MODELLING AIRBORNE CONCENTRATION AND DEPOSITION RATE OF
MAIZE POLLEN
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ABSTRACT. The introduction of genetically modified (GM) crops has reinforced the need to quantify
gene flow from crop to crop. This requires predictive tools which take into account meteorological conditions,
canopy structure as well as pollen aerodynamic characteristics. A Lagrangian Stochastic (LS) model, called
SMOP-2D (Stochastic Mechanistic mOdel for Pollen dispersion and deposition in 2 Dimensions), is presented. It
simulates wind dispersion of pollen by calculating individual pollen trajectories from their emission to their
deposition. SMOP-2D was validated using two field experiments where airborne concentration and deposition
rate of pollen were measured within and downwind from different sized maize (Zea mays) plots together with
micrometeorological measurements. SMOP-2D correctly simulated the shapes of the concentration profiles but
generally underestimated the depositions rates in the first 10 m downwind from the source. Potential
explanations of this discrepancy are discussed. Incorrect parameterisation of turbulence in the transition from the
crop to the surrounding is probably the most likely reason. This demonstrates that LS models for particle transfer
need to be coupled with air-flow models under complex terrain conditions.

KEYWORDS: atmospheric dispersion, Lagrangian model, turbulence, particles, Zea mays.

1 INTRODUCTION

Pollen dispersion has been the subject of an increasing number of studies since the introduction of genetically
modified (GM) crops because of the need to maintain seed purity. In Europe, the main objective for maize (Zea
mays) crops has been to quantify gene flow from transgenic to non-transgenic crops as there is no risk of
hybridisation with its wild relative, teosinte (White & Doebley, 1998; Matsuoka et al., 2002) because it does not
grow there. However, teosinte does grow in Central America and the risk of hybridisation has become a subject
of scientific inquiry (Doebley, 1990; Baltazar and Schoper, 2002).

Many models of pollen dispersion have been based on observed levels of outcrossing on target plants in the
vicinity of an emitting source plot (Lavigne et al., 1998; Klein, 2000). Such studies can give direct estimates of
outcrossing rates, but are of limited use as predictive tools because they are only valid for the meteorological
conditions found during the experiments. A few models of atmospheric pollen dispersion based on concentration
and deposition measurement exist (McCartney and Lacey, 1991; Jackson and Lyford, 1999), but to our
knowledge, none has been applied to maize. In this study, we evaluate an alternative and complementary
approach using a Lagrangian Stochastic (LS) model to simulate wind dispersion of maize pollen. The model,
called SMOP-2D (Stochastic Mechanistic mOdel for Pollen dispersion and deposition in 2 Dimensions) predicts
pollen concentration and deposition rate downwind from an emitting field. SMOP-2D is a mechanistic model
that considers atmospheric turbulence, pollen aerodynamic characteristics and canopy structure. It also includes an empirical parameterisation of the turbulence field for heterogeneous landscapes. These features allow the investigation of contrasting scenarios. LS models have proved to be accurate for calculating the dispersion of atmospheric gases (Wilson & Sawford, 1996). They have been successfully extended to simulate heavy particle dispersion (Walklate, 1986; Reynolds, 1999; Wilson, 2000) and have been used to estimate fungal spore release rates (Aylor & Flesch, 2001).

Here we validate the LS model SMOP-2D by comparing calculated concentrations and deposition rates with those measured during field experiments conducted in 2000 (Jarosz et al., 2003) and 2001 (Jarosz, 2003).

2 MATERIAL AND METHODS

2.1 Model

SMOP-2D is a Lagrangian stochastic (LS) model in 2 dimensions (horizontal downwind \((x)\) and vertical \((z)\)) that simulates the wind dispersion of pollen grains by calculating a large number of individual trajectories. SMOP-2D is a version of the LS model initially developed for atmospheric ammonia dispersion that was adapted for pollen dispersion (Loubet, 2000; Loubet et al., 2003), and is very similar to the spore dispersal model reported by Aylor & Flesch (2001). Pollen can be treated as a passive scalar, with a settling velocity \(V_s\) added to the vertical velocity component, provided that the size is in the range \(20 \mu m \leq \text{diameter} \leq 300 \mu m\) (Wilson, 2000). The displacement of individual pollen grains is calculated using the following two-dimensional joint stochastic differential equations:

\[
\begin{align*}
\dot{u} &= a_u dt + b_u d\xi_u \\
\dot{w} &= a_w dt + b_w d\xi_w \\
\dot{x} &= u dt \\
\dot{z} &= (w - V_s) dt
\end{align*}
\]

\(u\) and \(w\) are the horizontal and vertical air velocity components; \(a_u, b_u, a_w\) and \(b_w\) are the Langevin coefficients; and \(d\xi_u\) and \(d\xi_w\) are random numbers drawn from Gaussian distributions with mean zero and variance \(dt\). The Langevin coefficients are functions of the average horizontal \((U)\) and vertical \((W)\) components of air velocity; the horizontal \((\sigma^2_u)\) and vertical \((\sigma^2_w)\) Eulerian velocity variances; the shear stress \((\overline{u'w'})\), and the Lagrangian velocity timescale \((T_L)\). Over a flat homogeneous terrain, \(W\) is assumed to be zero. The coefficients \(a_u, b_u, a_w\) and \(b_w\) are determined from the well mixed criterion and the Kolmogorov similarity hypothesis, under stationary and horizontally homogeneous flow (Rodean, 1996; Thomson, 1987; Aylor & Flesch, 2001). In this study, these coefficients are those detailed by Wilson and Flesch (1997) for models preserving the mean direction of the fluctuating velocity vector, which corresponds to the Thomson’s model (1987). They are therefore not given
here. Due to gravitational forces and inertia, heavy particles do not follow the fluid trajectories exactly (Sawford & Guest, 1991). This effect is taken into account by reducing the fluid velocity time scale along a particle trajectory, \( \tau_p \), compared to that for a fluid trajectory, \( T_L \) (Sawford & Guest, 1991):

\[
\tau_p = \frac{T_L}{\sqrt{1 + \left( \frac{\beta V_s}{\sigma_w} \right)^2}}
\]  

(2)

where \( \beta \) is an empirical dimensionless constant. In this study \( \beta \) was taken to be 3 (Snyder & Lumley, 1971). But, the value of \( \beta \) for particle dispersion is still subject to debate (see e.g. Wilson, 2000).

2.1.1 Turbulence field

The parameterisation of the turbulence for horizontally homogeneous conditions is described in Loubet (2000), and includes vertical profiles of \( U, W, \sigma_u, \sigma_w, \bar{u}'w' \) and \( T_L \). A simple empirical parameterisation of the turbulent field in the transition zone between two different canopies was chosen. The transition zone was defined as the location between the upwind position, \( x_{\text{upwind}} \), where the turbulent field is defined by the characteristics of the upwind canopy, and the downwind position, \( x_{\text{downwind}} \), where the field is defined by the downwind canopy (Figure 1). At any position, \( x \), within this zone, each vertical profile of a given turbulent characteristic was interpolated between the upwind and downwind equilibrium profiles using a 3rd degree polynomial \( P \). To simplify the expression of the polynomial, a normalised distance \( X \) was used:

\[
X = \frac{x - x_{\text{upwind}}}{x_{\text{downwind}} - x_{\text{upwind}}}
\]

(3)

The polynomial was defined as \( P(X) = -2X^3 + 3X^2 \). This ensured the continuity of the profiles and their derivatives over the transition zone: it satisfied four constraints: \( P(0) = 0, P(1) = 1 \) and \( P(0) = P'(1) = 0 \). Mass conservation was ensured by calculating \( W \) as the integral over \( z \) of the derivative of \( U \) over \( x \) \((- \frac{dU}{dx})\). This parameterisation allows the most influencing parameters to vary realistically over the transition zone. However, the parameterisation of \( \bar{u}'w' \) profiles may not be ideal, as these profiles should increase at the transition and decrease afterwards (Bradley, 1968), whereas here the profiles change smoothly from upwind to downwind. The parameterisation of the flow in the transition zone was designed to get a realistic but simple turbulence field. It was therefore not considered necessary to add more complexity to the stochastic model. Hence we did not include the horizontal derivatives in the coefficients \( a_u, b_u, a_w \) and \( b_w \) as should be done under non-homogeneous turbulence (Leuzzi and Monti, 1998). However, the effect of including these derivatives was evaluated: it
generated unsteadiness in the trajectories, but did not show great differences in concentration and deposition rates, when compared with the effect of a modification in the turbulence field. (insert Figure 1 about here)

2.1.2 Model parameters and input variables

SMOP-2D considers canopy and pollen characteristics, and micrometeorological variables (Table 1). The canopy parameters for each field are: the downwind fetch \((x_c)\), the height \((h_c)\), the roughness length \((z_0)\); the displacement height \((d)\); and the leaf area density \((LAD)\), made up of the horizontal and vertical projections \((LAD^h)\) and \((LAD^v)\). Pollen aerodynamic characteristics were accounted for using a Gaussian distribution of the settling velocity \(V_s\). Unless otherwise stated, a mean of 0.31 m s\(^{-1}\) and a standard deviation of 0.08 m s\(^{-1}\) were taken for the distribution of \(V_s\), which is consistent with Di-Giovanni et al. (1995), although smaller means have been measured by others (Aylor, 2002; Jarosz, 2003). The simulations were carried out over a horizontal distance, \(x_D\), and vertical height, \(z_D\). The area was divided into a grid with \(N_h\) horizontal and \(N_z\) vertical elements for concentration estimates. The grid in the maize canopy had more tightly spaced vertical layers \((N_h)\). (insert Table 1 about here)

2.1.3 Concentration and deposition

The model outputs were pollen concentration \((C)\); deposition rate to the ground \((D^g)\); and deposition rate to vegetation surfaces \((D^v)\). The concentration \(C\) was calculated for any point \((i, j)\) of the grid \((i = 1\) to \(N_i\) and \(j = 1\) to \(N_j)\) as Flesch (1995):

\[
C(i, j) = V_{source} \times \frac{1}{N_p} \sum_{n=1}^{N_p} T_n(i, j) / V(i, j) \tag{4}
\]

where \(V_{source}\) is the volume of the source, \(N_p\) the is number of trajectories, and \(T_n\) is the residence time of particle \(n\) in the grid division of volume \(V(i, j)\).

Deposition within the canopy was expressed as the sum of the contribution due to gravitational settling and the contribution due to inertial impaction (Legg & Powell, 1979). The probability that pollen deposits on the vegetation \((D^v)\) or on the ground \((D^g)\) over a time step \(dt\) was calculated according to Aylor & Flesch (2001). The deposition rate either at the ground or on the vegetation in the horizontal grid location \(i\) \((i = 1\) to \(N_i)\) was specified as:

\[
D^g,v(i) = V_{source} \times \frac{1}{N_p} \sum_{n=1}^{N_p} D_{n}^{g,v}(i) / A(i) \tag{5}
\]

where \(D_{n}^{g,v}\) is the probability that the pollen grain \(n\) deposits on the ground or vegetation and \(A\) is the area available for deposition at distance \(i\).
2.2 Model validation

2.2.1 Experimental data

The model outputs were compared with measurements recorded during two field experiments one at Montargis and the other at Grignon, France, in 2000 and 2001, respectively (Jarosz et al., 2003; Jarosz, 2003). Vertical profiles of pollen concentration were measured at \( x = 3 \) m and 10 m downwind from a 20 × 20 m maize plot at Montargis and two 24 × 42 m maize plots at Grignon. Pollen deposition rates were measured between \( x = 1 \) m and 32 m in Montargis and \( x = 1 \) m and 200 m in Grignon. Micrometeorological measurements were made during the entire pollination period. The plots were isolated from other possible sources of maize pollen: at Montargis, the plot was surrounded by bare soil, and at Grignon, by stubble. The two plots in Grignon were not sown at the same time, so pollen measurements were made at two different flowering dates. Runs were carried out on 12 occasions in Montargis (R1 to R12), and 9 (S19 to S117) and 15 (S218 to S232) occasions in Grignon for the first and second dates, respectively.

2.2.2 General framework

The simulated total area was divided in three canopy zones: one located upwind from the maize crop (zone 1), the maize plot (zone 2); and one located downwind from the maize crop (zone 3) (Figure 1). The maize plot was the only source of pollen. In all simulations, zones 1 and 3 had the canopy characteristics of either bare soil or stubble depending on the chosen experiment location. Only ground deposition was taken into consideration in zones 1 and 3, as the canopies in these zones were short and not dense.

2.2.3 Turbulence

Each field was characterised by: vegetation height, \( h_c^i \) (index \( i \) denotes the canopy zone); displacement height \( d_i \); its roughness length \( z_0^i \); and leaf area density vertical profile \( LAD^i \). For the maize plots (zone 2), \( z_0 \) and \( d \), were taken as \( z_0 = 0.1 \times h_c \) and \( d = 0.7 \times h_c \) (Kaimal and Finnigan, 1994). For zones 1 and 3, \( z_0^i \) was estimated by fitting measured and calculated wind profiles as explained below (Table 2). The mean wind speed \( U_{ref} \) at the reference height \( (z_{ref}) \) was estimated from measured friction velocity \( u* \) and Monin-Obukhov length \( L \) over the downwind field (zone 3), using Monin-Obukhov similarity theory:

\[
U(z) = \frac{u*}{k} \left[ \ln \left( \frac{z - d}{z_0} \right) - \Psi_m \left( \frac{z - d}{L} \right) + \Psi_m \left( \frac{z_0}{L} \right) \right]
\]

where \( k \) is the von Kármán constant and \( \Psi_m \) is the stability correction function given by Dyer (1974):

\[
\Psi_m \left( \frac{(z-d)}{L} \right) = \begin{cases} 
\ln \left( \frac{1 + x^2}{2} \right) \left( \frac{1 + x^2}{2} \right)^2 - 2 \text{atan} \frac{x + \frac{\pi}{2}}{2} & -2 \leq (z-d) / L \leq 0 \\
-5.2 ((z-d) / L) & 0 \leq (z-d) / L \leq 1
\end{cases}
\]
with \( x \frac{(z-d)}{L} = (1 - 16 \frac{(z-d)}{L})^{1/4} \). The stability parameter \( \frac{(z-d)}{L} \) is negative when the air stratification is unstable and positive when stable.

Within each canopy, the wind speed profile was defined by \( \frac{U(z)}{U(h_c)} = \exp \left[ \gamma \frac{z}{h_c} - 1 \right] \) (Cionco, 1972). The attenuation factor, \( \gamma \), for open canopies (= 2.5) was used (Raupach et al., 1996). Measured values of \( \sigma_w / u_* \) above the canopy, for all experiments were between 1.3 – 1.4, but \( \sigma_u / u_* \) values changed with the atmospheric stability and wind direction. However, for all simulations, values of \( \sigma_u / u_* = 3.1 \) and \( \sigma_w / u_* = 1.4 \) were used above the canopy under neutral conditions. Stability effects was taken into account as indicated in Loubet (2000). These somehow ideal values were preferred to test the model as measured values may not always be available from field experiments. Values of \( u_* \) and \( L^{-1} \) were measured for each simulation (Table 2).

Over the transition zone, the \( x_{\text{upwind}} \) and \( x_{\text{downwind}} \) distances were adjusted to fit measured wind speed profiles at \( x = 3 \) m and 10 m, respectively. They ranged from 3 to 10 \( \times \) \( h_c \), and from 10 to 20 \( \times \) \( h_c \) at the upwind and downwind edge of the source field respectively. (insert Table 2 about here)

### 2.2.4 Canopy structure

The maize leaf area density \( LAD(z) \) profile and its projections along the horizontal and vertical plane (\( LAD^x \) and \( LAD^y \)) was assumed to have the same shape for Grignon and Montargis. It was based on measurement of the canopy structure in three dimensions made during the Grignon experiment using a digitiser (Figure 2). A characteristic leaf size (leaf width) was used to estimate pollen deposition on vegetation. To minimise the number of parameters the leaf width was fixed at 0.05 m for maize and 0.01 for bare soil or stubble. The height and size of the tassels (the “source” of pollen) were measured during each experiment and are given in Table 1. (insert Figure 2 about here)

### 2.2.5 Numerical settings and validation strategy

The number of trajectories, \( N_p \), for each simulation was 100000. The size of the total area was \( z_D = 10 \) m, and \( x_D = 130 \) m and 254 m for Montargis and Grignon, respectively. The number of grid divisions was \( N_x = 100 \) for the horizontal, \( N_z = 20 \) for the vertical and \( N_h = 10 \) within the canopy.

During the experiments, the pollen release rate to the atmosphere was not quantified (see Jarosz et al., 2003). However, this variable constitutes a major input of SMOP-2D and needs to be determined. Therefore, the source strength for each simulation was estimated by “inversion” of the model. Similarly to the approach of Aylor and Flesch (2001), the inversion was carried out by first running the model with a release rate of 1 grain m\(^{-2}\) s\(^{-1}\) and calculating the concentration profile at 3m. Measured concentrations were plotted against
calculated concentrations and a linear regression with zero intercept was performed. The slope of this regression was taken as the estimation of the actual source strength.

Since the source strength of the model was chosen to make measured and modelled concentrations fit at \( x = 3 \) m, the quality of the model was validated using measured and calculated deposition rates and vertical concentration profiles at \( x = 10 \) m.

3 RESULTS

Simulations were done on 8 runs in Montargis, 5 for S1 and 14 for S2 in Grignon. Figure 3 shows vertical profiles of measured and simulated concentration at \( x = 3 \) m and 10 m and measured and simulated deposition rates downwind from the source plot, for four representative runs (R6, R7, S113 and S221). As the parameters \( z_0 \), \( d \), \( x_{\text{downwind}} \) and \( x_{\text{upwind}} \) were determined for each run by fitting the measured and simulated vertical profiles of horizontal wind speed at \( x = 3 \) m and at \( x = 10 \) m, these profiles are also shown in the figure for the same runs.

Concentrations at Grignon were measured to a higher level (at \( z = 6.4 \) m) and deposition rates were measured further down (\( x = 200 \) m) than at Montargis. (insert Figure 3 about here)

3.1 Airborne concentration

There was good general agreement between measured and simulated concentration profiles at \( x = 3 \) m and \( x = 10 \) m: the order of magnitude of the concentration at \( x = 10 \) m is correct; and the shape of the concentration profiles at \( x = 3 \) m and \( x = 10 \) m was reasonably reproduced. However, at \( x = 3 \) m, the model systematically underestimates the concentrations at heights \( z = 2 \) m and 4 m, the modelled pollen plume settling down too quickly compared to field measurements. Figure 4 shows the vertical profiles of the mean relative error between measured and modelled concentration (i.e. the difference between the two concentrations divided by the measured concentration). The agreement between the model and the measurements tended to be better for the Grignon runs than those at Montargis. The simulation underestimated the 2 and 4 m concentrations for the 3 m profile by about 50% at Montargis, but by less than 25% at Grignon. The simulation of the 10 m profile at Montargis overestimated concentration by up to 200% (\( z = 1 \) and 4 m), while at Grignon errors, for \( z \leq 4 \) m, were usually less than 50%. The better fit at Grignon was probably because the maize plot was larger than in Montargis and completely isolated from other maize pollen sources. (insert Figure 4 about here)

3.2 Deposition rates

The model tended to estimate the order of magnitude of deposition rates relatively well (Figure 3b). Figure 5 shows the mean relative error between the simulated and measured deposition rate as a function of the downwind
distance to the source. In all cases, deposition rates were underestimated close to the source. For the Montargis runs the deposition rate was always underestimated by approximately 40% for \( x \leq 16 \) m and up to 80% for \( x = 32 \) m. In contrast to Montargis, for the Grignon runs deposition rates were very well simulated for \( x = 8 \) m: relative errors were close to zero. But, they were overestimated at distances of 16, 60 and 120 m and underestimated at \( x = 200 \) m (note that only series S1 gives measurements for \( x = 200 \) m). (insert Figure 5 about here)

4 DISCUSSION

In all the simulations presented in this study, the model tended to underestimate pollen deposition rate in the vicinity of the maize plot whereas it correctly simulated the concentration levels. It could be argued that correctly modelling deposition rate near the source is not essential if the object is to determine potential outcrossing, which takes place at larger distances. However, local deposition is a factor in the quantity of pollen available for long-range transport and is therefore important to determine. Various possible explanations are explored below to explain why the model underestimated deposition rates.

4.1 Deposition measurements

Deposition rates may have been influenced by the height at which the measurements were taken (25 and 30 cm high in both sites). To explore this, a simulation was run where all particles were deposited at a height of 30 cm. There were no significant differences between deposition rates at 30 cm and at ground level, suggesting that deposition rates at 0 and 30 cm are identical. This is reasonable since the time spent by the pollen in the layer 0-30 cm is on average equal to \( 0.3 / V_s \sim 1 \) s, which is small. It was also thought that the shape of the deposition containers may influence pollen deposition by modifying local turbulence. McCartney et al. (1985) have shown that the number of fungal spores collected on horizontal microscope slides openly exposed was almost twice that collected on slides placed on a table or at the bottom of large beakers. Hence, collecting pollen in containers could have led to the underestimation of the deposition rate, although in these experiments the containers were short (less than 7 cm high) compared to those used by McCartney et al. (1985) which were 215 mm high. Thus, sampling errors due to the use of containers would be expected to have led to underestimates and not overestimates of deposition rate. Such errors would have made the comparison with the model worse. Therefore, effects of pollen collector position and shape are unlikely to explain the discrepancy between measurements and simulations.
4.2 Concentration measurements

Another possible explanation for the discrepancy between measurements and model is an underestimation of the concentration by the rotating-arm pollen traps. This would lead to the underestimation of the source strength and in turn to the underestimation of the deposition rate by the model. If this were the case, the correct concentrations would be higher, and so would the source strength and the predicted deposition rates. However, an increased deposition rate at all distances would not lead to a better fit of the measurements as the model underestimates the deposition rates only near the source (Figure 4).

4.3 Settling velocity

The underestimation of deposition close to the source could be linked to an erroneous parameterisation of the distribution of settling velocities for maize pollen. In all runs, the distribution of $V_s$ was taken from Di-Giovanni et al. (1995), who found a Gaussian distribution with a mean of 0.31 m s$^{-1}$ and a standard deviation of 0.08 m s$^{-1}$. Observations by one of the authors (Jarosz, 2003), as well as experiments by Aylor (2002), gave a wider range of values for $V_s$, with generally lower means from 0.20 m s$^{-1}$ to 0.32 m s$^{-1}$, with an average of 0.26 m s$^{-1}$. However, using a smaller value of $V_s$ would increase underestimation of deposition rate by the model. Indeed, it is generally thought that heavier pollen or clusters settle more quickly than single pollen grains. Clusters of maize pollens with 2 or 3 pollen grains have been observed in laboratory experiments by Ferrandino & Aylor (1984), Di-Giovanni et al. (1995), and Aylor (2002), although such clusters have not been reported in the field. Ferrandino & Aylor (1984) have reported that maize pollen doublets and triplets settle 40% and 73% faster than single pollen grains, respectively. The model assumed that all pollen grains were singles. To examine the underestimation of settling velocity, the model was run for different sized clusters of pollen grains. The settling velocity of a cluster of $N$ maize pollen grains has been shown to be $V_s^N = V_s \sqrt{N}$ (Ferrandino & Aylor, 1984), giving $V_s^2 = 0.37$ cm s$^{-1}$ and $V_s^3 = 0.45$ cm s$^{-1}$ for doublets and triplets respectively. Figure 6 shows the concentration profiles and the deposition rates simulated for run S113, with $V_s$ ranging from that for single pollen to a cluster of 5 grains (which are unlikely to exist). The model simulated deposition rates near the source better for higher $V_s$ but did not correctly simulate the concentration profiles, especially at $x = 10$ m, where measured concentrations were greatly underestimated for high values of $V_s$. The hypothesis of a mixed population of singles and clusters of pollen can be evaluated based upon Figure 6. Since concentration and deposition rate are proportional to the source strength, for a mixed population of pollen, they would simply be a weighed sum of each cluster's concentrations and deposition rates. Therefore, the behaviour of the model remains the same for mixed population as for unmixed ones. These results suggest that it is unlikely that the errors in pollen settling
velocity and/or the effects of clusters are solely responsible for the underestimation of deposition by the model near the source. (insert Figure 6 about here)

4.4 Pollen resuspension

Pollen resuspended from the ground, or from vegetation, could have contributed to the pollen deposit, hence increasing the measured deposition rates close to the source. Aylor et al. (2003) have shown experimentally that pollen could be quite easily dislodged from maize leaves by either leaf shaking, roll-off or light air flow (0.2 to 0.5 m s\(^{-1}\)). They have also shown that maize pollen does not stick to leaf hairs. Resuspension has also been observed for other particles in the laboratory (Aylor & Ferrandino, 1985; Braaten et al., 1990; Ibrahim et al., 2003). Thus, pollen resuspension from leaves is likely to occur in the field. Simulations (not shown) were performed with pollen sources at two different heights, 1.7 and 2.0 m, corresponding to the height of maximum observed \(LAD\) in the crop. Two values of \(V_s\) were also used: \(V_s = 0.26\) m s\(^{-1}\), which corresponds to fresh pollen and \(V_s = 0.15\) m s\(^{-1}\), which corresponds to dry pollen (Jarosz, 2003). These sources represented pollen from potential resuspension sites in the maize plot. None of these simulations enhanced the agreement between simulated and measured deposition rates close to the source, suggesting that the discrepancy could not readily be explained by the resuspension of pollen from the crop.

4.5 Effect of the \(\beta\) parameter

Wilson (2000) reported simulations of the deposition of glass beads (mean diameter \(\varnothing = 107\) µm) released from a point source at 15 m high over prairie land. He found that \(\beta\) had a great influence on the deposition rates. We ran simulations (not shown) with different values of \(\beta\) (\(\beta = 1.5, 2, 3, 4\) and 5). They showed little influence of \(\beta\) on short-range deposition of pollen. Increasing \(\beta\) seemed to decrease vertical diffusion near the source but also to decrease deposition further downwind.

4.6 Turbulence

Another possible cause of the model’s underestimation of deposition close to the source lies in the difficulty to correctly describe the turbulent flow in the transition zone at the downwind edge of the source, especially for \(U, W, \sigma_u\) and \(\overline{uw}\). For example higher turbulence intensities would induce higher vertical diffusion, which would favour larger deposition rates near the source and increased concentration above the source level.

The topography at Montargis and Grignon was especially complex, and the area downwind from the source could not be considered as a simple rough to smooth transition zone. The maize canopies were only about 20 m
long on the downwind side (~10\, h_c), hence the area downwind from the source was still under the influence of the smooth to rough transition zone of the upwind edge (Irvine et al., 1997). Measurements of turbulence intensities downwind from the plots, using ultrasonic anemometers (Gill, R2 and R3, data not shown), gave an increase in $\sigma_w / u_*$ over the standard boundary layer value (~1.7 $u_*$ instead of 1.3 $u_*$) in the first 10 m downwind from the maize plot. Moreover, $W$ measured downwind from the canopy showed a marked downward flow ($W \sim -0.7\, u_*$), whereas the parameterisation used gave $W \sim -0.4\, u_*$. These observations are in good agreement with Irvine et al. (1997) for $x / h_c = 14.5$ downwind from a smooth to rough edge, which corresponds to $x \approx 10\text{-}15$ m in our study. Hence, enhanced $\sigma_w$ and negative $W$ near the source could partly explain higher measured deposition rates, because a negative $W$ directly adds up to the settling velocity, and an enhanced $\sigma_w$ induces a larger diffusive flux (upward but also downward), and hence a larger deposition rate near the source. Further downwind, the deposition may be reduced by a larger $\sigma_w$ due to the depletion near the source.

Parameterised values of $\overline{u_w'}$ were much lower in absolute value (by a factor of 2 to 3) than those measured over the canopy and downwind ($\overline{u_w'}$ about -4 $u_{\text{upwind}}^2$). Irvine et al. (1997) found an increase of $\overline{u_w'}$ up to -2.5 $u_*^2$ downwind from a single transition. In the model, higher $\overline{u_w'}$, like higher $\sigma_w$, would tend to both increase upward dispersion and downward diffusion, and therefore deposition. However, the underestimation of $\overline{u_w'}$ in the model was probably much higher than the underestimation of $\sigma_w$. Consequently, it is likely that a better parameterisation of $\overline{u_w'}$, $W$ and $\sigma_w$ for the transition zone in the model would result in increased agreement between predicted and measured deposition rates near the source.

5 CONCLUSION

This study shows that SMOP-2D correctly simulated the airborne pollen concentration pattern downwind from a small-sized maize crop but generally underestimated the deposition rates in the first 10 m downwind from the crop. Factors that could account for the discrepancy between modelled and measured deposition rates were evaluated by sensitivity analysis. This analysis led to the conclusion that the underestimated deposition rates were probably not due to: (1) biased concentration or deposition rate measurements, (2) presence of heavier pollen, or clusters of pollens, with higher $V_s$, (3) pollen resuspension from leaves in the plot or the ground, or (4) a wrong value of the $\beta$ parameter reducing the particle Lagrangian time scale. The analysis suggests that model underestimation of the deposition rate was more likely due to the incorrect parameterisation of the turbulent field over and close to the emitting source. This highlights the need for Lagrangian Stochastic models to be coupled with at least 2nd order Eulerian flow models if they are to be used for complex terrain.

Many processes apart from pollen dispersal are also involved in outcrossing in maize crops. For example, biological factors such as pollen viability, silk receptivity, synchronisation of timing of flowering between crops,
and competition between foreign and local pollen. Outcrossing can also be affected by other meteorological factors, including rain wash out and ultra violet solar radiation (affecting pollen viability). Thus models trying to estimate outcrossing would require either mechanistically or empirically integrating all these features.

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Many thanks to Jean Louis Drouet for numerically rebuilding the 3D maize structure. We also thank Alastair McCartney for his helpful comments on this paper and Suzette Tanis-Plant for editorial advice. This work was funded by INSU / CNRS, Convention N° 01 CV 081, as well as by INRA (Institut National de la Recherche Agronomique), FNPSMS (Fédération Nationale de la Production des Semences de Maïs et Sorgo) and GNIS (Groupement National Interprofessionnel des Semences et plants).

References


Figure captions

Figure 1. Wind speed profiles illustrating the parameterisation of the turbulent exchanges in the transition zone between two adjacent canopies. Interpolation is made between equilibrium profiles in contiguous fields. Here $x_i$ is the downwind fetch of the field $i$, and $x_{upwind}$ and $x_{downwind}$ are the upwind and downwind distance influenced by the roughness change.

Figure 2. Profile of leaf area densities (LAD) (bold line) used in the model for Grignon and Montargis. The corresponding LAI was roughly 4. The projection of LAD along the horizontal $LAD^h$ (grey continuous line) and the vertical planes $LAD^v$ (black dotted line) are also represented.

Figure 3. Results of Montargis and Grignon simulations (R6, R7, S13, S21). (a) Measured concentration profile ($C$) at $x = 3$ m (■) and $x = 10$ m (□) and simulated profiles at $x = 3$ m (thin line) and at $x = 10$ m (dotted line) downwind from the source. (b) Measured (■) and simulated (thin line) deposition downwind from the source ($D$). (c) Measured profiles of mean wind speed $U$ at $x = 3$ m (■) and $x = 10$ m (□) and simulated at $x = 3$ m (thin line) and at $x = 10$ m (dotted line) downwind from the source.

Figure 4. Mean relative error between measured and modelled concentration in Montargis (■) and Grignon (S1 ▲, S2 ○) at $x = 3$ m (thin line, full symbols) and at $x = 10$ m (dotted line, empty symbols) downwind from the source as a function of height $z$. First, for each simulation, the relative error was calculated as the difference between measured and simulated deposition divided by measured deposition at a given distance. Then, the relative errors were averaged to produce this graph.

Figure 5. Mean relative error between measured and modelled deposition rates in Montargis (□) and Grignon (S1 ○, S2 △) at different distances downwind from the source. First, for each simulation, the relative error was calculated as the difference between measured and simulated deposition divided by measured deposition at a given distance. Then, the relative errors were averaged to produce this graph.

Figure 6. Sensitivity analysis of the settling velocity $V_s$. Concentration profile at (a) $x = 3$ m and (b) $x = 10$ m downwind from the source and (c) the deposition as a function of $x$ are represented for simulations S13 with $V_s = 0.26$ m s$^{-1}$ for single grains (black thin line), 0.37 m s$^{-1}$ for doublets (grey thin line), 0.45 m s$^{-1}$ for triplets (black dotted line), 0.52 m s$^{-1}$ for quadruplets (grey dotted line) and 0.58 m s$^{-1}$ for quintuplets (black dotted dash line).
Table 1. Main input parameters of the SMOP-2D model, with units and typical values used in this study.

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Parameter</th>
<th>Units</th>
<th>Typical values used in this study</th>
</tr>
</thead>
<tbody>
<tr>
<td>CANOPY</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$x_c$</td>
<td>Downwind fetch of the field</td>
<td>m</td>
<td>20 – 200</td>
</tr>
<tr>
<td>$h_c$</td>
<td>Canopy height</td>
<td>m</td>
<td>0.1 – 0.2 and 2.2 – 2.3</td>
</tr>
<tr>
<td>$z_0$</td>
<td>Roughness length</td>
<td>m</td>
<td>$0.1 \times h_c$</td>
</tr>
<tr>
<td>$d$</td>
<td>Displacement height</td>
<td>m</td>
<td>$0.7 \times h_c$</td>
</tr>
<tr>
<td>$L_f$</td>
<td>Leaf size</td>
<td>m</td>
<td>0.01 – 0.05</td>
</tr>
<tr>
<td>$x_{upwind}$</td>
<td>Upwind distance influenced by the roughness change</td>
<td>m</td>
<td>3 – 10 × $h_c$</td>
</tr>
<tr>
<td>$x_{downwind}$</td>
<td>Downwind distance influenced by the roughness change</td>
<td>m</td>
<td>10 – 20 × $h_c$</td>
</tr>
<tr>
<td>$LAD(z)$</td>
<td>Leaf Area Density as a function of $z$</td>
<td>m$^2$ m$^{-3}$</td>
<td>0.5 – 2.5</td>
</tr>
<tr>
<td>$LAD_x(z)$</td>
<td>Fraction of the plant projected onto horizontal plan</td>
<td>m$^2$ m$^{-3}$</td>
<td>0 – 1.3</td>
</tr>
<tr>
<td>$LAD_z(z)$</td>
<td>Fraction of the plant projected onto vertical plan</td>
<td>m$^2$ m$^{-3}$</td>
<td>0 – 0.8</td>
</tr>
<tr>
<td>TOTAL AREA</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$0 - x_D$</td>
<td>Horizontal size of the total area</td>
<td>m</td>
<td>130 or 254</td>
</tr>
<tr>
<td>$0 - z_D$</td>
<td>Vertical size of the total area</td>
<td>m</td>
<td>10</td>
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<tr>
<td>GRID</td>
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<tr>
<td>$N_x$</td>
<td>Number of horizontal grid divisions</td>
<td>-</td>
<td>100</td>
</tr>
<tr>
<td>$N_z$</td>
<td>Number of vertical grid divisions</td>
<td>-</td>
<td>20</td>
</tr>
<tr>
<td>$N_h$</td>
<td>Number of vertical layers within the source</td>
<td>-</td>
<td>10</td>
</tr>
<tr>
<td>SOURCE</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$N_p$</td>
<td>Number of pollen grains released</td>
<td>-</td>
<td>100000</td>
</tr>
<tr>
<td>$x_{\text{min}} - x_{\text{max}}$</td>
<td>Horizontal limits of the source</td>
<td>m</td>
<td>0 – 20 or 0 – 24</td>
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<tr>
<td>$z_{\text{min}} - z_{\text{max}}$</td>
<td>Vertical limits of the source</td>
<td>m</td>
<td>2.0 – 2.3 or 2.2 – 2.5</td>
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<tr>
<td>$S_{\text{dens}}$</td>
<td>Release rate of the source</td>
<td>grains $m^{-2} s^{-1}$</td>
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<td>PARTICLE</td>
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<tr>
<td>$V_s$</td>
<td>Mean settling velocity of the pollen</td>
<td>m s$^{-1}$</td>
<td>0.31</td>
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<tr>
<td>std $V_s$</td>
<td>Standard deviation of settling velocity</td>
<td>m s$^{-1}$</td>
<td>0.08</td>
</tr>
<tr>
<td>$\beta$</td>
<td>Empirical constant in the Lagrangian timescale</td>
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<td>3</td>
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<tr>
<td>TURBULENCE</td>
<td></td>
<td></td>
<td></td>
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<tr>
<td>$L$</td>
<td>Monin-Obukhov length</td>
<td>m</td>
<td>-2 to -100</td>
</tr>
<tr>
<td>$U_{\text{ref}}$</td>
<td>Mean wind speed at a reference height $z_{\text{ref}}$</td>
<td>m s$^{-1}$</td>
<td>1.72 – 10.81</td>
</tr>
<tr>
<td>$z_{\text{ref}}$</td>
<td>The reference height at which wind speed is given</td>
<td>m</td>
<td>50</td>
</tr>
<tr>
<td>$C_0$</td>
<td>Universal Lagrangian velocity structure constant</td>
<td>-</td>
<td>3</td>
</tr>
<tr>
<td>$\sigma_u / u_*$</td>
<td>Ratio of along-wind squared root velocity variance to $u_*$</td>
<td>-</td>
<td>3.1</td>
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<tr>
<td>$\sigma_v / u_*$</td>
<td>Ratio of vertical squared root velocity variance to $u_*$</td>
<td>-</td>
<td>1.4</td>
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<tr>
<td>$\gamma$</td>
<td>Attenuation coefficient for mean wind speed in the canopy</td>
<td>-</td>
<td>2.5</td>
</tr>
<tr>
<td>$T_L u_*/ h_c$</td>
<td>Ratio of the fluid Lagrangian time scale ($T_L$) times $u_*$ to $h_c$ within the canopy</td>
<td>-</td>
<td>0.3</td>
</tr>
<tr>
<td>$\Delta t / T_L$</td>
<td>Time step for the particle trajectory as a ratio of $T_L$</td>
<td>-</td>
<td>0.01</td>
</tr>
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</table>
Table 2. Measured concentrations and deposition rates as well as parameters used in the model for each simulation of Figure 3. $z_0$ is the roughness length, $u_*$ is the friction velocity, and $L$ the Monin-Obukhov length over the downwind surface; $U(z = 50 \text{ m})$ is the calculated wind speed at $z = 50 \text{ m}$ over the downwind surface, using the values given in this table for $z_0$, $u_*$ and $L$.

<table>
<thead>
<tr>
<th></th>
<th>Concentrations $x = 3 \text{ m}$ grains m$^{-3}$</th>
<th>$x = 10 \text{ m}$</th>
<th>Deposition rates grains m$^2$ s$^{-1}$</th>
<th>$z_0$</th>
<th>$u_*$</th>
<th>1 / $L$</th>
<th>$U(z = 50 \text{ m})$ m m$^{-1}$ m m$^{-1}$</th>
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<tr>
<td>R6</td>
<td>6.4 4 2 1 0.5 0.25 6.4 4 2 1 0.5 0.25</td>
<td>34 133 116 116 92 69 70 54 35 12 8 4 3</td>
<td>1 2 3 4 8 10 16 32 60 120 200</td>
<td>0.06 0.21 -0.04 2.57</td>
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<tr>
<td>R7</td>
<td>10 44 46 55 37 50 20 27 13 10 8 7 5</td>
<td>44 46 55 37 5 4 12 13 8</td>
<td>0.02 0.17 -0.11 2.42</td>
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<tr>
<td>S13</td>
<td>4 18 62 94 94 102 91 63 52 29 13 11 5 1.2 0.6 0.2 0.2</td>
<td>94 94 102 8 12 28 37 33 36</td>
<td>0.03 0.29 -0.11 3.84</td>
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<tr>
<td>S21</td>
<td>1 3 27 36 32 30 52 38 29 24 15 6 2 0.2 0.1</td>
<td>36 30 52 38 29 24 15 6 2</td>
<td>0.1 0.31 -0.06 3.5</td>
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</tr>
</tbody>
</table>

* height $z$ (m) for concentration and downwind distance $x$ (m) for deposition rates.
Transition zone

Upwind homogeneous profile $U_1(x,z)$

Downwind homogeneous profile $U_2(x,z)$

FIGURE 1
FIGURE 2
FIGURE 3
FIGURE 4
FIGURE 5

Mean relative error of D

x (m)
FIGURE 6