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Metallicity and kinematics of the bar in situ∗,∗∗

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ABSTRACT

Context. Constraints on the Galactic bulge and bar structures and on their formation history from stellar kinematics and metallicities mainly come from relatively high-latitude fields (|b| > 4°) where a complex mix of stellar population is seen.

Aims. We aim here to constrain the formation history of the Galactic bar by studying the radial velocity and metallicity distributions of stars in situ (|b| ≤ 1°).

Methods. We observed red clump stars in four fields along the bar’s major axis (l = 10°, −6°, 6° and b = 0° plus a field at l = 0°, b = 1°) with low-resolution spectroscopy from FLAMES/GIRAFFE at the VLT, observing around the Ca II triplet. We developed robust methods for extracting radial velocity and metallicity estimates from these low signal-to-noise spectra. We derived distance probability distributions using Bayesian methods rigorously handling the extinction law.

Results. We present radial velocities and metallicity distributions, as well as radial velocity trends with distance. We observe an increase in the radial velocity dispersion near the Galactic plane. We detect the streaming motion of the stars induced by the bar in fields at l = ±6°, the highest velocity components of this bar stream being metal-rich ([Fe/H] ∼ 0.2 dex). Our data is consistent with a bar that is inclined at 26 ± 3° from the Sun–Galactic centre line. We observe a significant fraction of metal-poor stars, in particular in the field at l = 0°, b = 1°. We confirm the flattening of the metallicity gradient along the minor axis when getting closer to the plane, with a hint that it could actually be inverted.

Conclusions. Our stellar kinematics corresponds to the expected behaviour of a bar issued from the secular evolution of the Galactic disc. The mix of several populations, seen further away from the plane, is also seen in the bar in situ since our metallicity distributions highlight a different spatial distribution between metal-poor and metal-rich stars, the more metal-poor stars being more centrally concentrated.

Key words. Galaxy: bulge – Galaxy: formation – Galaxy: abundances – Galaxy: kinematics and dynamics

1. Introduction

Although it is now well established that the Milky Way is a barred galaxy, the precise structure of the Galactic bar is subject to debate, and its links with the other Galactic stellar populations are still largely unknown. In the following, we call “bulge” the full structure that is present within the central regions (|l| ≤ 10°) independently of its origin. This fact includes several components.

A single bar model with a given semi-major axis and position angle does not seem to reproduce all the observations at the same time (e.g. Robin et al. 2012). The dominant boxy shape of the bulge covers the central ∼2–3 kpc (|l| ≤ 10°) with an angle with respect to the Sun–Galactic centre between 20 and 30° (e.g. Wegg & Gerhard 2013; Cao et al. 2013), although a smaller angle has also been discussed (e.g. Robin et al. 2012). It presents an X-shaped structure (McWilliam & Zoccali 2010; Nataf et al. 2010; Saito et al. 2011). The bar angle seems to flatten in the inner regions (|l| ≤ 4°) (Nishiyama et al. 2005; Gonzalez et al. 2011a). A nuclear bar is suggested in the central molecular zone (|l| ≤ 1.5°) (Alard 2001; Sawada et al. 2004; Rodriguez-Fernandez & Combes 2008). At |l| ≥ 10°, a longer thinner bar has also been proposed with an angle of ∼45° (Hammersley et al. 2000; Benjamin et al. 2005; Cabrera-Lavers et al. 2008).

All these observations have been found to be reproduced well with a single complex structure with N-body simulations by Martínez-Valpuesta et al. (2006), Martínez-Valpuesta & Gerhard (2011) and Gerhard & Martínez-Valpuesta (2012). In their simulations, a stellar bar evolved from the disc, and the boxy/peanut/X-shaped bulge developed from it through secular evolution and buckling instability. They find that the long bar in fact corresponds to the leading ends of the bar in interaction with the adjacent spiral arm heads (see also...
The main structures of the inner Galaxy and its kinematics (Kunder et al. 2012; Ness et al. 2013b) are therefore now fairly well explained as being mainly shaped by secular evolution. In parallel the bulge has been known to present an old age (Zoccali et al. 2003; Clarkson et al. 2008; Brown et al. 2010) and to be enhanced in α-elements (McWilliam & Rich 1994; Zoccali et al. 2006; Fulbright et al. 2007; Lecureur et al. 2007), suggesting a short formation timescale, which at first seemed at odds with the secular formation scenario.

A metallicity gradient is observed along the bulge’s minor axis at |b| > 4° (Frogel et al. 1999; Zoccali et al. 2008), while no significant gradient in metallicity has been found in the inner regions (Ramírez et al. 2000; Rich et al. 2007a). The far and near parts of the X-shaped bulge have been shown to share the same metallicity, but only bulge stars that are more metal-rich than [Fe/H] > −0.5 dex show the distance split (due to line of sight crossing the near and far sides of the peanut), implying that the disc from which the boxy bulge grew had relatively few stars with [Fe/H] < −0.5 dex (Ness et al. 2012; Uttenthaler et al. 2012). Hill et al. (2011) show that the metallicity distribution in Baade’s window (l = 1°, b = −4°) can be decomposed into two populations of roughly equal sizes: a metal-poor component centred on [Fe/H] = −0.3 dex with a large dispersion and a narrow metal-rich component centred on [Fe/H] = +0.3 dex. This separation is also seen in the kinematics of Baade’s window stars, the metal-rich population presenting a vertex deviation typical of bar-like kinematics, while the metal-poor population shows more isotropic kinematics (Soto et al. 2007; Babusiaux et al. 2010). Along the bulge minor axis, the metal-poor population shows a constant velocity dispersion, while the metal-rich population goes from bar-like high velocity dispersion to disc-like low-velocity dispersion when moving away from the Galactic plane (Babusiaux et al. 2010). The metal-poor population shows an α-enhancement that is quite similar to the thick disc (Meléndez et al. 2008; Alves-Brito et al. 2010; Hill et al. 2011; Gonzalez et al. 2011b; Bensby et al. 2013), while the metal-rich population shows a low [α/Fe] similar to the thin disc. The difference is also seen in the ages of microlensed main-sequence or turnoff stars by Bensby et al. (2013): the metal-poor stars are old (>10 Gyr) while the metal-rich stars show a large spread in age.

Therefore there seems to be a mix of populations in the bulge: the metal-rich population is associated to the X-shape and is fading when moving away from the plane, while these two populations are mixed close to the plane. In fact, even more populations than just two could be mixed within the Galactic bulge (Ness et al. 2013a; Bensby et al. 2013), and we actually expect all the stellar populations of the Milky Way to be mixed in the central regions (including the most metal-poor ones, e.g. García Pérez et al. 2013), the proportions and mixing efficiency providing the imprint of the Milky Way formation history.

With the aim of deriving the kinematical and chemical properties of the bar in situ, we observed red clump stars in four fields located along the bar major axis, those fields previously studied with near-infrared photometry by Babusiaux & Gilmore (2005). Section 2 presents the data (target selection and data reduction), Sect. 3 describes the spectral analysis to derive radially velocities and metallicities, and Sect. 4 presents the distance (and extinction) estimation. Section 5 describes the results and their analysis. A summary of our conclusions is provided in Sect. 6.

2. The data

With GIRAFFE LR08 we observed Galactic bar red clump giant candidates from the CIRSI Galactic Bulge Survey (Babusiaux & Gilmore 2005). Those fields are located along the major axis of the bar within the Galactic plane, at l = +10°, +6°, −6°, and b = 0°. A bulge reference field at (l = 0°, b = 1°), presenting a very homogeneous extinction, is also observed and used as a comparison point. The CIRSI field at l = −10° is too faint to be observed by GIRAFFE owing to the large distance of the stars combined with high extinction. Considering that the field at l = +10° could be near the end of the bar and the beginning of the pseudo-ring and that Nishiyama et al. (2005) find variation in the asymmetric signature of the bar within |b| ~ 4°, we expect to have a sampling of the main bar major axis with our three bar fields.

We made our observations with the LR08 set-up of FLAMES, which covers the wavelength range 820.6–940.0 nm with a resolution R = 6500. It covers the Ca II triplet (8498.02, 8542.09, 8662.14 Å), which allows radial velocities and metallicities to be derived with low signal to noise spectra. This wavelength range is used in several large surveys (RAVE, ARGOS, Gaia-RVS, Gaia-ESO Survey) and has been extensively studied. This set-up is also the redest low-resolution set-up of GIRAFFE entering the near-infrared area, therefore reducing the impact of the extinction compared to optical wavelengths.

2.1. Target selection

Stars were selected to be red clump candidates located in the bar according to the near-infrared photometry study of Babusiaux & Gilmore (2005). The selection box uses the reddening independent magnitude

$$K_{J-K} = K - k_K / (k_J - k_K) (J - K),$$

with k the extinction coefficients in the corresponding photometric band. Following Babusiaux & Gilmore (2005) for the target selection, we used $k_J = 0.28$, $k_K = 0.18$, and $k_K = 0.11$ according to the extinction law of He et al. (1995). The selected targets are represented in Fig. 1. Only stars with good near-infrared photometry were selected: goodness of fit $\chi^2 < 1.5$ and sharpness [sharp] < 0.5 in the three bands $J, H, K_s$. No other source has been detected within 1.5° of our targets. Targets were also checked for having colours consistent with their being red clump stars. The Q factor $Q = (J - H) - (k_J - k_H)/(k_J - k_K)(J - K)$ is independent of the extinction. Assuming $(J - K)_0 = 0.68$ and $(J - H)_0 = 0.61$ for a typical red clump star leads to an expected $Q_{BC} = 0.184$. Stars with $|Q - Q_{BC}| < 0.1$ were selected. To select stars with the best signal-to-noise ratio (S/N) possible, we selected stars with the lowest extinction, corresponding to the brightest estimated $I$ magnitude $I = K + (I - K)_0 + A_V(k_I - k_K)$, the $I$ band covering the wavebands of our set-up. We give the maximum $I$ estimated magnitude of our sample for each field in Table 1. It has been computed with $(I - K)_0 = 1.4$ and $A_V$ estimated assuming the typical red clump star colours above. The number of exposures (OBs) of 45 min each are also provided in Table 1. They were computed to reach a S/N of 15 for the faintest stars of our selection. According to the S/N actually observed, we most probably have under-estimated the I-band extinction (see also Sect. 5.3). All those selections were needed to...
avoid contamination of the sample by foreground red dwarfs and to ensure a minimum S/N in our spectra.

2.2. Posteriori tests on the target selection

To study the impact of this complex target selection a posteriori on our final sample, we used a Monte-Carlo simulation on the field at \((l = 0^\circ, b = 1^\circ)\). We used, as in Sect. 4, the isochrones of Bressan et al. (2012), a constant star formation history (SFR) and the Chabrier (2001) lognormal IMF. We followed the distance distribution provided by the Fux (1999) disc particles, with the Sun at 8 kpc from the Galactic centre. We used a Gaussian distribution to model the extinction using the mean \(A_{550} = 7.7\) (absorption at 550 nm, see Sect. 4) and the dispersion of 0.8 mag as derived in Sect. 5.3 and with the extinction law described in Sect. 4. As a first test we used a Gaussian metallicity distribution with a mean \([\text{Fe/H}] = -0.21\) and a dispersion of 0.54 dex, as derived in Sect. 5.2. The resulting colour-magnitude diagram (CMD) is presented in Fig. 2.

We checked that our CMD box is large enough so that no bias is seen in the selected stars’ metallicity or distance distributions. We checked the latter by shifting the \(N\)-body model distance distribution by 0.6 kpc (according to our results in Sect. 5.3), without changing the CMD box, and the mode of the selected distance distribution corresponds to the mode of the input distance distribution.

A bias in the metallicity distribution starts to be significant when the centre of the metallicity distribution is lower than \(-0.6\) dex. But of course if we change the mean metallicity of the sample significantly, we also see that the CMD box is shifted compared to the CMD red clump track. Using the two-component Gaussian distribution presented in Sect. 5.2 (centered on \([\text{Fe/H}] = -0.79\) and \([\text{Fe/H}] = 0.15\) with a dispersion
of 0.3 dex), we checked that the bias against the metal-poor population is small. We note, however, that this red clump CMD box leads to a strong bias towards younger ages: in our input constant SFR, the median age is 6.5 Gyr, while in the selected stars the median age is 4.5 Gyr. If we assume an age-metallicity correlation, such a red clump CMD box would therefore lead to a bias towards young metal-rich stars.

We checked that our selection on the $Q$ factor does not remove any synthetic stars from the CMD box selection, even if the assumed red clump colours and extinction law are significantly different, indicating that this selection, done to remove foreground red dwarfs, is large enough. The selection on the estimated $I$ magnitude biases the sample toward lower extinction and shorter distance, as expected. The final synthetically selected sample distance mode is 7.4 kpc (corresponding to a 0.6 kpc bias and equivalent to our observed value in Sect. 5.3) and the extinction mode $A_{\text{V00}}$ is 7 mag (0.7 mag bias). No bias in the metallicity distribution seems to be created; however, a change in the age distribution is observed, this time favouring the old ages.

We also tested our target selection using real data in the Baade’s window red clump sample of Hill et al. (2011). Our selection using the $Q$ factor only removed 4% of the Baade’s window sample spread at all metallicities. Our way of estimating the $I$ magnitude from the near-infrared colours would not have implied any bias neither in the metallicity distribution in the Baade’s window sample.

As a conclusion, we expect a bias in our selection toward the lower extinction and shorter distance implied by our estimated $I$ magnitude cut, a cut needed to ensure a minimum S/N in our spectra. We do not expect any strong bias in the metallicity distribution, except against the most metal-poor tail. However, we could expect a bias in the age distribution, which is not possible to quantify easily owing to its high dependency on the used isochrones and the real extinction behaviour.

### 2.3. Data reduction

The observations were taken at different periods, as indicated in Table 1. Between periods 79 (Summer 2007) and 83 (Summer 2009), the CCD was changed (Melo et al. 2008), significantly increasing the efficiency of the LR08 set-up. Our observations were used for commissioning this new CCD (in May 2008), allowing the needed S/N to be completed for the field at $t = -6^\circ$.

The data reduction was performed using the GIRAFFE pipeline kit (version 2.8.7). Particular care has been taken for the dark-current subtraction in order to remove the electronic glow present, on the CCD detector in Period 79.

The one-dimensional spectra were extracted with the optimal extraction method implemented in the pipeline.

The sky contamination was removed using the algorithm described in Battaglia et al. (2008). The removed sky spectra is kept and used to remove pixels affected by strong sky emission in the analysis.

The spectra have not been combined, so each epoch spectra is used individually in the following. This allows a transparent change in the CCD response between our different periods of observations, a filtering of the wavelengths affected by strong sky emission following its relative epoch radial velocity, and an optimal handling of the noise properties of each observation.

We indicated a rough estimate of the S/N of our spectra (unused in the analysis) in Table 1 following the proposed VO standard DER_SNR (Stoehr et al. 2008).

An example of a spectrum is presented in Fig. 3.

### 3. Spectral data analysis

#### 3.1. Spectral library

Two grids of synthetic spectra were generated and used for two different purposes: (i) derive the metallicities and (ii) assess the precision of the metallicities obtained. The first grid is mono-dimensional, varying in metallicity from $[\text{Fe/H}] = -1.5$ to +1.0 dex with a step of 0.1 dex. The atmospheric parameters are chosen as typical of the red clump: $T_{\text{eff}} = 4750$ K, $\log g = 2.5$, and micro-turbulent velocity $v_t = 1.5$ km s$^{-1}$. Alpha-elements versus iron ratio typical of the galactic trend is adopted: $[\alpha/\text{Fe}] = 0.0$ for $[\text{Fe/H}] \geq 0.0$, $[\alpha/\text{Fe}] = -0.4 \times [\text{Fe/H}]$ for $-1.0 \leq [\text{Fe/H}] \leq 0.0$, and $[\alpha/\text{Fe}] = +0.4$ dex for $[\text{Fe/H}] \leq -1.0$ dex. Our spectra are dominated by the Ca alpha element through the CaII triplet. Our adopted trend is consistent with the trend derived on bulge microlensed dwarfs by Bensby et al. (2013) for this element.

The second grid is multi-dimensional but with a lower metallicity resolution. It extends in $T_{\text{eff}}$ from 4250 to 5250 K in steps of 250 K, $\log g = 2.0$ to 3.0 in steps of 0.5, $[\text{Fe/H}] = -1.5$ to 0.5 dex in steps of 0.25 dex. The micro-turbulent velocity and the $[\alpha/\text{Fe}]$ versus $[\text{Fe/H}]$ relation are the same as in the first grid. We checked with the synthetically selected stars presented in Fig. 2 that 90% of our stars should be within the grid (4000 < $T_{\text{eff}}$ < 5250 K and 2 < $\log g$ < 3) and up to 98% when considering the grid edge (4500 < $T_{\text{eff}}$ < 5500 K and 1.5 < $\log g$ < 3.5).

The atomic parameters were taken from VALD (Kupka et al. 2000) and were checked on Arcturus. Molecular lines of $^{12}\text{C}^{14}\text{N}$ (private communication B. Plez 2010 and updated version with B. Edvardsson; the CN line list was assembled by B. Plez and was shortly described in Hill et al. 2002), FeH (Dulick et al. 2003) and TiO (Plez 1998, considering 5 TiO isotopes from $^{46}\text{Ti}$ to $^{50}\text{Ti}$) have been included in the computation of the synthetic spectra.

The model atmospheres were taken from the MARCS grid (Gustafsson et al. 2008), computed in spherical geometry, and the synthetic spectra were computed with the Turbospectrum code (Alvarez & Plez 1998; Plez 2012) in the wavelength range 835–895 nm.

Considering that we observed high-extinction fields, we also have strong diffuse interstellar bands (DIB) within our spectra (e.g. Munari et al. 2008). The velocity dispersion of the
interstellar medium along the line of sight is too high to assume a single profile for the DIB fitting as done in Chen et al. (2013), and our spectra have too many lines and not enough S/N to try to extract the DIB equivalent width from stellar-spectra template subtraction. We therefore do not present here our attempts to extract the DIB information. However we identify the DIB wavelength ranges to remove those regions for the fits. For this we used the DIB profile generated following the prescription of Jenniskens & Desert (1994) and removed wavelengths for which the DIB was absorbing more than 0.05% of the flux. That leads to the following wavelengths being discarded: 852.1–853.3 Å, 8613.9–8628.7 Å, 8642.7–8654.1 Å, 8761.8–8765.4 Å. The two middle ones are the two strongest DIBs studied in Munari et al. (2008). The stronger DIB at 862 nm is indicated in Fig. 3.

3.2. Radial velocities

The radial velocities are derived by cross-correlation with the synthetic spectrum typical of a solar metallicity red-clump star ($T_{\text{eff}} = 4750$ K, log $g = 2.5$), extracted from the library described in Sect. 3.1.

As summarized in Table 1, between 2 and 11 exposures were obtained per target. The spectra were not combined prior to deriving the radial velocities. Instead, a cross-correlation function (CCF) was derived for each exposure and the CCF combined obtained per target. The spectra were not combined prior to determining a single profile for the DIB fitting as done in Chen et al. (2013), and our spectra have too many lines and not enough S/N to try to extract the DIB information. However we identify the DIB wavelength ranges to remove those regions for the fits. For this we used the DIB profile generated following the prescription of Jenniskens & Desert (1994) and removed wavelengths for which the DIB was absorbing more than 0.05% of the flux. That leads to the following wavelengths being discarded: 852.1–853.3 Å, 8613.9–8628.7 Å, 8642.7–8654.1 Å, 8761.8–8765.4 Å. The two middle ones are the two strongest DIBs studied in Munari et al. (2008). The stronger DIB at 862 nm is indicated in Fig. 3.

Instead, the MAD of this distribution is 2.14 ± 0.05 (value obtained using all the fields except C32, which only has two exposures; standard error obtained by bootstrap). No significant variation in this factor is seen as a function of S/N. The $\epsilon_V$ used in the following of the paper were therefore the theoretical ones multiplied by 2.14. This error estimate does not take the template mismatch into account.

3.3. Metallicities

The S/N of our LR08 spectra range from ~7 to 22 (see Table 1) and therefore do not contain enough information to constrain all the atmospheric parameters simultaneously. The analysis is therefore conducted in two steps. First, the effective temperature, surface gravity and micro-turbulence are assumed to be known from the photometric selection process and to be typical of the red clump ($T_{\text{eff}} = 4750$ K, log $g = 2.5$) and the metallicities are derived. This uses the first synthetic spectra grid presented in Sect. 3.1. In a second step, the uncertainties on the metallicities due to possible errors on the temperatures and gravity are assessed on the second 3D synthetic spectra grid.

The normalization is done in the same way as for the radial velocity determination. The only difference is that we remove only the strongest absorption lines (normalized synthetic spectra intensity lower than 0.8) to be able to deal with the highest metallicity templates.

As for the $V_R$ determination, the observed and the synthetic spectra are compared on all pixels that have not been flagged as affected by strong sky emission, DIB, or cosmic rays. The cores of the Ca II lines are also eliminated. Indeed they are not good indicators of the atmospheric abundance of Ca and their modelling (NLTE, chromosphere, etc.) could suffer from larger uncertainty than the wings. The same boundaries as in Kordopatis et al. (2011) were adopted for the cores of the Ca II lines: we eliminated 0.8, 1.2, and 1.2 Å centred on the wavelengths 8498.02, 8542.09, and 8662.14 Å, respectively.

The metallicities are derived by minimum distance spectrum fitting, following TGMET (Katz et al. 1998) and ETOILE (Katz 2001). A quadratic sum of the residuals between the observed spectra $O$ and the synthetic spectra $S$ scaled by the continuum $C$ is computed on all the valid wavelengths $\lambda$. A weighted sum of those residuals is done on the different exposures $i$ using the median flux level $\text{med}_O$:

$$ R = \sum_i \frac{1}{\text{med}_O} \frac{1}{n} \sum_{\lambda=1}^n (O(\lambda) - S(\lambda)C(\lambda))^2. $$

---

1 \url{http://leonid.arc.nasa.gov/DIBcatalog.html}
The error variance variation with \( \lambda \) can only be taken into account when a proper handling of the errors at each step of the calibration is done, see e.g. Koposov et al. (2011). Following Posbich et al. (2012), the minimum of the residuals is found by adjusting a third-degree polynomial due to the asymmetric profile of the residual as a function of metallicity around solar metallicity.

Formal errors are derived by bootstrap. Their distribution in our reference field is presented in Fig. 5. We have checked our method using a synthetic spectra with added Gaussian noise down to a S/N of five for which we derived a bias free metallicity and bootstrap errors consistent with the Monte Carlo errors.

The metallicities have been derived up to now assuming fixed \( T_{\text{eff}} = 4750 \) K and \( \log g = 2.5 \). We tested the sensitivity of our metallicity estimate on our choice of a fixed \( T_{\text{eff}} \) and \( \log g \) using the 3D synthetic spectral grid. Figure 6 shows the metallicity we derived with our method for solar metallicity synthetic spectra for which we varied the \( T_{\text{eff}} \) and \( \log g \). Figure 7 shows the range of the metallicity estimate that we derived for each star of field \( l = 0^\circ, b = 1^\circ \) using all the possible values of \( T_{\text{eff}} \) and \( \log g \) of our 3D grid.

We also tested the sensitivity to the micro-turbulence by changing our default \( v_t = 1.5 \), value derived for Baade’s window red clump by Hill et al. (2011), to \( v_t = 2.0 \) km s\(^{-1} \), which should cover the maximum plausible variation of \( v_t \) among red clump stars (de Laverny et al. 2012 use \( v_t = 2.0 \) km s\(^{-1} \) for all giants in their grid). The effect is similar to the measurement error: using \( v_t = 2.0 \) km s\(^{-1} \) decreases all metallicities by 0.09 dex and adds a dispersion of 0.03 dex.

Overall, we conclude that a systematic error of about 0.2 dex should be added to our bootstrap (e.g. noise) error presented in Fig. 5.

4. Estimating the distances and the extinction

To estimate the distance distribution of our sample we used the classical Bayesian method (e.g. Pont & Eyer 2004; Jørgensen & Lindegren 2005; Burnett & Binney 2010; Bailer-Jones 2011), particularly needed here where the S/N and wavelength coverage does not allow us to derive the atmospheric parameters of the individual stars. We used the Bressan et al. (2012) isochrones (Parsec 1.1) downloaded from CMD\(^2\) version 2.5 with a step of 0.05 in logAge between \([6.6, 10.13]\) and a step of 0.05 dex in [M/H] between \([-1.5, 0.5]\) and 2MASS photometry. Each isochrone point \( i \), corresponding to a metallicity [M/H], age \( \tau \) and mass \( M_i \), has a weight associated to it \( P(i) \) according to the IMF \( \xi(M) \) and SFR \( \psi(\tau) \). We used here the Chabrier (2001) lognormal IMF (integrated over the mass interval between isochrone points) and a constant SFR (considering that we have a grid sampled in logAge this means that the SFR associated weight is proportional to the age), and we did not introduce any age-metallicity correlation:

\[
P(i) \propto \int \xi(M)dM \int \psi(\tau)d\tau.
\]

We computed the probability of a star with the observed parameters \( O ([M/H], J, H, K) \) to have the physical parameters of the isochrone point \( i ([M/H]_i, \tau_i, M_i, T_{\text{eff}}i, \log g_i, J_i, H_i, K_i) \):

\[
P(O|i) \propto P(O|\psi)P(i).
\]

To compute \( P(O|i) \), we assume independent Gaussian (\( N \)) observational errors on the metallicity and the magnitudes \( m \). Assuming a distance \( d \) and an extinction \( A_{550} \) for the isochrone point \( i \), we have

\[
P(O|i, d, A_{550}) \propto N ([M/H] - [M/H]_i, \epsilon_{[M/H]})
\]

\[
\prod N (m - m_i, \epsilon_m).
\]

Instead of using a single value \([M/H]\) derived for a typical red clump star as in the previous section, we take advantage of the isochrone prior to help break the \( T_{\text{eff}}/\log g/[M/H] \) degeneracy illustrated in Fig. 7. The \([M/H]\) value is indeed the metallicity obtained for an isochrone point with \((T_{\text{eff}}, \log g)\) by a 2D spline regression\(^3\) on the 3D synthetic spectra grid. But we see in Fig. 8 that this does not lead to significant improvement.

\(^2\) http://stev.oapd.inaf.it/cgi-bin/cmd
\(^3\) R [mda] package.
Since the isochrone grid stops at \([\text{M/H}] = 0.5\), we have to assume that the higher metallicity isochrones would be identical to the \([\text{M/H}] = 0.5\) one and therefore add the probabilities corresponding to \([\text{M/H}] > 0.5\) to the \([\text{M/H}] = 0.5\) isochrone points.

The apparent magnitude \(m_i\) derived from the isochrone \(i\) is a function of the absolute magnitude \(M_i^0\), the extinction \(A_m\), and the distance \(d\):

\[
m_i = M_i^0 + 5 \log d - 5 + A_m.
\]

We therefore derived \(P(O|d,A_{550})\) for a very thin 2D grid of distances \(d\) and extinction \(A_{550}\). \(A_{550}\) is the absorption at 550 nm, also often written \(A_0\), and is roughly equivalent to \(A_V\) (e.g. Bailer-Jones 2011). To derive the extinction in the different photometric bands \(A_m\), we used the extinction law \(E_j = 10^{-0.4A_j}\) of Fitzpatrick & Massa (2007). We used a typical red clump SED \(F^0\) from Castelli & Kurucz (2003) ATLAS9 models, to be consistent with the isochrone colours. With \(T_d\) the photometric total instrumental transmission we have

\[
A_m = m - m^0 = -2.5 \log \left( \frac{F}{F_0} \right)
\]

\[
= -2.5 \log \left( \frac{\int F_i T_i E_{A_i}^d \, dl}{\int F_i T_i \, dl} \right)
\]

To take the non-linearity of the above equation into account, we used a discrete table of \(A_m\) as a function of \(A_{550}\). Considering neither the stellar SED nor the non-linearity of the relation between \(A_m\) and \(A_{550}\) can lead to 0.025 mag difference in distance modulus at \(A_{550} = 10\) mag. This is, of course, small since we are in the near-infrared, smaller than the uncertainties in the extinction law itself, but not fully negligible.

As an example, with this computation we obtain \(A_{550}:A_V:H:AK = 1.0:237:0.141:0.086\) and \(AK/E(J−K) = 0.567\) for \(A_{550} = 7.7\) (corresponding to our mean value for field at \(l = 0^\circ, b = 1^\circ\)). This is closer to the empirical results obtained with red clump giants by Nishiyama et al. (2008) than the values of the Cardelli et al. (1989) extinction law calibrated on hot stars.

What we seek is \(P(d,A_{550}|O)\), which we obtain by marginalization over the isochrone points:

\[
P(d,A_{550}|O) = \sum_i P(O|i,d,A_{550}) P(i).
\]

Marginalization over the extinction leads to \(P(d|O)\). Figure 8 shows the resulting distance probability distribution function for a typical star of field \(l = 0^\circ, b = 1^\circ\), with and without adding the \(H\) band magnitude information. Although adding the \(H\) band leads to a decrease in the probability of being a foreground star, we see that the solution is more degenerate. We indeed checked that the colour-colour relations (e.g. here \(H−K\) versus \(J−K\)) around the HIPPARCOS red clump stars is not perfectly adjusted by the isochrone colours. It is therefore not surprising that adding the \(H\) band information in fact increases the degeneracy rather than reducing it. We can also see that including \(H\) band also changes the derived distance (by 0.4 kpc). The exact distance indeed depends on isochrone (and colour) but any resulting bias would be the same in all our fields.

In the following we use the full distance probability distribution function. The typical confidence intervals at 1\(\sigma\) are between 0.6 and 0.8 kpc. However the blurring that this distribution will induce on the figures of Sects. 5.3 and 5.4 will be greater than this, owing to the degeneracies; only the peak of the distribution (corresponding to 50% or 68% of the probabilities) can be approximated by a Gaussian in most of the cases, but the distributions are often skewed and can present secondary peaks.

5. Results and analysis

The resulting catalogue is reported in Table 2 available at the CDS.

<table>
<thead>
<tr>
<th>Name</th>
<th>Right ascension</th>
<th>Declination</th>
<th>(J)</th>
<th>(\epsilon_J)</th>
<th>(H)</th>
<th>(\epsilon_H)</th>
<th>(K)</th>
<th>(\epsilon_K)</th>
<th>(V_\text{hel})</th>
<th>(\epsilon_{V_\text{hel}})</th>
<th>(\text{[Fe/H]})</th>
<th>(\epsilon_{\text{[Fe/H]}})</th>
</tr>
</thead>
<tbody>
<tr>
<td>C32_00004</td>
<td>17:41:16.298</td>
<td>−28:29:26.851</td>
<td>14.827</td>
<td>0.017</td>
<td>13.502</td>
<td>0.017</td>
<td>13.153</td>
<td>0.051</td>
<td>−2.7</td>
<td>1.2</td>
<td>−0.58</td>
<td>0.21</td>
</tr>
<tr>
<td>C32_00006</td>
<td>17:41:16.624</td>
<td>−28:27:34.606</td>
<td>15.052</td>
<td>0.017</td>
<td>13.717</td>
<td>0.023</td>
<td>13.302</td>
<td>0.051</td>
<td>−2.32</td>
<td>1.2</td>
<td>−0.20</td>
<td>0.20</td>
</tr>
<tr>
<td>C32_00012</td>
<td>17:41:17.318</td>
<td>−28:30:32.357</td>
<td>15.086</td>
<td>0.018</td>
<td>13.814</td>
<td>0.020</td>
<td>13.482</td>
<td>0.051</td>
<td>−1.40</td>
<td>1.7</td>
<td>−1.14</td>
<td>0.21</td>
</tr>
<tr>
<td>C32_00014</td>
<td>17:41:17.387</td>
<td>−28:23:02.116</td>
<td>15.243</td>
<td>0.018</td>
<td>13.852</td>
<td>0.022</td>
<td>13.431</td>
<td>0.053</td>
<td>125.1</td>
<td>1.0</td>
<td>0.93</td>
<td>0.20</td>
</tr>
<tr>
<td>C32_00018</td>
<td>17:41:17.561</td>
<td>−28:30:04.326</td>
<td>15.128</td>
<td>0.016</td>
<td>13.773</td>
<td>0.017</td>
<td>13.310</td>
<td>0.051</td>
<td>64.1</td>
<td>1.1</td>
<td>0.50</td>
<td>0.20</td>
</tr>
<tr>
<td>C32_00022</td>
<td>17:41:17.988</td>
<td>−28:25:32.998</td>
<td>15.443</td>
<td>0.018</td>
<td>14.159</td>
<td>0.023</td>
<td>13.779</td>
<td>0.051</td>
<td>93.9</td>
<td>1.7</td>
<td>−1.04</td>
<td>0.21</td>
</tr>
<tr>
<td>C32_00025</td>
<td>17:41:18.412</td>
<td>−28:18:32.237</td>
<td>15.205</td>
<td>0.017</td>
<td>13.890</td>
<td>0.022</td>
<td>13.433</td>
<td>0.051</td>
<td>−7.2</td>
<td>1.2</td>
<td>−0.00</td>
<td>0.20</td>
</tr>
</tbody>
</table>

Notes. The systematic 0.2 dex error on the metallicity has been taken into account in the provided \(\epsilon_{\text{[Fe/H]}}\). The full table is available in electronic form at the CDS.

Fig. 8. Distance probability distribution function for star C32_00006 using only \(J\) and \(K\) magnitudes (black) or adding the \(H\) band magnitude (red). In dotted lines we show the distribution obtained assuming the single reference metallicity (obtained by assuming \(T_{\text{eff}} = 4750\) and \(\log g = 2.5\)).

5.1. The radial velocities distribution

Figure 9 shows the radial velocity distribution of our fields for which Table 3 gives a summary. To correct for the solar reflex
motion, we computed the Galactocentric velocity \( V_{\text{GC}} \) using the same formulae as Beaulieu et al. (2000), Kunder et al. (2012), and Ness et al. (2013b):

\[
V_{\text{GC}} = V_r + 220 \sin l \cos b + 16.5[\sin b \sin 25 + \cos b \cos 25 \cos(l - 53)].
\]

Figure 9 shows the comparison of the mean velocity and velocity dispersion of our fields with the BRAVA data (Rich et al. 2007b; Kunder et al. 2012), the APOGEE first results of Nidever et al. (2012), and the data from Rangwala et al. (2009). We distinguish in this figure the fields at \(|b| \leq 2^\circ\) and the fields at \(b = -4^\circ\). Apart from \(l = 10^\circ\), our radial velocity dispersion is higher than the BRAVA data at \(b = -4^\circ\), consistent with dynamical models (e.g. Fux 1999 and Zhao 1996) predicting an increase in the velocity dispersion closer to the Galactic plane, which can also be seen in the BRAVA data at \(l = 0^\circ\). However, our radial velocity dispersion is also higher than the results of Nidever et al. (2012), while the latter contains two fields \((l = 4^\circ\) and \(l = 6^\circ)\) at \(b = 0^\circ\). This is most probably due to the different selection function and its consequence on the distance distribution (see Sect. 5.4). For the field at \(l = 10^\circ\) we see in Sect. 5.4 that in fact a very large portion of our sample is contaminated by the end of the disc, explaining its low-velocity dispersion.

\[\text{Table 3. Summary of the radial velocity distribution.}\]

<table>
<thead>
<tr>
<th>Field</th>
<th>(N)</th>
<th>(N_{\text{blended}})</th>
<th>(V_r) (\text{km s}^{-1})</th>
<th>(V_{\text{GC}}) (\text{km s}^{-1})</th>
<th>(\sigma_{V_r}) (\text{km s}^{-1})</th>
<th>Skew</th>
<th>Kurtosis</th>
</tr>
</thead>
<tbody>
<tr>
<td>(l = +10^\circ, b = 0^\circ)</td>
<td>92</td>
<td>13</td>
<td>2 \pm 9</td>
<td>49 (\pm 6)</td>
<td>0.5 (\pm 0.2)</td>
<td>0.5</td>
<td>0.5</td>
</tr>
<tr>
<td>(l = +6^\circ, b = 0^\circ)</td>
<td>101</td>
<td>1</td>
<td>4 \pm 17</td>
<td>36 (\pm 7)</td>
<td>0.4 (\pm 0.1)</td>
<td>0.4</td>
<td>0.4</td>
</tr>
<tr>
<td>(l = 0^\circ, b = 1^\circ)</td>
<td>107</td>
<td>6</td>
<td>-12 \pm 15</td>
<td>-3 (\pm 8)</td>
<td>0.1 (\pm 0.1)</td>
<td>0.1</td>
<td>0.1</td>
</tr>
<tr>
<td>(l = -6^\circ, b = 0^\circ)</td>
<td>99</td>
<td>9</td>
<td>-65 \pm 15</td>
<td>-79 (\pm 6)</td>
<td>-0.3 (\pm 0.1)</td>
<td>-0.3</td>
<td>-0.3</td>
</tr>
</tbody>
</table>

Notes. \(N\) gives the number of stars with good radial velocities (good CCF fit, no binary detection). \(N_{\text{blended}}\) gives the number of stars removed from the sample due to multiple peaks in the \(V_r\) CCF. \(\langle V_r \rangle\) is the weighted mean heliocentric radial velocity and \(V_{\text{GC}}\) the galactocentric one.

Figure 10 shows the comparison of the mean velocity and velocity dispersion (see Sect. 5.4). For the field at \(|b| \leq 2^\circ\), this high-velocity component seems to be present in our fields with \(l \geq 0\). At \(l = -6^\circ\) there seems to be its counterpart: a high negative velocity component, as expected if indeed this component was associated with bar orbits as suggested by Nidever et al. (2012). We therefore applied the SEMMUL Gaussian-component decomposition algorithm (Celeux & Diebolt 1986) to our distributions as a clustering tool with two components and present the results for fields \(l = \pm 6^\circ\) in Table 4. At \(l = 10^\circ\) forcing a two-component solution also gives a high-velocity component but with only \(9 \pm 3\%\) of the sample, so not significant enough to be added in this table. At \(l = 0^\circ\) we need a three-component solution to see a high-velocity component appearing but containing only \(2\%\) of the sample. According to the Bayesian information criterion (BIC), the decomposition presented in Table 4 is significant (better than a single component fit) only for field \(l = +6^\circ\). However if we remove the metal-poor stars with [Fe/H] < -0.5, this two-component decomposition also becomes significant for \(l = -6^\circ\). The two-component solution at \(l = \pm 6^\circ\) gives a high-velocity component at \(|V_{\text{GC}}| \sim 230\ \text{km s}^{-1}\) with a velocity dispersion compatible with the results of Nidever et al. (2012). This high-velocity component at \(|V_{\text{GC}}| \sim 230\ \text{km s}^{-1}\) with a velocity dispersion compatible with the results of Nidever et al. (2012).
component has a mean metallicity of ~0.2 dex and represents about 20% of our samples at \( l = \pm 6° \). The high-velocity component seems to be behind the main component at \( l = +6° \) and in front of the main component at \( l = -6° \). This, combined with the correlation between distance and radial velocity study of Sect. 5.4, confirms the Nidever et al. (2012) interpretation of this high-velocity component as being linked to the bar dynamics.

### 5.2. Metallicity distribution function

Figure 11 shows the metallicity distribution of our fields for which Table 5 gives a summary. All the metallicity distributions of our major axis fields can be decomposed into two Gaussian components, similar to what we found along the minor axis in Babusiaux et al. (2010). Table 6 shows the results of the SEMMUL Gaussian-component decomposition algorithm (Celeux & Diebolt 1986) applied to the [Fe/H] distribution of our fields. The size of our sample is, of course, too small, and the error on our metallicity estimates too large to conclude anything about the possibility of having more components, as proposed by Ness et al. (2013a). In particular we see that the metal-poor tail is included in the metal-poor component via an increase in the metallicity dispersion of this component, visible in particular at \( l = +10° \). Moreover, the metallicities of the populations have no physical reason to be Gaussian. Such a decomposition should therefore simply be read as a clustering tool for studying the components’ properties in the other dimensions (velocity, distance), but the mean values of those populations should be used with caution.

There is no significant difference in the metallicity distribution of the fields at \( l = +6° \) and \( l = -6° \) with a median metallicity of, respectively, 0.23 ± 0.03 and 0.20 ± 0.04 dex (Kolmogorov-Smirnov test-\( p \)-value = 0.6). However, the field at \( l = +10° \) is more metal-rich than the field at \( l = +6° \) (K-S test-\( p \)-value = 0.008) and the field at \( (l = 0°, b = 1°) \) is more metal-poor than fields at \( |l| = 6° \) (K-S tests-\( p \)-values <7 \( 10^{-4} \)).

Observing further from the plane at \( b = -4° \), Rangwala & Williams (2009) find lower metallicities than we do for \( l = -5.0° \) ([Fe/H] = -0.17) and \( l = 5.5° \) ([Fe/H] = -0.55) and a higher metallicity at \( l = 1° \) ([Fe/H] = -0.09), although with large individual measurement errors. Rangwala & Williams (2009) conclude that they found indications of a metallicity gradient with Galactic longitude, with greater metallicity in Baade’s window. Based on the same longitudes but at \( |l| \leq 1° \), we also find what looks like a major axis gradient but in the opposite direction, the most metal-poor population being at the centre.

Looking at the minor axis, we find a significantly different distribution in our red clump stars at \( (l = 0°, b = 1°) \) compared to Baade’s Window values of Hill et al. (2011). On their red clump sample Hill et al. (2011) find a mean [Fe/H] = 0.05 ± 0.03 with a dispersion of 0.41 ± 0.02 dex, and the comparison with our low-latitude field leads to a significant Kolmogorov-Smirnov test-\( p \)-value of 0.001. Our sample is therefore more metal-poor than at \( b = -4° \). We note, however, that our metallicities are derived with a different method, that our errors are large, and that our sample target selection box is done in the near-infrared, while it is done in the optical in Hill et al. (2011). But both samples were aiming to observe the bulk of stars, and we checked in Sect. 2.2 that the only bias expected from our target selection on the metallicity distribution are against the most metal-poor stars.

Observing 110 inner M-giants, Ramírez et al. (2000) found no evidence of a metallicity gradient along the minor or major axes of the inner bulge (\( R < 560 \) pc) and derived a mean value

### Table 4. SEMMUL two Gaussian-component decomposition on the radial velocity distribution.

<table>
<thead>
<tr>
<th>Field</th>
<th>( \langle V_{GC} \rangle ) (km s(^{-1}))</th>
<th>( \sigma_{V_R} ) (km s(^{-1}))</th>
<th>%</th>
<th>[Fe/H]</th>
<th>Dist (kpc)</th>
<th>( \sigma_{\text{dist}} ) (kpc)</th>
</tr>
</thead>
<tbody>
<tr>
<td>( l = +6° )</td>
<td>-2 ± 18</td>
<td>84 ± 14</td>
<td>77 ± 9</td>
<td>0.12 ± 0.06</td>
<td>5.8 ± 0.1</td>
<td>2.0 ± 0.1</td>
</tr>
<tr>
<td>( l = -6° )</td>
<td>-235 ± 11</td>
<td>46 ± 9</td>
<td>23 ± 4</td>
<td>0.24 ± 0.10</td>
<td>9.2 ± 0.2</td>
<td>2.3 ± 0.1</td>
</tr>
<tr>
<td>( l = -34 ± 18 )</td>
<td>75 ± 6</td>
<td>77 ± 4</td>
<td>-0.06 ± 0.09</td>
<td>9.0 ± 0.2</td>
<td>2.6 ± 0.2</td>
<td></td>
</tr>
</tbody>
</table>

**Notes.** \( \langle V_{GC} \rangle \) is the mean galactocentric radial velocity and \( \sigma_{V_R} \), the radial velocity dispersion. [Fe/H] is the mean metallicity of the components. The distance corresponds to the mode of the distance distribution function (in kpc). \( \sigma_{\text{dist}} \) corresponds to the 68% HDI of the distribution (see Sect. 5.3). The errors are computed using bootstrap resampling and do not include other local maxima in the decomposition.

### Table 5. Summary of the metallicity distribution.

<table>
<thead>
<tr>
<th>Field</th>
<th>( N )</th>
<th>( \langle [\text{Fe/H}] \rangle )</th>
<th>( \sigma_{[\text{Fe/H}]} )</th>
</tr>
</thead>
<tbody>
<tr>
<td>( l = +10°, b = 0° )</td>
<td>90</td>
<td>0.28 ± 0.04</td>
<td>0.34 ± 0.05</td>
</tr>
<tr>
<td>( l = +6°, b = 0° )</td>
<td>100</td>
<td>0.15 ± 0.04</td>
<td>0.37 ± 0.04</td>
</tr>
<tr>
<td>( l = 0°, b = 1° )</td>
<td>107</td>
<td>-0.21 ± 0.05</td>
<td>0.54 ± 0.03</td>
</tr>
<tr>
<td>( l = -6°, b = 0° )</td>
<td>88</td>
<td>0.03 ± 0.06</td>
<td>0.55 ± 0.05</td>
</tr>
</tbody>
</table>

**Notes.** \( N \) gives the number of stars with derived metallicities. \( \langle [\text{Fe/H}] \rangle \) and \( \sigma_{[\text{Fe/H}]} \) are the mean and the dispersion of the metallicity distribution (in dex).
Table 6. SEMMUL Gaussian-component decomposition on the metallicity distribution.

<table>
<thead>
<tr>
<th>Field</th>
<th>[Fe/H]</th>
<th>σ[Fe/H]</th>
<th>% (VGC)</th>
<th>σVGC</th>
<th>Dist</th>
<th>σdist</th>
</tr>
</thead>
<tbody>
<tr>
<td>l = +10°</td>
<td>-0.17 ± 0.13</td>
<td>0.45 ± 0.06</td>
<td>21 ± 8</td>
<td>46 ± 29</td>
<td>90 ± 16</td>
<td>4.2 ± 0.2</td>
</tr>
<tr>
<td>l = +6°</td>
<td>-0.32 ± 0.06</td>
<td>0.39 ± 0.08</td>
<td>27 ± 4</td>
<td>31 ± 23</td>
<td>99 ± 19</td>
<td>5.7 ± 0.2</td>
</tr>
<tr>
<td>l = 0°, b = 1°</td>
<td>-0.79 ± 0.09</td>
<td>0.31 ± 0.05</td>
<td>38 ± 2</td>
<td>10 ± 17</td>
<td>134 ± 15</td>
<td>7.2 ± 0.1</td>
</tr>
<tr>
<td>l = -6°</td>
<td>-1.04 ± 0.10</td>
<td>0.29 ± 0.07</td>
<td>16 ± 3</td>
<td>-43 ± 25</td>
<td>85 ± 19</td>
<td>8.8 ± 0.2</td>
</tr>
</tbody>
</table>

Notes. (VGC) is the mean galactocentric radial velocity and σ the radial velocity dispersion. The distance to the Sun corresponds to the mode of the distance distribution function. σdist corresponds to the 68% HDI of the distribution (see Sect. 5.3). The errors are computed using bootstrap resampling.

of [Fe/H] = −0.21 dex with a dispersion of 0.30 dex. Rich et al. (2007a) observed 17 M-giants of at (l = 0°, b = −1°) and found [Fe/H] = −0.22 ± 0.03 with a dispersion of 0.14 ± 0.02 dex. The mean value of both Ramírez et al. (2000) and Rich et al. (2007a) is in excellent agreement with our sample at (l = 0°, b = 1°). Rich et al. (2007a) and Ramírez et al. (2000) find no significant difference with their M-giant sample in Baade’s window, although both distributions show a small metal-poor peak in their inner sample (Fig. 11 of Ramírez et al. 2000; Fig. 2 of Rich et al. 2007a).

It therefore seems from our sample and its comparison with other observations that the metallicity gradient observed at |b| > 4° along the minor axis by Zoccali et al. (2008) is also found in the plane at l = ±6°. At l = 0°, the metallicity gradient of the minor axis flattens, with a hint of an inversion, when comparing the Baade’s window sample with our sample at (l = 0°, b = 1°). However, considering the large errors of our sample and the difference in target selections and spectral analysis with other samples, a large homogeneous survey is needed to confirm this inversion.

Despite the quoted uncertainties, we can confirm the flattening of the metallicity gradient along the minor axis within |b| < 4°. Indeed when adding a systematic of 0.2 dex on our mean metallicity estimate, which is an upper limit according to our sensitivity analysis in Sect. 3.3, our sample at (l = 0°, b = 1°) becomes consistent with the mean metallicity of Baade’s Window. Our results show that the metal-poor population observed at b = −4° is at least as large at b = 1°. This metal-poor population therefore does not just appear in Baade’s window owing to a fadng of the metal-rich one, it has a significant contribution at all latitudes including in the inner regions.

5.3. Distances distribution

The sum of the probability distribution function in the absorption-versus-distance plane of all the stars of the same fields is shown in Fig. 12. We see there the distance change along the major axis following the bar angle. This representation allows the main trends, the dispersion around those due to the uncertainty in each individual estimate, and the correlations between distance and extinction intrinsic to the method to be seen at the same time. The impact of the distance/extinction correlation due to our method is a spread going in the opposite direction to the real behaviour: the extinction decreases with increasing distance. The density peak at ~3 kpc is intrinsic to the method since foreground stars have a higher IMF weight, so they introduce a solution with a higher extinction and shorter distance. This foreground solution could have been removed by introducing the cone effect, but we did not want to add any prior information on the parameter we wanted to derive.

Fig. 12. Density plot of the (distance, extinction) distribution of our stars. The distance is from the Sun in kpc. A550 is the absorption at 550 nm (see Sect. 4). The number of stars per unit area is normalized to a value of 1.0 at the maximum density (separate normalization in each plot).
Table 7. Mode and dispersion (defined as the 68% HDI) of the distance distribution in our sample, in kpc from the Sun.

<table>
<thead>
<tr>
<th>Field</th>
<th>distance</th>
<th>$\sigma_d$</th>
<th>$D_{\text{phot05}}$</th>
<th>$A_{550}$</th>
<th>$\sigma_A$</th>
</tr>
</thead>
<tbody>
<tr>
<td>$l = +10^\circ$, $b = 0^\circ$</td>
<td>4.0</td>
<td>1.8</td>
<td>5.1</td>
<td>14.0</td>
<td>1.6</td>
</tr>
<tr>
<td>$l = +6^\circ$, $b = 0^\circ$</td>
<td>5.7</td>
<td>2.0</td>
<td>~6</td>
<td>12.9</td>
<td>1.0</td>
</tr>
<tr>
<td>$l = 0^\circ$, $b = 1^\circ$</td>
<td>7.3</td>
<td>2.3</td>
<td>7.6</td>
<td>7.7</td>
<td>0.8</td>
</tr>
<tr>
<td>$l = -6^\circ$, $b = 0^\circ$</td>
<td>9.2</td>
<td>2.5</td>
<td>9.4</td>
<td>10.6</td>
<td>1.0</td>
</tr>
</tbody>
</table>

**Notes.** $D_{\text{phot05}}$ corresponds to the field distance derived by Babusiaux & Gilmore (2005) before scaling the field $l = 0^\circ$, $b = 1^\circ$ to 8 kpc. $A_{550}$ and $\sigma_A$ also provide the mode and dispersion of the extinction distribution of the samples, $A_{550}$ being the absorption at 550 nm (see Sect. 4).

Table 7 shows the mode of the distance distribution of our samples and its dispersion. The dispersion is defined here as the 68% highest Bayesian confidence interval (or highest density interval, hereafter HDI). It includes both the intrinsic distance spread of the sample and the individual distance degeneracies. In all our fields, the distance distributions are skewed toward larger distances than the mode.

Table 7 also compares the distances of our spectroscopic samples with the red clump peak distance derived from the photometry of the full sample by Babusiaux & Gilmore (2005). Here we do not rescale the distance modulus toward having the Galactic centre at 8 kpc as done in the final table of Babusiaux & Gilmore (2005) to ensure consistency with the distances derived for our spectroscopic sample. Indeed we used our simulation presented in Sect. 2.2 to check that our isochrone priors are equivalent to assuming $M_K = -1.61$ mag for the red clump magnitude, which corresponds to the solar neighbourhood value (Alves 2000). Keeping this distance scale also allows comparison with the studies of Nishiyama et al. (2005) and Gonzalez et al. (2011a). We keep in mind that a small population correction most probably should be applied (Salaris & Girardi 2002), which would make the distance modulus of $(l = 0^\circ, b = 1^\circ)$ consistent with being at 8 kpc (Babusiaux & Gilmore 2005). This range of population correction is compatible with the latest estimates of the distance of the Galactic centre (Eisenhauer et al. 2005; Ghez et al. 2008; Schönrich 2012).

Figure 13 shows the projection of those distances on the Galactic plane as seen from the north Galactic pole. The background is the Fux (1999) disc/bar particles within 500 pc from the Galactic plane translated to $R_0 = 7.6$ kpc and with an angle $\phi_{\text{out}} = 26^\circ$ relative to the Sun-galactocentric line of sight. To guide the eye, the dotted line represents a straight bar of radius 2.5 kpc and with an angle $\phi_{\text{in}} = 26^\circ$. The green full lines correspond to our sample locations (corresponding to 68% HDI of the distance distribution of each sample). The black circles correspond to the density peak of Babusiaux & Gilmore (2005). The red diamonds indicate the distance of the change in mean radial velocity used here to constrain the bar angle.

In Fig. 12. This indicates that we are crossing the inner disc in this field. We know that there is a hole both in stars and in dust within the bar radius (see e.g. Marshall et al. 2006). This hole separates nicely the bulge/bar area from the inner disc in the other fields, but it seems that it does not separate it that well at $l = 10^\circ$. At $l = 10^\circ$ Babusiaux & Gilmore (2005) detected both a high-extinction cloud in the disc at ~3.5 kpc and the over-density linked to the bar at 5.1 kpc, and our target selection seems to fall between those two features. Still, about a quarter of the sample should be within the near side of the main over-density according to our distance distribution.

The over-density seen at $l = 10^\circ$ in the near-infrared CMD is also seen with 6.7 GHz methanol masers by Green et al. (2011) within $10^\circ < l < 14^\circ$ and would therefore correspond to a young structure, consistent with the metal-rich distribution of our sample. According to the structure of the bar traced by red clump stars (Fig. 3 of Gonzalez et al. 2011a), it indeed seems most likely that all the components (end of the inner disc, molecular/stellar pseudo-ring and bar) start to merge at this longitude.

The spread of the distances sampled in this study is particularly large at $l = -6^\circ$. According to the Gaussian decomposition on the metallicity distribution presented in Table 6, the component with a mean metallicity of [Fe/H] = -1 dex is located at a mean distance of 8.7 kpc, significantly closer to us than the metal-rich component. It therefore seems that our line of sight first crosses a region dominated by the metal-poor component before reaching the bar.

Table 7 also provides the mode of the extinction distribution and its dispersion for our samples. Omont et al. (1999) derived for our field at $l = 0^\circ$ a fairly uniform extinction of $A_V = 5.8 \pm 1$ mag by fitting theoretical isochrones to the red-giant branch, in agreement with Fig. 4 of Babusiaux & Gilmore (2005), but much less than our derived value of 7.7 mag.
To avoid the difference in the extinction law treated more rigorously here, we translated those values in \( E(J - K) = 0.97 \) for the Omont et al. (1999) study against \( E(J - K) = 1.17 \) here. A 0.2 mag remaining difference could be explained by the difference in the isochrone set and in particular by the fact that both Omont et al. (1999) and Babusiaux & Gilmore (2005) use a solar metallicity isochrone as a reference, while one expects the red clump colour to decrease with decreasing metallicity. This would confirm that the low S/N in our spectra is indeed due to an under-estimated visual extinction during the target selection. Gonzalez et al. (2012) have derived the mean extinction of the bulk of red clump stars in the VVV fields by comparison with Baade’s window red clump colours. They derived \( E(J - K) = (2.46 \pm 0.49, 2.28 \pm 0.45, 1.15 \pm 0.14, 1.80 \pm 0.24) \) for our fields at \( l = (10^\circ, 6^\circ, 0^\circ, -6^\circ) \), to be compared to our samples mode \( E(J - K) = (2.10, 1.93, 1.16, 1.59) \). As expected from our target selection, we always have a slightly lower extinction value than the bulk of stars in those fields, although within the spread. Only the field at \( l = 0^\circ \) has a mean extinction fully consistent with the Gonzalez et al. (2012) map, which is due to the low extinction spread in this field.

### 5.4. Radial velocities versus distance

Figure 14 shows the mean Galactocentric radial velocity as a function of distance. For this we computed the mean of each stellar velocity weighted by its distance probability on a fine distance grid. We only plotted the distance range were the bulk of stars are located, to ensure that the shape of the result is not distorted by only a few stars’ probability tails. We defined this distance range by the highest Bayesian confidence interval on the full-sample distance distribution. Figure 14 shows the distances corresponding to both the 50% and 68% HDI. At the border of the distance distribution the number of stars contributing to the mean value decreases leading to the tendency of flattening the mean velocity versus distance relation. More generally, the large spread of our distance distribution function also leads to a flattening of the curves. Since any real velocity versus distance relation will be flattened by our distance errors, any remaining variation observed in our plots is likely to be a strong feature.

The field at \( l = -6^\circ \) shows a small variation in the radial velocity with distance, indicating a minimum value occurring at \( 9.2 \pm 0.2 \) kpc, just before the distance of the peak in density (Table 7). It corresponds to the high-velocity component described in Table 4 smoothed by the large spread of each individual star distance distribution.

The field at \( l = +6^\circ \) shows a significant variation in the radial velocity with distance. It was also detected in our sample prior to individual distance probability determination using the reddening-independent magnitude \( K_{J,K} \) as a distance probe: by separating the sample along the median \( K_{J,K} \) we find that the bright stars and faint stars have a significantly different mean radial velocity (Welch Two sample t-test \( p-value = 3 \times 10^{-6} \)). The change in the mean velocity is located at \( 6.3 \pm 0.2 \) kpc, just after the mode of the distance distribution of our full sample and before the position of the high-velocity component described in Table 4.

The velocity variation with distance was also detected at \( l = \pm 5^\circ \) at \( b = -3.5^\circ \) by Rangwala et al. (2009). Their Fig. 12 and our Fig. 14 are fully compatible: at \( l = -6^\circ \) they see a minimum just before their peak in magnitude, while at \( l = +6^\circ \) they see a sharp increase in velocity around their peak in magnitude.

A solid-body cylindrical rotation would show no variation in the radial velocity with distance. A variation in radial velocity as a function of distance is instead expected for stars streaming along the near and far side of the bar (e.g. Häfner et al. 2000, Mao & Paczyński 2002 and Fig. 15). A bar streaming motion was also detected in the plane by SiO masers (Deguchi et al. 2000). It was detected along the minor axis in the radial velocities of the metal-rich population of Baade’s window (\( l = 1^\circ, b = -4^\circ \)) by Babusiaux et al. (2010) as well as in the proper motions by Sumi et al. (2003), in the radial velocities at (\( l = 0^\circ, b = -5^\circ \)) by Ness et al. (2012) and (\( l = 0^\circ, b = -6^\circ \)) by Vásquez et al. (2013), in the HST proper-motion at \( l = 1^\circ, b = -3^\circ \) by Clarkson et al. (2008), and in the OGLE-III proper motions by Poleski et al. (2013). However \( l = 0^\circ \) is our only field without any sign of variation of the radial velocity with distance. Selecting only metal-rich stars does not change this, unlike Baade’s window results, although the sample here is much smaller.
The field at \( l = 10^\circ \) shows a small decrease in radial velocity with distance at distances smaller than \( \sim 5 \) kpc. Close-by stars have a mean velocity of \( \langle V_{GC} \rangle = 68 \pm 11 \, \text{km s}^{-1} \), consistent with the BRAVA and APOGEE results (Fig. 10). We have seen that the closest stars are in fact inner disc stars. At the main CMD over-density (5.1 kpc), the radial velocity is \( \langle V_{GC} \rangle = 42 \pm 12 \, \text{km s}^{-1} \). There is a hint that the mean velocity goes up again at larger distances. There are few stars at those distances, but we would have expected the distribution at the borders to be flattened by the spread of the distance distribution, while a signal is still here, which means that it is quite likely that this feature is real.

Figure 15 presents the radial velocity variation with distance predicted by the model of Fux (1999) in our lines of sight. The predicted trends correspond very well to the observations at \( l = +6^\circ \). As expected, the amplitude of the variation as predicted by the model is seen flattened in our data by the spread in our distance distributions. At \( l = 10^\circ \) and distances lower than 5 kpc, there are very few particles in the model. At distances greater than 5 kpc, it is our sample that is small but the increase in radial velocity predicted by the model can be seen at the border of our distance distribution. At \( l = 0^\circ \) a small variation is predicted by the model but not seen here. It may simply be due to the smoothing of this small variation. At \( l = -6^\circ \), the minimum of the velocity is seen in the model at \( R_0 = 7.6 \) kpc, while we see it at 9.2 \pm 0.2 kpc. Changing the angle of the bar in the model does not change the result, because at \( l = -6^\circ \) we are crossing the nuclear bulge in the model (see Fux 1999, Figs. 18 and 23), which extends in the model up to \( l = -7^\circ \). It therefore seems that we can give \( l = -6^\circ \) as an upper limit for the extent of the nuclear part of the bulge, in agreement with the flattening observed in the red clump distribution within \( \vert l \vert < 4^\circ \) found by Nishiyama et al. (2005) and Gonzalez et al. (2011a).

Since we expect the change in radial velocity with distance observed at \( l = \pm 6^\circ \) to be due to the bar streaming motion, we would also expect that the distance at which this change in mean radial velocity occurs is linked to the bar angle. As a first test, we used our derived distance to this break in the radial velocity behaviour (6.3 \pm 0.2 kpc at \( l = +6^\circ \) and 9.5 \pm 0.2 kpc at \( l = -6^\circ \)) as a distance indicator for the bar. Those are indicated in Fig. 13. With those two points we derived an angle for the bar of \( \phi_{bar} = 26 \pm 3^\circ \) and a distance from the Sun to the Galactic centre \( R_0 = 7.5 \pm 0.2 \) kpc (represented in Figs. 13 and 14). The quoted errors are issued from bootstrap alone and do not include any systematics. All this seems self-consistent but needs to be confirmed by studies at other longitudes. That the distance derived by the mean radial velocity change corresponds to the distance of the peak of the red clump in the CMD could seem at odds with the bias of the latter due to the bar thickness predicted by Stanek et al. (1994) and Gerhard & Martinez-Valpuesta (2012). We also tested this with the model of Fux (1999) with the same conclusions, but by inspecting the simulated CMDs at \( l = -6, +6 \) and \( +10^\circ \), the red clump peak is much more diluted in the simulation than in the observations of Babusiaux & Gilmore (2005). While Gonzalez et al. (2011a) observed at \( b = 1^\circ \), leading to a bar shape that is reproduced well by the model of Gerhard & Martinez-Valpuesta (2012), we are observing here at \( b = 0^\circ \), an hypothesis could therefore be that we are looking at younger stars associated with shocks along the bar, creating a sharper red clump than predicted in the N-body simulations that do not include star formation.

### 5.5. Radial velocities versus metallicity

Figure 16 shows the radial velocity dispersion as a function of metallicity. In all fields but \( l = 10^\circ \), the velocity dispersion is higher for the metal-rich stars than for the metal-poor stars. The highest velocity dispersion is seen for the metal-rich stars at \( l = 0^\circ \). Figure 17 shows the velocity dispersion as a function of longitude and latitude, the latter using the data of Babusiaux et al. (2010) completed by our \( l = 0^\circ \) field. As for Fig. 8 of Babusiaux et al. (2010), we separated the sample into a metal-poor and a metal-rich population, although the cut is done here with fixed metallicity ([Fe/H] < -0.2 for the metal-poor, [Fe/H] > 0 for the metal-rich). The Fux (1999) model has been rotated and translated as indicated in Fig. 13, which corrected for a shift in the barycentre position of the model, leading to an increase in the velocity dispersion for the disc/bar particles along the minor axis compared to the original model used in Babusiaux et al. (2010). Along the major axis, the particles have been selected to be within 2 kpc of the bar mean position assuming \( \phi_{bar} = 26^\circ \). We did not add the spheroidal component of the Fux (1999) model in this plot since in Babusiaux et al. (2010) we have shown that this component had a velocity dispersion that is too large, even if it predicted that the velocity dispersion of this component stayed fairly constant with Galactic latitude, as observed. We see here that the velocity dispersion is also higher than the observations for the disc/bar particles. Although the error bars are large, it continues the trend observed in Babusiaux et al. (2010): the velocity dispersion of the metal-rich stars increases going near the Galactic plane, following the trend of the Fux (1999) disc/bar particles. The metal-poor star velocity dispersions seem to stay around 100 km s\(^{-1}\) along the major axis as it did along the minor axis. The highest dispersion of the metal-poor stars is seen at \( l = 0^\circ \), which could be interpreted as the influence of the bar dynamics on an older metal-poor structure (Saha et al. 2012).

We tested a 2D Gaussian-component decomposition using metallicity and radial velocity as discriminating variables. The result is a combination of Table 4 (using only \( V_R \)) and 6 (using only [Fe/H]): the metal-poor component in all fields stays as indicated when using only metallicity as a discriminant. In fields \( l = \pm 6^\circ \) the metal-rich component ([Fe/H] = 0.2 dex) splits in a component with a low mean galactocentric radial velocity and a high-velocity component (\( |V_{GC}| = 200 \pm 15 \, \text{km s}^{-1} \)), confirming...
that this high-velocity component corresponds to the tail of the bar’s velocity distribution.

The field at $l = +10^\circ$ shows the lowest velocity dispersion in the metal-rich regime. We have seen that $l = +10^\circ$ actually corresponds to the end of the inner disc and the molecular/stellar ring where we indeed would expect a lower radial velocity dispersion than within the bar. High metallicity in this region that is rich in gas is also expected. In Table 6 there is a hint that the metal-poor component in this field is located a bit further from the metal-rich component. To test this, we tried a 2D Gaussian decomposition using both the metallicity and the distance as discriminating variables. It leads to three components which confirms this hypothesis: 56% of the sample is in a cluster with $\text{[Fe/H]} = 0.4$ dex, a distance of $3.9 \pm 0.15$ kpc and a velocity dispersion of $74 \pm 11$ km s$^{-1}$, which we would associate to the end of the inner disc. 39% of the sample is in a cluster with $\text{[Fe/H]} = 0.22$ dex, a distance of $5.2 \pm 0.41$ kpc and a velocity dispersion of $107 \pm 15$ km s$^{-1}$, which we would associate to the start of the bar. The remaining 6% are the most metal-poor stars with a distance in between of $4.5 \pm 0.17$ kpc.

6. Conclusions

We analysed the low-resolution spectra of red clump stars in four fields along the bar’s major axis. The main results of our analysis can be summarized as follows:

- We observed an increase in the radial velocity dispersion of the bar near the galactic plane compared to literature values further from the plane.

- Our field at $l = +10^\circ$ seem to sample both the end of the inner disc and the bar. The end of the inner disc is the largest component in our sample. It shows a large spread in both distance and extinction, a high metallicity and a low mean velocity and velocity dispersion. Our target selection shows that the bar is no longer as distinct from the inner disc as it is in the other fields and that we are therefore sampling here a field close to the end of the bar.

- We detected the streaming motion of the stars induced by the bar in fields at $l = \pm6^\circ$.

- We confirmed that the high-velocity component detected by Nidever et al. (2012) is associated with the bar streaming motion and derive a mean metallicity of $0.23 \pm 0.07$ dex for this component.

- From the distance at which the radial velocity shows a sharp change in its mean value, we tentatively estimated a bar angle of $\phi_{\text{bar}} = 26 \pm 3^\circ$. (The quoted error does not include systematics due to the choice of priors in the distance estimations.)

- All our fields show a significant fraction of metal-poor stars ($\text{[Fe/H]} < -0.5$), the largest population being at $l = 0^\circ$. At $l = -6^\circ$ the large spread in distance seems to be due to the fact that we are crossing such a metal-poor component before reaching the bar. This could indicate that the metal-poor population is spread more uniformly within the inner region than the metal-rich population, which is concentrated along the bar.

- We confirmed that the metallicity gradient observed at $|b| > 4^\circ$ flattens in the inner regions, with a hint that the

![Fig. 16. Radial velocity dispersion as a function of metallicity by bins of 20 stars. Error bars are obtained by bootstrap.](image1)

![Fig. 17. Radial velocity dispersion along the bulge’s a) major and b) minor axes compared with the disc particles of the model of Fux (1999) rotated and translated as in Fig. 13. The metal-poor population corresponds to $\text{[Fe/H]} < -0.2$ dex and the metal-rich population to $\text{[Fe/H]} > 0$ dex. Figure b) completes Fig. 8 of Babusiaux et al. (2010) with our minor axis field ($l = 0^\circ, b = 1^\circ$) assuming symmetry between positive and negative latitudes.](image2)
gradient is actually inverted. The metal-poor population therefore does not appear only at high latitudes owing to a fading of the metal-rich one. It has a significant contribution at all latitudes including in the inner regions.

All those results are consistent with the expected kinematic signature of a secular bar, as predicted by dynamical models of the bar and with the bulge being composed of both a metal-poor and a metal-rich component with different density distributions. What we call here the metal-rich component would correspond to the populations A & B of Ness et al. (2013b) and the bar population of Robin et al. (2012) ([Fe/H] ≳ −0.5). The metal-poor component would correspond to the populations C & D of Ness et al. (2013b) and the “thick bulge” population of Robin et al. (2012) ([Fe/H] ≲ −0.5). The metal-rich population is the population that presents a vertex deviation in Baade’s window (Babusiaux et al. 2010) and which follows the X-shape structure in Ness et al. (2012). It issues from the disc through secular evolution. The metal-poor population is more centrally concentrated, extends further from the Galactic plane, and presents a kinematically distinct signature.

Our data are consistent with a main bar with an angle of ϕbar = 26 ± 3° and length of ≃ 2.5 kpc, containing a nuclear bulge in its centre extending not further than ≃ 560 pc. Such a size for the nuclear bulge would be consistent along the major axis with the fact that we are not crossing this structure at l = −6° and with the flattening of the bar angle at |l| < 4° detected by Nishiyama et al. (2005) and Gonzalez et al. (2011a), and along the minor axis with the flattening of the metallicity gradient observed at |b| < 4°. What we call here a nuclear bulge is not necessarily a distinct dynamical structure from the main bar but could be due to the bar inner Lindblad resonance (ILR) (Fux 1999; Gerhard & Martinez-Valpuesta 2012). This dynamical structure could mix the disc and a more primordial structure trapped within the ILR.

The central concentration of metal-poor stars is also observed in the RR Lyrae (Alcock et al. 1998; Collinge et al. 2006; Pietrukowicz et al. 2012) and Type II Cepheids (Soszyński et al. 2011, Fig. 6) distributions. Collinge et al. (2006) and Pietrukowicz et al. (2012) show that the RR Lyrae follow the barred distribution of the bulge red clump giants in the inner regions (|l| < 3°, |b| < 4°), while farther off the Galactic plane (|b| > 4°), the distribution of RR Lyrae stars become spherical. This result would be consistent with the results of Saha et al. (2012) who show that a low-mass classical bulge could develop triaxiality and cylindrical rotation under the influence of the bar. A metal-poor stars concentration would also be consistent with N-body simulations showing that stars located within the central regions before the bar instability tend to stay confined in the innermost regions of the boxy bulge (e.g. Di Matteo et al. 2014), independently of their discy or spheroidal origin. We note that another interpretation could have been an inflow of metal-poor gas towards the centre through the bar, leading to younger stars forming in less enriched gas. This inflow of gas should have occurred more than 10 Gyrs ago for this scenario to be consistent with the fact that bulge metal-poor stars have been shown to be older than 10 Gyrs (Zoccali et al. 2003; Clarkson et al. 2008; Bensby et al. 2013).

Several models study this double composition in detail (Samland & Gerhard 2003; Tsujimoto & Bekki 2012; Greco et al. 2012; Perez et al. 2013), where the metal-rich population is associated with the bar and the metal-poor population is either the thick disc or a primordial structure formed either by hierarchical formation, dissipational collapse, or clumpy primordial formation. That those two (or more) populations can present internal metallicity gradients complicates the interpretation of observations even more at different longitudes and latitudes (see e.g. Greco et al. 2012 discussing a metallicity gradient within a classical gravitational gas collapse component and Martinez-Valpuesta & Gerhard 2013 discussing a metallicity gradient in a secular bulge). The exact density distribution of the metal-poor population and its link in terms of formation history with the thick disc and the inner halo, which are seen in their abundances and kinematics, need large homogeneous surveys.

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