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Prediction of Response to Temozolomide in Low-Grade Glioma Patients Based on Tumor Size Dynamics and Genetic Characteristics

P Mazzocco1, C Barthélemy2, G Kaloshi3, M Lavielle2, D Ricard4, A Idbaih3, D Psimaras3, M-A Renard3, A Alentorn3, J Honnorat6, J-Y Delattre3, F Ducray5 and B Ribba1*

Both molecular profiling of tumors and longitudinal tumor size data modeling are relevant strategies to predict cancer patients’ response to treatment. Herein we propose a model of tumor growth inhibition integrating a tumor’s genetic characteristics (p53 mutation and 1p/19q codeletion) that successfully describes the time course of tumor size in patients with low-grade gliomas treated with first-line temozolomide chemotherapy. The model captures potential tumor progression under chemotherapy by accounting for the emergence of tissue resistance to treatment following prolonged exposure to temozolomide. Using information on individual tumors’ genetic characteristics, in addition to early tumor size measurements, the model was able to predict the duration and magnitude of response, especially in those patients in whom repeated assessment of tumor response was obtained during the first 3 months of treatment. Combining longitudinal tumor size quantitative modeling with a tumor’s genetic characterization appears as a promising strategy to personalize treatments in patients with low-grade gliomas.

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Study Highlights

WHAT IS THE CURRENT KNOWLEDGE ON THE TOPIC? ☑ First-line temozolomide is frequently used to treat low-grade gliomas (LGG), which are slow-growing brain tumors. The duration of response depends on genetic characteristics such as 1p/19q chromosomal codeletion, p53 mutation, and IDH mutations. However, up to now there are no means of predicting, at the individual level, the duration of the response to TMZ and its potential benefit for a given patient. • WHAT QUESTION DID THIS STUDY ADDRESS? ☑ The present study assessed whether combining longitudinal tumor size quantitative modeling with a tumor’s genetic characterization could be an effective means of predicting the response to temozolomide at the individual level in LGG patients. • WHAT THIS STUDY ADDS TO OUR KNOWLEDGE ☑ For the first time, we developed a model of tumor growth inhibition integrating a tumor’s genetic characteristics which successfully describes the time course of tumor size and captures potential tumor progression under chemotherapy in LGG patients treated with first-line temozolomide. The present study shows that using information on individual tumors’ genetic characteristics, in addition to early tumor size measurements, it is possible to predict the duration and magnitude of response to temozolomide. • HOW THIS MIGHT CHANGE CLINICAL PHARMACOLOGY AND THERAPEUTICS ☑ Our model constitutes a rational tool to identify patients most likely to benefit from temozolomide and to optimize in these patients the duration of temozolomide therapy in order to ensure the longest duration of response to treatment.

Response evaluation criteria such as RECIST—or RANO for brain tumors—are commonly used to assess response to anticancer treatments in clinical trials.1,2 They assign a patient’s response to one of four categories, ranging from “complete response” to “disease progression.” Yet, criticisms have been raised regarding the use of such categorical criteria in the drug development process,3,4 and regulatory agencies have promoted the additional analysis of longitudinal tumor size measurements through the use of quantitative modeling.5 Several mathematical models of tumor growth and response to treatment have been developed for this purpose.6,7 These analyses have led to the identification of a variety of tumor size metrics that can be used to predict long-term clinical outcomes such as overall survival.8 For instance, tumor size change 2 months after the beginning of treatment has been identified as a predictor of overall survival in non-small cell lung cancer9 and in colorectal cancer.9 This suggests that long-term clinical outcomes can be predicted on the basis of early tumor size dynamics.

Low-grade glioma (LGG) is a slow-growing brain tumor whose management involves the use of repeated magnetic resonance imaging (MRI) scans to monitor the size of tumor lesions. Surgery, radiotherapy, and two chemotherapy
regimens, PCV (procarbazine, CCNU, and vincristine) and temozolomide (TMZ), constitute the standard of care. Both prognosis and response to treatment—in particular to TMZ therapy—have been shown to depend on genetic or molecular characteristics such as 1p/19q chromosomal codeletion, p53 mutation, and IDH mutations. TMZ is an orally administered molecule with proven efficacy in the first-line treatment of LGG. It is generally given for 1 to 2 years, one cycle per month. The duration of the treatment is frequently prolonged beyond 12 cycles if an ongoing decrease in tumor size is observed at this time. However, until now there is no way of predicting, at the individual level, the duration of the response to TMZ and its potential benefit for a given patient.

We previously proposed a tumor growth inhibition model to analyze the time-course of mean tumor diameter in LGG patients receiving chemotherapy or radiotherapy. Herein, we further develop this model to analyze the time-course of tumor size in patients treated with TMZ, to characterize potential emergence of resistance to TMZ, and to identify the impact of a patient's molecular characteristics on tumor size kinetic parameters. Finally, we show that the modeling framework can leverage tumor size data obtained during the early stages of treatment, i.e., during the first few months, to forecast tumor response.

METHODS
Patients and observations
We analyzed data from 120 LGG patients treated between 1999 and 2007. Data included information on tumor size in all patients and on up to three molecular (genetic) characteristics in 77 patients: 1p/19q chromosomal codeletion, p53 overexpression (a surrogate marker for TP53 missense mutations), and IDH mutation status. The model was built using the data from these 77 patients. Among these patients, information on all molecular characteristics was available for 42 patients (54.5%), and information on at least one item of molecular characteristic in 35 patients (45.5%). The data from the 43 patients without molecular information were used as an external dataset to evaluate model quality.

Tumor sizes were measured manually from printed MRI images and expressed as mean tumor diameter (MTD) in millimeters according to the formula $V = \frac{D_1 \times D_2 \times D_3}{2}$, where $V$ is the approximated tumor volume with $D_1$, $D_2$, and $D_3$ referring to the three largest perpendicular diameters. The total median duration of the posttreatment follow-up period for a single patient, which included several follow-up observations, was 21 months (5 months at minimum and 9.5 years at maximum). We analyzed a total of 952 MTD observations with, on average, 12 observations per patient (minimum 4 observations and maximum 28). Histology consisted of grade II oligodendrogliomas (56 patients, 73%), oligoastrocytomas (16 patients, 21%), and astrocytomas (5 patients, 6%). All patients received TMZ as first-line treatment. The drug was administered for 5 consecutive days (day 1 to day 5) every 28 days at a daily dose of 200 mg/m².

Mathematical model of LGG response to chemotherapy
We recently proposed a mathematical model to describe MTD dynamics in LGG patients before, during, and after chemotherapy. The model, which distinguishes between disease-specific and treatment-specific parameters, relies on the hypothesis that LGG tumors are made up of both quiescent and proliferative cells, and that both cell types are sensitive to treatment. Chemotherapy is assumed to act by damaging cells’ DNA. The DNA damage leads proliferative cells to die, whereas quiescent cells with DNA damage can either repair their lesions and return to a proliferative state or die. Thus, we consider three compartments: proliferative tissue, denoted $P$; nondamaged quiescent tissue, denoted $Q$; and damaged quiescent tissue, denoted $Q_d$. The sum of the values attributed to the three compartments ($P + Q + Q_d$) represents the size of the lesion and is compared to the MTD observations.

To allow for MTD increase during TMZ treatment, we extended the previously proposed model by taking into account the possibility that proliferative cells can repair their DNA lesions during the division process, instead of immediately dying, and thus acquire resistance to TMZ. In line with previous works, we implemented acquisition of resistance by assuming that the effect of TMZ concentration on tumor tissues decreases exponentially with the amount of time since the beginning of treatment. Both proliferative and quiescent tissues were considered as having the potential to acquire resistance to TMZ.

Estimation of population parameters
The model was developed in a population context, and the values of individual-level parameters were assumed to be log-normally distributed; i.e., for a parameter $\psi_i$, corresponding to an individual patient $i$, $\psi_i = \psi_{0i} \exp(\eta_i)$, where $\psi$ is the “typical” (population) value of the parameter, and $\eta$ represents the contribution of the individual $i$. The values of $\eta$ are normally distributed with mean 0. Population and individual parameter values were estimated with the SAEM (Stochastic Approximation of the Expectation Maximization) algorithm implemented in Monolix 4.2 (Lixoft) using the full MTD time-course in the 77 patients. We assumed a constant error model, with parameter value $a$. Model selection was carried out according to the usual criteria; in particular, models that achieved lower values of the objective function ($-2 \times \log \text{likelihood}$) were considered to provide a better fit to the data.

Integration of genetic information
The data from the 42 patients with complete molecular status (codeletion 1p/19q, p53, and IDH mutations) was used as a training dataset to obtain statistics on this genetic information. We computed the percentage of patients with a given genetic profile and derived the probability to exhibit it. So for patients with one or two missing covariates, we could compute the probability to exhibit the lacking mutation status(es), knowing the other(s) one(s). We therefore attributed genetic characteristics for patients with missing covariates. In our training dataset, in line with previous literature, 1p/19q codeletion and the p53 mutation were mutually exclusive. We incorporated the molecular information into the
model and identified the effect of each status on the tumor size kinetic parameters. For a given fixed-effect parameter \( \xi_j \), the model used for covariate analysis was of the following form:

\[
\xi_1 = \xi_0 \times \exp(\beta \cdot \text{status}_j)
\]

where \( \text{status}_j \) corresponds to the value of the characteristic \( j \). As we considered binary variables only, Eq. 1 could be simplified:

\[
\xi_1 = \xi_0 \times \exp(\beta)
\]

where \( \xi_0 \) denotes the population value of the parameter for the reference group of patients (with non-codeleted 1p/19q or wild p53), and \( \xi_1 \) is the population value for the group of patients with mutated covariate.

Using this framework, only fixed-effect parameters can depend on the covariate status while (interindividual) variability is not concerned, i.e., parameters \( \xi_0 \) and \( \xi_1 \) will have the same variability.

We used a stepwise forward/backward modeling strategy based on progressive inclusion and then exclusion of covariates, where the decision to include or exclude a covariate was dependent on the covariate’s effect on the objective function through a log-likelihood ratio test.21

**Empirical Bayes estimates to predict LGG response to temozolomide**

Following a Bayesian approach in which population parameter estimates constituted prior information, we analyzed each patient’s data individually, considering only the MTD observations prior to treatment and the first MTD observations obtained after treatment onset, i.e., the observations obtained in the first 3 months of treatment. If, for a given patient, no observations were available prior to treatment, we used only the MTD observations obtained within the first 3 months after treatment onset. Patients for whom no information was available for the first 3 months of treatment were excluded from the analysis. Overall, data from 45 patients were analyzed. Among these, 31 patients had a single MTD observation during the first 3 months of treatment, and 14 patients had two MTD observations. When possible, MTD observations before treatment and the first MTD observations as in the original predictive analysis, but without covariates. In this case, we used early MTD observations as in the original predictive analysis, but without covariates.

We then used population parameters to simulate 200 new virtual patients, and we made predictions for these patients using the model without covariates in a first step, and we incorporated genetic statuses into the predictions in a second step.

**RESULTS**

**Tumor size time-course in patients treated with temozolomide**

Figure 1 depicts the time-course of tumor size (mean tumor diameter) in the 77 LGG patients included in the analysis. Patients received a median of 18 TMZ cycles (minimum 2 cycles, maximum 24). Table 1 shows a summary of the characteristics of the 77 patients. Tumor size increased linearly before treatment.22 After TMZ onset, an initial MTD decrease followed by a MTD reincrease was observed (\( n = 58, 75\% \)). Median time to tumor progression was 18 months. In 34 patients MTD a reincrease occurred during TMZ treatment while in 24 patients it occurred after TMZ discontinuation. We separated the patients to present tumor profiles in a clear manner, but it did not impact data analysis.

**Mathematical model of LGG response to temozolomide**

Inclusion of a resistance term for the proliferative tissue resulted in a significantly better model fit (drop of 200 points in the objective function) compared with exclusion of the resistance term. The model with the inclusion of a resistance term for the quiescent tissue performed worse. However, because quiescent cells have the capacity to repair their DNA lesions, they also contribute to the emergence of resistance by repopulating the proliferative compartment. Thus, the final selected model incorporated a resistance term for the proliferative tissue only:

\[
drug_{\text{induced}_{\text{res}}} = \gamma \times \text{KDE} \times P \times C \times e^{-\text{res} \cdot t}
\]

The term \( \text{res} \) denotes the resistance parameter. Given the time scale of data collection compared to the time scale of TMZ delivery scheduling, we represented a single TMZ cycle (actually composed of five daily administrations) as a single bolus administration with corresponding concentration, \( C \), assumed to undergo exponential decay at a constant rate \( \text{KDE} \) (a so-called K-PD approach23). The population value of \( \text{KDE} \) parameter was fixed to 8.3 month\(^{-1} \) corresponding to a half-life of 2.5 days, allowing for a residual active concentration of TMZ after 5 days of treatment. The parameter \( \gamma \) is the constant rate for proliferative tissue death (also referred to as the TMZ efficacy parameter). A schematic view of the model is...
presented in Figure 2. The full mathematical equations of the model are:

\[
\frac{dC}{dt} = -\text{KDE} \times C, \quad C(0) = 0
\]

\[
\frac{dP}{dt} = \lambda_P \times P \left(1 - \frac{P}{K}\right) + k_{Q,P} \times Q - k_{PQ} \quad \times P - \gamma e^{-t_1} \times C \times \text{KDE} \times P, \quad P(0) = P_0
\]

\[
\frac{dQ}{dt} = k_{PQ} \times P - \gamma \times C \times \text{KDE} \times Q, \quad Q(0) = Q_0
\]

\[
\frac{dQ_p}{dt} = \gamma \times C \times \text{KDE} \times Q - k_{Q,P} \times Q_p - \delta_Q \times Q_p, \quad Q_p(0) = 0
\]

\[
P^* = P + Q + Q_p
\]

Overall, the model includes seven parameters and two initial conditions. Two parameters are disease-specific and related to tumor growth: the proliferation rate ($\lambda_P$) and the transfer constant rate ($k_{Q,P}$) from proliferation to quiescence. The five remaining parameters are related to TMZ action and effect and are called treatment-specific parameters. In particular, the constant rate of death of quiescent cells is denoted $\delta_Q$, and $k_{Q,P}$ is the constant rate of transition from quiescence to proliferation following repair of TMZ-induced DNA damage. For identifiability reasons, we assumed that the initial drug effect is the same on $P$ and $Q$. This is consistent with the biology, as TMZ acts on cells regardless of their stage in the division process.

**Impact of molecular status on tumor size dynamics**

The covariate analysis performed with the three molecular status characteristics showed that p53 mutation could be included as a covariate of the TMZ efficacy parameter ($\gamma$). On the basis of the stepwise forward/backward analysis, we further determined that chromosomal 1p/19q codeletion could be included as a covariate on the constant rate $k_{Q,P}$ (transition from quiescence to proliferation following repair of TMZ-induced DNA damage. The inclusion of these two model covariates led to a significant drop in the objective function (126 points; $P < 0.01$, likelihood-ratio test). In the
stepwise analysis procedure, IDH mutation status identified as having an effect on model parameters when tested independently from the two other covariates was not identified as a significant covariate in the presence of p53 and 1p/19q information. This is in agreement with the known redundancy of the genetic information and indicates that, in our model, p53 and 1p/19q information intrinsically integrate IDH information. The parameter estimates of the final model (including covariates) are presented in Table 2.

Among p53-mutated patients, the value of the TMZ efficacy parameter is 45% lower than among p53-nonmutated patients, suggesting that TMZ therapy is almost two times less effective in the former population. This is consistent with preclinical evidence that p53 mutations decrease sensitivity to TMZ in gliomas. Likewise, among patients with the 1p/19q codeletion, the value of \( k_{Q,P} \) is 15% lower than among non-codeleted patients, suggesting that among patients in the former group, DNA-damaged quiescent cells have less capacity to repair themselves. This finding is consistent with the longer duration of response reported in codeleted patients.

Figure 3 shows goodness-of-fit (visual predictive check) plots for the 77 patients included in the model-building process.

---

**Table 1** Main characteristics of the 77 low-grade glioma patients included in the internal analysis and 43 patients used for external validation

<table>
<thead>
<tr>
<th></th>
<th>Internal patients</th>
<th>External patients</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>( N = 77 )</td>
<td>( N = 43 )</td>
</tr>
<tr>
<td>Demographic</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Sex, M/F</td>
<td>42/35</td>
<td>25/18</td>
</tr>
<tr>
<td>Median age at treatment onset</td>
<td>40 (25–71)</td>
<td>48 (24–72)</td>
</tr>
<tr>
<td>Molecular status</td>
<td></td>
<td></td>
</tr>
<tr>
<td>1p-19q co-deleted/1p-19q non-co-deleted</td>
<td>23/47</td>
<td>–</td>
</tr>
<tr>
<td>p53 mutated/p53 nonmutated</td>
<td>24/35</td>
<td>–</td>
</tr>
<tr>
<td>ID mutated/ID nonmutated</td>
<td>35/19</td>
<td>–</td>
</tr>
<tr>
<td>Histological type</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Oligodendrogliomas</td>
<td>56</td>
<td>33</td>
</tr>
<tr>
<td>Oligoastrocytomas</td>
<td>16</td>
<td>6</td>
</tr>
<tr>
<td>Astrocytomas</td>
<td>5</td>
<td>4</td>
</tr>
<tr>
<td>Treatment</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Median number of TMZ cycles</td>
<td>18 (2–24)</td>
<td>18 (4–30)</td>
</tr>
<tr>
<td>Median interval between TMZ cycles</td>
<td>31 (21–45)</td>
<td>31 (24–50)</td>
</tr>
<tr>
<td>Tumor response</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Median time to progression (months)</td>
<td>14.5 (4–90)</td>
<td>12.8 (5–93)</td>
</tr>
<tr>
<td>Median duration of treatment (months)</td>
<td>18 (2–24)</td>
<td>18 (3–28)</td>
</tr>
</tbody>
</table>

---

**Figure 2** Schematic view of the model with model’s parameters. \( P \) is the proliferative tissue, \( Q \) is the nondamaged quiescent tissue, and \( Q_p \) is the damaged quiescent tissue. The sum of the values corresponding to the three compartments, \( P^* \), is compared to the MTD observations. Proliferative tissue (\( P \)) can become quiescent (\( Q \)). TMZ treatment affects both proliferative and quiescent tissues. Damaged quiescent tissue can either repair its DNA lesions and return to a proliferative state or die due to treatment-induced lesions.
Table 2  Model parameter estimates with their standard deviations as well as covariate effects of 1p/19q codeletion and p53 mutations

<table>
<thead>
<tr>
<th>Model parameters</th>
<th>Units</th>
<th>Estimates</th>
<th>CV (%)</th>
<th>$\eta$-shrinkage (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>$P_0$</td>
<td>mm</td>
<td>1.72 (21)</td>
<td>143 (11)</td>
<td>18</td>
</tr>
<tr>
<td>$Q_0$</td>
<td>mm</td>
<td>32.1 (7)</td>
<td>55.8 (8)</td>
<td>2</td>
</tr>
<tr>
<td>$\lambda_P$</td>
<td>month $^{-1}$</td>
<td>0.143 (12)</td>
<td>63.1 (13)</td>
<td>23</td>
</tr>
<tr>
<td>$k_{PQ}$</td>
<td>month $^{-1}$</td>
<td>0.0429 (21)</td>
<td>81 (22)</td>
<td>47</td>
</tr>
<tr>
<td>$k_{0P}$ 1p19q non-codeleted</td>
<td>month $^{-1}$</td>
<td>0.00947 (42)</td>
<td>162 (16)</td>
<td>35</td>
</tr>
<tr>
<td>$k_{0P}$ 1p19q codeleted</td>
<td>month $^{-1}$</td>
<td>0.00807 (49)</td>
<td>– –</td>
<td>– –</td>
</tr>
<tr>
<td>$\delta_Q$</td>
<td>month $^{-1}$</td>
<td>0.0188 (19)</td>
<td>86.2 (17)</td>
<td>32</td>
</tr>
<tr>
<td>$\gamma$ p53 wild</td>
<td>–</td>
<td>0.254 (18)</td>
<td>68.6 (16)</td>
<td>34</td>
</tr>
<tr>
<td>$\gamma$ p53 mutated</td>
<td>–</td>
<td>0.143 (19)</td>
<td>– –</td>
<td>– –</td>
</tr>
<tr>
<td>KDE</td>
<td>month $^{-1}$</td>
<td>8.3 (FIXED)</td>
<td>50 (FIXED)</td>
<td>84</td>
</tr>
<tr>
<td>$a$</td>
<td>mm</td>
<td>1.73 (3)</td>
<td>– –</td>
<td>– –</td>
</tr>
</tbody>
</table>

Parameters are defined in the text. $a$ is the parameter for the constant error model. The residual standard errors are shown in parentheses and are given as percentages of the estimate values. Interindividual variability (CV) is expressed as percentages. $\eta$-shrinkage, indicating the tendency of individual parameters shrinkage towards population value is presented in the last column, and $\eta$-shrinkage was evaluated at 19%. All parameters were estimated with relative standard errors less than 50%.

Figure 3  Top, Left: Visual Predictive Check (VPC) diagnostics on the 77 patients included in the (internal) analysis. Dashed lines represent the 5th, 50th, and 95th percentiles from observed data. The areas represent the 90% confidence interval of the 5th, 50th, and 95th simulated percentiles. Top, Right: VPC on 43 external patients. Middle, Left: VPC for the internal patients with p53 mutation ($n = 24$). Middle, Right: p53 nonmutated patients ($n = 35$). Bottom, Left: VPC for 1p/19q codeleted patients ($n = 23$). Bottom, Right: VPC for 1p/19q non-codeleted patient ($n = 47$).
dataset and for the 43 patients included in an external dataset. These diagnostics indicate good quality of the model, with and without covariates. The proposed model is able to capture the variability in patients’ response to TMZ, including prolonged response after therapy discontinuation or emergence of acquired resistance to TMZ during treatment.

**Prediction of response to TMZ chemotherapy**

*Figure 4* shows predictions regarding individual patients’ response durations (left-hand side), represented by Kaplan-Meier curves, together with observed response durations that fall in the 95% confidence interval (CI) for almost 2 years after treatment onset. Beyond 2 years, the model predictions are incorrect, which is not surprising given that only information until month 3 is taken into account. Notably, beyond 2 years predicted times to progression are earlier than the actual times to progression. In this respect, the modeling framework shows a tendency for underestimating the effect of the treatment. The early part of the Kaplan-Meier curve also indicates a tendency to predict progression at a very early time. For a small subset of patients \((n = 4)\), the unique MTD point during the first 3 months of treatment was greater than the MTD at treatment onset, while successive MTD points showed a significant response. Integrating this point in our modeling framework resulted in predicting very early progression. However, removing these four patients resulted in correcting the early part of the Kaplan-Meier curve.

*Figure 4* also shows predicted vs. observed minimal tumor size (right-hand side). We evaluated prediction bias (mean prediction error) and precision (root mean squared prediction error)\(^{27}\) Prediction bias was 1.89 mm (95% CI \((-0.22, 3.99)\)) and precision was 7.18 mm (95% CI \((4.52, 9.10)\)). For 90% of the patients \((n = 40)\), the observed minimal tumor size was predicted correctly, with less than 25% relative error (relative to tumor size at treatment onset); this corresponds, approximately, to an error of about 1 cm in MTD. Notably, for each of the 14 patients with two MTD observations within the 3 first months of treatment, the minimal tumor size was predicted with an error of less than 15% (about 6 mm).

Individual predictions for six patients with repeated measurements during the first 3 months of treatment are displayed in *Figure 5* as an illustration of the method proposed herein. It shows that the model is also able to predict tumor time-course, especially for these patients. For the 10% of patients \((n = 5)\) for whom predictions of minimal tumor size were incorrect, we observed that, for four of them, tumor size reduction was unexpectedly characterized by two phases: an initial moderate decrease in tumor size within the first 5 months of treatment, followed by a more pronounced decrease after 5 months. For these four patients, the model underevaluated the response. Inclusion of a second MTD observation (obtained after 5 months of treatment) yielded correct minimal tumor size predictions for these patients. Tumor response for one additional patient could not be predicted owing to his/her prolonged response to treatment (more than 40 months). The model may not be able to capture such extreme behavior.
We then performed predictive analysis on the 43 "external" patients. The model successfully predicted the minimal tumor size for 75% of these patients (bias $-4.41$ mm $(-7.14, -1.67)$). To evaluate whether the reduction in predictive capability was due to the lack of genetic information or to the fact that these patients' data were not incorporated as prior information in model-building, we made predictions for 200 virtual patients. Without covariates, the minimal tumor size was successfully predicted for 76% of the virtual patients. When we incorporated genetic statuses, predictive capacity rose to 87% (bias $0.31$ mm $(-0.86, 1.49)$). These observations lead us to believe that the reduction in the model's predictive capacity for the 43 external patients was mainly due to the absence of genetic information.

**DISCUSSION**

Molecular profiling of tumors is a well-known strategy to personalize anticancer treatments. Another approach is mathematical modeling.\textsuperscript{28,29} Mathematical models of tumor growth and response to treatment allow characterizing quantitatively the efficacy and toxicity of anticancer agents and can be used to predict clinical response.\textsuperscript{7,30} In the present study, we show that combining longitudinal tumor size measurements through the use of quantitative modeling with a tumor's genetic characterization is a promising strategy to personalize treatments in patients with low-grade gliomas.

Using p53 mutation and 1p/19q codeletion as covariates significantly improved the model accuracy. In agreement with the literature, p53 and 1p/19q molecular statuses significantly impacted the dynamics of LGG response to treatment: p53 mutation impaired TMZ efficacy and 1p/19q codeleted tumors had less ability to repair TMZ-induced DNA lesions in quiescent tissue, thus increasing the overall efficacy of treatment. IDH mutation status did not provide useful information on tumor size dynamics beyond the combined information provided by p53 and 1p/19q status. However, it would be relevant to introduce IDH status as a
model covariate in cases in which p53 and 1p/19q information is not available for a given patient.

Molecular information (p53 and 1p/19q status) and tumor observations obtained during the first 3 months after TMZ treatment onset were sufficient to correctly predict the amplitude of response and its duration for almost 2 years, especially in those patients in whom precise assessment of early tumor response was available. An adaptive approach, consisting of updating the model predictions at each new MTD observation, could be implemented to prolong the validity period of the prediction and to enhance the percentage of patients for whom the minimal tumor size is successfully predicted. These results, however, need to be confirmed in a larger set of external patients. It would also be interesting to evaluate the relationship between the predictive performance of the model and the timing of MTD observations used for predictive purposes. In this study, we focused on MTD observations obtained during the first 3 months of treatment because we wanted to obtain a reference or rational value for the predictive potential of the model. In the area of brain tumor, numerous studies have used partial differential equation models integrating both time dynamics and spatial aspects of these highly diffusive malignancies (see refs. 31,32 for examples). It would also be important to apply the same prediction framework with these types of models, which capture more precisely glioma evolution.

Emergence of acquired resistance, defined as progression after initial benefits, is a critical issue in clinical oncology and model-based approaches should be used to better understand, characterize, and predict this phenomenon. Mechanisms of acquired resistance can be pharmacological resulting from decreased drug uptake into the cell, intracellular drug inactivation, or repair of drug-induced damages. This is the case of the LGG response to TMZ, for which it has been shown that more than 90% of recurrent gliomas show no response to a second treatment with TMZ.33 One of the key elements in TMZ resistance is MGMT, an enzymatic protein with the faculty to repair the principal O\textsuperscript{6}-meG-alkylation site to TMZ, thus resulting in decreased efficacy of drugs during treatment. MGMT could not be tested as a covariate in our model since for most patients only formalin-fixed paraffin-embedded (FFPE) tissue was available for DNA tests, whereas MGMT methylation testing ideally needs frozen tissue. Of note, resistance to TMZ is also responsible for significant therapeutic failures in melanoma.35 Following this biological knowledge, we modeled acquisition of resistance by decreasing drug efficacy on LGG proliferative tissue with time following therapy onset. Since all patients received the same TMZ doses with the same scheduling, we believe that modeling resistance as a function of actual drug exposure would not have led to significantly different results. For identifiability reasons, we could not model all transitions between the three compartments, especially the possibility for quiescent cells to directly return into proliferation, as it could occur without treatment. However, during treatment quiescent cells do have the capacity to repair their DNA and become proliferative. Therefore, this model is a relevant tool to characterize tumor response to TMZ but does not aim to faithfully mimic natural tumor growth. Our model is flexible enough to reproduce the variability of patients’ response to standard TMZ protocol and has the capacity to mimic both tumor regrowth during treatment as a result of acquired resistance to TMZ and prolonged response to treatment.

Finally, our model could constitute a rational tool to optimize the duration of temozolomide therapy in low-grade glioma patients. Up to now, there are no clear rules or guidelines regarding the optimal number of cycles or treatment duration in patients treated with TMZ.15 Many neuro-oncologists prolong the duration of the treatment beyond 12 cycles if an ongoing decrease in tumor size is observed at this time. However, there are downsides to prolonging TMZ treatment, including side effects and costs. An even greater concern is that TMZ therapy might drive the evolutionary path to high-grade glioma.36 Consequently, determining the optimal duration of TMZ therapy and maximizing the duration of the response is a critical challenge in the management of LGG. Using our model as a simulation tool to determine the optimal number of TMZ cycles each patient should have received, we found that for 47% of the 45 patients analyzed (n = 21), the model would have recommended, by month 3 after treatment onset, administration of additional TMZ cycles beyond what these patients actually received; i.e., in these patients delivery of additional TMZ could have resulted in tumor shrinkage exceeding what was ultimately achieved. In contrast, the model predicted that 33% of the patients (n = 15) could have benefited if their treatment had been stopped earlier than it actually was.

Mandonnet et al. suggested that knowledge of the glioma growth rate prior to treatment can be used to optimize patient management and follow-up.22 Our approach proposes to leverage early tumor dynamical information together with the a tumor’s genetic characteristics to predict tumor size response. We believe that this framework can be used as a template for other diseases whose response to treatment is characterized by emergence of acquired resistance.

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Conflict of Interest. No conflicts of interest to declare.

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