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HUE-PRESERVING PERCEPTUAL CONTRAST ENHANCEMENT

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ABSTRACT

This paper proposes a novel model for contrast enhancement of RGB images. The average local contrast measure is increased within a variational framework which preserves the hue of the original image by coupling the channels. The user is enabled to intuitively control the level of the contrast as well as the scale of the enhanced details. Moreover, our model avoids large modifications of the original image histogram and thereby preserves the global illumination of the scene. The minimizer of the proposed functional is computed by a hybrid primal-dual algorithm. Numerical experiments show the reliability of the proposed approach in comparison with state-of-the-art methods.

Index Terms— Contrast enhancement, variational methods, color correction.

1. INTRODUCTION

Contrast enhancement of color images that are over-lighted or under-lighted is needed to improve the quality of digital photography. Existing methods can be divided into three groups: spectral methods, histogram methods, and spatial methods.

Spectral methods rely either on wavelets or homomorphic filtering. In [1], homomorphic filtering is performed after a logarithmic transformation. Basically, the homomorphic filter is a high-pass filter which enforces the sharpness of the image. A similar approach has been developed with wavelets by Laine *et al.* [2].

Histogram Specification (HS) transforms the gray-scale input image to an output having a previously specified histogram. A special case of HS is Histogram Equalization, where the specified histogram is the uniform one. These methods have been well studied in the literature (see, *e.g.*, [3, 4, 5, 6, 7]). In order to avoid problems in multimodal histograms, some approaches divide the histogram specification into sub-histogram specifications (see, *e.g.*, [8]

and the references therein). Some methods are adaptive because the enhancement is done locally, (see, *e.g.*, [9] and the references therein). However, in these methods the influence of neighboring and far away pixels on the enhanced one is the same.

For color images, a two step algorithm consisting of a HS of the intensity image, followed by a fast hue and range preserving color adjustment was proposed by Nikolova *et al.* [10] (see [11] for available code).

The spatial methods tackle with the problem of most histogram approaches which change the values of pixels without considering spatial constraints. Most spatial methods take the *Human Visual System* (HSV) hypotheses into account. In particular, the perceptual work about *Automatic Color Equalization* (ACE) [12] has found wide acceptance. Bertalmio *et al.* [13] integrate the previous approach into a variational model. The method was generalized by Palma-Amestoy *et al.* [14] for a larger class of functionals. This last method was implemented in [15]. Provenzi *et al.* [16] propose to work in the wavelet domain in order to reduce the computation time. These approaches take into account the fact that two remote pixels with the same value can be perceived by a human as having different intensities. This phenomenon is called lateral inhibition (see, *e.g.*, *Checker shadow illusion of Adelson* [17]).

Contributions. In this paper we propose a variational model increasing the average local contrast measure, preserving the hue and modelling the lateral inhibition. The control of the level of contrast can be tuned with an intuitive parameter, making it more adaptive. The proposed model enables the choice of the enhanced scale, which is significant for contrast enhancement. The proposed approach does not strongly modify the histogram of the original image. This enables the model to preserve the global lighting sensation. The proposed approach is composed of a single step which is reduced to the minimization of the functional.

Outline. In Section 2 we present a functional dedicated to the contrast enhancement of gray-scale images, we then recall the color model of [18] and we merge the two models within a variational framework. The functional is then min-

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imized by a hybrid primal-dual algorithm presented in Section 3. Finally, in Section 4, comparisons with state-of-the-art methods demonstrate the efficiency of the proposed variational method.

2. VARIATIONAL MODEL FOR COLOR IMAGE CONTRAST ENHANCEMENT

In this section, we propose a new model for the enhancement of color images. We consider $M \times N$ digital images on the image grid $\Lambda := \{1, \dots, M\} \times \{1, \dots, N\}$ with values in $[0, 1]$. Let $\mathcal{B} := [0, 1]^{M \times N}$ a normalized range of images.

2.1. One Channel Contrast Enhancement

Our model is based on the enhancement of a contrast measure, the *average local contrast measure* introduced in [13]:

$$C(u) := \sum_{x \in \Lambda} \sum_{y \in \Lambda} w(x, y) |u(x) - u(y)|, \quad (1)$$

where w is a Gaussian kernel.

Now, our model for the enhancement of a given gray-scale image $u_0 \in \mathcal{B}$ consists in minimizing the following functional

$$F(u) := \|u - u_0\|_2^2 + \lambda(C(u) - cC(u_0))^2 + \iota_{\mathcal{B}}(u). \quad (2)$$

Here $\iota_{\mathcal{B}}$ denotes the indicator function of \mathcal{B} which is zero within the set \mathcal{B} and $+\infty$ outside. It guarantees that the range of the image is preserved. The regularization parameter $\lambda > 0$ manages the trade-off between the fidelity-data term and the contrast term. The constant $c > 1$ implies that a minimizer of (2) increases the average local contrast measure. Intuitively, the contrast of the result tends to be c times larger than the one of the input image. This can be interpreted as a multiplication by c of the dynamic of the contours in the image. The choice of the parameter c is intuitive and has a geometrical interpretation. It provides a control of the contrast level expected for the result. In practical cases, we use a derivable approximation of C denoted by \tilde{C} (see, e.g., [19]).

2.2. Approximate Hue Preservation

Model (2), is designed to enhance one-channel images. A simple generalization of our model to color images consists in treating each color channel separately. This method does not preserve the hue of the original image. In the following, we enhance color images through the contrast of the intensity channel.

In this paper, we focus on color image enhancement that respects the hue of the original image. Recall that the *hue* of a single pixel $u = (r, g, b)$ is given by $H(u) := 0$ if $r = g = b$ and otherwise by

$$H(u) := \begin{cases} \theta & \text{if } b \leq g, \\ 360^\circ - \theta & \text{if } b > g, \end{cases} \quad (3)$$

where $\theta := \arccos \frac{\frac{1}{2}((r-g)+(r-b))}{((r-g)^2+(r-b)(g-b))^{\frac{1}{2}}}$. The definition of the hue considers white balanced images.

By the following proposition whose proof can be found, e.g., in [18], it follows immediately a characterization of colors having the same hue.

Proposition 1. *The single pixels $(r_0, g_0, b_0) \in [0, 1]^3$ and $(r, g, b) \in [0, 1]^3$ have the same hue if and only if there exist $a, d \in \mathbb{R}$ such that $(r, g, b) = a(r_0, g_0, b_0) + d\mathbf{1}_3^T$, where $\mathbf{1}_3 := (1, 1, 1)^T$.*

Given a color image u_0 with intensity I_0 , the authors of [18] propose a variational model to obtain an enhanced image u with prescribed intensity I that respects to some degree the hue of the original image. To this end, auxiliary variables

$$x_R, x_G, x_B \in \mathbb{R}^{M \times N} \quad \text{and} \quad d \in \mathbb{R}^{M \times N}$$

are introduced which are related to the desired (concatenated) image $u = (r, g, b)$ by

$$r := \frac{r_0}{I_0} \circ x_R + d, \quad g := \frac{g_0}{I_0} \circ x_G + d, \quad b := \frac{b_0}{I_0} \circ x_B + d. \quad (4)$$

Here the quotients $A_R := \frac{r_0}{I_0}$, $A_G := \frac{g_0}{I_0}$, $A_B := \frac{b_0}{I_0} \in \mathbb{R}^{M \times N}$ are computed componentwise, and \circ denotes the componentwise (Hadamard) product. If $I_0(x) = 0$, we use $A_R = A_G = A_B = 1$. To shorten the notation, we set

$$x_{RGB} := (x_R, x_B, x_G) \in \mathbb{R}^{M \times N \times 3}$$

and denote the assignment in (4) by

$$u = (r, g, b) = (Ax_{RGB}, d). \quad (5)$$

Clearly, if $x_R \approx x_G \approx x_B$, then $\frac{x_\nu}{I_0}$, $\nu \in \{R, G, B\}$ in (4) approximate the constant a in Proposition 1 so that u should respect the hue of u_0 . We enforce the approximate hue preservation by penalizing

$$\tilde{H}(x_{RGB}) := \|x_R - x_G\|_2^2 + \|x_R - x_B\|_2^2 + \|x_G - x_B\|_2^2. \quad (6)$$

2.3. New Variational Model for Color Images

We extend Model (2) to the intensity of a color image parametrized by variable x_{RGB} and y . To cope with noise while preserving the image edges we penalize the discrete total variation (TV) [20] of u . The total variation of u in terms of x_{RGB} and d is given by

$$TV(x_{RGB}, d) = \sum_{x \in \Lambda} \left(\sum_{\nu \in \{R, G, B\}} \|\nabla(A_\nu \circ x_\nu + d)(x)\|^2 \right)^{\frac{1}{2}}. \quad (7)$$

We penalize the hue drift by adding \tilde{H} defined as in (6).

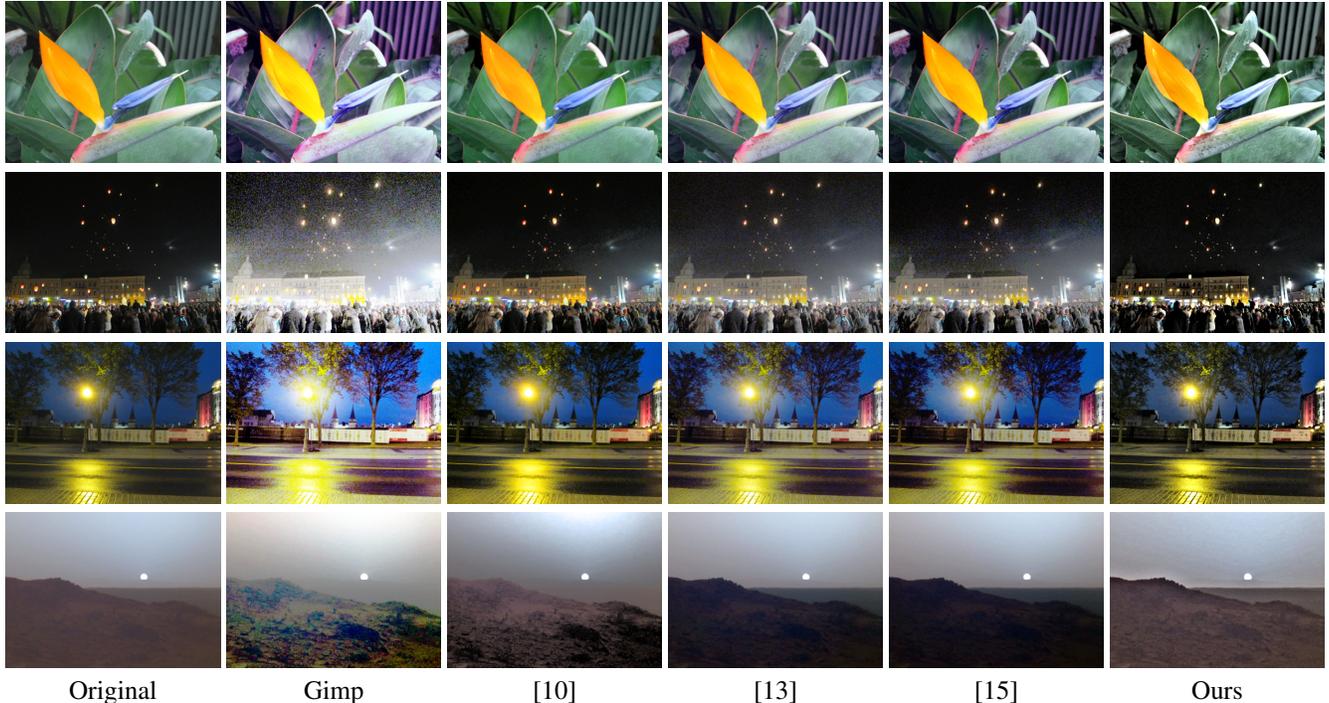


Fig. 1. Comparison of our results with those obtained by the algorithms of the Gimp histogram equalization, of Nikolova *et al.* [10], of Bertalmio *et al.* [13], of Ferradans *et al.* [15]. The proposed algorithm produces reliable results in all these cases.

4. NUMERICAL RESULTS

In this section, Algorithm 1 is applied to color images and the results are compared to some state-of-the-art methods. The algorithm is implemented in MATLAB.

The following parameters have been experimentally chosen: $\lambda = 100$, $\mu = 1$, $\alpha = 100$, $\beta = 500$, $\sigma = 5 \cdot 10^{-5}$, $\tau = 5 \cdot 10^{-9}$ and 10^3 iterations. The polynomial approximation of C is done with a primitive of the Bernstein approximation of the sign function, with degree 9 (see, *e.g.*, [19]). The kernel w of C is a Gaussian one, with a size related to the image one. In experiments it is chosen equal to $\min(M, N)/20$. This size manages the scale of the contrast enhancement.

In Figure 1, we compare Algorithm 1 to the equalization implementation of Gimp, the algorithm of Nikolova *et al.* [10, 22] with implementation [11], the method of Bertalmio *et al.* [13] and the one of Ferradans *et al.* [15] with entropic Michelson function. For the method of [13], we use the implementation [15]. For the comparison approaches, we used the default parameters of the papers. The implementation of Gimp consists in a histogram equalization of the intensity channel. This method is not able to preserve the hue, because the transformation from the HSV color-space to RGB can change the hue (see, *e.g.*, [23]).

On the *Flower* image, the approaches of [13, 15] as well as the one of the Gimp changes the hue, thus, the background becomes purple. The proposed approach, as well as the one

of [10] preserves the hue and the colorfulness.

In the 2nd line, the original image has been taken with a standard customer camera during the night and is very noisy. Contrary to other approaches, the one proposed in this paper is able to cope with noisy pixels due to the TV regularization, and the noise is not amplified.

The 3rd line shows a night image. In our result, the sky is darker than the results with methods of [13, 15], that preserves the sensation of a photography taken during the night.

In the Mars landscape the methods of [13, 15] produce images with the bottom of the image which is too dark, in comparison with the original image. The global illumination and appearance of the image is preserved with our model.

Additional results are available in [24] or at: <http://www.labri.fr/perso/fpierre/eh/enhancement.html>

5. SUMMARY AND CONCLUSIONS

We introduced a novel variational model for the enhancement of color images. Our enhancement method works directly on the RGB image without decoupling of the color channels or enhancing the intensity in a previous step. We demonstrated that our model is able to enhance contrast on images where state-of-the-art methods fail. The automatic tuning of contrast level and scale will be studied in a future work.

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