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Decoupling Approach of Superdirective Antenna Arrays

Abdullah Haskou, Ala Sharaiha, and Sylvain Collardey
IETR UMR CNRS 6164- Université de Rennes 1, Rennes, France
abdullah.haskou@univ-rennes1.fr, ala.sharaiha@univ-rennes1.fr, sylvain.collardey@univ-rennes1.fr

Abstract—The inter-element distance in superdirective arrays is usually very small and hence the mutual coupling is considerably high. Consequently, these arrays present relatively low efficiencies. In this paper, we propose using decoupling techniques for reducing the mutual coupling, and hence increasing the efficiency, in this kind of arrays. The concept is proven by full wave simulations of two different Electrically Small Antenna (ESA)-based two-element arrays with an inter-element distance of 0.1λ. In the first array with a $ka = 0.56$, the original (before decoupling) radiation efficiency of 7% is increased to 13.4% and the realized gain is increased from $-6.4\text{dBi}$ to $-2.6\text{dBi}$. In the second array with a $ka = 1.18$, the original radiation efficiency of 52.1% is increased to 63.7% and the realized gain is increased from $3\text{dBi}$ to $3.9\text{dBi}$.

Index Terms—Superdirectivity, decoupling, directivity, radiation efficiency

I. INTRODUCTION

Electrically Small Antennas (ESAs) are very important for compact hand-held technologies. However, these antennas are known for their quasi-isotropic radiation patterns. To keep the size advantage of ESAs while significantly increasing their directivity, one can integrate them in superdirective arrays where the inter-element distance is usually a fraction of the wavelength. The available literature is rich of successful realizations of ESA-based superdirective arrays [1]-[7]. However, due to the small inter-element distance, these arrays suffer from high mutual coupling and as a consequence small efficiencies. Recently, multiple decoupling techniques were presented [9]-[12].

In [9], an eigenmode feed network was used to decouple a two-element array yielding a mutual coupling reduction of $15\text{dB}$. In [10], the authors proposed using a parasitic loaded scatter to decouple a two-element monopole array. A simulated coupling reduction of $31\text{dB}$ was achieved. In [11], a decoupling circuit was used to decouple a two-element patch array achieving a mutual coupling decrement of $5\text{dB}$. The decoupling can also be done by using bandstop filters between the array elements as in [12] where interdigital capacitor loaded slots were used to decouple a two-element patch array revealing a coupling mitigation of $15\text{dB}$. In the open literature decoupling is mainly used to mitigate the correlation coefficient and improve the diversity gain in MIMO arrays. In this paper, we propose using the decoupling techniques in superdirective arrays to increase their efficiency. This proposition is validated by the design of two parasitic ESA-based two-element arrays with an inter-element distance of 0.1λ. The simulation results show that the proposed method significantly increases the array efficiency.

II. GEOMETRY AND SIMULATION RESULTS

Let us take the example of a two-element ESA based array shown in Fig. 1(a). This antenna is printed on a 0.76mm-thick Rogers RO4003 substrate ($\epsilon_r = 3.55, \tan(\delta = 0.0027)$. The array simulated ([8]) mutual coupling as a function of the inter-element distance $(d)$ is given in Fig. 1(a). These results show that the coupling between the two elements is very important for small distances, and as the distance increases the coupling decreases. However, the maximum directivity is attained when the distance approaches zero. Hence, decoupling the two elements can be very interesting up to around 0.15λ. The method presented in [10] was used to decouple the array two elements. However, to keep the original inter-element distance for small distances, a short printed monopole, and not and an identical antenna, was used for the decoupling as shown in Fig. 1(b). To decouple the two elements, the dipole should be loaded with the loads given in Fig. 1(c). As it can be noticed, for small distances a small negative resistance is required. Starting from 0.07λ, the value of the required resistance become positive and it increases with the distance till around 0.2λ where it starts decreasing again. As for the required reactance, it can be noticed that it also increases with the distance till around 0.15λ where it stabilizes. To simplify the antenna realization, the required negative resistance is neglected. Moreover, to reduce the losses in the dipole, the required positive resistance is also neglected and the dipole is only loaded with an inductor. Standard inductor values are considered in simulation. As it can be seen from Fig. 1(d), for small distances the coupling level can be significantly reduced.

However, as the distance increases, and due to neglecting an important resistive load, the coupling decrement becomes less important. In [7], a design approach for parasitic-loaded superdirective arrays was presented. The method was used to design two two-element ESA-based arrays with an inter-element distance of 0.1λ. In this section, we will investigate the effect of the decoupling on different antenna parameters.

A. Small Antenna Array

The first array presented in [7] is the same as the one shown in Fig. 1(a) with $d = 34\text{mm} = 0.1\lambda$. This array was designed for 905MHz, had dimensions of $54 \times 24\text{mm}^2$, or equivalently had a $ka = 0.56$. To maximize the directivity in the end-fire direction ($\theta = 90^\circ, \phi = 270^\circ$), the antenna two elements current excitation coefficients were respectively 1, 1.32$e^{j\phi}$ . This fully driven array, presented a simulated directivity of $7.1\text{dBi}$. Then, to transform the array to a parasitic one, the second element was loaded with a capacitor of $5.1pF$. The parasitic array presented a directivity of $7\text{dBi}$, a
radiation efficiency of 7.1% and a realized gain of $-6.4\text{dBi}$. The aforementioned technique was used to decouple the two elements. The monopole is loaded with an input inductor of $115\text{nH}$. This loading shifts the first element resonance to 898 MHz (this is the element to be excited when transforming the array to a parasitic one). This resonance can be easily tweaked to its original value however this is not the scope of this paper; instead the array is directly optimized at the new resonance frequency. As it can be seen from Fig. 2, the antenna mutual coupling $S_{12}$, compared at the corresponding resonances, is reduced from $-4.8\text{dB}$ to $-11\text{dB}$. The antenna excitation coefficients for achieving superdirectivity in this case are $1, 2.25e^{j122.6^\circ}$. The fully driven array achieves a directivity of $6.5\text{dBi}$. Then, to transform the array to a parasitic one, the second element should be loaded with $41\Omega /1.8pF$. This antenna presents a directivity of $6.5\text{dBi}$ (Fig. 3(a)), a radiation efficiency of 13.4% and a realized gain of $-2.6\text{dBi}$. The antenna input reflection coefficient magnitude in dB and end-fire directivity given in Fig. 3(b) shows that, despite the decoupling, the array can be optimized to achieve the maximum directivity at the resonance frequency. Table I compares the performance of the parasitic array in the two cases.

### TABLE I. A SUMMARY OF THE SIMULATED RESULTS OF THE PARASITIC SMALL ANTENNA ARRAY.

<table>
<thead>
<tr>
<th>Antenna</th>
<th>$D_{ref}(\text{dBi})$</th>
<th>$\eta_{real} [%]$</th>
<th>$G_{ref}(\text{dBi})$</th>
<th>$G_{realized}(\text{dBi})$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reference</td>
<td>7</td>
<td>7</td>
<td>-4.5</td>
<td>-6.4</td>
</tr>
<tr>
<td>Decoupled</td>
<td>6.5</td>
<td>13.4</td>
<td>-2.3</td>
<td>-2.6</td>
</tr>
</tbody>
</table>

**B. Small Antenna Array on a PCB**

The second array in [7], shown in Fig. 4(a), designed for 866 MHz was mounted on a PCB of $110 \times 70\text{mm}^2$. To maximize the directivity in the end-fire direction, the antenna two elements current excitation coefficients were respectively $1, 0.55e^{-101.6^\circ}$. The fully driven array, presented a simulated directivity of $7.2\text{dBi}$. To transform the array to a parasitic one, the first element was loaded with an inductor of $4.35\text{nH}$. At the resonance, this array presented a simulated directivity of $6.6\text{dBi}$, a radiation efficiency of 52.1% and a realized gain of $3\text{dBi}$. Using the same decoupling element as in the previous case shows that a complex load is required ($1.83\Omega$ in series with $124.5\text{nH}$). Replacing these values with the standard component values, i.e. $1.8\Omega$ and $120\text{nH}$, leads to a coupling level of $-6\text{dB}$. To avoid the complex load and enhance the decoupling, the decoupling dipole was extended as shown in Fig. 4(b). In this case the dipole is only loaded with $13\text{nH}$. This loading shifts the first element resonance to $851\text{MHz}$. In this case, as it can be seen from Fig. 5, the mutual coupling is reduced from $-5.7\text{dB}$ to $-15.7\text{dB}$. The array re-optimized excitation coefficients are $1, 1.24e^{-95^\circ}$. The fully driven array presents a directivity of $6.5\text{dBi}$. To transform the array to a parasitic one, the second element is loaded with $24\text{nH}$. The antenna presents a directivity of $6.6\text{dBi}$ (Fig. 6(a)), a radiation efficiency of 63.7% and a realized gain of $3.9\text{dBi}$. The antenna input reflection coefficient magnitude in dB and end-fire directivity is given in Fig. 6(b). Table II summarizes the simulation results in both cases.
In this paper, we proposed decoupling superdirective arrays' elements for increasing their efficiency. The method was applied on two arrays with an inter-element distance of 0.1λ. The simulation results showed that decoupling leads to an observable difference between the two elements resonance frequency. However, designing the fully-driven array for a frequency at which one element is resonant (the second is almost completely mismatched) still presents the same directivity as the reference array. Furthermore, the parasitic decoupled array demonstrates a significant realized gain improvement compared to the reference array. The measured results will be presented in the final paper.

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