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Skeletal Quads: Human Action Recognition Using Joint Quadruples

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Abstract—Recent advances on human motion analysis have made the extraction of human skeleton structure feasible, even from single depth images. This structure has been proven quite informative for discriminating actions in a recognition scenario. In this context, we propose a local skeleton descriptor that encodes the relative position of joint quadruples. Such a coding implies a similarity normalisation transform that leads to a compact (6D) view-invariant skeletal feature, referred to as skeletal quad. Further, the use of a Fisher kernel representation is suggested to describe the skeletal quads contained in a (sub)action. A Gaussian mixture model is learnt from training data, so that the generation of any set of quads is encoded by its Fisher vector. Finally, a multi-level representation of Fisher vectors leads to an action description that roughly carries the order of sub-action within each action sequence. Efficient classification is here achieved by linear SVMs. The proposed action representation is tested on widely used datasets, MSRAction3D and HDM05. The experimental evaluation shows that the proposed method outperforms state-of-the-art algorithms that rely only on joints, while it competes with methods that combine joints with extra cues.

I. INTRODUCTION

Action recognition is an active topic in computer vision and pattern recognition, with many potential applications in human-computer interaction. Despite the advances in recent years, however, recognising human actions remains a challenging problem, mainly because of the articulated nature of human motion. Therefore, the discrimination of human postures and actions benefits from the segmentation of the body into parts. While this kind of segmentation remains a quite difficult task using monocular visual sensors, the release of depth sensors (e.g. Kinect) has simplified the pose estimation by means of 3D body joints [15].

Typically, an action recognition method employs an $L$-class classifier that performs a 1-of-$L$ assignment to input vectors. By putting aside the classifier itself, what mostly differentiates the majority of the methods is the way of building the input of the classifier, i.e., the vector representation of a video segment. Commonly, multiple descriptors of raw data are summarised into a vector, e.g. through a Bag-of-Words (BoW) paradigm, in order to encode an action sequence.

Thanks to recent achievements [15], the detection of the human pose by means of skeleton joints is feasible even from single depth images. This implies a powerful representation for action recognition, since actions can be seen as a set of poses. However, when joints are pooled into global features, e.g., using all pairwise joint differences [21], the articulated nature of the human pose is not well encoded in the action descriptor. Therefore, local skeleton features are more meaningful.

In this paper, we propose a compact yet effective local skeleton descriptor that makes the pose representation invariant to any similarity transformation, hence view-invariant. The novel skeletal feature, referred here to as skeletal quad, locally encodes the relation of joint quadruples, so that 3D similarity invariance is guaranteed. Unlike the common BoW paradigm, we adopt a Fisher kernel representation [5]. Inspired by [13], we consider a Gaussian mixture model that generates the skeletal quads, while we enable a power normalisation for the Fisher vectors. Further, a multi-level splitting of sequences into segments is invoked to integrate the performing order of sub-actions into the vector representation. Such vectors constitute the input of a multi-class linear SVM. Fig. 1 illustrates our action recognition pipeline.

The remainder of the paper is organised as follows. We summarise the related work in Sec. II and we propose our video representation in Sec. III. Sec. IV in short discusses the used classifier, while our method is tested on public datasets in Sec. V. Finally, Sec. VI concludes this work.

Fig. 1. A Gaussian Mixture Model (GMM), learnt on training data, is supposed to generate skeletal quads. Based on the GMM parameters, the skeletal quads of any action example are encoded into a Fisher vector, thus building the action descriptor which is led to a multi-class linear SVM.
II. RELATED WORK

Shotton et al. presented in [15] an articulated pose recognition algorithm that makes the extraction of skeleton structure from single depth images possible. This result inspired many researchers either to rely on skeleton information only or to combine joints with other depth and/or color cues in order to recognize actions. In what follows, we first describe methods that only use skeleton data, hence more related to our approach, and we proceed with the state-of-the-art methods that use multiple features. For a recent detailed survey on human motion analysis from depth data, we refer the reader to [1], [22].

Xia et al. [20] suggest a compact posture representation through a histogram of 3D joint locations. Linear discriminant analysis along with a BoW model translates each action into a series of symbols (quantized postures). Then, a generative classifier (discrete HMM), that deals with the temporal nature of data, classifies each input. Yang and Tian [21] rely on position differences of in-frame and cross-frame joints. The resulting long vectors are compressed by PCA so that each frame is described by an EigenJoint descriptor. As for the classification, a naive Bayes nearest-neighbor classifier assigns to the silhouette, after their projection to the three Cartesian planes. Local occupancy patterns (LOP) of depth sequences have been also used as features. Random and spatio-temporal planes. Local occupancy patterns (LOP) of depth sequences are proposed in [17] and [16] respectively. Wang et al. [22] present a BoW model to describe the points close to the silhouette, after their projection to the three Cartesian planes. Local occupancy patterns (LOP) of depth sequences have been also used as features. Random and spatio-temporal LOPs are proposed in [17] and [16] respectively. Wang et al. [18] combine LOPs around joints with joint differences to build joint-based time series, whose Fourier coefficients are used to describe the action. Moreover, a mining step provides a pool of informative actionlets (subset of joints) per action, that are taken into account by the classifier being used. Instead of the raw depth data, the 4D normals are used by Oreifej et al. [12], while their distribution is encoded in a histogram whose bins are irregularly spaced in 4D; this binning results from a learning process. Xia and Aggarwal [19] recently presented a depth-based spatio-temporal detector along with a self-similarity feature that describes local depth areas of adaptive size. Finally, Ohn-Bar and Trivedi [11] track the joint angles and build a descriptor based on similarities between angle trajectories. This feature is further combined with a double-HOG descriptor that accounts for the spatio-temporal distribution of depth values around the joints. Both [19] and [11] illustrate the benefits of combining different features.

III. SKELETON-BASED VIDEO REPRESENTATION

We propose new representation based on skeleton joints, namely a local skeletal descriptor and an associated representation that. This skeletal descriptor, which is referred to as skeletal quad, was inspired by a geometry hashing method that describes the positions of nearby stars in night sky images [6]. It was also used to describe keypoint constellations in video frames [4]. Our action descriptor is a Fisher kernel representation which encodes the Jacobian of the probability function that generates the skeletal quads contained in a depth-image sequence.

A. Skeletal quads

Let \( x \in \mathbb{R}^3 \) denote the coordinates of a skeleton joint in some world centered frame. Suppose also that we are given a quadruple of (nearby) joints \( \mathbf{X} = [x_1, x_2, x_3, x_4] \), where \( x_1, x_2 \) is the most widely separated pair of points within the quadruple. We consider a local coordinate system, such that \( x_1 \) becomes the origin and \( x_2 \) is mapped onto \([1, 1, 1]^\top\). This constrains a similarity transformation (a \( 3 \times 3 \) rotation matrix, a translation vector and a scale factor) whose parameters can be easily computed from \( x_1 \) and \( x_2 \). Once these parameters are estimated, the quadruple is mapped onto its new coordinates:

\[
S(x_i) = s \mathbf{R} [x_i - x_1], \quad i = 1 \ldots 4, \quad (1)
\]

with \( S(x_1) = [0, 0, 0]^\top \) and \( S(x_2) = [1, 1, 1]^\top \). Hence the quadruple is encoded by six parameters, namely \( \mathbf{q} = [S(x_3); S(x_4)], \) where the notation \([; ;]\) denotes vertical vector concatenation. We refer to this descriptor as skeletal quad. Fig. 2 shows an upper-body skeleton example and how the skeletal quad is formed for a joint quadruple.

Note that \( \mathbf{R} \) should also normalize any possible rotation around the axis \( x_1 x_2 \), e.g., by further mapping \( x_3 \) to a specific plane, that leads to a 5D descriptor. However, when there is no strong cross-subject variation in body orientation within each action category, it is sufficient enough to just map \( x_2 \) to \([1, 1, 1]^\top \), thus increasing the discriminability.\(^1\)

Unlike representations of skeleton joints that rely on joint differences (e.g. [18]), our descriptor is scale, viewpoint and body-orientation invariant. Moreover, this coding scheme leads to well distributed points in \( \mathbb{R}^6 \) [6]. Note that there is a kind of symmetry between descriptors owing to the different order in the pairs \( x_1, x_2 \), and \( x_3, x_4 \), which can be easily broken or taken into account. Here, we consider both orders for the first pair, while the third point of \( \mathbf{X} \) is always the closest to the local origin between the remaining points.

B. A Fisher Kernel representation

The superiority of Fisher vectors (FV) against the popular BoW representation has been analyzed in the image classification context [13]. We follow a similar approach in order to describe an action sequence. It is important to note that the low dimension of the proposed descriptor compensates for the large inherent dimensionality associated with Fisher vectors.

\(^1\)The code to extract skeletal quads for both cases of normalization is provided by https://team.inria.fr/perception/research/icpr2014/
Let \( Q = \{ q_i, 1 \leq i \leq M \} \) be a set of \( M \) skeletal quads in an action example. By assuming statistical independence, \( Q \) may be modeled by a \( K \)-component Gaussian mixture model (GMM):

\[
p(Q|\theta) = \prod_{i=1}^{M} \frac{1}{K} \sum_{k=1}^{K} w_k \mathcal{N}(q_i|\mu_k, \sigma_k),
\]

(2)

where \( \theta = \{ w_k, \mu_k, \sigma_k \} \), \( k = 1, ..., K \) is the set of the mixture parameters with mixing parameters \( w_k \), means \( \mu_k \in \mathbb{R}^6 \) and diagonal covariance matrices (represented here as vectors) \( \sigma_k \in \mathbb{R}^6 \). These parameters can be easily estimated via the standard EM algorithm based on a training dataset. Once the GMM parameters are estimated, any set \( Q \) may be described by its Fisher score [5], namely the Jacobian of the log-probability with respect to the GMM parameters:

\[
J^Q_\theta = \nabla_\theta \log p(Q|\theta).
\]

(3)

The Fisher kernel, however, relates any two such vectors through a bilinear form based on the inverse of the Fisher information matrix. Since the decomposition of this matrix is possible, one can write the Fisher kernel as a linear kernel of the so called Fisher vectors, denoted here as \( J \). The reader is referred to [5] for a detailed analysis.

As in [13], we consider the Jacobians with respect to non-scalar parameters only, so that the FV consists of the concatenation of two vectors \( J_{\mu_k}^Q \) and \( J_{\sigma_k}^Q \). One can easily show (see [14]) that the \(((k-1)6+j)\)-th element of the above vectors \((1 \leq j \leq 6, 1 \leq k \leq K)\), i.e., the \(j\)-th entry for the \(k\)-th mixture component, is given by:

\[
J_{\mu_k}^Q(j) = \frac{1}{M \sqrt{\sigma_k^2}} \sum_{i=1}^{M} \gamma_{k,i} q_i^j - \mu_k^j \sigma_k^j,
\]

\[
J_{\sigma_k}^Q(j) = \frac{1}{M \sqrt{2 \pi} \sigma_k} \sum_{i=1}^{M} \gamma_{k,i} \left( \frac{q_i^j - \mu_k^j}{\sigma_k^j} \right)^2 - 1,
\]

(4)

where \( \gamma_{k,i} \) is the posterior probability that \( q_i \) belongs to \( k \)-th cluster conditioned by \( Q \). The normalization by \( M \) is added to avoid dependence on the \( Q \)'s cardinality. Since quads are added to the local coordinate system. The local coordinate system. The local coordinates of the Shoulder and Elbow joints describe the structure of the quadruple and the quad descriptor is \( q = [S_x, S_y, S_z, E_x, E_y, E_z]^T \).

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\[
T(x) = \text{sgn}(x) * |x|^\alpha.
\]

(5)

This normalisation step eliminates the sparseness of the Fisher vector, thus increasing its discriminability. Note that the FVs tend to be sparse since the majority of the quads are assigned with high posterior probability to a couple of components. The impact of such a normalization is evident in Fig. 3 which depicts the distribution of a Fisher vector’s elements before and after the power normalisation. We refer the reader to [13], [14] for a detailed discussion about power normalization.

Since any permutation of \( Q \)'s elements would lead to the same FV, the order of different postures within an action is not taken into account. Therefore, and similar to spatial pyramids in scene recognition [7], we further enable a multi-level splitting of sequences, so that \( n \) video non-overlapping segments are present in the \( n \)-th level. The concatenation of FVs of all segments somewhat makes the representation temporally- and order-dependent as long as the order of sub-actions is encoded in the action descriptor. Three pyramid levels are used in this paper as shown in Fig. 4.

IV. ACTION CLASSIFICATION

It is beyond the scope of this paper to focus on the classification step. We simply employ linear SVMs trained in an one-versus-all fashion in order to build a multi-class
classifier, while a cross-validation on training sets provides the best offset per classifier. Notice that a Fisher kernel classifier is equivalent to a linear classifier on FVs [5]. Moreover, linear SVMs easily deal with the high-dimensional representations that result from our multi-level FVs. However, a more in-depth analysis on the classification step will possibly lead to higher performance. To implement the classifier, we make use of the LIBSVM library [2].

V. EXPERIMENTS

In this section, we test our action recognition method on widely used datasets and compare it with the state-of-the-art. Two publicly available datasets are used: MSR-Action3D [8] and HDM05 [9]. The datasets are captured from different modalities and regard different human activities.

A. MSR-Action3D Dataset

MSR-Action3D dataset [8] is a set of depth videos, captured by a Kinect device, that contains 20 actions: high arm wave, horizontal arm wave, hammer, hand catch, forward punch, high throw, draw x, draw tick, draw circle, hand clap, two hand wave, sideboxing, bend, forward kick, side kick, jogging, tennis swing, tennis serve, golf swing, pick up & throw. Ten actors perform each action three or two times. Commonly, this dataset is divided into three action subsets as shown in Table I, while the average performance over these subsets is reported as the recognition accuracy [8], [20]. Notice that AS1 and AS2 were intended to group similar actions, while AS3 defines a subset with high cross-action variability.

We consider here the challenging case of cross-subject splitting into training and testing sets [20], [18], [19], [8], i.e. half of the subjects are used for training and the rest for testing. In particular, the common splitting with odd and even subject-IDs defining the training and testing sets respectively is adopted [8], [18]. As in [18], we exclude ten sequences where the skeleton data is missing or corrupted, namely, 3183 sequences are used in total. A 20-joint skeleton is provided that implies 4845 skeletal quads per frame. The number of GMM components is $K = 128$, thus leading to 1560-element FVs that are power normalised with $a = 0.3$. As mentioned, three levels are considered, hence $(1 + 2 + 3 =)6$ FVs are obtained per sequence.

A fair comparison suggests using competitors that exploit the skeleton structure only. For the sake of completeness, however, we present in a separate table the recognition accuracy of methods that use multiple features and combine joints with other depth cues. Table II shows the recognition accuracy per action subset along with the corresponding results.

| TABLE I. THE THREE ACTION SUBSETS (AS) OF MSR-Action3D DATASET AS DEFINED IN [8] |
|---------------------------------------------|---------------------------------------------|---------------------------------------------|
| AS1                                        | AS2                                        | AS2                                        |
| Horizontal arm wave                        | High arm wave                              | High throw                                 |
| Hammer                                     | Hand catch                                 | Forward kick                               |
| Forward punch                              | Draw x                                     | Side kick                                  |
| High throw                                 | Draw tick                                  | Jogging                                    |
| Hand clap                                  | Draw circle                                | Tennis swing                               |
| Bend                                       | Two hand wave                              | Tennis serve                               |
| Tennis serve                               | side boxing                                | Golf swing                                 |
| Pickup & throw                             |                                           | Pickup & throw                             |

of methods that rely on skeleton joints. Notice that SMD [10] and LDS [3] methods use a reduced dataset of 17 actions. Unlike most of the competitors, our method provides equally good results in all action subsets, while it provides the best overall accuracy. Fig. 5 depicts the confusion matrices we obtain per action subset. Actions with similar poses, such as the drawing actions in AS2, are more easily confused owing the similarity of the resulting quads. Instead, actions in AS3 are better discriminated, as expected. For comparison reasons, we also show the confusion matrices obtained by the EigenJoint-based method [21].

Table III shows the recognition accuracy of methods that use the full-body depth map or combine skeleton information with other features. To the best of our knowledge, the method by Ohn-Bar and Trivedi [11] performs best when it combines the joints angles with two other features. However, when only joint information is employed, our method performs better (see Table II). It is important to note that our algorithm competes with the majority of these methods, despite the fact that they employ multiple features. As a consequence, the use of skeletal quads in conjunction with other features suggests an even promising approach.

B. Mocap database HDM05

In this subsection, we present results when applying our method on skeleton sequences of a Motion Capture dataset, the HDM05 database [9]. Unlike MSRAction3D, this dataset is captured by motion-capture sensors that acquire more precise data. Moreover, the frame rate is much higher (120 fps), while 31 joints are provided per pose instance. However, we consider here only 15 joints: root, L/Rhip, L/Rknee, L/Rankle, neck, L/Rshoulder, L/Relbow, L/Rwrist. As a result, each skeleton pose implies 1365 quads.

We adopt the experimental setup of [10] that suggests a set of 11 actions: deposit floor, elbow to knee, grab high, hop both legs, jog, kick forward, lie down floor, rotate both arms backward, sneak, squat, and throw basketball. The actions are performed by 5 subjects, while each subject performs each action a couple of times (not fixed); this suggests a set of 249 sequences. As with [10], we use a cross-subject splitting with 3 and 2 subjects in training and testing sets respectively, thus having 139 training and 110 testing examples at our disposal. The same parameters with MSR-Action3D are used.

Table IV shows the recognition accuracy of our method along with several counterparts of the algorithms presented.
TABLE II. RECOGNITION ACCURACY ON MSRACTION3D DATASET USING SKELETON JOINTS.

<table>
<thead>
<tr>
<th>Method</th>
<th>AS1</th>
<th>AS2</th>
<th>AS3</th>
<th>Overall</th>
</tr>
</thead>
<tbody>
<tr>
<td>Histogram of 3D Joints (Xia et al. [20])</td>
<td>87.96%</td>
<td>85.48%</td>
<td>63.46%</td>
<td>78.97%</td>
</tr>
<tr>
<td>EigenJoints (Yang &amp; Tian [21])</td>
<td>74.50%</td>
<td>76.10%</td>
<td>96.40%</td>
<td>82.33%</td>
</tr>
<tr>
<td>Joint Angles (Ohn-Bar &amp; Trivedi [11])</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>83.53%</td>
</tr>
<tr>
<td>Joint angles + SIMJ∗ (Ofli et al. [10])</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>47.06%</td>
</tr>
<tr>
<td>Joint angles + LDS∗ (Chaudhry et al. [3])</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>83.89%</td>
</tr>
<tr>
<td>FV of Skeletal Quads</td>
<td>88.39%</td>
<td>86.61%</td>
<td>94.59%</td>
<td>89.86%</td>
</tr>
</tbody>
</table>

∗results on a reduced dataset with less actions

TABLE IV. RECOGNITION ACCURACY ON HDM05 DATASET USING SKELETON JOINTS

<table>
<thead>
<tr>
<th>Methods</th>
<th>Accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>Joint angles + LDS (Ofli et al. [10])</td>
<td>76.15%</td>
</tr>
<tr>
<td>Joint angles + HMW∗ (Ofli et al. [10])</td>
<td>78.90%</td>
</tr>
<tr>
<td>Joint angles + HMJ** (Ofli et al. [10])</td>
<td>82.57%</td>
</tr>
<tr>
<td>Joint angles + SMIJ (Ofli et al. [10])</td>
<td>84.47%</td>
</tr>
<tr>
<td>Joint Shape + LDS (Chaudhry et al. [3])</td>
<td>82.57%</td>
</tr>
<tr>
<td>Joint Tangents + LDS (Chaudhry et al. [3])</td>
<td>88.07%</td>
</tr>
<tr>
<td>Joint positions + LDS (Chaudhry et al. [3])</td>
<td>91.74%</td>
</tr>
<tr>
<td>FV of Skeletal Quads</td>
<td>93.89%</td>
</tr>
</tbody>
</table>

∗histogram of motion words, ∗∗histogram of most informative joints

VI. CONCLUSIONS

A local skeletal representation was proposed in this paper. This representation implies a short, view-invariant descriptor of joint quadruples. Furthermore, a Fisher kernel representation was devised that encodes the generation of such a representation from a Gaussian mixture model. The final action descriptor results from a multi-level representation of Fisher vectors that encodes the temporal nature of action examples. Experimental validation of the proposed method verified its state-of-the-art performance in human action recognition from depth data.

Future work regards the combination of skeletal quads with other cues. As well, the dimensionality reduction of the final action descriptor will lead to more efficient classification and will allow the use of non-linear SVMs.
REFERENCES


Fig. 6. The confusion matrix of our method on HDM05 dataset.