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EVALUATION OF THERMAL COMFORT IN GALATSI ARENA OF THE
OLYMPICS “ATHENS 2004” USING A CFD MODEL

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ABSTRACT
A Computational Fluid Dynamics (CFD) model was used to evaluate the thermal
comfort conditions in the indoor stadium of the Galatsi Arena, which hosted the sports
of rhythmic gymnastics and table tennis during the Olympic Games “Athens 2004”. The
CFD code CFX was applied to calculate the 3-D airflow and temperature fields in the
Arena for various values of temperatures ($T_{in}$) of conditioned inlet air. Calculated mean
velocities and temperatures were used to determine the thermal comfort indices PMV
(Predicted Mean Vote) and PPD (Predicted Percentage of Dissatisfied) and to evaluate
the thermal conditions in the various regions of the Arena. Calculated PMV and PPD
values showed that thermal conditions in the Galatsi Arena were very satisfactory for
$T_{in} = 16^\circ C$; only a small percentage (less than 7\%) of the spectators was expected to be
slightly uncomfortable.

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Key words. Computational Fluid Dynamics (CFD); indoor stadiums; mathematical models; thermal comfort

1 Introduction

In the last two decades Computational Fluid Dynamics (CFD) models have been increasingly used for the calculation of airflow velocities and temperatures in indoor environments for the evaluation of comfort conditions, smoke conditions and air quality. A significant number or scientific papers exists dealing with the application of CFD models in various indoor environments, such as apartments [1], offices [2,3], museums [4], lecture theatres [5], classrooms [6], clinics [7], industrial premises [8] and car parks [9]. Moreover, CFD models have been combined with other tools or methods for the design of indoor spaces. For example; Desta et al [10] combined a CFD model with a low order Data Based Mechanistic (DBM) model to predict air temperatures in a full scale, adiabatic walled ventilated test chamber. The CFD model supplied data and the DBM model performed model order reduction; in this way the two modeling approaches supplemented each other symbiotically to eliminate their disadvantages. Zhai and Chen [11] analyzed the potential building and environmental characteristics (such as environmental conditions, HVAC systems, building occupying and operating conditions, envelope properties and building sizes) that may influence the necessity and effectiveness of applying Energy Simulation-CFD coupling simulation. They conducted a sensitivity analysis of the coupling simulation in a representative office building in Boston and provided general suggestions on appropriate development and usage of the coupling simulation. Kim et al [12] presented a two-step optimal design investigation
method using Genetic Algorithms for CFD indoor thermal environments and applied the optimal design in an office space.

In spite of the extensive application of CFD models in various indoor environments, there are only a few studies in indoor stadia. In 2001 a CFD model was applied for the Yoyogi National Stadium in Tokyo [13]. The Stadium was constructed for the Olympics of 1964. Since then, it has continued to be used for the performance of swimming competitions or concerts; the CFD model was used to evaluate indoor conditions for both modes of stadium operation. Very recently, a CFD study was performed in the Olympic ice hockey stadium in Turin to evaluate fire hazards; smoke conditions were reviewed in the stadium for various scenarios and uses [14].

The present work demonstrates the application of a CFD model to calculate air-flow velocities and temperatures in the Galatsi Arena, shown in Figure 1; the Arena hosted the sports of rhythmic gymnastics and table tennis during the Olympics of 2004. The calculated velocities and temperatures were used to determine the main thermal comfort indices Predicted Mean Vote (PMV) and Predicted Percentage of Dissatisfied (PPD) [15]; these were subsequently used for the evaluation of the thermal conditions in the Arena.

2 The mathematical model

2.1 The CFD code

There are three main types of CFD methods: (1) Direct Numerical Simulation (DNS), (2) Large Eddy Simulation (LES) and (3) Reynolds Averaged Navier–Stokes (RANS). A short presentation of these methods can be found in Stamou and Katsiris [3]. These methods are employed in various efficient computer codes, which are most frequently
used for indoor CFD calculations, such as PHOENICS [16], FLUENT [17] and CFX [18]. In the present work, the latest version of the computer code CFX [18] was used.

The CFX code calculates the 3-D flow field and heat transfer using the continuity, momentum and energy equations, which are written as follows:

\[
\frac{\partial \rho U_i}{\partial x_i} = 0 \tag{1}
\]

\[
\frac{\partial \rho U_i}{\partial t} + \frac{\partial \rho U_i U_j}{\partial x_j} = \frac{\partial P}{\partial x_i} + \frac{\partial}{\partial x_j} \left( \mu \frac{\partial U_i}{\partial x_j} + \text{RTS} \right) + g_i \rho \tag{2}
\]

\[
\frac{\partial T}{\partial t} + \frac{\partial \rho U_i T}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \mu \frac{\partial T}{\partial x_j} + \text{TTS} \right) \tag{3}
\]

where \( t \) is the time, \( x_i \) is the Cartesian coordinate in the \( i \)-direction, \( U_i \) is the flow velocity in the \( i \)-direction, \( \rho \) is the density of water, \( T \) is the temperature, \( P \) is the pressure, \( \mu \) is the molecular viscosity of the water and \( g_i \) is the acceleration of gravity.

For the calculation of the Reynolds (turbulent) stresses (RTS), the assumption of the isotropic turbulence is applied combined with the Bussinesq approximation, i.e.

\[
\text{RTS} = \mu_t \left( \frac{\partial U_i}{\partial x_j} + \frac{\partial U_j}{\partial x_i} \right) \frac{2}{3} \rho \kappa \delta_{ij} \tag{4}
\]

where \( \mu_t \) is the eddy viscosity, \( \delta_{ij} \) is the Kronecker delta (\( \delta_{ij} = 1 \) for \( i=j \) and \( \delta_{ij} = 0 \) for \( i \neq j \))

and \( k \) is the average turbulent kinetic energy per unit mass, given by

\[
k = \frac{1}{2} \left( u_1^2 + u_2^2 + u_3^2 \right) \tag{5}
\]

Similarly, the Turbulent Thermal Stresses (TTS) are calculated by the following equation

\[
\text{TTS} = \frac{\mu_t}{\sigma_T} \frac{\partial T}{\partial x_j} \tag{6}
\]

where \( \sigma_T \) is the turbulent Schmidt number for \( T \).
2.2 The turbulence model

In the present work, turbulence is modeled with the Shear Stress Transport (SST) k-\(\omega\) based model [19]. This model combines the standard k-\(\epsilon\) model [20] and the k-\(\omega\) model [21]; virtually, it is a transformation of the k-\(\epsilon\) to a k-\(\omega\) formulation and a subsequent addition of certain equations.

The standard k-\(\epsilon\) turbulence model [20] relates the eddy viscosity to \(k\) and the rate of its dissipation (\(\epsilon\)) via the following equation.

\[
\mu_{t} = \rho c^\prime \frac{k^2}{\epsilon}
\]  

(7)

where \(c^\prime\) is an empirical constant and \(\epsilon\) is given by the following equation

\[
\epsilon = \frac{\mu}{\rho} \frac{\partial u_i}{\partial x_j} \frac{\partial u_i}{\partial x_j}
\]  

(8)

The distributions of \(k\) and \(\epsilon\) are calculated from the following semi-empirical modeled transport equations

\[
\frac{\partial \rho k}{\partial t} + \frac{\partial \rho U_j k}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \frac{\mu}{\sigma_k} \frac{\partial k}{\partial x_j} \right) + G - \rho \epsilon
\]  

(9)

\[
\frac{\partial \rho \epsilon}{\partial t} + \frac{\partial \rho U_j \epsilon}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \frac{\mu}{\sigma_\epsilon} \frac{\partial \epsilon}{\partial x_j} \right) + c_1 \frac{\epsilon}{k} G - \rho c_2 \frac{\epsilon^2}{k}
\]  

(10)

where \(G\) is the production term of \(k\) by the mean velocity gradients given as follows

\[
G = \mu \left( \frac{\partial U_i}{\partial x_j} + \frac{\partial U_j}{\partial x_i} \right) \frac{\partial U_i}{\partial x_j}
\]  

(11)

The standard values of the constants \(c^\prime=0.09\), \(c_1=1.44\), \(c_2=1.92\) and the turbulent Schmidt numbers for \(k\) and \(\epsilon\), \(\sigma_k=1.0\) and \(\sigma_\epsilon=1.3\), respectively, are used in the present computations.

The standard k-\(\omega\) model [21] relates the eddy viscosity to \(k\) and to the turbulence frequency (\(\omega\)).
\[ \mu_i = \frac{k}{\omega} \]  

The k and \( \omega \) are calculated from the following model transport equations

\[ \frac{\partial \rho k}{\partial t} + \frac{\partial \rho U_j k}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \mu_i \frac{\partial k}{\partial x_j} \right) + G - \rho \beta k \omega \] (13)

\[ \frac{\partial \rho \omega}{\partial t} + \frac{\partial \rho U_j \omega}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \mu_i \frac{\partial \omega}{\partial x_j} \right) + \alpha \frac{\omega}{k} G - \rho \beta \omega^2 \] (14)

The standard values of the constants are \( \beta = 0.09, \alpha = 5/9, \beta = 3/40 \) and the turbulent Schmidt numbers for k and \( \omega \), \( \sigma_k = 2 \) and \( \sigma_\omega = 2 \). The model is numerically stable, especially the low-Reynolds number version, as it tends to produce converged solutions more rapidly than the k-\( \varepsilon \) model. Furthermore, the Low-Reynolds (LR) number version is more efficient than the LR k-\( \varepsilon \) model in that it does not require calculations of wall distances, additional source term and/or damping functions based on the friction velocity. The main weakness of the k-\( \omega \) model is its strong sensitivity to free-stream conditions; Gebremedhin and Wu [22] applied the standard k-\( \omega \) model in an indoor environment together with four other turbulence models: namely (1) the standard k-\( \varepsilon \) model, (2) the RNG k-\( \varepsilon \) model, (3) the Low-Reynolds Number k-\( \varepsilon \) model and (4) the Reynolds Stress Model (RSM). Based on convergence and computational stability criteria, they concluded that (a) the application of the standard k-\( \omega \) model was not successful and (b) the RNG k-\( \varepsilon \) model was found to be the most appropriate model to characterize the flow field of the ventilated space studied.

The SST k-\( \omega \) based model [19] uses a blending function to combine the k-\( \varepsilon \) and the k-\( \omega \) models; in the near-wall region the k-\( \omega \) model is activated, while for the rest of the flow the k-\( \varepsilon \) model is used. By this approach, the attractive near-wall performance of the k-\( \omega \) model is utilized without the potential errors resulting from the free stream.
sensitivity of that model. Stamou and Katsiris [3] applied the SST k-ω based model for the first time in indoor environment; they calculated air-flow velocities and temperatures in a model office room. Calculations were compared with experiments and with the results of the standard k-ε, the RNG k-ε model and the laminar model. It was concluded that (a) all the three tested turbulent models predict satisfactorily the main qualitative features of the flow and temperature fields and (b) computations with the SST k-ω based model showed the best agreement with measurements.

2.3 Discretization and solution of the equations

The finite control-volume method is implemented for the spatial discretisation of the domain. The continuity, momentum and energy equations are integrated over each control volume, such that the relevant quantity (mass, momentum, energy, k, ε and ω) is conserved, in a discrete sense, for each control volume. For the continuity equation (pressure-velocity coupling) a second order central difference approximation is used, modified by a fourth order derivative in pressure, which redistributes the influence of pressure. The second order upwind Euler scheme approximates the transient term.

The code employs an automatic, unstructured hybrid element mesh generator with an adaptive mesh refinement algorithm, which permits a very accurate representation of the boundaries. The advantage of using unstructured mesh is the minimization of numerical errors and the consistency of the solution throughout the domain. For the solution of the equations, a scalable and fully implicit coupled solver is used.
3 The Galatsi Arena

The Galatsi Arena is located in the district of Galatsi, about 8 km north of the Athens city centre and has a capacity of 6,000 spectators. The Arena, which measures 122.0 m long, 100.0 m wide and a maximum roof height of 30.0 m, features a very interesting design. Its roof takes the dynamic shape of the wing of an airplane (see Figure 1), while the large glass surfaces make sure that its interior is filled with sunlight all day. The Arena was designed by A. Tobazis and built by EMPEDOS SA at a cost of € 43 million, while construction works commenced in November 2001.

The premises are served by a variable air volume (VAV) air conditioning system; the temperature of the incoming air could be automatically regulated. The main air-supply and exhaust devices are shown in Figure 2. The air is delivered to the Arena via 256 jet nozzles, which are organized as follows: (1) 32 diffusers are mounted above the four entrances in the area of athletes in four series of 8 having a total capacity equal to $32 \times 1,675 = 53,600 \text{ m}^3/\text{h}$, and (2) 224 diffusers are mounted in groups of 56 on the 4 air pipes in the roof of the Arena having a total capacity equal to $224 \times 1,005 = 225,120 \text{ m}^3/\text{h}$. The angle of all the diffusers above the entrances was set equal to $28^\circ$ with the horizontal: a positive angle means that the jet faces upwards. The jets from the diffusers in the roof were facing towards the interior of the Arena or towards the outer walls for the ventilation of the space of the corridors; the angles of these jets were variable ranging from $-30^\circ$ to $+18^\circ$.

The air is extracted to the plenum via: (1) 32 square extract grilles on walls having a total capacity equal to $36,100 \text{ m}^3/\text{h}$, (2) 2,046 openings under 20 groups of the seats of a total capacity equal to $160,774 \text{ m}^3/\text{h}$ and (3) 57 floor openings (total capacity $= 57,351$...
m$^3$/h). The total outgoing air flow-rate is equal to 254,225 m$^3$/h. In the calculations the outlet flow was set equal to the incoming flow rate.

4 Application of the model

Calculations were performed for two scenarios of operation of the HVAC system, which corresponded to two values of temperatures of conditioned inlet air (a) $T_{in}=14\,^\circ C$ and (b) $T_{in}=16\,^\circ C$.

4.1 Boundary conditions and the numerical grid

In Figure 3 a view of (a) the real geometry and (b) the simulated geometry of the interior of the Arena are shown. Figure 3 depicts that the simulated model has almost the same geometrical configuration as the real Galatsi Arena. Galatsi Arena was modeled with a normal occupancy of 6,000 persons. Existing furniture, supply-exhaust devices, lights etc. were included in the model with their approximated dimensions to simulate the real environment. The supply and exhaust boundary conditions were specified to summer conditions; the outdoor air temperature was set equal to 36.5\,^\circ C. The air flow-rates and the temperatures of the air supply diffusers and jets were set equal to their actual values, while at the extract grilles and openings the pressure was set equal to the atmospheric pressure. Heat fluxes were modeled to represent the amount of heat generated by the occupants, e.g. spectators and athletes, and the furniture in Galatsi Arena. Each simulated occupant was assumed to have a surface area of 1.6 m$^2$ and was modeled to generate convective heat equal to 70.0 W. This value corresponds to 43.7 W/m$^2$ [23]. At the walls, floor and
ceiling of the Galatsi Arena the “radiation” condition has been applied, which does not require the specification of temperatures at these boundaries.

In Figure 4 a view of the numerical grid is shown; due to symmetry half of the Arena was modeled. The grid consisted of approximately 4,000,000 unstructured elements (tetrahedrals, prisms and pyramids) with grid refinement on the surface of the heat sources and in the inlet and outlet regions. A sensitivity analysis was conducted to ensure that the resolution of the mesh was not influencing the results. The construction of the 3-D geometry and the relevant grid was a difficult and time-consuming task; it was performed with the CAD software Rhinoceros [24] using as inputs the available 2-D architectural and mechanical engineering CAD drawings of the Arena.

To reduce the total computation time the initial air temperatures were set equal to the values determined by a simple heat balance assuming that the Arena is a completely mixed reactor; these values were calculated equal to 23.52°C and 25.08°C for $T_{in}=14°C$ and 16°C, respectively.

5 Results and discussion

5.1 Air velocities and temperatures

In Figure 5 calculated flow velocities (arrows on separate equidistant grids) for $T_{in}=16°C$ at two vertical planes yz at (a) x=10.0 m and (b) x=30 m, respectively, are shown. In Figure 6 velocity contours are shown at a horizontal plane xy and z=1.0 m for (a) $T_{in}=14°C$ and (b) $T_{in}=16°C$, respectively. In Figure 7 the calculated air temperature contours are shown, which correspond to the flow field of Figure 5; for comparison purposes the corresponding temperature contours for $T_{in}=14°C$ are shown in Figure 8. Moreover, in Figure 9 the temperature contours, which correspond to the flow fields of
Figure 6, are plotted. In Table 1 the values (ranges and average values) of the calculated air velocities and temperatures are shown in the areas if interest; these are the area of the athletes and three main areas of spectators: (1) lower: from the 1st to the 6th row of seats, (2) middle: from the 7th to the 12th row and (3) upper: from the 13th row to the last (17th) row of seats; these areas were further divided in three sectors: Northern, Eastern and Western. Due to symmetry the areas of seats in the Southern sector are expected to have the same characteristics with the Northern sector.

Figures 5 to 9 show that the flow field in the Galatsi Arena is very complicated; this is due mainly to the interaction of the incoming airflow from the 256 diffusers with the buoyant plumes originating from the 6,000 occupants, who constitute a significant heat source in the Arena. Figure 5 depicts that the heavy airflow from the diffusers in the roof of the Arena is directed downwards, where it joins the airflows from the diffusers above the entrances; the resulting flow is subsequently “lifted”; then, it descends to lower levels and finally it is directed to the outlet openings. The air velocities decrease as the flow progresses downwards. Practically, the above-mentioned flow forms a clockwise recirculation region, which occupies a large part of the Arena; in the area of athletes almost completely mixed conditions are created. Two recirculation regions are also formed in the areas of corridors from the airflows of the diffusers in the roof of the Arena, which are directed towards the inner walls.

Figures 6, 7, 8 and 9 depict that the temperature field depends on the flow field and vice-versa. In spite of the approximately complete mixed regime in a large part of the Arena, the distributions of temperature in Figures 7 and 8 show a general tendency to stratify; this tendency is interrupted locally by the airflows originating from the
diffusers (mainly from these above the entrances), which create “islands” of regions with low air temperatures.

In the areas of the spectators air velocities range from 0.08 m/sec up to 0.64 m/sec for $T_{in}=14^\circ$C and from 0.08 m/sec up to 0.48 m/sec for $T_{in}=16^\circ$C; in some regions air velocities are much higher than the recommended limit of less than 0.25 m/s by the ISO Standard 7730 [25]. The ranges of air temperatures are calculated equal to 22-26$^\circ$C and 24-27$^\circ$C for $T_{in}=14^\circ$C and $T_{in}=16$ $^\circ$C, respectively; low values of air temperatures are noticed in the eastern sector of the Arena.

In the area of the athletes air velocities range from 0.10 m/sec to 0.80 m/sec. The regions with high air drafts were identified and indicated to the organizers of the Games, because these may affect the motion of (a) the ball of the table tennis or (b) the ribbon of the rhythm gymnastics. The air temperatures are practically uniformly distributed in the area of the athletes due to the relatively high level of mixing; they range from 22$^\circ$C to 24$^\circ$C and from 24$^\circ$C to 26$^\circ$C for $T_{in}=14^\circ$C and $T_{in}=16^\circ$C, respectively.

5.2 Thermal comfort

ISO 7730 [25] defines thermal comfort as "the condition of mind that expresses satisfaction with the thermal environment". The reference to "mind" emphasises that comfort is a psychological phenomenon; therefore, it is "measured" using subjective methods. Over many years empirical research has related environmental conditions to physiological and subjective responses of subjects. Nowadays, the thermal comfort indices Predicted Mean Vote (PMV) and Predicted Percentage of Dissatisfied (PPD) of Fanger [26] are accepted as ISO 7730 [25]; these are calculated by two empirical
equations. The PMV equation uses a steady-state heat balance for the human body and postulates a link between the deviation from the minimum load on heat balance effector’s mechanisms, e.g. sweating, vaso-constriction, vaso-dilation, and thermal comfort vote; the greater the load, the more the comfort vote deviates from zero. The basis of this equation was obtained from experiments, in which the thermal sensation vote indicated the personally experienced deviation to the heat balance (-3 [cold] to +3 [hot]; seven point scale, 0 = neutral (optimum)). The PPD equation indicates the variance in the thermal sensation of the group of persons exposed to the same conditions. Dissatisfaction with the thermal environment, discomfort, was defined for those who voted cool (-2), cold (-3), warm (+2) or hot (+3). Under optimal thermal conditions (PMV = 0) a minimum of 5% dissatisfied is found, assuming identical activity levels, clothing and environmental conditions.

The PMV and PPD are calculated from knowledge of the so-called six basic variables: (1) activity, (2) clothing and (3) four environmental variables: air temperature, air velocity, mean radiant temperature and air humidity. Generally, the value of the PMV is very sensitive to the air temperature; the effect of the metabolism on PMV is also pronounced. In the present work the values of the variables for the activity (metabolic rate) and the clothing (ensemble insulation) were determined using ASHRAE Fundamentals [27]; more specifically, the total thermal resistance of clothing was taken equal to 0.5 clo (i.e. 0.078 m² °K/W) and the metabolic rate of the spectators equal to 1.2 met (i.e. 70 W/m²). The environmental variables were determined from the CFD calculations. The mean radiant temperature was calculated equal to 24.62°C and 26.11°C for \( T_{in}=14^\circ C \) and 16°C, respectively. The mean values of the air temperature and velocity in the areas of interest, which are shown in Table 1, were used in the
calculation of the comfort indices. An EXCEL spreadsheet was formulated for the calculation of PMV and PPD indices in the areas of interest; these values are shown in Table 2.

The figures of Table 2 show that for T=14°C the thermal conditions are not satisfactory. The low-negative values of PMV (almost in all rows of seats PMV<−0.5) indicate that the air temperatures are lower than the desired values; the percentage of the occupants who are expected to express dissatisfaction ranges from 8.4% to 27.4%. For T=16°C the relatively high air velocities (up to 0.40 m/sec) are combined with the relatively high temperatures (up to 26.5°C); the desired range of temperatures is 24-26°C [25]) to create thermal conditions which are generally pleasant; PPD values show that less than 7% of the spectators are expected to express dissatisfaction. In the area of athletes air temperatures for T=14°C are low (22-24°C), while for T=16°C are very satisfactory (24-26°C); moreover, the relatively high air drafts generally create to the athletes a feeling of freshness.

In the present work the factor of humidity was not considered, because people are quite insensitive to humidity levels over a wide humidity range - at the temperatures, which are normally found in air-conditioned spaces. Furthermore, the effect on comfort of a shift in humidity may be compensated for by a small adjustment of air temperature; for example, higher humidity makes a person feel warmer, thus a slight lowering of temperature will compensate for the comfort effect of this higher humidity.

6 Conclusions

CFD calculations in the Galatsi Arena demonstrated that that the variable air volume conditioning system serving the Galatsi Arena is capable to ensure satisfactory
thermal conditions for the spectators. Calculated PMV and PPD values showed that
thermal conditions in the Arena are very satisfactory for $T_{\text{in}}=16^\circ\text{C}$; only a small
percentage of less than 7% of the spectators is expected to be slightly uncomfortable.
The temperature of $T_{\text{in}}=16^\circ\text{C}$ was proposed for application during the Olympic Games
“Athens 2004”. Moreover, the regions with high air drafts in the areas of athletes were
identified and indicated to the organizers of the Games.

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double glazed facade on energy consumption, thermal comfort and condensation for a


**Figure legends**

Figure 1. View of the Galatsi Arena (www.stadia.gr)

Figure 2. View of a part of the interior of the Galatsi Arena with the main air-supply and exhaust devices

Figure 3. View of the interior of the Galatsi Arena

Figure 4. View of the numerical grid

Figure 5. Flow velocities at the level yz and (a) x=10.0 m and (b) x=30.0 m for T=16°C

Figure 6. Flow velocities at a horizontal plane xy and z=1.0 m for (a) T=14°C and (b) T=16°C

Figure 7. Temperature contours (°C) at the plane yz and (a) x=10.0 m and (b) x=30.0 m for T=16°C

Figure 8. Temperature contours (°C) at the plane yz and (a) x=10.0 m and (b) x=30.0 m for T=14°C

Figure 9. Temperature contours at a horizontal plane xy and z=1.0 m for (a) T=14°C and (b) T=16°C
Table 1. Calculated air velocities (m/sec) and temperatures (°C)

<table>
<thead>
<tr>
<th>Area-Sector</th>
<th>Velocity</th>
<th>Temperature</th>
<th>Velocity</th>
<th>Temperature</th>
</tr>
</thead>
<tbody>
<tr>
<td>Lower-Southern</td>
<td>0.08-0.48 (0.35)</td>
<td>23-25 (24.0)</td>
<td>0.16-0.48 (0.35)</td>
<td>25-27 (26.0)</td>
</tr>
<tr>
<td>Middle-Southern</td>
<td>0.16-0.64 (0.40)</td>
<td>23-26 (24.5)</td>
<td>0.16-0.32 (0.20)</td>
<td>26-27 (26.5)</td>
</tr>
<tr>
<td>Upper-Southern</td>
<td>0.16-0.48 (0.35)</td>
<td>23-26 (24.5)</td>
<td>0.16-0.48 (0.35)</td>
<td>26-27 (26.5)</td>
</tr>
<tr>
<td>Lower-Western</td>
<td>0.08-0.64 (0.25)</td>
<td>23-25 (23.5)</td>
<td>0.16-0.48 (0.30)</td>
<td>24-26 (25.0)</td>
</tr>
<tr>
<td>Middle-Western</td>
<td>0.16-0.48 (0.40)</td>
<td>23-25 (23.5)</td>
<td>0.16-0.48 (0.40)</td>
<td>24-26 (25.5)</td>
</tr>
<tr>
<td>Upper-Western</td>
<td>0.08-0.32 (0.30)</td>
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<td>0.08-0.48 (0.25)</td>
<td>26-27 (26.5)</td>
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<td>0.16-0.64 (0.40)</td>
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<td>24-26 (25.0)</td>
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<td>24-27 (25.5)</td>
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<tr>
<td>Upper-Eastern</td>
<td>0.16-0.48 (0.30)</td>
<td>22-26 (24.5)</td>
<td>0.08-0.32 (0.20)</td>
<td>25-27 (26.0)</td>
</tr>
</tbody>
</table>
Table 2. Calculated values of PMV and PPD

<table>
<thead>
<tr>
<th>T&lt;sub&gt;in&lt;/sub&gt; Area-Sector</th>
<th>14°C PMV</th>
<th>14°C PPD</th>
<th>16°C PMV</th>
<th>16°C PPD</th>
</tr>
</thead>
<tbody>
<tr>
<td>Lower-Southern</td>
<td>-0.71</td>
<td>15.5</td>
<td>-0.05</td>
<td>5.1</td>
</tr>
<tr>
<td>Middle-Southern</td>
<td>-0.66</td>
<td>14.1</td>
<td>+0.26</td>
<td>6.5</td>
</tr>
<tr>
<td>Upper-Southern</td>
<td>-0.59</td>
<td>12.4</td>
<td>+0.07</td>
<td>5.1</td>
</tr>
<tr>
<td>Lower-Western</td>
<td>-0.64</td>
<td>13.6</td>
<td>-0.22</td>
<td>6.0</td>
</tr>
<tr>
<td>Middle-Western</td>
<td>-0.90</td>
<td>22.2</td>
<td>-0.24</td>
<td>6.1</td>
</tr>
<tr>
<td>Upper-Western</td>
<td>-0.40</td>
<td>8.4</td>
<td>+0.19</td>
<td>5.7</td>
</tr>
<tr>
<td>Lower-Eastern</td>
<td>-1.03</td>
<td>27.2</td>
<td>-0.04</td>
<td>5.0</td>
</tr>
<tr>
<td>Middle-Eastern</td>
<td>-1.03</td>
<td>27.4</td>
<td>-0.10</td>
<td>5.2</td>
</tr>
<tr>
<td>Upper-Eastern</td>
<td>-0.52</td>
<td>10.6</td>
<td>+0.16</td>
<td>5.5</td>
</tr>
</tbody>
</table>
Figure 1
Figure 2
Figure 3

(a) The real geometry (www.stadia.gr)

(b) The simulated geometry
Figure 4
Figure 5

(a) x=10.0 m

(b) x=30.0 m
Figure 6

(a) T=14°C

(b) T=16°C
Figure 7

(a) x=10.0 m

(b) x=30.0 m
Figure 8

(a) $x=10.0\,m$

(b) $x=30.0\,m$
(a) $T=14^\circ C$

(b) $T=16^\circ C$

Figure 9