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SIMPLIFIED CALCULATION METHOD OF THE TORSION EFFECT ON THE SEISMIC BEHAVIOUR OF TIMBER BUILDING

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ABSTRACT. An analytical approach is developed to take into account the vertical axis torsion phenomenon which is more difficult to evaluate than bending modes for seismic situations. A typological analysis of current buildings is done and an original classification, based on the distribution of the bracing implantations and the degree of symmetry is proposed. A parametric study is conducted with the method of multi-2D combination to analyze the influence of different bracing configurations on the sensitivity of the analyzed structure to the torsion phenomena. The simplified method is checked using more sophisticated methods according to the approaches proposed in Eurocode 8. The results showed that the proposed approach gives simple, accurate and safe calculation method to take account of the torsion effect on timber buildings. All these results lead to the creation of a database that can serve as reference for the analysis of the semi-rigidity diaphragm influence or the real non-linearity bracings on the load distributions under seismic event.

1. Introduction

Regarding post earthquake observations, a lot of damage on buildings is due to in plan or (and) elevation irregularities. Many cases can be found for example in kobe Izmit or Kashiwazaki post earthquake reports from AFPS (French association for earthquake engineering) mission [1] [2] [3]. Usual design methods are able to fittingly describe the transversal behavior of a building, but the torsion phenomena are much more difficult to be acceptably taken into account [4]. Two origins of torsion are clearly identified, on one hand, a structural eccentricity due to irregular positions of the bracing or distribution of mass, and on the other hand, an accidental origin due to the uncertainties on the effective position place and rigidity of the bracings, the distribution of permanent and quasi-permanent loads and the real seismic action [5] [6].

Many design methods can be used in the actual codes, linear-elastic analysis such as classical modal response spectrum analysis (including or not a linearization of behavior factor) or simplified method as lateral force method, or nonlinear methods such as pushover or non-linear time history analysis. Figure 1 presents these methods in relation with Eurocode 8 prescriptions (seismic european code [7]). To take into account the torsion, several ways can be used, for example Eurocode 8 proposes a simplified wide-ranging method or a method based on additional moment calculated for each level of mass. These torsion methods can be used as well as for linear and non-linear analysis. The application of these methods, global analysis and torsion closely depends on the dimensions of modeling (2 x 2D or 3 x 2D, or 3D); Eurocode 8 requirements are reported on table 1. Grey lines in table 1 correspond to the configurations adapted to the approach developed in this paper.

Accurate methods exist to take into account the influence of torsion effects; Chateaneuf and Badaoui [8] carried study with an artificial neural network coupled with Monte Carlo simulations. The approach used in this paper is based on a simple approach with a less wide field than wide-ranging Eurocode proposal; it is based on Priestley and Paulay developments for reinforced concrete with vertical continuous bracings [7] [12]. This method is adapted to timber structures and an application is carried out in order to build a data base able to propose a general coefficient of torsion incidence only based only on a geometric frame considering the positions of the bracing.

Figure 1: possible choices for global analysis in Eurocode 8 requirements

Table1: models, global analysis and behavior factor compatibilities in Eurocode 8 for linear analysis

all types of buildings					buildings with H<10 m + conditions				
regularity		allowed simplification		behaviour factor for linear analysis	regularity		allowed simplification		behaviour factor for linear analysis
plan	elevation	model	linear-elastic		plan	elevation	model	linear-elastic	
yes	yes	planar	lateral force	reference value	yes	yes	planar	lateral force	reference value
yes	no	planar	modal	decreased value	yes	no	planar	modal	decreased value
no	yes	spatial	lateral force	reference value	no	yes	planar	lateral force	reference value
no	no	spatial	modal	decreased value	no	no	spatial	modal	decreased value

2. Description of the multi 2D approach

This approach is based on an initial combination of X and Y direction of seismic action. The structure is considered as a set of “lateral load flexible elements” without interruption from the foundation to the top of the building and punctually connected by horizontal diaphragms stiffer and stronger than structural walls

2.1 Continuous bracing requirements

The structural walls can be composed by vertical bracings, shear walls, portal frames... The vertical continuity is assumed between each level and an effective anchorage is considered at the base of the structural wall. These assumptions correspond to design code requirements; adapted detailing must be implemented. The application of this study is based on shear walls, but the method could be applied to other types of structural walls. In the same way, the study is applied to vertical regular buildings for which simplified lateral analysis is adequate to predict the lateral deflexion of the bracing elements. Nevertheless, this approach can be used with a modal spectrum analysis. An example of diaphragm wall composition and anchorage solutions are presented on figure 2 [9].

Figure 2: composition of typical shear wall and detailing on anchorage to avoid overturning and sliding.

As example, the shear wall can be composed with an OSB panel (thickness of 13 mm) nailed (diameter of 2.8 mm, $f_u=600\text{N/mm}^2$) on a $147\times 47\text{ mm}^2$ framing. The basic fastener spacing is $s = 75\text{ mm}$ and the framing elements have a design compressive strength parallel to grain of 24 N/mm^2 . In internal environment the seismic strength of this shear wall (height, $h = 2800\text{ mm}$, length = 1100 mm) is equal to 10.6 kN . Figure 3 shows the evolutions of the strength and the stiffness of this type of shear walls versus their length according to Eurocode 5 (timber structure european code) [10].

Figure3: mechanical characteristics of typical shear walls used in this study

2.2 Combination of 2D actions and horizontal diaphragm hypothesis

To be able to combine the seismic actions from two distinct directions, these directions must correspond to two effective direction of bracing, as illustrated in figure 4. The combination is based on linearized behaviour and classical Newmark assumptions. In order to justify these hypotheses roof and floor components have to be much stiffer than walls. This hypothesis can be easily reached with reinforced concrete slabs, but it is more difficult to verify such condition for timber floors. APA guides [11] give some elements about the evaluation of the horizontal diaphragms behaviour. Fuentes did a presented recently comparison between such evaluation and finite element modelling results [15] In a first approach, and regarding Fuentes results, for dwellings or office buildings the ratio between floor area and opening for vertical circulation is high enough to be able to check the stiffness condition. Figure 4 gives an example of the possible shear wall implantation on the directions X and Y. Thus, for each direction five zones are defined direction: A, BC and D. Zones A are close to the façades. Zone D is central and zones BC are between the zones A and D. Figure 4 also exhibits a “reference rectangle” in which the plan of the building floor can be inserted. The slenderness of this rectangle is limited to 2 for this study and the ratio between each lack area and reference rectangle one is limited to 10%.

Figure 4: example of timber building with typical position of bracing (partition for office buildings) [14]

2.3 multi 2D approach and accidental eccentricity effects

On the base of such plan, structural eccentricity between the centre of mass and the centre of torsion can be calculated. Combinations of seismic action, of geometrical accidental eccentricities, of actions in seismic situation are synthesized on the flowchart in figure 5. This approach was presented by Priestley and Paulay for reinforced concrete [12]. Figure 5 presents the adaptation of this approach using the Eurocode requirements.

Figure 5: flowchart of torsion calculation respecting Eurocode 8 requirements

In this flowchart, k represents the in plan rigidity of a bracing element, K , the rigidity of the whole bracing in x or y direction and K_{rx} the rigidity of the totality of x and y bracings regarding the behaviour in torsion. In plan position of bracings are represented by the x and y values of the coordinate of their geometrical centre reported to the centre of torsion (x_T, y_T) and the radius of torsion are represented by r . The structural eccentricity is called e_0 and the accidental one, e_a . The shear force, the bending moment and the moment of torsion are respectively called V , M and C for each floor and M_T on the base of the building. $V_{i,x}$ is the shear force at the level i in x direction, $V_{i,j,x}$ is the shear force for the bracing j at the level i in the x direction. V^{comb} is the combination of the 16 configurations of seismic actions and accidental eccentricities.

3. Parametric position of bracing

In order to take into account the influence of structural implantation on seismic loadings of the bracing elements, a parametric study has been carried out. Part of tested configurations is presented in table 2. For each position of bracing per zone, different distribution of symmetry inside the zone are studied from 1/2 – 1/2, to 4/5 – 1/5 in zone A and from 1/2 – 1/2, to 1/1 – 0/1 in other zones; these parameters are only geometrical ones. This way is quite easier to calculate than eurocode way which can be difficult or impossible to solve. Effectively, torsional radius and radius of gyration can be quite difficult to determine [13].

In addition to the limits of bracing implantation in one direction (minimum of 20% in zone A), a complementary criterion is imposed in the other direction: (minimum of (100-20) % in zone A. Only some of the configurations presented in table 2 are covered by the plan regularity criteria of Eurocode. This last condition is not respected in all cases presented in table 2. These cases are studied for different slenderness of the “reference rectangle”. Percentages of bracing in Y direction placed in B position (table 2) are also studied in C and D positions. Thus a total of 32 400 configurations have been studied.

Table 2: example of parametric position of bracings

Configurations	X direction bracing position in %				X direction bracing position in %				Configurations	X direction bracing position in %				X direction bracing position in %			
	A	B	C	D	A	B	C	D		A	B	C	D	A	B	C	D
A8	60	40			60	40			A31	50		50		80	20		
A9	60	40			70	30			A32	40		60		60	40		
A10	60	40			80	20			A33	40		60		70	30		
A11	70	30			60	40			A34	40		60		80	20		
A12	70	30			70	30			A35	30		70		60	40		
A13	70	30			80	20			A36	30		70		70	30		
A14	80	20			60	40			A37	30		70		80	20		
A15	80	20			70	30			A38	20		80		60	40		
A16	80	20			80	20			A39	20		80		70	30		
A17	50	50			60	40			A40	20		80		80	20		
A18	50	50			70	30			A41	50			50	60	40		
A19	50	50			80	20			A42	50			50	70	30		
A20	40	60			60	40			A43	50			50	80	20		
A21	40	60			70	30			A44	40			60	60	40		
A22	40	60			80	20			A45	40			60	70	30		
A23	30	70			60	40			A46	40			60	80	20		
A24	30	70			70	30			A47	30			70	60	40		
A25	30	70			80	20			A48	30			70	70	30		
A26	20	80			60	40			A49	30			70	80	20		
A27	20	80			70	30			A50	20			80	60	40		
A28	20	80			80	20			A51	20			80	70	30		
A29	50		50		60	40			A52	20			80	80	20		
A30	50		50		70	30

4. Parametric study results

For each configuration of bracing, 16 combinations of seismic actions and accidental eccentricities are computed. For each set of bracing implantation, the maximum value of loading is recorded for each line of bracing. These maxima are plotted on graphs in figure 6. The lines of bracing are numbered in x and y direction: 1 and 2 for lines close to façades and 3 and 4 for BC or D zones. Results are split in regular and irregular cases regarding in plan Eurocode 8 criteria. Even if 1.45 (maximum value of factor incidence for regular cases) is significantly lower than 1.88 (maximum value for irregular cases), wide differences are exhibited on regular case graph and on figures 6 and 7. More discriminant criteria must be found.

Figure 6: example of result as torsion incidence for regular and non-regular configurations for X 60-40 / Y 80-20 and a rectangle slenderness of 1.5

Figure 7: distribution of torsion incidence for: a) regular configurations and for b) irregular configurations

5. Bracing distribution classes and choice of class limits

Average values and coefficients of variation are reported in table 3. Slenderness, B-C and D positions of bracing in y direction, positions for x bracings are single parameters which are not able to find a discriminant criterion even for 7 ranges for positions of X bracing. A combination of parameters as “distribution” is presented in the last line of table 3. Inside each distribution (I, II, III and IV) the coefficient of variation is lower than the values obtained for single parameters and the average values obtained for each distribution are sensibly different with only 4 types of distributions. May be it could be possible to join III and IV distributions.

Table 3: research of criteria classes to evaluate the influence of torsion

global average	1,35						
coef. of variation	11,1%						
slenderness	1.0	1.5	2.0				
average per	1,30	1,34	1,38				
coef. of variation	11,0%	11,1%	11,7%				
Y positions of bracing	B	C	D				
average per Y position	1,38	1,38	1,37				
coef. of variation	11,7%	10,6%	10,0%				
X positions of bracing	60-40	70-30	80-20	50-50	40-60	30-70	20-80
average per X position	1,32	1,32	1,31	1,34	1,35	1,37	1,38
coef. of variation	10,6%	10,5%	10,4%	10,8%	10,8%	11,1%	11,5%
distributions	I	II	III	IV			
average per distribution	1,12	1,36	1,44	1,49			
coef. of variation	1,8%	4,5%	3,9%	3,3%			

The distributions are defined as followed:

- distribution I, $\frac{1}{2} - \frac{1}{2}$ perfect symmetry in each zone and each direction
- distribution II, $\frac{2}{3} - \frac{1}{3}$ for one zone in one direction, $\frac{1}{2} - \frac{1}{2}$ in others zones and direction
- distribution III, $\frac{3}{4} - \frac{1}{4}$ in one zone except zone A, $\frac{1}{2} - \frac{1}{2}$ in others zones and direction,
or
two zones in $\frac{2}{3} - \frac{1}{3}$ and two zones in $\frac{1}{2} - \frac{1}{2}$
- distribution IV, the four zones in $\frac{2}{3} - \frac{1}{3}$
or
3 zones in $\frac{1}{2} - \frac{1}{2}$ and 1-0 in zone D.

The ratios, $\frac{1}{2} - \frac{1}{2}$, $\frac{2}{3} - \frac{1}{3}$, $\frac{3}{4} - \frac{1}{4}$ and 1-0 are ratios in symmetry inside a couple of zones; for example, in X direction in the two zones BC, with 14 meters of shear wall in one side and 6 meters in the other side, the ratio will be 70%-30%, so it could be classed as $\frac{3}{4} - \frac{1}{4}$ in this zone.

In order to take into account the results of this work in a design practice or a verification stage, maximum values of torsion influence must be applied instead of average value (table 4). These maximum values are presented in table 4.

Table 4: impact factor of torsion on the loading of bracing regarding its implantation

length / width		distributions			
min	max	I	II	III	IV
1	2	1.15	1.43	1.56	1.58

6. Conclusion

This study analyzed us to analyse the influence of the in plan distribution of bracing on their loadings in seismic situation. The calculation is based on a 3D approach as used in New Zealand and also as proposed in one of the global analysis methods of Eurocode 8. This approach includes the structural and the accidental origin of torsion phenomenon and a data base is build with more than 30 000 simulations corresponding to various implantations, inside a grid defining the “zones” of the bracing positions. This study is applied on timber structures with shear walls but the approach can be extended to other types of bracings and other types of materials. The most influent parameter among the slenderness of the plan, the symmetry of the bracing, and the implantation zones is a combination of the symmetry and the implantation. This combination is here illustrated by four “distributions”. The interest of these distributions is their simple geometric character, which can be read on a plan and the zone grid. With this study, a minimum impact of torsion of 15% is observed even for symmetric configuration and this torsion influence reach 60% for the lowest symmetry configurations taken into account in the study. This threshold of 60% can be exceeded for asymmetric configurations out of the limits defined by the distribution IV.

This study has been completed by a finite element study with linear elastic behavior and also with a neural network able to integrate random values of accidental eccentricity; these numerical approaches are completed by experimental approaches on reduced models.

7. References

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