to the columns C_N, C_{2N} of Δ_3 and C'_N, C'_{2N} of Δ_1.
Then we take the limit when ϵ tends to 0, and $q(x,y,t)$ can be replaced by $Q(x,y,t)$ defined by :

$$Q(x,y,t):=\frac{\left\|\begin{array}{cccccc}\varphi_{1,1}[0] & \dots & \varphi_{1,1}[N-1] & \varphi_{1,N+1}[0] & \dots & \varphi_{1,N+1}[N-1]\\ \varphi_{2,1}[0] & \dots & \varphi_{2,1}[N-1] & \varphi_{2,N+1}[0] & \dots & \varphi_{2,N+1}[N-1]\\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots\\ \varphi_{2N,1}[0] & \dots & \varphi_{2N,1}[N-1] & \varphi_{2N,N+1}[0] & \dots & \varphi_{2N,N+1}[N-1]\end{array}\right\|^2}{\left(\left|\begin{array}{cccccc}\psi_{1,1}[0] & \dots & \psi_{1,1}[N-1] & \psi_{1,N+1}[0] & \dots & \psi_{1,N+1}[N-1]\\ \psi_{2,1}[0] & \dots & \psi_{2,1}[N-1] & \psi_{2,N+1}[0] & \dots & \psi_{2,N+1}[N-1]\\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots\\ \psi_{2N,1}[0] & \dots & \psi_{2N,1}[N-1] & \psi_{2N,N+1}[0] & \dots & \psi_{2N,N+1}[N-1]\end{array}\right|\right)^2} \tag{21}$$

So the solution to the Johnson equation takes the form :

$$v(x,y,t)=-2Q(x,y,t)$$

and we get the result. $\square$

3 Explicit expression of rational solutions of order 4 depending on 6 parameters

We explicitly construct rational solutions to the Johnson equation of order 4 depending on 6 parameters.
Because of the length of the expression, we only give the expression without parameters in the appendix.

We give patterns of the modulus of the solutions in the plane (x,y) of coordinates in function of the parameters a_1, a_2, a_3, b_1, b_2, b_3, and time t.

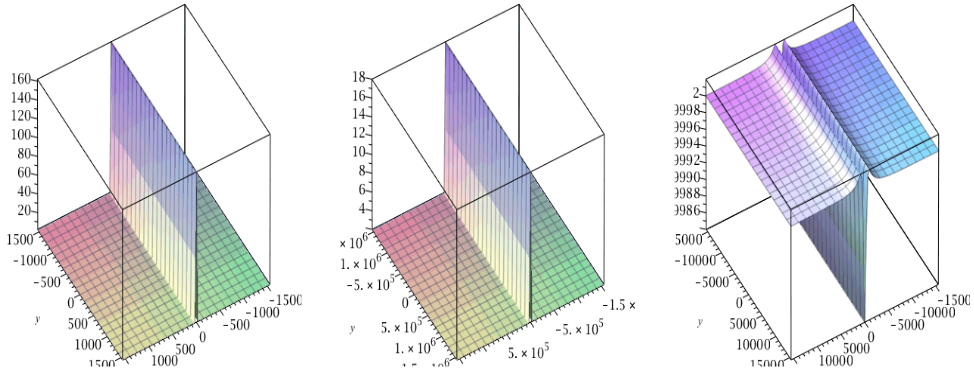

Figure 1. Solution of order 4 to (1), on the left for $t = 0$; in the center for $t = 0$, $a_2 = 10^4$; on the right for $t = 0$, $a_1 = 10^3$; all other parameters not mentioned equal to 0.

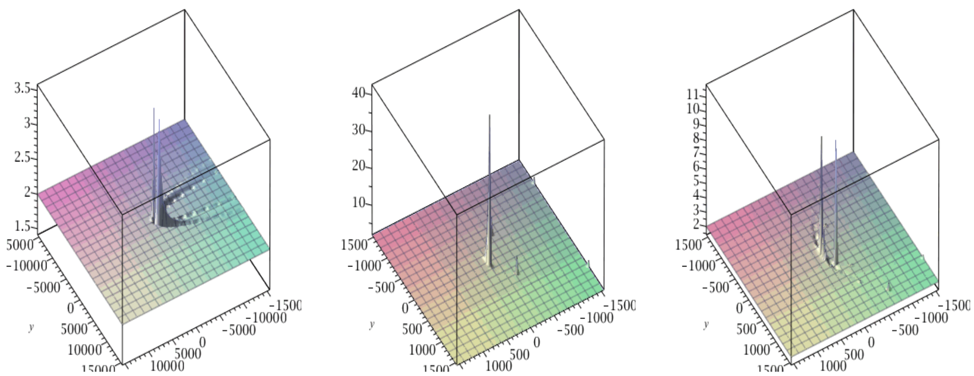

Figure 2. Solution of order 4 to (1), on the left for $t = 0,01$, $a_1 = 10^2$; in the center for $t = 0,01$, $a_2 = 10$; on the right for $t = 0,01$, $b_1 = 10$; all other parameters not mentioned equal to 0.

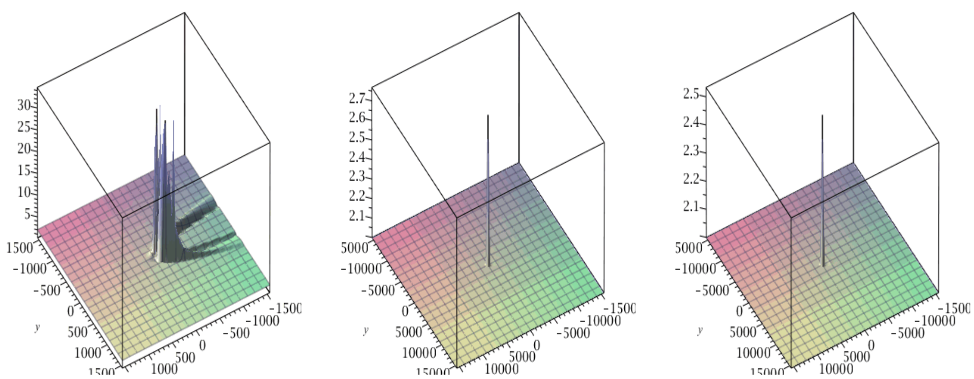

Figure 3. Solution of order 4 to (1), on the left for $t = 0,1$, $a_1 = 10^2$; in the center for $t = 0,1$, $b_1 = 10$; on the right for $t = 0,1$, $a_2 = 10^2$; all the other parameters to equal to 0.

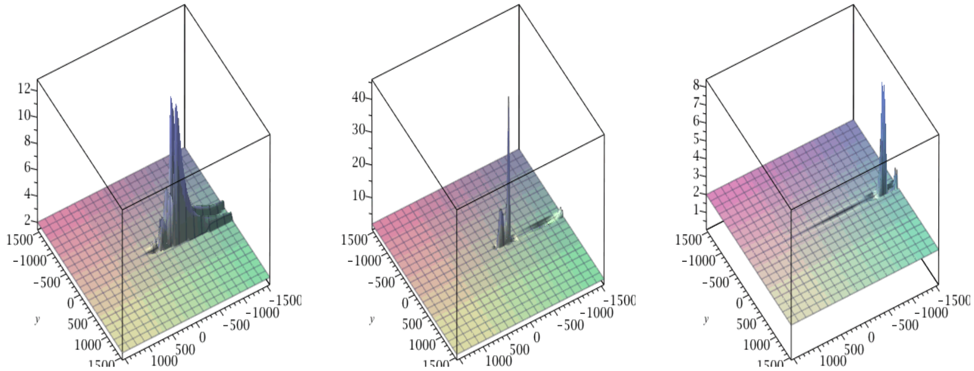

Figure 4. Solution of order 4 to (1), on the left for $t = 1$, $a_2 = 10^2$; in the center for $t = 10$, $a_1 = 10^2$; on the right for $t = 10$, $a_1 = 10^3$; all the other parameters to equal to 0.

In these constructions, we note that the initial rectilinear structure becomes deformed very quickly as time t increases. The heights of the peaks also decrease very quickly according to time t and of the various parameters. Because of the structure of the polynomials, one notices that the modulus of these solutions tend towards value 2 when time t and variables x and y tend towards the infinite.

4 Conclusion

From the previous results giving the solutions to the Johnson equation in terms of Fredholm determinants and wronskians, we succeed in obtaining rational solutions to the Johnson equation depending on $2N-2$ real parameters. These solutions can be expressed in terms of a ratio of two polynomials of degree $2N(N+1)$ in x, t and $4N(N+1)$ in y. That gives a new approach to find explicit solutions for higher orders and try to describe the structure of those rational solutions.
In the (x, y) plane of coordinates, different structures appear.
It will be relevant to go on this study for higher orders to try to understand the structure of those rational solutions.

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Appendix : Because of the length of the complete expression, we only give in this appendix the explicit expression of the rational solution of order 4 to the Johnson equation without parameters. They can be written as
$v(x,y,t) = -2\frac{|n(x,y,t)|^2}{(d(x,y,t))^2}$ with $n(x,y,t) = A(x,y,t)+iB(x,y,t)$, $d(x,y,t) = C(x,y,t)+iD(x,y,t)$
with
$A_(x,y,t) = \sum_{k=0}^{20} a_k(y,t)x^k$, $B_(x,y,t) = \sum_{k=0}^{20} b_k(y,t)x^k$, $C_(x,y,t) = \sum_{k=0}^{20} c_k(y,t)x^k$, $D_(x,y,t) = 0$.

$\mathbf{a}_{20} = 3833759992447475122176, \quad \mathbf{a}_{19} = (6389599987412458536960\,y^2+1840204796374788058644480)t, \quad \mathbf{a}_{18} = (5058433323368196341760\,y^4+$
$2760307194562182087966720\,y^2 + 419566693573451677370941440)t^2 + 28753199943356063416320, \quad \mathbf{a}_{17} = (2529216661684098170880\,y^6 +$
$1955217596148212312309760\,y^4+563102667690685145945210880\,y^2+60417603874577041541415567360)t^3+(43129799915034095124480\,y^2+$
$17941996764654183571783680)t, \quad \mathbf{a}_{16} = (895764234346451435520\,y^8+868985598288094361026560\,y^6+354699474501240398303723520\,y^4+$
$72077141464407698680986992640\,y^2+6162595595206858237224387870720)t^4+(30550274939815817379840\,y^4+20242252760122668645089280\,y^2+$
$4786372675370823740534292480)t^2 - 161736749681377856716800, \quad \mathbf{a}_{15} = (238870462492387049472\,y^{10} + 271557999465029487820800\,y^8 +$
$139242162925692296437432320\,y^6+40101742922599381373980508160\,y^4+6486942731796692881288829337600\,y^2+473287341711886712618832988471296)t^5+$
$(13577899973251474391040\,y^6+10044451180212384820101120\,y^4+4306079223517004057228083200\,y^2+756809985376280836150363422720)t^3+$
$(-215648999575170475622400\,y^2-45545068710276004451450880)t, \quad \mathbf{a}_{14} = (49764679685913968640\,y^{12}+63363533208506880491520\,y^{10}+$
$38145911924852377465651200\,y^8+13808896791996409592068177920\,y^6+3163974518694955596510973132800\,y^4+435922551576737761622609331486720\,y^2+$
$28397240502713202757129979308277760)t^6+(4243093741641085747200\,y^8+2747527994587357170892800\,y^6+1531970492982011058821529600\,y^4+$
$556477930423735908934090752000\,y^2+81086784147458661016110366720000)t^4+(-134780624734481547264000\,y^4-72458063857257279809126400\,y^2-$
$3229559417637753042921062400)t^2 + 1186069497663437615923200, \quad \mathbf{a}_{13} = (8294113280985661440\,y^{14} + 11440637940424853422080\,y^{12} +$
$7737805584756487288258560\,y^{10}+3293353183912079028954071040\,y^8+948485716966678760338772459520\,y^6+184839709369548119511547584184320\,y^4+$
$22667972681990363604375685237309440\,y^2+1363067544130233732342239006797332480)t^7+(990055206382920007680\,y^{10}+382044832580703250022400\,y^8+$
$198588767608779211328716800\,y^6+143756798692798443141306777600\,y^4+49192649049458254349773622476800\,y^2+6320876997862697543527835306557440)t^5+$
$(-52414687396742823936000\,y^6-51324461898890573198131200\,y^4-8984799918299902696331673600\,y^2+417358447817801931700568064000)t^3+$
$(1383747747274010551910400\,y^2 + 398519351214915038950195200)t, \quad \mathbf{a}_{12} = (1123161173466808320\,y^{16} + 1634376848632121917440\,y^{14} +$
$1203285919851743406981120\,y^{12}+576801970063697457048453120\,y^{10}+195462873061337238013099376640\,y^8+47842262604963321877426895585280\,y^6+$
$8278254729452363179048963481272320\,y^4 + 932625161773317816865742478335016960\,y^2 + 53159634221079115561347321265095966720)t^8 +$
$(178759967819138334720\,y^{12} - 8075744428535190650880\,y^{10} - 39248117922681026563276800\,y^8 + 1648823497551810100545454080\,y^6 +$
$9283906805902660747383747379200\,y^4+3166849124689830209434838378741760\,y^2+374021549252840999472198806415605760)t^6+(-14195644503284514816000\,y^8-$
$21804509957045014757376000\,y^6-6831185242542533546449305600\,y^4-417358447817801931700568064000\,y^2+110683460361281072286990650572800)t^4+$
$(749530029773422382284800\,y^4+470977415072172318759321600\,y^2+72602979984971794368744652800)t^2-4953187958992196861952000, \quad \mathbf{a}_{11} =$
$(124795685940756480\,y^{18}+187272347239097303040\,y^{16}+146517077489138458951680\,y^{14}+76751875048798451945963520\,y^{12}+29343905682992370383144878080\,y^{10}+$
$8451044836701802670345724887040\,y^8+1833438966925691173883327482429440\,y^6+290302440061792555740071800854282240\,y^4+30776630338519487956569501785055559680\,y^2+$
$1701108295074531697963114280483070935040)t^9+(25537138259876904960\,y^{14}-16487978208259347578880\,y^{12}-23548870753608615937966080\,y^{10}-$
$8817341281829796982995025920\,y^8-761138147057354337664295239680\,y^6+437525208016358121040339512852480\,y^4+154008873221758058606199508524072960\,y^2+$
$17253565492806379612016235849197813760)t^7+(-2839128900656902963200\,y^{10}-6268796612650441742745600\,y^8-2644719330789890713033113600\,y^6-$
$423155092926382514085298176000\,y^4+16527394533584956495342495334400\,y^2+11875684217586863285380643920281600)t^5+(249843343257807460761600\,y^6+$
$255112766497426672661299200\,y^4+82167444414129755303549337600\,y^2+9121600742862404440611304243200)t^3+(-4953187958992196861952000\,y^2-$
$1462747164118381336146739200)t, \quad \mathbf{a}_{10} = (11439604544569344\,y^{20}+17340032151768268800\,y^{18}+14144570226764761006080\,y^{16}+7918844251066506946805760\,y^{14}+$
$3318042598263440768740884480\,y^{12}+1079072537972782120301972422656\,y^{10}+275211725270362831122443922309120\,y^8+54479329302934823452533159477903360\,y^6+$
$8071322172111728459198374242649374720\,y^4+820710142360519678841853380934814924800\,y^2+449092589899676368262226217004753072685056)t^{10}+$
$(2926130425610895360\,y^{16}-4142023680111799173120\,y^{14}-5552074294617943572480000\,y^{12}-2774875482533482493430988800\,y^{10}-713283621327627974199245537280\,y^8-$
$66272811660597455181323981291520\,y^6+15584231218868374978008283600650240\,y^4+5783190341388465874191981544577433600\,y^2+630920921939649503109674786593638973440)t^8+$
$(-433755804267026841600\,y^{12}-1299185384940598795960320\,y^{10}-624531483269670095762227200\,y^8-139312704109553329979680358400\,y^6-$
$9508816636115587343911275724800\,y^4+3613990271343910486981558979788800\,y^2+808546584414229807682547419751383040)t^6+(57255766163247543091200\,y^8+$
$83947363334623306815897600\,y^6+42080020585102165249150156800\,y^4+8142354162519524723084230656000\,y^2+829736418158311427016176015769600)t^4+$
$(-2270211147871423561728000\,y^4-1611437149325461379088384000\,y^2-236992212361124247935700172800)t^2-22289345815464885878784000, \quad \mathbf{a}_9 =$
$(866636707921920\,y^{22}+1300502411382620160\,y^{20}+1089362019887559475200\,y^{18}+640868004293042629509120\,y^{16}+288170959432301880016896000\,y^{14}+$
$102896891394092649087164743680\,y^{12}+29634304721498682937103446179840\,y^{10}+6883790993036019975202969485312000\,y^8+1269787444522250115855195947831132160\,y^6+$
$179027457524721204453247428684310118400\,y^4+17727339074987225062984033028192002375680\,y^2+979838377962930258026753825558248858583040)t^{11}+$
$(270938002371379200\,y^{18}-638011182995944243200\,y^{16}-840742678899288598118400\,y^{14}-482979213715195386711244800\,y^{12}-165537155961891038805413068800\,y^{10}-$
$34306864410623318785786694860800\,y^8-3075319634693734127133359131852800\,y^6+429548557965447646452665295883468800\,y^4+169724064366835411525199458373468160000\,y^2+$
$18465978203111692773941701071033335808000)t^9+(-51637595746074624000\,y^{14}-201262693179900454502400\,y^{12}-96196093393826585405030400\,y^{10}-$
$21999073276661724119826432000\,y^8-2454299538973018581694729420800\,y^6+374509647175174266712643076096000\,y^4+257034039786313243415566487440588800\,y^2+$
$39036534804372144650795875425897676800)t^7+(9542627693874590515200\,y^{10}+18738250744335559557120000\,y^8+12926719864534302210392064000\,y^6+$
$3607606490492998564718837760000\,y^4+475997309736203103104497876992000\,y^2+55341062407124027660404604377497600)t^5+(-630614207742062100480000\,y^6-$
$784176138142669388906496000\,y^4-252289921092987691135401984000\,y^2-29497677796289438610295357440000)t^3+(-18574454846220738232320000\,y^2-$
$10580009480407332497129472000)t, \quad \mathbf{a}_8 = (54164794245120\,y^{24}+78818327962583040\,y^{22}+67014124257127956480\,y^{20}+40891467820678187581440\,y^{18}+$
$19425182661732300509675520\,y^{16}+7463870654096140365862010880\,y^{14}+2362145763180161945293931151360\,y^{12}+619083287533350266506058630430720\,y^{10}+$
$133639567776023181938111111988510720\,y^8+233333915812210853614131125536381992960\,y^6+3171803314887420170582927478083372974080\,y^4+$
$309422645672504292008448576492078586920960\,y^2 + 17637090803332744644481568860048479454494720)t^{12} + (20320350177853440\,y^{20} -$
$70380130498353561600\,y^{18} - 90716928206703899443200\,y^{16} - 56579907888537320344780800\,y^{14} - 22667297643345319033621708800\,y^{12} -$

$6200400762543581883101180067840\,y^{10}-1108170150645827689051348323532800\,y^{8}-94291146870464117513999699096371200\,y^{6}+9334823540175947633885970210540748800\,y^{4}+$
$3910442443011887881540595520924706406400\,y^{2}+4343198073371870140431088091907040582 04160)t^{10}+(-4841024601194496000\,y^{16}-23794604119791186739200\,y^{14}-$
$9667015512205934827929600\,y^{12}-1247888877541653152268288000\,y^{10}+133395295561210652128601702400\,y^{8}+87700921834780779248012702515200\,y^{6}+$
$35422713956708994030381333636710400\,y^{4}+11227899642729111839359348784706355200\,y^{2}+1400223531026392145082895531581112320000)t^{8}+$
$(1192828461734323814400\,y^{12}+2998120119093689529139200\,y^{10}+2657739139139241630498816000\,y^{8}+993899211034013967444030259200\,y^{6}+$
$158744024621033538897026482176000\,y^{4}+16018551114005492380213162750771200\,y^{2}+2732705521761071046765909548571033600)t^{6}+(-118240163951636643840000\,y^{8}-$
$224230032683265800798208000\,y^{6}-1111835025172179869321134080000\,y^{4}-19902780980311429617970839552000\,y^{2}-2644826568724399453807231107072000)t^{4}+$
$(-6965420567332776837120000\,y^{4}-49928134626641344368476160000\,y^{2}-201730042722090884858590003 2000)t^{2}+34362741465508365729792000,\quad \mathbf{a}_7=$
$(2777681756160\,y^{26}+3831446498181120\,y^{24}+3282551541029928960\,y^{22}+2056323812821460582400\,y^{20}+1019791990583597664829440\,y^{18}+$
$415426232781608404238991360\,y^{16}+141700676533649013283781345280\,y^{14}+40809794841690915825729027440640\,y^{12}+9923648674129265514585283016785920\,y^{10}+$
$2020570627637843037872649962174545920\,y^{8}+337939470383743397170174921561394380800\,y^{6}+44744941408523904971809965718217246638080\,y^{4}+$
$4331917039415060088118280070889100216893440\,y^{2}+260486264172298997826189324702254465789460480)t^{13}+(1231536374415360\,y^{22}-$
$5839510827580784640\,y^{20}-7233853412961209548800\,y^{18}-4745742273984199152107520\,y^{16}-2102050603858950609489100800\,y^{14}-674935593575973765845153218560\,y^{12}-$
$157935856359995234100947409960960\,y^{10}-25267023525214695048671830789324800\,y^{8}-2033787506344472196225039663586344960\,y^{6}+$
$162935101792161995064191480038529433600\,y^{4}+70561761416125621329132523622019146711040\,y^{2}+8199700110321363738223887277040082553405440)t^{11}+$
$(-358594414903296000\,y^{18}-2168779021335134208000\,y^{16}-565579436385805900185600\,y^{14}+159340649686098184765440000\,y^{12}+131438927837064705573755289600\,y^{10}+$
$35609950231032233705874024038400\,y^{8}+5868393663076549401255347434291200\,y^{6}+1220180190795761185032562539705139200\,y^{4}+338142559007772089115589690144063488000\,y^{2}+$
$38126813819365906845020806329015887462400)t^{9}+(113602710641364172800\,y^{14}+353944736281893902745600\,y^{12}+385814030989944578428108800\,y^{10}+$
$180974749011478909253635276800\,y^{8}+38153131661670154550801281843200\,y^{6}+2486454688719336788299304298086400\,y^{4}+232673661904083780266067730681036800\,y^{2}+$
$10071745118794344121533844781940 0806400)t^{7}+(-15765355193551552512000\,y^{10}-420693338471810709061632000\,y^{8}-27507647263309807944204288000\,y^{6}-$
$674838177734565675502987264000\,y^{4}-1050160804386218368894400200704000\,y^{2}-160370818290886027859806679728128000)t^{5}+(-1547871237185061519360000\,y^{6}-$
$683539938340923166949376000\,y^{4}-432710500097558317860126720000\,y^{2}-217430708861580500105630318592000)t^{3}+(22908494310338910486528000\,y^{2}+$
$8737423559662235264483328000)t,\quad \mathbf{a}_6=(115736739840\,y^{28}+147363326853120\,y^{26}+127113872057303040\,y^{24}+81006695656602992640\,y^{22}+$
$41569376769959987773440\,y^{20}+17751728676140123695349760\,y^{18}+6433560435325856251694284800\,y^{16}+1998374079032793841861090344960\,y^{14}+$
$533625236747667820940530758451200\,y^{12}+122126694449577041922820433887887360\,y^{10}+23720751286551219224444970455751720960\,y^{8}+$
$3834076900353743269712530019169274429440\,y^{6}+499019855030656431719507753264185564200960\,y^{4}+47984311821212973283771717708310033171742720\,y^{2}+$
$3125835170067587973914271896427053589473525760)t^{14}+(59866351534080\,y^{24}-370523414294691840\,y^{22}-430542798309493309440\,y^{20}-$
$291744895412915530629120\,y^{18}-138469820027213815511777280\,y^{16}-49524818283235879426279342080\,y^{14}-13619488192715145406768018882560\,y^{12}-$
$2835633460501622596437267563151360\,y^{10}-415370085395046272449637485652213760\,y^{8}-3151935444925989928372084030245437440\,y^{6}+$
$2331782345647829440474206958773621227520\,y^{4}+987422266337256343615196192629133137674240\,y^{2}+123459635623329212511370982020339356181463040)t^{12}+$
$(-20918007536025600\,y^{20}-152617782982842777600\,y^{18}-582789849835697602 5600\,y^{16}+405340249201477783843840000\,y^{14}+241627515723992678919045120 00\,y^{12}+$
$7239108040266923752379174092800\,y^{10}+12615911160636516791444777143859200\,y^{8}+136289903625315364883774623344230400\,y^{6}+21266609891186321329512414651088896000\,y^{4}+$
$7281945703172778394791942300183507763200\,y^{2}+793819815931413239952740890747715400499200)t^{10}+(8283530984266137600\,y^{16}+31230417907225932595200\,y^{14}+$
$40591681076284200950169600\,y^{12}+22155842112352888790030745600\,y^{10}+6300107888948758383937191936000\,y^{8}+454846511064014274099094644326400\,y^{6}-$
$78988258173722430869013430429286400\,y^{4}-3826374302722400517019162621643793152 00\,y^{2}+278038480726480707870088928103141212160 0)t^{8}+$
$(-1532742866039734272000\,y^{12}-5456150563470108209971200\,y^{10}-4291111835140239881404416000\,y^{8}-1441396187968442857696316620800\,y^{6}-$
$269899766642536214133813018624000\,y^{4}-48362662216231252241598426120192000\,y^{2}-6534186563335068331129178120886681600)t^{6}+(-225731222089488138240000\,y^{8}+$
$57787192854908963389440000\,y^{6}+67006726709246439148486656000\,y^{4}-19218052276860348323774595072000\,y^{2}-15847908895634586337913239240704000)t^{4}+$
$(668164417384884889190 4000\,y^{4}+7578377577258061198786560000\,y^{2}+896566646081259569588207616000)t^{2}-41792523403996661022720000,\; quad\mathbf{a}_5=$
$(3857891328\,y^{30}+4385813299200\,y^{28}+3848783360163840\,y^{26}+2466550028005539840\,y^{24}+1302817744347023278080\,y^{22}+577974816639164721659904\,y^{20}+$
$220177096099583437905592320\,y^{18}+72754336829473620686568161280\,y^{16}+20953249006888402757731630448640\,y^{14}+5259562288958548418008737424343040\,y^{12}+$
$1145173671492696884932731450395983872\,y^{10}+214107105012357704780544390863372943360\,y^{8}+33621905126178979442094494014253637304320\,y^{6}+$
$4351518473982549047793023419626154969 06080\,y^{4}+41129410132468262814661472321408599861493760 0\,y^{2}+30008017632648844549577010205699714458945847296)t^{15}+$
$(2302551982080\,y^{26}-17973991660584960\,y^{24}-18985944294516326400\,y^{22}-13215834966248694743040\,y^{20}-6579971611111499633786880\,y^{18}-$
$2544709311786910912012615680\,y^{16}-782469801056930880840102051840\,y^{14}-191477872770691706976343582310400\,y^{12}-36350384925842578740010820283924480\,y^{10}-$
$4942438604770984889775777234592727040\,y^{8}-352236909515363310127374629781299527680\,y^{6}+27870789775648364537525698985499725660160\,y^{4}+$
$10511269286815954625581120760245610820403200\,y^{2}+1463521510546995685155037390103456011738152960)t^{13}+(-950818524364800\,y^{22}-$
$8233327766179676160\,y^{20}+2172486335901519052800\,y^{18}+4175121043858325608857600\,y^{16}+2408895169254465399580262400\,y^{14}+815491356025478265158447923200\,y^{12}+$
$1761790578457200429821700184473 60\,y^{10}+225734159520527623987296045367 29600\,y^{8}+13135372179128465787716566473768 96000\,y^{6}+$
$933838418488294418098090446491222016 00\,y^{4}+1126508226852270778182271555835617345536 00\,y^{2}+1258963389580001838109375145602144750534 6560)t^{11}+$
$(460196165792563200\,y^{18}+2060340070268377497600\,y^{16}+3121294634476035165388800\,y^{14}+1808945009603036649514598400\,y^{12}+678493284511365098283781324800\,y^{10}+$
$80242958238081001951818940416000\,y^{8}-2097721465642531831754305862369 2800\,y^{6}-4735465141532653193132430692293017600\,y^{4}-264684480566484991132043281208180736000\,y^{2}+$
$5727586610306781721365469475867228897 2800)t^{9}+(-1094816332885524480 00\,y^{14}-500350969880191696896000\,y^{12}-444190889078066898586828800\,y^{10}-$
$202317254947934074063709798400\,y^{8}-45890179567660134469726529126400\,y^{6}-1246534910058624474458379150 9504000\,y^{4}-1918590106883270395196604181118976000\,y^{2}-$
$179830937883178874359044899896452710400)t^{7}+(-225731222089488138240 00\,y^{10}+310606161595135678218240 00\,y^{8}+312315011440987986135613440 00\,y^{6}+$
$768607969623838752735284428 8000\,y^{4}-5518913349815715231221730508800 00\,y^{2}-816179085458880555000791996301312000)t^{5}+(111360736230814148198 4000\,y^{6}+$
$251498118617828795665612800 0\,y^{4}+155133846875635605716336640000\,y^{2}+22265095007217660082947883008000)t^{3}+(-208962617019983305113600 00\,y^{2}-$
$120808254319819681463009280 00)t,\; quad\mathbf{a}_4=(100465920\,y^{32}+97462517760\,y^{30}+89780178124800\,y^{28}+56587517511598080\,y^{26}+30856840431324364800\,y^{24}+$
$14080785157445973442560\,y^{22}+5595869677864999798702080\,y^{20}+1946527740165331368699494400\,y^{18}+596668003176561280134886195200\,y^{16}+$
$161452796880273245045410863513600\,y^{14}+38497944554933860359769263314042880\,y^{12}+8034924470662430422227935197963223040\,y^{10}+$
$1460465683196877059099077633041550540800\,y^{8}+222149591764874876313757952353287190609920\,y^{6}+29234139554940677000617222973550230293708800\,y^{4}+$
$2632282224847796882013833422857015039113560064 0\,y^{2}+225060132244866334121827576542747858442093854720)t^{16}+(68528332800\,y^{28}-$
$657356016844800\,y^{26}-605143167506841600\,y^{24}-438586547489891942400\,y^{22}-224261524635364255334400\,y^{20}-92187728707278637891584000\,y^{18}-$
$30791993507339630686293196800\,y^{16}-8441976307465267714792724889600\,y^{14}-1883269710668701978742012195635200\,y^{12}-331301139198320698833183091929907200\,y^{10}-$
$42008574170298521800036677130282598400\,y^{8}-2835855695527916619609859481634078720000\,y^{6}+278707897756483645375256989854997256601600\,y^{4}+$
$8232602518345363063392206469562995887308800 0\,y^{2}+1336705829305218541476497850445779495498547200 0)t^{14}+(-33014532096000\,y^{24}-$
$334688120576409600\,y^{22}+2165689592529813504 00\,y^{20}+256573130281586786304000\,y^{18}+149448251018086255794585600\,y^{16}+55765872850140973127172096000\,y^{14}+$
$14372974768229173375684470374400\,y^{12}+2458296905439895751307239306035200\,y^{10}+217600678089454299942315374936064000\,y^{8}-2695539918926274911868746642699059200\,y^{6}-$
$412749934435039739244778766740960051 2000\,y^{4}+12281523846192301296206379443060868120576 00\,y^{2}+14978558733712735341453097083349995419074 5600)t^{12}+$
$(19174840241356800\,y^{20}+100406436172922880000\,y^{18}+174215137189347459072000\,y^{16}+94361967591884266143744000\,y^{14}+46012827364354517744222208000\,y^{12}+$
$9365446280430027606262284288000\,y^{10}-194806692835045916087147927961 6000\,y^{8}-109130219161882340617973816465817 6000\,y^{6}-93452499650702778007264605618831360000\,y^{4}-$
$6032839889783216371248162006632497152000\,y^{2}+868393958674748922309043914303811564339200)t^{10}+(-5702168400445440000\,y^{16}-32501352746302046208000\,y^{14}-$
$30999465690884034527232000\,y^{12}-18588764055880049023254528000\,y^{10}-4413951525499495124494712832000\,y^{8}-224331325031090254405532280422 4000\,y^{6}-$
$54253301084576490485813413832294 4000\,y^{4}-54206007694703568442120832261554176000\,y^{2}-332175388286133604895554905864929280 0000)t^{8}+$
$(-1567577931177000960000\,y^{12}+4574819434346959601664000\,y^{10}+4078812695675657665904640000\,y^{8}+1558391808409960945494786048000\,y^{6}+$
$178086523622568726598873251840000\,y^{4}-12226515728822507589168141434880000\,y^{2}-290871175611086582483262826956718080 00)t^{6}+$
$(1160007669070980710400 00\,y^{8}+4354677747280639741132800 00\,y^{6}-4078950284230074115817472 0000\,y^{4}-39467001657249824596033553600 0000\,y^{2}-$
$1645060710041222809306477363200000)t^{4}+(-4353387854582985523200000\,y^{4}-631531464771505099898880 0000\,y^{2}-2821831180237854552254054400000)t^{2}-$
$35262441622122182737920000,\; quad\mathbf{a}_3=(1969920\,y^{34}+1522851840\,y^{32}+1582332641280\,y^{30}+931237157928960\,y^{28}+539245755110522880\,y^{26}+$
$247334053010693160960\,y^{24}+102706903501370629816320\,y^{22}+37213030326690158519255040\,y^{20}+12022671336315281983143936000\,y^{18}+$
$3462529344858801211145453568000\,y^{16}+888940105176092690367673930874880\,y^{14}+203498904077234757425707509098741760\,y^{12}+40647264969233471547741319236755128320\,y^{10}+$
$7350537962808359878028755776395532042240\,y^{8}+1052877056767978405386214160733226684907520\,y^{6}+148388460085767850154857076610572203421859840\,y^{4}+$
$11845270118150859690622504028565676760110202880\,y^{2}+1270927805618068710335026314594340847673000591360)t^{17}+(1522851840\,y^{30}-$
$17586251366400\,y^{28}-13262699416780800\,y^{26}-10510299208404172800\,y^{24}-5313368173689018777600\,y^{22}-2322087128758810973306880\,y^{20}-$
$823576841044216489023897600\,y^{18}-246121257499139986883503718400\,y^{16}-61583557633560107255372709888000\,y^{14}-12721530671830941866960461863321600\,y^{12}-$
$2106377769218796864160448289743831040\,y^{10}-244592553739282808441350380290939289600\,y^{8}-16674831489704149723305973752008382873600\,y^{6}+$
$225416497526123036259548510476129649295360 0\,y^{4}+44758475732391933063013955173297593966919680 0\,y^{2}+90813737572489924294772530885670188494178222080)t^{15}+$
$(-846526464000\,y^{26}-9930771254476800\,y^{24}+11050169090546073600\,y^{22}+9908640750155857920000\,y^{20}+5935283898029685551923200\,y^{18}+$
$2385487934633911093139865600\,y^{16}+701909315481235409208764006400\,y^{14}+149173183882256139321598594252800\,y^{12}+20668035518281890646539277801881600\,y^{10}+$
$666961503912408775282592277174681600\,y^{8}-145780706848231963726819338977751859200\,y^{6}-10204826720357207955666079344660232273920 0\,y^{4}+$
$898603265953321995089015393664353792163840 0\,y^{2}+129663489663939468248427251895617185225113600 0)t^{13}+(581055764889600\,y^{22}+$

$3514225266052300800\,y^{20}+6887179378552209408000\,y^{18}+2761056900232001460633600\,y^{16}+1853662891348275549437952000\,y^{14}+665138189889674696321925120000\,y^{12}-$
$49982538556254168376066179072000\,y^{10}-95898954705783256658429727473664000\,y^{8}-23877209018812717192241461681402675200\,y^{6}-$
$571509850618923560937651043320201216000\,y^{4}-74925079885657262037979743666948381081600\,y^{2}+9416345402772626018749754014386693026611200)t^{11}+$
$(-211191422238720000\,y^{18}-1467496236100091904000\,y^{16}-1440857917083378253824000\,y^{14}-1088111438793915443970048000\,y^{12}-231009558009910104617385984000\,y^{10}-$
$132343929054641848998571278336000\,y^{8}-99045976521812089157429244198912000\,y^{6}-14780218549521831167118494863982592000\,y^{4}-$
$951173071070516149632143634179555328000\,y^{2}-39959809976896349312512327584420200448000)t^{9}+(-74646568151285760000\,y^{14}+364514121596358623232000\,y^{12}+$
$242660347139145496264704000\,y^{10}+130275447572106767065153536000\,y^{8}+45396245022689187802814349312000\,y^{6}-9583158609633133312995439411200000\,y^{4}-$
$211715923975223292705337365233664000\,y^{2}-689920038206902310049402444293603328000)t^{7}+(7733384460473204736000\,y^{10}+43469383910947144335360000\,y^{8}-$
$13992755984152956135014400000\,y^{6}-11653860629916840776800665600000\,y^{4}-3145301299302541924890449018880000\,y^{2}-124427804425204971051270832914432000)t^{5}+$
$(-483709761620331724800000\,y^{6}-1266158672017380322836480000\,y^{4}-275496314279145989461770240000\,y^{2}-210126120871550572156472524800000)t^{3}+$
$(-117541472073740609126400000\,y^{2}-134154000126829281882931200000)t,\ quad\mathbf{a}_2=(27360\,y^{36}+14929920\,y^{34}+20424130560\,y^{32}+9906778275840\,y^{30}+$
$6776236340674560\,y^{28}+2875977360589455360\,y^{26}+1311445676428791644160\,y^{24}+477090132393463570759680\,y^{22}+163164825278564541199810560\,y^{20}+$
$49464704926554303016363622400\,y^{18}+13533543267905257305277087088640\,y^{16}+3282240388342496087511411437076480\,y^{14}+748350808542089107952601807653437440\,y^{12}+$
$136121073385339997741273255118435778560\,y^{10}+26601946913020730987151687571717163581440\,y^{8}+3225836088821040220757762535012439204823040\,y^{6}+$
$551617971188397877749577393487127104024739840\,y^{4}+33445468568896545008816481963008969675605278720\,y^{2}+5083711222472274841340105258377363390692002365440)t^{18}+$
$(23794560\,y^{32}-325352816640\,y^{30}-181108290355200\,y^{28}-177252076911329280\,y^{26}-80737072779047731200\,y^{24}-39550440662826190110720\,y^{22}-$
$14208340505342836966686720\,y^{20}-4608690678920858093538508800\,y^{18}-1256712659540270261009488281600\,y^{16}-292039617886376605008610826649600\,y^{14}-$
$55627136581596261816469441751285760\,y^{12}-9098370356485399154581632503576002560\,y^{10}-872025626374834360530031790602479206400\,y^{8}-$
$75138832508707678753182836825376549765120\,y^{6}+13608995999713763431321810694583727895347200\,y^{4}+1509691289568246823314632866385821547857182720\,y^{2}+$
$432352359312506378707721397042647201744022405120)t^{16}+(-15116544000\,y^{28}-203166351360000\,y^{26}+337613716035993600\,y^{24}+231426303234932736000\,y^{22}+$
$147683234952118901145600\,y^{20}+62972170209277867406131200\,y^{18}+20265447008076975869578444800\,y^{16}+5026850638161081044037953126400\,y^{14}+$
$897376310601316526747114746675200\,y^{12}+116288751258853279350501959899545600\,y^{10}-11437582053252241834949921542137446400\,y^{8}-$
$276495930313971870411961299459322675200\,y^{6}-1124785444517237568835858566200524642713600\,y^{4}+39692904999165143341355281192535873028096000\,y^{2}+$
$7720837063837608453369907267393834959293644800)t^{14}+(12105328435200\,y^{24}+83672030144102400\,y^{22}+183132913864487731200\,y^{20}+$
$22790323096821065318400\,y^{18}+38046656810464577165721600\,y^{16}+26635047547528833411317760000\,y^{14}+2746643673949099286631284736000\,y^{12}-$
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$7795722996761000163610322310957681868800\,y^{4}-506115165980867279101771621687234029158400\,y^{2}+69165499505875496302301413207641791712460800)t^{12}+$
$(-5279785555968000\,y^{20}-43910262252896256000\,y^{18}-42592620867426975744000\,y^{16}-38166628206061566296064000\,y^{14}-7992575908629588574470144000\,y^{12}+$
$4059463027602839101306306560000\,y^{10}-5843374763123404749624613797888000\,y^{8}-2148688166334180956181761366163456000\,y^{6}-220931358768684321393227681104920576000\,y^{4}-$
$9190083332836537994476892770340438016000\,y^{2}-291267858321731545459811876095100190720000)t^{10}+(-2332705254727680000\,y^{16}+16959700283972124672000\,y^{14}+$
$5379330287254257008640000\,y^{12}+7667534960519920742301696000\,y^{10}+5776436101707894221533347840000\,y^{8}-210166063379251885231967305728000\,y^{6}-$
$384179911970854040437133854900224000\,y^{4}-2347491019933921457120283155496960000\,y^{2}-10308272276527127077713592291990437888000)t^{8}+$
$(322224352519716864000\,y^{12}+2532489329727781208064000\,y^{10}-1549419108422246580879360000\,y^{8}-1114718252296499898580205568000\,y^{6}-$
$28088142022816230589008445440000\,y^{4}-85674350941724813259904823328768000\,y^{2}-1944296465759712269575837269884928000)t^{6}+(-30231860101270732800000\,y^{8}-$
$123313741895743234375680000\,y^{6}-21509218711923614873026560000\,y^{4}-21269385350949212700970844160000\,y^{2}-6488318011726583573480063631360000)t^{4}+$
$(-1469268400921757614080000\,y^{4}+1441842057437884805283840000\,y^{2}-1320142229285446528385679360000)t^{2}+9795122672811717427200000,\ quad\mathbf{a}_1=$
$(240\,y^{38}+69120\,y^{36}+179159040\,y^{34}+51597803520\,y^{32}+59440669655040\,y^{30}+17118912860651520\,y^{28}+11503909442357821440\,y^{26}+$
$3313125919399052574720\,y^{24}+1431270397180390712279040\,y^{22}+412205874387952525136363520\,y^{20}+118715291823730327239272693760\,y^{18}+$
$34190004045234334244910535802880\,y^{16}+6564480776684992175022822874152960\,y^{14}+1890570463685277746406572987756052480\,y^{12}+$
$233350411517725710413611294488747048960\,y^{10}+67204918517105004599120052812759150100480\,y^{8}+4838754133231560331136643802518658807234560\,y^{6}+$
$1393561190370689375367353415125373736483553280\,y^{4}+44593958091862060011755309284011959567473704960\,y^{2}+12843059930456273283385529073795444355432427028480)t^{19}+$
$(233280\,y^{34}-3725015040\,y^{32}-1221148016640\,y^{30}-1976402266030080\,y^{28}-634113063879966720\,y^{26}-441462524850481397760\,y^{24}-$
$131696755296112339845120\,y^{22}-53195549761871188139704320\,y^{20}-14341329379747514937035980800\,y^{18}-3635655812101741271702726246400\,y^{16}-$
$860448435138397411830248484372480\,y^{14}-129648495339528595456700751764520960\,y^{12}-26231665183633228731391200205115228160\,y^{10}-$
$1293150197160729978542095923625139896320\,y^{8}-263219264191994601346553540183306671226880\,y^{6}+53226295465547163642503081827705246879580160\,y^{4}+$
$2380667033549927682919228750839180133159403520\,y^{2}+1287650539902516982839434555575845332510803230720)t^{17}+(-167961600\,y^{30}-$
$2563765862400\,y^{28}+5883697535385600\,y^{26}+2855381168553984000\,y^{24}+2132716961462117990400\,y^{22}+958994650888553889792000\,y^{20}+$
$302579507403916974017740800\,y^{18}+93068357576654906065944576000\,y^{16}+21090513563059590948602039500800\,y^{14}+1736211142922056035874363146240000\,y^{12}+$
$736965537195026074649046599231078400\,y^{10}-175911673613216077810174095970113945600\,y^{8}+11868056085784331053067261930638619443200\,y^{6}-$
$6431720717457314893275161304346090536960000\,y^{4}+80141865331647717984450662979215286494822400\,y^{2}+28306711679404627937149366244734154022322176000)t^{15}+$
$(155196518400\,y^{26}+1214934781132800\,y^{24}+2941978794157670400\,y^{22}-946301404975202304000\,y^{20}+189005637166238269440000\,y^{18}+$
$469328099575421477899468800\,y^{16}+207874134310486996074627072000\,y^{14}-39815995921818304284234193305600\,y^{12}-38321518791872319127200799182028800\,y^{10}-$
$11692019789606370096108765135765504000\,y^{8}-2035501890833026089270748749024460800000\,y^{6}+147935957176833180357722832183793759027200\,y^{4}-$
$1464492598284526700698923633505470932582400\,y^{2}+308575583678694947679647167493084435133235200)t^{13}+(-79996750848000\,y^{22}-$
$784279002827980800\,y^{20}-719029447292878848000\,y^{18}-699535881759931917926400\,y^{16}-308157594913761449213952000\,y^{14}+456417034230856336212492288000\,y^{12}-$
$35955140447248207386884702208000\,y^{10}-107477173645662111913689653182464000\,y^{8}-19574417042925471482012192377877299200\,y^{6}-$
$1615714243227810258122079791455666176000\,y^{4}-37348551836941981557990709903528820736000\,y^{2}-1088128464832919836631626620076052132659200)t^{11}+$
$(-43198245457920000\,y^{18}+435438314215833600000\,y^{16}-68202792020588101632000\,y^{14}+364242766391815069237248000\,y^{12}+180162069766329891117072384000\,y^{10}+$
$127107565924837508529965236224000\,y^{8}-34005635950910820241581809860608000\,y^{6}-923640955961456014176985961988096000\,y^{4}-11495133445999008941640612354981888000\,y^{2}-$
$87483171112433988935309789423506292736000)t^{9}+(7672008393326592000\,y^{14}+803197073307834777760000\,y^{12}-76929200488097557512192000\,y^{10}-$
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$26191352764879238020777324088131584000)t^{7}+(-1007728670042357760000\,y^{10}-5879760880140476743680000\,y^{8}-4377379858759353976750080000\,y^{6}-$
$13819394405588229244846080000000\,y^{4}-549009768354548222675763855360000\,y^{2}-86333333845926133897439289016320000)t^{5}+(-8162602227343097856000\,y^{6}+$
$519794509837208471470080000\,y^{4}+1332067029296720242330828800000\,y^{2}-97597912735259786499713925120000)t^{3}+(1632520445468619571200000\,y^{2}+$
$3855360284018691979345920000)t,\ quad\mathbf{a}_0=(y^{40}+829440\,y^{36}+309586821120\,y^{32}+68475651442606080\,y^{28}+9939377758197157724160\,y^{24}+$
$989294098531086060327272448\,y^{20}+68380008090468668489821071605760\,y^{16}+3240977937746190422411267979010375680\,y^{12}+100807377775657506898680079219138725150720\,y^{8}+$
$1858081587160919167156471220167164981978071040\,y^{4}+15411671916547527940062634888554533226518912434176)t^{20}+(1080\,y^{36}-19906560\,y^{34}-$
$1343692800\,y^{32}-11557907988480\,y^{30}-921330379653120\,y^{28}-2875977360589455360\,y^{26}-224326234125977518080\,y^{24}-397575110327886308966400\,y^{22}-$
$27909772745017618889441280\,y^{20}-32976469951036202010909081600\,y^{18}-1840087023267820072208726753280\,y^{16}-1641120194171248043755705718538240\,y^{14}-$
$4923360582513744131267117155167104\,y^{12}-45373691128446665913577517061455156320\,y^{10}+105007685182976569686125085199361720320\,y^{8}-$
$537639348136840036792960422502073200803840\,y^{6}+99194459731246986788301197951632505548308480\,y^{4}+1806055302720413430476090026002484362482685050880)t^{18}+$
$(-874800\,y^{32}-15049359360\,y^{30}+45341569843200\,y^{28}+12482540627558400\,y^{26}+14211372504475238400\,y^{24}+6729787023779325542400\,y^{22}+$
$1209498030950516630558720\,y^{20}+1202267133631528198314393600\,y^{18}-564850862247241194600923136 00\,y^{16}+103282303886645384697167243571200\,y^{14}-$
$15064970532431378526663704838144000\,y^{12}+4371944197272204788565200034185871360\,y^{10}-858732552802047251375610574282319462400\,y^{8}+$
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$(923788800\,y^{28}+8126654054400\,y^{26}+21600646476595200\,y^{24}-20995633335553228800\,y^{22}-3457913404646227968000\,y^{20}+426564962122628018995200\,y^{18}+$
$5558360951050003274740531200\,y^{16}-1091315052442104310298522419200\,y^{14}+28686437313343586105552378265600\,y^{12}-181335233954911600251444254264524800\,y^{10}-$
$30424060574661885413669252560532275200\,y^{8}-6263696267497285833563277130059271372800\,y^{6}+706702328964795641398326007471916502220800\,y^{4}+$
$631810240208933424487747739650595195988213760 0)t^{14}+(-555532992000\,y^{24}-6338790162432000\,y^{22}-5205512001237811200\,y^{20}-4605158748643865395200\,y^{18}-$
$8188205478877877973811200\,y^{16}+30660049553959868228960256000\,y^{14}+3951158349376199817236054016000\,y^{12}-1614156983515783293181485907968000\,y^{10}-$
$576966084451008326948067084966297600\,y^{8}-50173659986361159332734986738047385600\,y^{6}-4161632080138855959182837978065010688000\,y^{4}-$
$1246720149785699163687533499262085942476800)t^{12}+(-359985378816000\,y^{20}+4792125362798592000\,y^{18}-3626164399526903808000\,y^{16}+$
$8600376623682218360832000\,y^{14}-4328431092566720772046848000\,y^{12}+5728091729275632858333292185 6000\,y^{10}-472556276283621954886362464256000\,y^{8}-$
$210418773919405564301611999690752000\,y^{6}+53585689503145760702242004750303232000\,y^{4}-3211448719936688724786957111006792253440 00)t^{10}+$
$(79916754097152000\,y^{16}+1074910581378514944000\,y^{14}-1458295355403518607360000\,y^{12}-320673057493272596840448000\,y^{10}+768365404933504106294673408000\,y^{8}-$
$478062364556134935579057979392000\,y^{6}+241881297033312248568491437719552000\,y^{4}+616452403926593975672827819151327232000)t^{8}+$
$(-13996231528366080000\,y^{12}-110357486354860867584000\,y^{10}-238759138335795739361280000\,y^{8}+86581725523183601146920960000\,y^{6}-$
$248379393351328948833453342720000\,y^{4}+685480261675989201024754277941248000)t^{6}+(-1700542130696478720000\,y^{8}+25539875413553515069440000\,y^{6}-$
$21196935689821528711495680000\,y^{4}-3201850261210208958960359178240000)t^{4}+(68021685227859148800000\,y^{4}+26705422455153866393518080000)t^{2}+$
$7346342004608788070400 00$
$\mathbf{b}_{20}=0,\quad \mathbf{b}_{19}=0,\quad \mathbf{b}_{18}=153350399697899004887040\,ty,\quad \mathbf{b}_{17}=(230025599546848507330560\,y^{3}+66247372669492370111201280\,y)t^{2},\quad \mathbf{b}_{16}=$
$(162934799679017692692480\,y^{5}+88329830225989826814935040\,y^{3}+13514464024576443502685061120\,y)t^{3}+10351151979608182829875 20\,ty,\quad \mathbf{b}_{15}=$

$(72415466524007863418880\,y^7+55206143891243641759334400\,y^5+15899369440678168826688307200\,y^3+1729851395145784768343687823360\,y)t^4+$
$(1380153597281091043983360\,y^3+485814066242944047482142720\,y)t^2,\quad \mathbf{b}_{14}=(22629833288752457318400\,y^9+21469055957705860684185600\,y^7+$
$8700488277259997941271101440\,y^5+1780729377355954908589090406400\,y^3+155686625563120629150931904102400\,y)t^5+(862595998300681902489600\,y^5+$
$515257342984940656420454400\,y^3+103345901364408097373473996800\,y)t^3-5175575989804091414937600\,ty,\quad \mathbf{b}_{13}=(5280294434042240040960\,y^{11}+$
$5814535988545337268633600\,y^9+2936966855014161741596590080\,y^7+845846454244407858157981794304 0\,y^5+138896891433764482869949051699200\,y^3+$
$10462141237841706278942623955681280\,y)t^6+(335453999339154073190400\,y^7+246894143513617397868134400\,y^5+89654777679379674217159065600\,y^3+$
$13355470330169661814418178048000\,y)t^4+(-6038171988104773317427200\,y^3-1738993532574174715419033600\,y)t^2,\quad \mathbf{b}_{12}=(9533864950354044518 40\,y^{13}+$
$1162907197709067453726720\,y^{11}+683789432252931662791311360\,y^9+245674701135219704981272657920\,y^7+56716230668787163838562529443840\,y^5+$
$8000460496584834213309065377873920\,y^3+544031344367768726505016445695426560\,y)t^7+(90852124821020894822400\,y^9+69774431862544047223603200\,y^7+$
$33620541629767377831434649600\,y^5+9645617460678089088190906368000\,y^3+1180623577186998104394566939443200\,y)t^5+(-3270676493556752213606400\,y^5-$
$1932215036193527461576704000\,y^3-215635198039197664711960166400\,y)t^3+33209945934576253245849600\,ty,\quad \mathbf{b}_{11}=(136198070719343493120\,y^{15}+$
$177666377427774194319360\,y^{13}+116290719770906745372672000\,y^{11}+48743344646375386097374986240\,y^9+14038083258156111196043996037120\,y^7+$
$2777937828675289657398981033984000\,y^5+352020281649732705385598876626452480\,y^3+22383003882559627604777819480040407040\,y)t^8+$
$(18170424964204178964480\,y^{11}+12598161308514897415372800\,y^9+6827159794550463697571020800\,y^7+2901104943942409871909726453760\,y^5+$
$717633939074449828161403433779200\,y^3+76004378992555925026436121089802240\,y)t^6+(-1090225497852250737868800\,y^7-990260206049182824058060800\,y^5-$
$223364058183971774558266982400\,y^3-10016602747627246360813633536000\,y)t^4+(33209945934576253245849600\,y^3+11303457961732135650223718400\,y)t^2,\quad \mathbf{b}_{10}=$
$(15606028936591441920\,y^{17}+21150759217592165990400\,y^{15}+14923975703933032322826240\,y^{13}+6990324619829028238770831360\,y^{11}+$
$2351428410446075179640385699840\,y^9+579805485267098918236607836323840\,y^7+102672582147838705737466339016048640\,y^5+12069266799419407041791961484335513600\,y^3+$
$738639128124467710957668042841333432320\,y)t^9+(2776037147308971786240\,y^{13}+1421331019422193554554880\,y^{11}+698638862623678216431206400\,y^9+$
$432816168107350151393181696000\,y^7+177434843042042940349997949911040\,y^5+39113364627748078376177652958494720\,y^3+3696212957322193406548788204577751040\,y)t^7+$
$(-2498433432578074607616 00\,y^9-3099594953893783636279296 00\,y^7-101937224592783197114581647360\,y^5-10721474792830645178796815155200\,y^3+$
$396657468806038955888219888025600\,y)t^5+(1522122522001411607101440 0\,y^5+985429668458699005404119040 0\,y^3+197201866593911412728518410240 0\,y)t^3-$
$11887651101581272468684800 0\,ty,\quad \mathbf{b}_9=(1445002679314022400\,y^{19}+1982883676649265561600\,y^{17}+1472092841544414752931840\,y^{15}+$
$747838782526754147165798400\,y^{13}+281845766612762539061988556800\,y^{11}+81171580784475611249852704358400\,y^9+17864277113634939642965754957004800\,y^7+$
$2916739476526356701766390692047749120\,y^5+325870203584323990128382960077058867200\,y^3+19697043416652472292204481142435558195200\,y)t^{10}+$
$(330480612774877593600\,y^{15}+740276572615725809664 00\,y^{13}-49199919903075930734592 00\,y^{11}+2013797448832809732176609280 0\,y^9+$
$2061441577814150578206953963520 0\,y^7+810944158447901865371471771074560 0\,y^5+161342629089460823301732818453790720 0\,y^3+1387965681933231809806075570698584064 00\,y)t^8+$
$(-4164055720963457679360 0\,y^{11}-661123923697582819246080 00\,y^9-2708858135463536971827118080 0\,y^7-4326615909044546691962555596800\,y^5+$
$589866606249160063470136197120 00\,y^3+8673576651225385168755741551493120 0\,y)t^6+(4228118116670587797504000\,y^7+3894620932327578789740544000\,y^5+$
$1359313277962146569219211264000\,y^3+195416499900468593354021535744000\,y)t^4+(-990637591798439372390400 00\,y^3-38674491583811073098121216000\,y)t^2,\quad \mathbf{b}_8=$
$(108375200948551680\,y^{21}+146880272344390041600\,y^{19}+112627792833678283898880\,y^{17}+60726758280368005935267840\,y^{15}+24925573966896504254339481600\,y^{13}+$
$8052853962043040531063997726720\,y^{11}+2067426807110263648871933961830400\,y^9+417782312287594859138952512919306240\,y^7+64268845706908342497542194904086609920\,y^5+$
$6951897676465578456072169814977255833600\,y^3+425456137799693401511616792676608057016320\,y)t^{11}+(30982557447644774400\,y^{17}-$
$52876898043980414976 00\,y^{15}-1291497897455743181783040 0\,y^{13}-4315280247498877997521305600\,y^{11}+429466995377948037126448742400\,y^9+$
$78530165541397611468778886922240 0\,y^7+2834778710400491738081144799756288 00\,y^5+5129438389753247992761583630842593280 0\,y^3+$
$40733775448040498766047870009632358400 00\,y)t^9+(-5205069651204322099200\,y^{13}-1014748348000941071400960 0\,y^{11}-4641676988855874910735564800\,y^9-$
$8950020047648419202023292928 00\,y^7-58430182694492270438079528960 0\,y^5+36604673080929009100957342393958400\,y^3+6168816954871517841973595698574131200\,y)t^7+$
$(79277214687573521203200 0\,y^9+920821228185977930907648000\,y^7+423662299373383315043962060800\,y^5+117834201767226078716793716736000\,y^3+$
$11423935433668874474507949047808000\,y)t^5+(-37148909692441476464640000\,y^5-27534064265757766327468032000\,y^3-6054958106231704587249647616000\,y)t^3-$
$4457869163092977175756800 00\,ty,\quad \mathbf{b}_7=(6568193996881920\,y^{23}+8568015886756085760\,y^{21}+6697740418904185896960\,y^{19}+3771993859235821356318720\,y^{17}+$
$1652503907144559676662743040\,y^{15}+582859106384564870542818017280\,y^{13}+167863422638754682716331588976640\,y^{11}+39474801813369127052480992908410880\,y^9+$
$7473661364255863591263483842223144960\,y^7+1100717132107049922211426887371398840320\,y^5+116791880964621718062012452891617898004480\,y^3+$
$7426143496140103008202765835809886086103040\,y)t^{12}+(2295004255381094400\,y^{19}-1542242859616095436800\,y^{17}-2128091773585427162726400\,y^{15}-$
$998311102033322521814630400\,y^{13}-208335719013577672079337062400\,y^{11}+15086735002599062419990904832000\,y^9+2384752782155094813582509872250880 0\,y^7+$
$76206588445052025231827449115836416 00\,y^5+1267273013939037739388155955855228928000\,y^3+93850618632285309156974292502192953753600\,y)t^{10}+$
$(-4957209191623163904 00\,y^{15}-1153123122728342126592000\,y^{13}-5329245869501361042751488 00\,y^{11}-1001531460426978400917258240 00\,y^9+$
$573172268336447986202113474560 0\,y^7+829641816910139391911657220341760 0\,y^5+22693615185024289355059368139161600 00\,y^3+269469591425498684144624370832952524800\,y)t^8+$
$(1057029529167646949376 00\,y^{11}+1446645372150101940633600 00\,y^9+795589541152684932304207872 00\,y^7+30453254742438947616418116403200\,y^5+$
$672114044365788230810594810265600 0\,y^3+384445226736131817125115906018508800\,y)t^6+(-825531326498699476992000 0\,y^7-8687419947885742610448384000\,y^5-$
$3023675004763346286434844672000\,y^3-477666743527474310831300149248000\,y)t^4+(-2971912775395318117171200 00\,y^3-1198275231039392264843427840 00\,y)t^2,\quad \mathbf{b}_6=$
$(319287208181760\,y^{25}+389455267579822080\,y^{23}+308448571923219087360\,y^{21}+179184893474165426749440\,y^{19}+82566411037343789214597120\,y^{17}+$
$31190244495355074401984839680\,y^{15}+9817095104423477338647633592320\,y^{13}+2587043639422731291198230542417920\,y^{11}+568032727207523229144943641829048320\,y^9+$
$102248352577645438118155489087806504960\,y^7+14598985120577714757751556611452237250560\,y^5+1528911896264138854629981201490270664785920\,y^3+$
$103966008945961442114838721701338405205442560\,y)t^{13}+(133875248230563840\,y^{21}-171360317735121715200\,y^{19}-200728839882341036851200\,y^{17}-$
$106391099523742376279408640\,y^{15}-32811873855360457078996992000\,y^{13}-4877219905758254277413453168640\,y^{11}+619100246860753656552807097958400\,y^9+$
$557980866018224334876939944303001600\,y^7+156459475951704274747537716088280186880\,y^5+24331641867629524596252594352420395417600\,y^3+$
$1693482273987014911899180566928459521064960\,y)t^{11}+(-36146317022252236800\,y^{17}-98229006750932847820800\,y^{15}-40766979086355529728000000\,y^{13}-$
$4733926838674142280862924800\,y^{11}+2483669207523160199110695321600\,y^9+1455746265988493137771581407232000\,y^7+415985505467860490466045875296665600\,y^5+$
$78355283670706237849116169531608268800\,y^3+8115421416186530138774152563457523712000\,y)t^9+(102766759780187897856 00\,y^{13}+15850201468775029958246400\,y^{11}+$
$10137084406029896937740697600\,y^9+4397206165033483561892157849600\,y^7+1614425947848821432204137385164800\,y^5+242770397473692044597767873285324800\,y^3+$
$558416788569801072638562553634488320 0\,y)t^7+(-1203899851143936737280000\,y^9-1593825814360155790245888000\,y^7-656198340807286240271400960000\,y^5-$
$126355270076839534822346981376000\,y^3-25203859305269240853465604816896000\,y)t^5+(-866807892823634450841600 00\,y^5-43746556053819082684760064000\,y^3-$
$10385052002341399628643041280000\,y)t^3+549803863448133851676672000\,ty,\quad \mathbf{b}_5=(12280277237760\,y^{27}+13522752346521600\,y^{25}+$
$10904747492235018240\,y^{23}+6453693197162737827840\,y^{21}+3096116171678414631075840\,y^{19}+1235186352766677184696811520\,y^{17}+417152344880607955437999882240\,y^{15}+$
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$360108299640916964024538396415821852180480\,y^3+23698134392094152246764708623099195304181760\,y)t^{12}+(-2008128723458457600\,y^{19}-$
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$185257154767042550151983923200 0\,y^3-4612332546446483597705902817280 00\,y)t^4+(274901931724066925838336000\,y^3+181881061854193468770877440000\,y)t^2,\quad \mathbf{b}_4=$
$(365484441600\,y^{29}+346737239654400\,y^{27}+292091450684866560\,y^{25}+172558641635367321600\,y^{23}+85934203534412926156800\,y^{21}+$
$35781759929509767806976000\,y^{19}+12795557350792692967774617600\,y^{17}+3957176394124344241309089792000\,y^{15}+1061314708904149125519097882214400\,y^{13}+$
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$252270462883582911013946898245894659689676800\,y)t^{13}+(-83672030144102400\,y^{21}-296585165310787584000\,y^{19}-394889666467435905024 00\,y^{17}+$
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$2703619744445449867637451734005481629286400\,y)t^{11}+(38231681465843712000\,y^{17}+68430286323525353472000\,y^{15}+63841089249232759554048000\,y^{13}+$
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$240936958506766353423884545802895360000\,y^3-63524275335956397871690387489963376640 00\,y)t^9+(-8360415632944005120000\,y^{13}-14614962002458457407488000\,y^{11}-$

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$46046162565198489484718500346855424000\,y)t^7+(-15048748139299209216000000\,y^9+2971912775395318117171200000\,y^7+521471628322269848562630656000\,y^5+$
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$372321232501525453719207936000\,y)t^3-50151028084795993227264000\,ty,\quad \mathbf{b}_3=(8121876480\,y^{31}+6191736422400\,y^{29}+5825185626193920\,y^{27}+$
$3275418660671324160\,y^{25}+1725586416353673216000\,y^{23}+735513954106589671587840\,y^{21}+276712276788208871040614400\,y^{19}+90685292365349555299999744 00\,y^{17}+$
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$58065049598778723973639725630223905686814 7200\,y^3+631747739634712516833200214856836093872544153 60\,y)t^{16}+(5417769369600\,y^{27}-$
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$263893391407212134400 0\,y^{17}+321243795200481574256 6400\,y^{15}+827825925035845773950976000\,y^{13}+344417330201496270026047488000\,y^{11}+$
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$12800122094462920523278096214953820160 00\,y^3-144788157354797192909955888159179931648000\,y)t^{10}+(-3981150301401907200 00\,y^{15}-$
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$2855483028279837256308946580275 2000\,y^5+545616371586553261969151595066163 2000\,y^3-1300944184672885642610899974277300224000\,y)t^8+$
$(-1003249875953280614400 00\,y^{11}+100439644724008436367360000\,y^9+25835828394103298831941632000\,y^7+1202079279391898272033406976000\,y^5+$
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$298142289627658313514614784 0000\,y^3-94720803977399579030480486400 0000\,y)t^4+(-167170093615986644090880000\,y^3-15156755154516122397573120 0000\,y)t^2,\quad \mathbf{b}_2=$
$(126904320\,y^{33}+68797071360\,y^{31}+84207615344640\,y^{29}+39944130008186880\,y^{27}+24445807565010370560\,y^{25}+9939377758197157724160\,y^{23}+$
$4055266125344440351457280\,y^{21}+1374019581293175083787878400\,y^{19}+420449991875711575639090790400\,y^{17}+113966680150781114149701786009600\,y^{15}+$
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$181634396490307400676087221452800\,y^{13}+32822403883424960875114114370764800\,y^{11}+1861030300190195281618970284822364 1600\,y^9+$
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$(35399705060966400\,y^{21}+67405719388815360000\,y^{19}+11261877972605715087360 0\,y^{17}+23332689287367827757465600\,y^{15}-26098321148586186894213120 00\,y^{13}+$
$998568730704814992142840627 2000\,y^{11}+386214232978420178663890118246 4000\,y^9+1230327295567757517803105630866636800\,y^7+2783745000862372709070479088490119168 00\,y^5-$
$32754133283334743695649387701287360921600 0\,y^3-17982019172557742889115138480067611459584 00\,y)t^{11}+(-12441094691880960000\,y^{17}-$
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$2282815370569238759117144722030932787 2000\,y)t^9+(-418020781647200256000 0\,y^{13}+88056674826527944212480 00\,y^{11}+107759355818963571730022400 0\,y^9-$
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$(397716915110050529280000\,y^9+569616615284102639124480000\,y^7+322749727407931547524792320000\,y^5-66875170037055606399833210880000\,y^3-$
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$282099532976977461903360000\,ty,\quad \mathbf{b}_1=(1244160\,y^{35}+358318080\,y^{33}+825564856320\,y^{31}+237762678620160\,y^{29}+239664780049121280\,y^{27}+$
$69023456654146928640\,y^{25}+39757511032788630896640\,y^{23}+11450163177443125698232320\,y^{21}+4122058743879525251363635200\,y^{19}+$
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$2787122380741378750734706830250747472967106560\,y^3+802691245653517080211595567112215272214526689280\,y)t^{18}+(1074954240\,y^{31}-$
$6363729100800\,y^{29}-2427160677580800\,y^{27}-2576396385528053760\,y^{25}-949072528994520268800\,y^{23}-402544799206984887828480\,y^{21}-$
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$220561999988076911867445426488170512384000\,y)t^{10}+(-99528757535047680000\,y^{15}+349704242475143528448000\,y^{13}-416434691367121736171520 00\,y^{11}+$
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$563397844784141149708867957319270400 00\,y)t^8+(132572305036683509760 00\,y^{11}+17026583609035676712960000\,y^9+2971912775395318117171200 00\,y^7+$
$2049050645077360772882261606400 0\,y^5-737178922135434121331676807168 0000\,y^3-2056184422601395518237715759890432000\,y)t^6+(-116090342788879613952 0000\,y^7-$
$40863800661685624111104000 0\,y^5+802416449356735891636224000000\,y^3-51046524842278110482330025984000 0\,y)t^4+(-4701658882949624365056000 0\,y^3+$
$346042093785092353268121600 00\,y)t^2,\quad \mathbf{b}_0=(5760\,y^{37}+4299816960\,y^{33}+1426576071720960\,y^{29}+276093826616587714560\,y^{25}+34350489532329377094696960\,y^{21}+$
$2849167003769527853742544650240\,y^{17}+157547538640439812200547748979671040\,y^{13}+5600409876425417049926671067729929175040\,y^9+$
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$(-4031078400\,y^{29}-21671077478400\,y^{27}+29698044576399360\,y^{25}+10784915102210457600\,y^{23}+1046136764914414387200 0\,y^{21}+5118779545471536227942400\,y^{19}+$
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$57824755316484965166785495040 00\,y^{13}-595653976725566916923050740940800\,y^{11}-78984251532623379970469104975872000\,y^9+9046675070369004841203327773442048000\,y^7+$
$4766896183201457342775448172409284198400\,y^5-128940686764263312860421090910938291240960 0\,y^3-35147822358828640816774167204131302381977600\,y)t^{13}+$
$(-1919922020352000\,y^{21}-4072428879740928000\,y^{19}-9168020408371249152000\,y^{17}+634567148749899788451840 0\,y^{15}-545462180175436987760640 0000\,y^{13}+$
$702746608663585937775447244800 0\,y^{11}+1096620914931491736708012048384000\,y^9+353652854342892644845793354711040 00\,y^7-897455553058608866740546961198284800\,y^5+$
$144008297038527015839563176801730560000\,y^3-8963652440866075573917770376846916976640 00\,y)t^{11}+(-10367578909900800 00\,y^{17}+$
$541436440990659379200 0\,y^{15}-248423778807479009280000 0\,y^{13}+2793912496995979487084544000\,y^{11}+488925881306813757445373952000\,y^9+$
$47489594716557279245139915571200 0\,y^7+179374817853821821017860345954304000\,y^5-43207297080876965830122143584616448000\,y^3-$
$2758832027039762145993746965195653120 00\,y)t^9+(184128201439838208000\,y^{13}+171985693020562391040000\,y^{11}-670744202780193325056000000\,y^9+$
$176767484951767238867681280000\,y^7+194428715344934533487023620096000\,y^5-16117089443535275416287666870681600 0\,y^3-131101553817113141950032181513420800 00\,y)t^7+$
$(-241854880810165862400 00\,y^9+268297681112077330022400 00\,y^7-810440613850303250552586240 00\,y^5+51868199286419408035365519360000\,y^3-$
$131762344405091573442183325286400 00\,y)t^5+(-19590245345623434854400 00\,y^5+200604112339183972909056 0000\,y^3+31969608703121285815939891200 00\,y)t^3+$
$3918049069124686970880000 0\,ty$

$\mathbf{c}_{20} = 3833759992447475122176, \quad \mathbf{c}_{19} = (6389599987412458536960\,y^2+1840204796374788058644480)t, \quad \mathbf{c}_{18} = (5058433323368196341760\,y^4+$
$2760307194562182087966720\,y^2 + 419566693573451677370941440)t^2 - 9584399981118687805440, \quad \mathbf{c}_{17} = (2529216661684098170880\,y^6 +$
$1955217596148212312309760\,y^4+563102667690685145945210880\,y^2+604176038745770415414155673 60)t^3+(-1437659997167803170816 0\,y^2+$
$1380153597281091043983360)t, \quad \mathbf{c}_{16} = (895764234346451435520\,y^8 + 868985598288094361026560\,y^6 + 354699474501240398303723520\,y^4 +$
$7207714164440769868098699264 0\,y^2+6162595595206858237224387870720)t^4+(-10183424979938605793280\,y^4+920102398187394029322240\,y^2+$
$1407756669226712864863027200)t^2 + 97042049808826714030080, \quad \mathbf{c}_{15} = (238870462492387049472\,y^{10} + 271557999465029487820800\,y^8 +$
$139242162925692296437432320\,y^6+40101742922599381373980508160\,y^4+6486942731796692881288829337600\,y^2+473287341711886712618832988471296)t^5+$
$(-4525966657750491463680\,y^6-76675199848949502443520\,y^4+1391194826059339772335226880\,y^2+324347136589834644064441466880)t^3+$
$(129389399745102285373440\,y^2 + 31743532737465094011617280)t, \quad \mathbf{c}_{14} = (49764679685913968640\,y^{12} + 63363533208506880491520\,y^{10} +$
$38145911924852377465651200\,y^8+13808896791996409592068177920\,y^6+3163974518694955596510973132800\,y^4+435922551576737761622609331486720\,y^2+$
$28397240502713202757129979308277760)t^6+(-1414364580547028582400\,y^8-319479999370622926848000\,y^6+59346604683086914891284480 0\,y^4+$
$302088019372885207707077836800\,y^2+42165127756678503728377390694400)t^4+(80868374840688928358400\,y^4+37954223925230003709542400\,y^2+$
$6707546482786102473759129600)t^2 - 97042049808826714030080, \quad \mathbf{c}_{13} = (8294113280985611440\,y^{14} + 11440637940424853422080\,y^{12} +$
$7737805584756487288258560\,y^{10}+3293353183912079028954071040\,y^8+948485716966678760338772459520\,y^6+184839709369548119511547584184320\,y^4+$
$22667972681990363604375685237309440\,y^2+1363067544130233732342239006797332480)t^7+(-330018402127640002560\,y^{10}-177045166317886871961600\,y^8+$
$134181599735661629276160000\,y^6+125207534345340579510170419200\,y^4+35837178719288592535355444428800\,y^2+3705341688402270973792179317637120)t^5+$
$(31448812438045694361600\,y^6+21133601958366706610995200\,y^4+7245806385725727980912640000\,y^2+1085131964326285022421476966400)t^3+$
$(-1132157247769644997017600\,y^2-326061287357657759141068800)t, \quad \mathbf{c}_{12} = (1123161173466808320\,y^{16}+16343768486321219174 40\,y^{14}+$
$1203285919851743406981120\,y^{12}+576801970063697457048453120\,y^{10}+195462873061337238013099376640\,y^8+47842262604963321877426895585280\,y^6+$
$8278254729452363179048963481272320\,y^4 + 932625161773317816865742478335016960\,y^2 + 53159634221079115561347321265095966720)t^8 +$
$(-59586655939712778240\,y^{12} - 56530210999746334556160\,y^{10} + 13082705974227008854425600\,y^8 + 2988492589312655807238635520 0\,y^6 +$
$13624434663207800837069655244800\,y^4+2833496585248795450546960654663680\,y^2+238013713160898817845944694991749120)t^6+(8517386701970708889600\,y^8+$
$7268169985681671585792000\,y^6+3634979536839073537091174400\,y^4+1029484171283911431528067891200\,y^2+128045571790501632645734282035200)t^4+$
$(-613251842541891040051200\,y^4-326061287357657759141068800\,y^2-54343547892942959856844800000)t^2+6368384518704253108224000, \quad \mathbf{c}_{11} =$
$(124795685940756480\,y^{18}+187272347239097303040\,y^{16}+146517077489138458951680\,y^{14}+76751875048798451945963520\,y^{12}+29343905682992370383144878080\,y^{10}+$
$8451044836701802670345724887040\,y^8+1833438966925691173883327482429440\,y^6+290302440061792555740071800854282240\,y^4+30776630338519487956569501785055559680\,y^2+$
$1701108295074531697963114280483070935040)t^9+(-8512379419958968320\,y^{14}-12450105993991752253440\,y^{12}-1453633997136334317158400\,y^{10}+$
$434748383143543678854758400 0\,y^8+303033148556303298853997641728 0\,y^6+965333395464663155946145909309440\,y^4+16200933416834289281950857390194688 0\,y^2+$
$11657814522166472710821780979187712000)t^7+(17034773403941417779 20\,y^{10}+17261903715993970016256 00\,y^8+1123099989787487837041459200\,y^6+$
$457934963577866008393678848000\,y^4+103337951679687758289060652646400\,y^2+10875626599263759008717010748047360)t^5+(-2044172808472970133504 00\,y^6-$
$149444756705593139606323200\,y^4-43619754442068882445094092800\,y^2-5736359999451344327928918835200)t^3+(6368384518704253108224000\,y^2+$
$1942781837172710814882201600)t, \quad \mathbf{c}_{10} = (11439604544569344\,y^{20}+17340032151768268800\,y^{18}+14144570226764761006080\,y^{16}+7918844251066506946805760\,y^{14}+$
$3318042598263440768740884480\,y^{12}+1079072537972782120301972422656\,y^{10}+275211725270362831122443922309120\,y^8+54479329302934823452533159477903360\,y^6+$
$8071322172111728459198374242649374720\,y^4+820710142360519678841853380934814924800\,y^2+44909258989967636826226217004753072685056)t^{10}+$
$(-975376808536965120\,y^{16}-2026947758352582574080\,y^{14}-755082104068040325857280\,y^{12}+342431442525408477912760320\,y^{10}+430123948490253836463384821760\,y^8+$
$192289093931487197545811945717760\,y^6+48586132623530816107908178284380160\,y^4+6990117021330406578371177693010984960\,y^2+446261139908532575370257775883305615360)t^8+$
$(260253482560216104960\,y^{12}+299812011909368952913920\,y^{10}+238927111029312488629862400\,y^8+126560084870676048733274112000\,y^6+$
$40073366964639282142116210278400\,y^4+7280868205195292834748213944647680\,y^2+676538978795580043162947841016463360)t^6+(-468456268608388988928 00\,y^8-$
$41512432418220316557312000\,y^6-15765667060941563131802419200\,y^4-3710625755506050137211902361600\,y^2-415327303371755295632958632755200)t^4+$
$(2918842904406116007936000\,y^4+1600870348346278025782886400\,y^2+294270311840286127624814592000)t^2-6156105034747444671283200, \quad \mathbf{c}_9 =$
$(866636707921920\,y^{22}+1300502411382620160\,y^{20}+1089362019887559475200\,y^{18}+640868004293042629509120\,y^{16}+288170959432301880016896000\,y^{14}+$
$102896891394092649087164743680\,y^{12}+29634304721498682937103446179840\,y^{10}+6883790993036019975202969485312000\,y^8+1269787444522250115855195947831132160\,y^6+$
$179027457524721204453247428684310118400\,y^4+17727339074987225062984033028192002375680\,y^2+979838377962930258026753825558248858583040)t^{11}+$
$(-90312667457126400\,y^{18}-252450468091920384000\,y^{16}-142767624718747120435200\,y^{14}-81999866505126551224320 0\,y^{12}+39148823538876636957612441600\,y^{10}+$
$24642697685597771833964652134400\,y^8+8442437978044582221620877616742400\,y^6+1812485378732254703324660882630246400\,y^4+233087715063787298494607256166229606400\,y^2+$
$13541717348948574700890580785424446259200)t^9+(30982557447644774400\,y^{14}+39327192920210433638400\,y^{12}+37053689677004060334489600\,y^{10}+$
$24213069672300141002883072000\,y^8+9822221914986177498179017113600\,y^6+2441046089596759938130282492723200\,y^4+367040377801854713848566136386355200\,y^2+$
$31493243054735015249675899498187980800)t^7+(-780760447680648314880 0\,y^{10}-7783581078416309354496000\,y^8-3396471743308934991052800000\,y^6-$
$985268650539016211448987648000\,y^4-210974695371898876474637156352000\,y^2-21346048228710170477984573974118400)t^5+(8107896956683655577600000\,y^6+$
$592023894146210196357120000\,y^4+17158975247196739574798745600 00\,y^2+29744035213404113361646387200000)t^3+(-5130087528956203892736000\,y^2+$
$900065011976867772628992000)t, \quad \mathbf{c}_8 = (54164794245120\,y^{24}+78818327962583040\,y^{22}+67014124257127956480\,y^{20}+40891467820678187581440\,y^{18}+$
$19425182661732300509675520\,y^{16}+7463870654096140365862010880\,y^{14}+2362145763180161945293931151360\,y^{12}+619083287533350266506058630430720\,y^{10}+$
$133639567776023181938111111988510720\,y^8+23333915812210853614131125536381992960\,y^6+3171803314887420170582927478083372974080\,y^4+$
$309422645672504292008448576492078586920960\,y^2 + 17637090803332744644481568860048479454494720)t^{12} + (-6773450059284480\,y^{20} -$
$24480045390731673600\,y^{18} - 17350232170681073664000\,y^{16} - 3865707992384537414860800\,y^{14} + 201674944402699428802068480 0\,y^{12} +$
$209359363601641087516759031808 0\,y^{10}+93922345096918146709895837122 5600\,y^8+26836711032362864215522991281274880 0\,y^6+51200092750662015810101836609329561600\,y^4+$
$6082910466907381149063148588105098854400\,y^2+327955772887263663665204611021552043950080)t^{10}+(2904614760716697600\,y^{16}+3965767353298531123200\,y^{14}+$
$4324211710231282974720000\,y^{12}+337332541735451723633360000662400\,y^{10}+1670085913845923042320554393600\,y^8+631025367517721401824459524721868 8000\,y^6+$
$106292181716721287482409953630617600\,y^4+13490887167620250659695341563019264000\,y^2+1115087102890108653720560441513685811200)t^8+$
$(-975950559600810393600\,y^{12}-1037810810455507913932800\,y^{10}-488400057162849633435648000\,y^8-129297389505283545970507776000\,y^6-$
$496221804520040755044821237760000\,y^4-69395023835561562787716853137408 00\,y^2-7896128012365548815214830570962944 00)t^6+(1520230679378185420800 00\,y^8+$
$1292546191203678038261760000\,y^6+42337020280345874663473152000\,y^4+776765644631498136857503334 4000\,y^2+22896023598254727846885851136 00000)t^4+$
$(-1923782823358576459776000\,y^4+2037883045985360994631680 00\,y^2+500707864398603196381003776000)t^2+1631898532917964858982 4000, \quad \mathbf{c}_7 =$
$(2777681756160\,y^{26}+3831446498181120\,y^{24}+3282551541029928960\,y^{22}+2056323812821460582400\,y^{20}+1019791990583597664829440\,y^{18}+$
$415426232781608404238991360\,y^{16}+141700676533649013283781345280\,y^{14}+40809794841690915825729027440640\,y^{12}+9923648674167992655145852830167 85920\,y^{10}+$
$2020570627637843037872649962174545920\,y^8+337939470383743397170174921561394380800\,y^6+44744941408523904971809965718217246638080\,y^4+$
$4331917039415060088118280070889100216893440\,y^2 + 260486264172298997826189324702254465789460480)t^{13} + (-410512124805120\,y^{22} -$
$1861503451586887680\,y^{20}-1505522791529997926400\,y^{18}-534463415613771271372800\,y^{16}+958439998111868780544000 0\,y^{14}+115056964688537248578687467520\,y^{12}+$
$69582000420183938053118707630080\,y^{10}+25175443157236388796230106135985 2800\,y^8+631025365177214018244595247218688 00\,y^6+1104337912146875744323964475816699494400\,y^4+$
$124786563292557133286495448178841742213120\,y^2 + 6343164236286337986173195818087611031879680)t^{11} + (215156648941977600\,y^{18} +$
$309825574476447744000\,y^{16}+386204728405841569382400\,y^{14}+349878521310737698337587200\,y^{12}+203703770190702632636724019200\,y^{10}+$
$78013568529320909966651739340800\,y^8+20035876589320526653990150707609600\,y^6+3396129733960317743047940211159859200\,y^4+365298409306465754959621603483818393600\,y^2+$
$30305928933342131081939615287166474649600)t^9+(-92947672342934323200\,y^{14}-100898273238729936076800\,y^{12}-50108441151286131968281 6000\,y^{10}-$
$62729897876421811686604800 00\,y^8-54237276065952315846458081280 00\,y^6-25418798905895408848291397369856 00\,y^4-223410307683078102831587282386944 00\,y^2-$
$209616472658185615088814715683471 36000)t^7+(20269742391709138944000\,y^{10}+18417210784030509760512000\,y^8+5762680391147493034819584000\,y^6+$
$271355449145428512885178736 8000\,y^4-134476369873960930743353868288000\,y^2+138444474876329985575985635917824000)t^5+(-42750729407968365772 8000\,y^6-$
$89157383261859543515136000\,y^4+199304961897368305274978304000\,y^2+74772374416858077326229897216000)t^3+(1087932355278643239321 6000\,y^2+$
$40502925538959049767 6830464000)t, \quad \mathbf{c}_6 = (115736739840\,y^{28}+147363326853120\,y^{26}+127113872057303040\,y^{24}+81006695656602992640\,y^{22}+$
$41569376769959987773440\,y^{20}+17751728676140123695349760\,y^{18}+64335604353258562516942848 00\,y^{16}+1998374079032793841861090344960\,y^{14}+$
$533625236747667820940530758451200\,y^{12}+12212669449575704192282043388788 7360\,y^{10}+23720751286551219224449704557517 20960\,y^8+$
$383407690035374326971253001916927442 9440\,y^6+4990198550306564317195077532641855642 00960\,y^4+47984311821212973283771717708310033171742720\,y^2+$
$312583517006758797391427189642705358947352 5760)t^{14}+(-19955450511360\,y^{24}-110886569214477120\,y^{22}-96390178726005964800\,y^{20}-$
$42708263804753412096000\,y^{18}-7396760685428347313848320\,y^{16}+3512337554680687880793276416 0\,y^{14}+3435117654212002368223885393920\,y^{12}+$
$156348039331852840974122137681920 0\,y^{10}+48637417629598667609275544 0880844800\,y^8+1105885254044237206765219855494 17840640\,y^6+$
$181473495596070204280383932878468782489 60\,y^4+2006696863846682246701850326955980247531520\,y^2+974681333868388519826613015950047548801 02400)t^{12}+$
$(12550804521615360\,y^{20}+18742534752278937600\,y^{18}+26559201553581028147200\,y^{16}+27115864946581620916224000\,y^{14}+179635616664611700619345920000\,y^{12}+$
$8019001554608929929937173872640\,y^{10}+250498540380244719406680952012 8000\,y^8+5486213524108414358773956851269632 00\,y^6+81177753979650445226869146538475520000\,y^4+$
$7281945703172778394791942300183507763200\,y^2+633230979605058377617473768021740790743040)t^{10}+(-6777434441672294400\,y^{16}-72070195170521382912 00\,y^{14}-$
$3876939711112410877132800\,y^{12}+515033706985381220371660800\,y^{10}+1831981381190988224507412480 00\,y^8-511199176151591263810486901145600\,y^6-$
$113878088864257655392999478761881600\,y^4+99098017224909456092160942497857 53600\,y^2-389016259326959421441989220102674841600)t^8+$
$(1970669399193944064000\,y^{12}+1784064922266633869721600\,y^{10}+490365607940227489333248000\,y^8-44662345472014973304569856000\,y^6-$

$$182011033506237424016535060480000\,y^4-29291050584748975170609267867648000\,y^2+6390981197172791115357897764949196800)t^6+(-62344813719953866752000\,y^8-$$
$$478808169369245696655536000\,y^6+28173733110747615750782976000\,y^4+31908357580820388309544992768000\,y^2+63343795870457229805231779348480000)t^4+$$
$$(31731360362293761146880000\,y^4+18723050484990504138178560000\,y^2+674029817459658148974428160000)t^2-30647850496264218083328000,\quad \mathbf{c}_5=$$
$$(3857891328\,y^{30}+4385813299200\,y^{28}+3848783360163840\,y^{26}+2466550028005539840\,y^{24}+1302817744347023278080\,y^{22}+577974816639164721659904\,y^{20}+$$
$$220177096099583437905592320\,y^{18}+72754336829473620686568161280\,y^{16}+20953249006888402757731630448640\,y^{14}+5259562288958548418008737424343040\,y^{12}+$$
$$1145173671492696884932731450395983872\,y^{10}+214107105012357704780544390863372943360\,y^{8}+33621905126178979442094494014253637304320\,y^6+$$
$$4351518473982549047793023419626154969600 60\,y^4+411294101324682628146614723214085998614937600\,y^2+30008017632648844549577010205699714458945847296)t^{15}+$$
$$(-767517327360\,y^{26}-5127376931389440\,y^{24}-4576099394062909440\,y^{22}-2301500882811711651840\,y^{20}-644920667248021827747840\,y^{18}+$$
$$3309812793479653522145280\,y^{16}+1074826817466586209293067840\,y^{14}+648284422767420695332461635174400\,y^{12}+24516369775685844799491161079152640\,y^{10}+$$
$$6817008146563092967755732091593031680\,y^8+1441441817906043951775861492352255262720\,y^6+224293498670699398127818300612140 2554122240\,y^4+$$
$$25035932301325273744565942174403182135869440\,y^2+1175615639619717845452407083853595812707696640)t^{13}+(570491114618880\,y^{22}+$$
$$870189113498664960\,y^{20}+1401364906093471334400\,y^{18}+1552057132359106953216000\,y^{16}+1139537235755106386627788800\,y^{14}+572444467339481757524919582720\,y^{12}+$$
$$208068953111869602136819645808640\,y^{10}+55716351123401795157389797551806464 00\,y^8+10831008643984728202527402498824601600\,y^6+$$
$$1467887649275016528376962812153639731200\,y^4+105351330124938220439351377277835615928320\,y^2+10105152064370792742320032003599757675069440)t^{11}+$$
$$(-376524135648460800\,y^{18}-375365599846465536000\,y^{16}-239069213070699213619200\,y^{14}+98688702972249466365542400\,y^{12}+13578238622050807251342458 8800\,y^{10}-$$
$$28645860797583522028859267481600\,y^8-31765763589136371131230062850867200\,y^6-3546935125910194648943728191445401600\,y^4+526087233594688164691588824637322035200\,y^2-$$
$$46645395166909966022864040806744054169600)t^9+(140762099942424576000\,y^{14}+118287937755253466726400\,y^{12}+32195721733449279602688000\,y^{10}+$$
$$6172772905339608889294848000\,y^8-21601077233685778161230413824000\,y^6-1448703342181567730174134321152 0000\,y^4-1170758559027618283695346952228044800\,y^2+$$
$$216828838748133134846736519590313984000)t^7+(-6234481371995386675200\,y^{10}-9803184502172056289280000\,y^8+1248203365666033609211904000\,y^6+$$
$$392007182725744040927349964800 0\,y^4+2439368830334592146617260834816000\,y^2+345345167495700170274520867169894400)t^5+(528856006038229352448000\,y^6+$$
$$345484860139705731121152000\,y^4+30063869635899038073303859200 0\,y^2+73847990667199117579064967168000)t^3+(-15323925248132109041664000\,y^2-$$
$$76229562688889909705441280 00)t,\quad \mathbf{c}_4=(100465920\,y^{32}+97462517760\,y^{30}+89780178124800\,y^{28}+56587517511598080\,y^{26}+30856840431324364800\,y^{24}+$$
$$14080785157445973442560\,y^{22}+5595869677864999798702080\,y^{20}+1946527740165331368699494400\,y^{18}+596668003176561280134886195200\,y^{16}+$$
$$161452796880273245045410863513600\,y^{14}+38497944554933860359769263314042880\,y^{12}+8034924470662430422227935197963223040\,y^{10}+$$
$$1460465683196877059099077633041550540800\,y^8+222149591764874876313757952353287190609920\,y^6+29234139554940677000617222973550230293708800\,y^4+$$
$$2632282248477968820138334228570150391135600640\,y^2+225060132244866334121827576542747858442093854720)t^{16}+(-22842777600\,y^{28}-$$
$$180592312320000\,y^{26}-158892340071628800\,y^{24}-86279320817683660800\,y^{22}-30391890758029069516800\,y^{20}-4820598212725621496217600\,y^{18}+$$
$$1733626268584748250247987200\,y^{16}+1747752907404918706578181324800\,y^{14}+814535296025569707770459770060800\,y^{12}+269759131916898897192344127484723200\,y^{10}+$$
$$68619338118785308829535445356380160000\,y^8+13838975794176233103696114270374304153600\,y^6+2030586112225809416305443783229265726668800\,y^4+$$
$$237569386957966191257889386693103595605196800\,y^2+10899293685104089645885290165173278963295846400)t^{14}+(19808719257600\,y^{24}+$$
$$30426192779673600\,y^{22}+55918661376304742400\,y^{20}+63738848254063804416000\,y^{18}+51355910711328618892492800\,y^{16}+28156666888531236287309414400\,y^{14}+$$
$$11488564162199475581042766643200\,y^{12}+3580156413174147343718366262067200\,y^{10}+855137409770433276315381522235392000\,y^8+151061011072977954307603322127148646400\,y^6+$$
$$20087163475838600643245899981393389158400\,y^4+1068890728758382332263348235817516951142400\,y^2+121111848928217474989021882330555737922600 9600)t^{12}+$$
$$(-15688505652019200\,y^{20}-1390242962394316800 0\,y^{18}-12208860924299182080000\,y^{16}+6118929432390125223936000\,y^{14}+1752942828046694538962534400 0\,y^{12}+$$
$$3663866151630166772641746124800\,y^{10}-2607771514867798080912843866112000\,y^8-1067582876312442086797331480444928000\,y^6-67731786982523553783996470916022272000\,y^4+$$
$$14717647957337461018803356669136863232000\,y^2-26495754245279265966592368369342401740800)t^{10}+(7331359372001280000\,y^{16}+5232368967556792320000\,y^{14}+$$
$$2327539712211611025408000\,y^{12}+1863866283828174819164160000\,y^{10}+957176055364358753589657600 00\,y^8-147008716598712149859140370432 0000\,y^6-$$
$$540990454022630308918568838758400000\,y^4-132421090980071817249373965527285760 00\,y^2+523773927236611345500848726250356736 0000)t^8+$$
$$(-432950095277457408000\,y^{12}-1135105573935711780864000\,y^{10}-681063344361427068518400 00\,y^8-7608096705012014379958272000\,y^6+$$
$$217572545521581081230856683520000\,y^4+1035879493899306216461492929167360 00\,y^2+1241172772192750918800276592577740800 0)t^6+$$
$$(550891672956488908800 00\,y^8+30957424743701230387200000\,y^6+537173234152703749678694400 00\,y^4+11126841431080071030688972800000\,y^2+$$
$$46188374691292688700000767139840000)t^4+(-3192484426694189383680000\,y^4-2006041123391839729090560000\,y^2-1099310535618728171541626880000)t^2+$$
$$6530081781874478284800000,\quad \mathbf{c}_3=(1969920\,y^{34}+1522851840\,y^{32}+1582332641280\,y^{30}+931237157928960\,y^{28}+539245755110522880\,y^{26}+$$
$$247334053010693160960\,y^{24}+102706903501370629816320\,y^{22}+37213030326690158519255040\,y^{20}+12022671336315281983143936000\,y^{18}+$$
$$3462529344858801211145453568000\,y^{16}+888940105176092690367673930874880\,y^{14}+203498904077234757425707509098741760\,y^{12}+40647264969233471547741319236755128320\,y^{10}+$$
$$7350537962808359878028755776395532042240\,y^8+1052877056767978405386214160733226684907520\,y^6+148388460085767850154857076610572203421859840\,y^4+$$
$$11845270118150859690622504028565676760110202880\,y^2+1270927805618068710335026314594340847673000591360)t^{17}+(-507617280\,y^{30}-$$
$$4686800486400\,y^{28}-3900793946112000\,y^{26}-2221892231705395200\,y^{24}-913122811987152076800\,y^{22}-219908732900112114647040\,y^{20}-$$
$$53672639894264651710464 00\,y^{18}+27995648968848444233217802 2400\,y^{16}+17362111429220560358743631462400\,y^{14}+6823754974028019209713394437324800\,y^{12}+$$
$$2058785283587830670891532823906222080\,y^{10}+478550648620335929559163787525750784000\,y^8+96305659420128048401950827996293313331200\,y^6+$$
$$12838939641705268586956893422770862633779200\,y^4+1657273290631809413414300502362640641477836800\,y^2+75020044081622111373942525514249286147364618240)t^{15}+$$
$$(507915878400\,y^{26}+774741019852800\,y^{24}+1638333457367040000\,y^{22}+1776814763089172889600\,y^{20}+1618902036162607369420800\,y^{18}+$$
$$930661212166593117054566400\,y^{16}+416456747467578285551832268800\,y^{14}+145512795717691120898387686195200\,y^{12}+40320164926782209017728479526912000\,y^{10}+$$
$$8956669884719925456303600787940966400\,y^8+1412758319152318878467099267803643904000\,y^6+204564450596906265355557213707674268467200\,y^4+$$
$$7074892789203046382602677434780699590656000\,y^2+1056713337533329816065413930414621686392422400)t^{13}+(-475409262182400\,y^{22}-$$
$$347560740598579200\,y^{20}-507228038400835584000\,y^{18}+128286565140793393152000\,y^{16}+106534599290126347744051 2000\,y^{14}+623080309268528915241605529600\,y^{12}-$$
$$17379114921539063400405506457600\,y^{10}-8331810165476343522924780375244 8000\,y^8-2013930135155736051508100507841331200 0\,y^6-$$
$$670100146283761287166275064361385984000\,y^4+255274867662374529357843269725819659878400\,y^2+13629122472707167273844984668733382328 3200)t^{11}+$$
$$(271531828592640000\,y^{18}+142657885800235008000\,y^{16}+1752616109828588175360 00\,y^{14}+108807067181482908844032 0000\,y^{12}+167630556644767029799157760000\,y^{10}-$$
$$494634972921566820617001369600 00\,y^8-50354157609735197125696303398912000\,y^6-10981922787621579347097965027131392000\,y^4+369964584741586021642156625306320896000\,y^2+$$
$$87082094158230052876291236787346472960000)t^9+(-206166712036884480000\,y^{14}-807377281124306780160000\,y^{12}-701701627523894555443200 00\,y^{10}-$$
$$31660777433878122341597184000\,y^8-1622764759975145933831877427200 0\,y^6+6741747517018886278483663650816000\,y^4+257456239592125731849674782094131200 0\,y^2+$$
$$2908030698519383420780718779063599104000)t^7+(367261115304325939200 0\,y^{10}+1160903427888796139520000\,y^8+482935582600173919404032000 0\,y^6+$$
$$5470697036947701590088744960000\,y^4-798051303872235248385722941440000\,y^2+164643838419256638487040020709376000)t^5+(-354720491854909931520000\,y^6-$$
$$13930841134665553674240000\,y^4+1631580113692029646326988800 00\,y^2-1111828232228693251451151974400 00)t^3+(2176693927291492761600000\,y^2-$$
$$1379153272331889813749760000)t,\quad \mathbf{c}_2=(27360\,y^{36}+14929920\,y^{34}+20424130560\,y^{32}+9906778275840\,y^{30}+6776236340674560\,y^{28}+$$
$$2875977360589455360\,y^{26}+1311445676428791644160\,y^{24}+477090132393463570759680\,y^{22}+163164825278564541199810560\,y^{20}+49464704926554303016363622400\,y^{18}+$$
$$13535354326790525730527708708864 0\,y^{16}+3282240388342496087511411437076480\,y^{14}+748350808542089107952601807653437440\,y^{12}+136121073385339997741273255118435778560\,y^{10}+$$
$$26601946913020730987151687571717163581440\,y^8+3225836088821040220757762535012439204823040\,y^6+551617971188397877749577393487127104024739840\,y^4+$$
$$33445468568896545008816481963008969675605278720\,y^2+5083711222472274841340105258377363390692002365440)t^{18}+(-7931520\,y^{32}-$$
$$84563066880\,y^{30}-63465298329600\,y^{28}-37447621882675200\,y^{26}-17825068016153395200\,y^{24}-4762618509136138076160\,y^{22}-909453064875039931760640\,y^{20}+$$
$$200377855605254699719065600\,y^{18}+221045400140539541604374937600\,y^{16}+106843762641357294515345424384000\,y^{14}+35865314243450816622911152057221120\,y^{12}+$$
$$10752619512210017182687383867862548480\,y^{10}+2105622853929478090060320665113303449600\,y^8+473701335380983192139630927812156509388800\,y^6+$$
$$51915799554463616052820240797856443452620800\,y^4+8012976844631463908362281236970898984780431360\,y^2+361280738603601220563986372871253141183361187840)t^{16}+$$
$$(9069926400\,y^{28}+13544423424000\,y^{26}+33351788239257600\,y^{24}+30107887993670860800\,y^{22}+35218140266268249292800\,y^{20}+19139514295628401842585600\,y^{18}+$$
$$9627529781033721900564480000\,y^{16}+3641838900217560559579771699200\,y^{14}+1136884411855692461952347406336000\,y^{12}+278349370433264023671377899605196800\,y^{10}+$$
$$63520582815519512563591937152096665600\,y^8+7890768472806427994064434007646824038400\,y^6+147853008397738988796599247939559622246400\,y^4+$$
$$25579872110573092375540070101856451506995200\,y^2+6341792135866613758995963783676017199231795200)t^{14}+(-9904359628800\,y^{24}-$$
$$5266071827251200\,y^{22}-15657786899693568000\,y^{20}-3999406017069711360000\,y^{18}+282835477046979471605760000\,y^{16}+36231715560623353137148723200\,y^{14}+$$
$$7293532097119708109213584588800\,y^{12}-1799649626990361929492849491968000\,y^{10}-134685243865145480016772279251763 2000\,y^8-207658118069337514186600875779162112000\,y^6-$$
$$10175847819968532057709441093082284032000\,y^4+37824643266951351872356305766035196736000\,y^2+\dots)t^{12}+$$
$$(6788295714816000\,y^{20}+18694554986741760000\,y^{18}+9367077923441344512000\,y^{16}-1639414944687011659776000\,y^{14}+117572783024631074846164656000\,y^{12}-$$
$$55080204875491742201570918400 00\,y^{10}-1758409395365365376116687110144000\,y^8-998621905262611038018583218094080000\,y^6-115792608891557806583758139003240448000\,y^4+$$
$$14086088493113690134914657006259237372800 0\,y^2+944828467064596160591508187083914084352000)t^{10}+(-644270975115264000\,y^{16}-3514786980380540928000\,y^{14}+$$
$$51595707906168717312000\,y^{12}-1684083906057346933063680000\,y^{10}-337294928955777433349809766 4000\,y^8-306088946636043362534481199104000\,y^6+$$
$$40812021857535488594237598990336000\,y^4+3717978634428677507800981797706137600 0\,y^2+42644154058466724317560694726134334400 00)t^8+$$
$$(15302546471013580800 00\,y^{12}-12898926976542179328000\,y^{10}+221345586917463797268480000\,y^8+75011078450977829277401088000 0\,y^6+$$
$$25253650494155191981575241728000 0\,y^4-89898853150536604412577973272576000\,y^2+477192582594908506056695133870489600 00)t^6+(-221700307409318707200 00\,y^8+$$
$$4643613711555184558080000\,y^6+2975627666364562264817664000 0\,y^4+2015670120784120559790194688000 0\,y^2-615896350536661347097167003648000 0)t^4+$$
$$(272086740911436595200000\,y^4+104481308509991652556800000\,y^2-298398617104536159702220800000)t^2-3265040890937239142400000,\quad \mathbf{c}_1=$$
$$(240\,y^{38}+69120\,y^{36}+179159040\,y^{34}+51597803520\,y^{32}+59440669655040\,y^{30}+17118912860651520\,y^{28}+11503909442357821440\,y^{26}+$$

$$
3313125919399052574720\,y^{24}+1431270397180390712279040\,y^{22}+412205874387952525136363520\,y^{20}+118715291823730327239272693760\,y^{18}+
341900040452343342449105358028 80\,y^{16}+6564480776684992175022822874152960\,y^{14}+189057046368527774640657298775605 2480\,y^{12}+
2333504115177257104136112944887470489 60\,y^{10}+67204918517105004599120052812759150100480\,y^{8}+4838754133231560331136643802518658807234560\,y^{6}+
1393561190370689375367353415125373736483553280\,y^{4}+4459395809186206001175530928401195956747370 4960\,y^{2}+128430599304562732833855290737954443554324270 28480)t^{19}+
(-77760\,y^{34}-948049920\,y^{32}-601974374400\,y^{30}-371504185344000\,y^{28}-214699698794004480\,y^{26}-44577649089136558080\,y^{24}-22363599955943604879360\,y^{22}+
11927253309836589268 99200\,y^{20}+1116390909800704755577651200\,y^{18}+816167631288145999769999769600\,y^{16}+438771718580507289476351876136960\,y^{14}+
86979370291076146319052403082526720\,y^{12}+38993015813508853519635567872468582400\,y^{10}+4423934885023549926591380791349162803200\,y^{8}+
155131353576984052282968788576119038148 6080\,y^{6}+11129134506432588761614280745792915256639488 0\,y^{4}+239808654842956130011132066852824730486544793 60\,y^{2}+
1086977728489137712786535663797791514457171558400)t^{17}+(100776960\,y^{30}+145118822400\,y^{28}+422586010828800\,y^{26}+234047636766720000\,y^{24}+
51497969613054935 0400\,y^{22}+18745045240849952145408 0\,y^{20}+14335067571759850727669 7600\,y^{18}+4824096873696506895736 5043200\,y^{16}+
16787084234449366586178404352000\,y^{14}+5539849092954375720620660254310400\,y^{12}+906821477291750247177762141099786240\,y^{10}+30263897500711985174898969155563683 8400\,y^{8}+
190144124385146809344841078243564978 17600\,y^{6}+679924761559773288717659909316586713907 2000\,y^{4}+19657438666253213845242615447732051404390400\,y^{2}+
234292475131072151233636292917953459446297395 20)t^{15}+(-126978969600\,y^{26}-36569943244800\,y^{24}-3066024041644032 00\,y^{22}-264155524760390860800\,y^{20}+
201138666656225034240 00\,y^{18}+976199092576883282490163200\,y^{16}+330891824948141577795010560000\,y^{14}+125300280667077868828326100992 00\,y^{12}-
190762860460978364526242046148608 00\,y^{10}-1165740241051057033268579321826508800 0\,y^{8}-100528868894202512980310448421208064 0000\,y^{6}+
39336863316591613409763263334616714444800\,y^{4}+1711399210271360289101875659133423630417920 0\,y^{2}+2807905501792793473406984706583093240135 6800)t^{13}+
(102852965376000\,y^{22}-3730134210969600\,y^{20}+28026034264630886 4000\,y^{18}-335447932824409079808000\,y^{16}+33507544881906648612864 0000\,y^{14}-
19204741462166570690150400 00\,y^{12}-1035254731489503401292066717696 00\,y^{10}-9054035047476789172334890057728000\,y^{8}-1228149686130423354444264746935910 4000\,y^{6}-
4783256356562132310969144700619980800 00\,y^{4}+1768028634206583469197350850142446551040 00\,y^{2}+601892292795741312043742662122637791068 1600)t^{11}+
(-11930943983616000\,y^{18}-8637674314648780800 0\,y^{16}+2006499751906561228800 0\,y^{14}+1018155302681729354956800 0\,y^{12}-1558999399466263988309852160 00\,y^{10}-
812405246322357915515910881280 00\,y^{8}+3532834921165738901362383519744000\,y^{6}-276809818590953715905720844130713 6000\,y^{4}+287555750217841197328558039951736832000\,y^{2}+
3549188332651785704656303408031150899 2000)t^{9}+(3643463445479424000\,y^{14}-232897292632011571200 0\,y^{12}+4385635172024340971520000\,y^{10}+
1899547582273507496558592000 0\,y^{8}+25344947654615336154134740992000\,y^{6}+2996874940684462536351843090432000\,y^{4}-250533869772852496340199405099417600 0\,y^{2}+
104829056553375375606485906180014080000)t^{7}+(-739001024697729024000\,y^{10}+870677570916597104640000\,y^{8}-984446106849699126312960000\,y^{6}+
307592972253415425127219200 0000\,y^{4}-199684008143921582419979796480000\,y^{2}-15311245927017766862773990667059 2000)t^{5}+(15115930050635366400000\,y^{6}+
46145911258579646545920000\,y^{4}-140506463684236774358384640000\,y^{2}-2595817213669040609443184640 0000)t^{3}+(-544173481822873190400000\,y^{2}-
78360981382493739417 6000000)t,\quad \mathbf{c}_0=(y^{40}+829440\,y^{36}+309586821120\,y^{32}+68475651442606080\,y^{28}+9939377758197157724160\,y^{24}+
989294098531086060327272448\,y^{20}+68380008090468668489821071605760\,y^{16}+3240977937746190422411267979010375680\,y^{12}+100807377775657506898680079219138725150720\,y^{8}+
1858081587160919167156471220167164981978071040\,y^{4}+15411671916547527940062634888554533226518912434176)t^{20}+(-360\,y^{36}-4976640\,y^{34}-
2418647040\,y^{32}-1651129712640\,y^{30}-1277974397583360\,y^{28}-293349690780124446720\,y^{24}+79515022065577261793280\,y^{22}-36497395128099963163115520\,y^{20}+
16488234975518101005454540800\,y^{18}-2552378774210202035644362915840\,y^{16}+164112019417124804375570571853 8240\,y^{14}-88620490485247394362808108801064960\,y^{12}+
9074738225689333182751550341229051 9040\,y^{10}-350025617276588565620416941733120573440\,y^{8}+268819674068420018396480211251036600401 9200\,y^{6}+
701619349318576248014813351365205527049011 20\,y^{4}+33445468568896545008816481963008969675605278720\,y^{2}+1538491554169241070405558170298412605077842821120)t^{18}+
(524880\,y^{32}+716636160\,y^{30}+2515392921600\,y^{28}+417540983991828480 0\,y^{24}-103535184981220392960\,y^{22}+149277029705923562569728 0\,y^{20}-
28625407943607814245580800\,y^{18}+2366963419337071140431462400 00\,y^{16}-35614587547119098171781808128 00\,y^{14}+19432743549210064726451025786961920\,y^{12}-
2363213079606597183008216234695065 60\,y^{10}+821511946798243345743231168585872179200\,y^{8}-8167264403120399864476395307106146713600\,y^{6}+
149320928330192682093669867343349236629504 00\,y^{4}-1161300991975574479472794512604478113736294 40\,y^{2}+4019553058475457167075210006752249871169748992 0)t^{16}+
(-755827200\,y^{28}-2779315686604800\,y^{24}-4069308244584038400\,y^{22}-9395009168413084876800\,y^{20}+10769729941746545275699200\,y^{18}+
43189702414916086923264000 00\,y^{16}+8192591753460556437085224960 00\,y^{14}-173537642602642043201096201011200\,y^{12}-30514578610371643313582653204070400\,y^{10}-
4629266715217649696675957954272296 9600\,y^{8}-126550060412933279150089979367920762880 0\,y^{6}+253674381604210961415650955280872426700800\,y^{4}+
46749421443461168824262886737875583788646400\,y^{2}+7837773622057371161372376159288035880468480 0)t^{14}+(714256704000\,y^{24}-292559545958400\,y^{22}+
351510294469017600 0\,y^{20}-8241472623939158016000\,y^{18}+3734971133050075742208000\,y^{16}+13887795572640978630082560 00\,y^{14}-246012436221754365302160752640 0\,y^{12}-
849704701228349817215094305587200\,y^{10}+758319431762555219803347143884800 00\,y^{8}-770275148636095624787150688737034240 00\,y^{6}+
2815777615652352756824535769483837440 00\,y^{4}+8123875810978822740196364457037145309184 00\,y^{2}+17077558446665307982248318921643942477824000)t^{12}+
(-99424533196800\,y^{20}-921562569768960000\,y^{18}+5161276997888901120 00\,y^{16}+1742788355941698895872000\,y^{14}-1770000314481841211965440000\,y^{12}-
1692378844826005865408495616000\,y^{10}-762246513907490849854442176512000\,y^{8}+855083987889112597668123849523200 0\,y^{6}-432966952603995390038924052639252480 00\,y^{4}+
9126525824816649628832316329809674240 00\,y^{2}+127960954009264970947967361215101717708800)t^{10}+(37952744223744000\,y^{16}-511862181608816640 00\,y^{14}+
150487481392992092160 00\,y^{12}-7000505648708971564892160 00\,y^{10}+1265054111102525062936264704000\,y^{8}-1495751812205362027099796275200 00\,y^{6}+
188226138425206438643618839265280 00\,y^{4}-2672822263894656317122421321839411200 0\,y^{2}+98687999611358631915076669385421619200 0)t^{8}+
(-10263903120801792000\,y^{12}+257978539530843586560 00\,y^{10}-14124325039313686364160 0000\,y^{8}+1170933633505755338165452800 00\,y^{6}-
189334619094884926608742809600 00\,y^{4}-22017588405210209231139080503296000\,y^{2}-1713239420935328354202115104571392000)t^{6}+(314915209388236800000\,y^{8}+
232180685577759227904000 0\,y^{6}+350708925565205313748992000 0\,y^{4}-85163132491728235965657907200 00\,y^{2}+1849890882347018924578150809600 00)t^{4}+
(-22673895075953049600000\,y^{4}+10448130850999165255680000 0\,y^{2}-931555346675085574196428800 00)t^{2}+81626022273430978560000
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