EFFECT OF SALINITY ON THE DIELECTRIC PROPERTIES OF GEOLOGICAL MATERIALS: IMPLICATION FOR SOIL MOISTURE DETECTION BY MEANS OF REMOTE SENSING

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Abstract—This paper deals with the exploitation of dielectric properties of saline deposits for the detection and mapping of moisture in arid regions on both Earth and Mars. We then present a simulation and experimental study in order to assess the effect of salinity on the permittivity of geological materials and therefore on the radar backscattering coefficient in the [1-7GHz] frequency range. Dielectric mixing models were first calibrated by means of experimental measurements before being used as input parameters of analytical scattering models (IEM, SPM). Simulation results will finally be compared to field measurements (Pyla dune, Death Valley, Mojave Desert) and will be used for the interpretation of SAR data (AIRSAR, PALSAR).

Keywords- Earth, evaporites, dielectric mixing model, IEM, Mars, polarimetry, radar backscattering, salinity, SAR, soil moisture.

I. INTRODUCTION

The measurement of soil moisture by means of radar systems has been widely investigated over the last two decades [1-6]. As the electric properties of soils depend on their water content, it impacts the radar backscattering coefficient $\sigma^0$ [7-8]. While the effect of water content on the permittivity has been widely studied and modeled, little has been done on the salinity effect. Recent work has underlined the influence of the presence of salts in solution on the dielectric properties of soils and especially on the imaginary part $\varepsilon''$ of the dielectric constant [9-11]. If the real part $\varepsilon'$ of the permittivity, related to the medium polarization, governs the velocity of propagation of a wave through the material, $\varepsilon''$ is related to the conductivity of the medium and represents the radar signal attenuation by energy absorption required to reach the polarization (ohmic losses). It thus appears essential to take into account the occurrence of saline deposits (evaporites) in radar remote sensing applications. We have started to study the influence of salts on the backscattering coefficient $\sigma^0$ through the dielectric properties of the material. The adopted methodology is based on measurements carried out in the laboratory by means of a vectorial network analyzer in order to firstly assess the validity of dielectric mixing models [12-15], based on the Debye formulas. These dielectric models will then provide input parameters required for the modeling of $\sigma^0$ by means of analytical scattering models (IEM, SPM) [5-6], [16-19]. Simulation results will finally be compared to field measurements (Pyla dune, Death Valley, Mojave Desert) and will be used for the interpretation of SAR data (AIRSAR, PALSAR). Our objective is to exploit the dielectric properties of saline deposits for the detection and mapping of moisture in arid regions on both Earth and Mars (nowadays the occurrence of evaporites on Mars is commonly accepted [20]).

II. EVAPORITES

Evaporites are sedimentary deposits resulting from a chemical precipitation of dissolved substances in natural solutions (continental or marine) with an increase in their concentrations by terrigenous contributions and evaporation [21]. The most important concentration factor lies in evaporation processes although congelation and hydrothermal processes can also lead to supersaturated conditions necessary to mineral precipitation. The formation and the paragenesis of saline deposits are thus closely related to the physicochemical properties of minerals in solution (in terms of solubility) and to the parameters of evaporitic environments (temperature, salinity, evaporation rate, hydrostatic differential, pH, microbial activity).

III. DIELECTRIC MIXING MODELS

The influence of saline deposits in radar remote sensing is related to the solubility behavior and the ionic properties of the minerals. In their ionic (dissolved) form, the weight of dissolved substances per kilogram of solution defines the conductivity of the solution. This conductivity is directly related to the presence of free electrons and ions [22]. Under the action of an electric field, the distribution of charges is distorted and the barycentres of positive and negative charges no longer coincide. This results in an induced dipole moment that can be interpreted as the polarization vector $\mathbf{P}$. In this case, we will be interested in the microscopic interpretation of polarization: atoms, molecules, ions. The presence of such components generates three microscopic polarization mechanisms: electronic, ionic, and orientation polarizabilities, which can be related to the medium permittivity (Clausius-Mossot relation for polar molecules). More precisely, $\varepsilon''$ being proportional to the conductivity (interaction of free charges), we have to evaluate the impact of the presence of salts on the dielectric properties of the medium.

Assuming a multiphase approach for the mixtures (soil particle, free water, bound water, air voids, salts), we initially considered the dielectric mixing models proposed by Dobson [12] and Wang [15] to assess the influence of salinity on the dielectric properties of geological materials. Firstly, these models have been applied to the case of a sand/salt/water mixture corresponding to a test site we are working on: the Pyla dune [1, 23-24]. As sea water contains mainly NaCl, we considered results obtained for NaCl solutions as a first approximation allowing the application of the Stogryn equations [5, 13] for the electromagnetic characterization of sea water [25].

Contrarily to the Dobson model, the semi-empirical model proposed by Wang at 1.4 and 5 GHz allows to distinguish two regions for the variations of the dielectric constant as a function of the mixture moisture. When $m_t < W_t$, $W_t$ being the transition
moisture, water molecules are tightly bound to the soil particles. Making comparison to ice molecules, Wang has shown similarity in activation energy values. Consequently, we have considered the dielectric properties of ice as a first approximation for those of bound water. By opposition, for moisture values higher than the transition moisture \( m > W_o \), water can be considered as free and its dielectric constant can be described by means of the classical equations of the Debye theory for a polar medium. Assuming a 4-component dielectric mixing model, expressions of the complex permittivity are given by:

\[
\varepsilon = m_c + (P - m_c)\varepsilon_a + (1 - P)\varepsilon_r
\]

for \( m < W_o \) with:

\[
\varepsilon_i = \varepsilon_i + (\varepsilon_w - \varepsilon_i)\frac{m_i}{W_i} \gamma
\]

and

\[
\varepsilon = W_i\varepsilon_i + (m_i - W_i)\varepsilon_w + (P - m_i)\varepsilon_a + (1 - P)\varepsilon_r
\]

for \( m > W_o \) with:

\[
\varepsilon_i = \varepsilon_i + (\varepsilon_w - \varepsilon_i)\gamma
\]

where \( P \) denotes the porosity, \( \varepsilon_a, \varepsilon_w, \varepsilon_r, \) and \( \varepsilon_i \) are the dielectric constants of air, water, soil particles and ice respectively. \( \varepsilon_i \) corresponds to the complex permittivity of bound water. \( W_i \) and \( \gamma \) being soil texture dependent (volume fraction of sand, clay, loam...), they have been assessed on Pyla dune samples.

In order to take into account losses due to the ionic conductivity of samples (because of the presence of ions in the free water component), the dielectric properties of the NaCl solution have been determined using the Debye’s classical theory modified by Lane and Saxton [26]. According to the Stogryn formulation, real and imaginary parts of the saline solution are given by [5, 13]:

\[
\varepsilon_{iw} = \varepsilon_{iw} + \frac{\varepsilon_m - \varepsilon_{iw}}{1 - (2\pi f \tau_m)^2}
\]

\[
\varepsilon_{iw} = \frac{(2\pi f \tau_m)^3}{1 - (2\pi f \tau_m)^2} \frac{\varepsilon_m - \varepsilon_{iw}}{1 - (2\pi f \tau_m)^2} + \frac{\epsilon_i}{1 - (2\pi f \tau_m)^2}
\]

where \( \tau_m \) and \( \epsilon_i \) correspond to the relaxation time and the ionic conductivity of the NaCl solution and are temperature as well as salinity dependent [13].

The permittivity of the sand/sea water mixture was computed according to the frequency (L- and C-Bands), the moisture content \( m < 0.6 \), and the salinity \( S < 140^\circ /oo \). The temperature was fixed at 20°C, the bulk density is assumed to be 1.74 g/cm\(^3\), and the specific density of the solid fraction 2.65 g/cm\(^3\) (Figs. 1, 2). The other constants correspond to those found in the literature [5,13].

A. Salinity Effect on the Dielectric Constant

Our first results show that if the real and imaginary parts increase with the moisture content, the impact of salinity isn’t the same for \( \varepsilon’ \) and \( \varepsilon” \). As the real part is concerned, the results presented in Fig. 1 shows that soil salinity has a little influence on \( \varepsilon’ \) except for soil with high moisture content \( m > 0.2 \) for which \( \varepsilon’ \) decreases with increasing salinity. For small moisture values, the increasing moisture content appears to be the main factor in \( \varepsilon’ \) variations. On the contrary, the imaginary part \( \varepsilon” \) is strongly affected by both salinity and moisture of soil samples. In particular, the higher the magnitude of humidity the stronger the effect of salinity on the imaginary part. Since \( \varepsilon” \) is proportional to the conductivity, such a behavior can be explained by the increase in soil moisture content that leads to a greater amount of salts dissolved in the soil system (greater free water component) and thus to the increase in conductivity. More precisely, for small water content, the bound water component dominates leading to a weak increase in dielectric constant since its dielectric properties are closed to the ice ones. For increasing water content values, the free water component becomes much more effective allowing a greater amount of dissolved salts and then a higher conductivity. Fig. 1 also clearly indicates that the rate of increase in \( \varepsilon” \) with the salinity is dependent on soil moisture content. Nevertheless, when salt concentrations are in excess \( (S > 100^\circ /oo) \), \( \varepsilon” \) decreases. This can be related to a precipitation of dissolved salts leading to a decrease in free water conductivity. This behavior confirms the one reported in recent works of Mironov [14] on bentonite, Shao [10] on NaCl solutions, and Aly [9] on silty loam samples.

Assuming a transition moisture content, the semiempirical model proposed by Wang seems to provide a better description of the dielectric constant measurements. For such a reason, we preferred in the following the semiempirical approach of Wang to the Dobson one in order to characterize the dielectric properties of the sand/ saline water mixture.

B. Frequency Effect on the Dielectric Constant

Since the conductivity depends on the frequency, we aim at assessing the frequency effect on the dielectric constant of our moistened and salinized mixture by means of the Wang semiempirical model.

If the results for the real part indicate that \( \varepsilon’ \) slowly decreases with increment of frequency for high content moisture \( m > 20% \) whatever the salinity value may be, the most interesting results concern the imaginary part of the soil mixture related to the ionic conductivity of the NaCl electrolyte solution. Actually, it can be seen on Fig. 2 that \( \varepsilon” \) steeply decreases in the \([1-4 \text{ GHz}] \) frequency range in the presence of salinity \( (S > 0) \) while \( \varepsilon” \) increases when \( S = 0 \). Moreover, Shao [10] reported the same \( \varepsilon” \) variations derived from experimental measurements performed on NaCl concentrated solutions. Likewise, investigations carried out by Komarov [27] led to the same conclusions concerning kaolinite, montmorillonite and NaCl that may be attributed to the influence of the relaxation time of the saturated solution [12, 26, 28, 29]. According to the Debye-Falkenhagen theory, the variations of \( \varepsilon” \) with respect to the frequency could be attributed to the frequency dependence of the ionic conductivity which usually describes the motion of ions in an
Fig. 2: Frequency variations of real (left) and imaginary (right) parts of the dielectric constant of the sand/saline water mixture derived from the Wang's model for several moisture content and fixed salinity values $S = 100\%$ (at the top) and $S = 40\%$ (at the bottom).

electrolyte solution [28]. In particular, Chandra [29] presented a theory for the frequency dependence of the ionic conductivity of an electrolyte solution where the ionic conductivity decreases at high frequency. These authors considered the dynamic effect of the relaxation of an ion atmosphere (space of opposite sign of charge which surrounds the central ion) on the motion of an ion. Moving in an electrolyte solution, an ion is subject to a retarding force due to the ionic atmosphere lags. When an ion moves, through the liquid with a velocity produced by an external electric field, the ionic atmosphere cannot immediately follow the motion leading to a dissymmetry in the direction of the ion motion. This dissymmetry of the electric density causes a force (electric force of relaxation [28]) on the moving ion which decreases its mobility. Assuming an oscillating electric field (microwave emission), the central ion oscillates and the ion atmosphere gets less time to reach the relaxation (relaxation time). The atmosphere is then less asymmetric. As a result, the effect of the electric force of relaxation is reduced leading to a higher ion mobility (reduction of electrolyte friction) and hence an enhancement of the conductivity at low frequency. At higher frequency, the dissymmetry of the ionic atmosphere cannot be built up since the central ion oscillates so fast that the net ionic motion is smaller than the one in the presence of a static or low frequency electric field. As a result, the retarding effect vanishes and the ionic atmosphere as well as the central ion can be regarded as motionless leading to a decrease in ion mobility and then in the ionic conductivity [28, 29]. Moreover, it was shown that at high frequency, the dominant loss mechanism on the dielectric constant is mainly due to the dielectric relaxation (polarization losses) of free water since the maximum of $\varepsilon''$ occurs at the relaxation frequency [27, 30] ($17 \text{ GHz}$ for pure water); it could explain the increase in $\varepsilon''$ observed by Hallikainen [31]. On the contrary, at lower frequency [1-4 GHz], the ionic conductivity is the main contributor in dielectric losses causing $\varepsilon''$ of moistened salinized soils to vary inversely with frequency. Between these two regimes, $\varepsilon''$ would be expected to pass through a minimum [30] especially for small salinity and high moisture content values as reported by [10] and [12].

IV. LABORATORY MEASUREMENTS

In order to determine the validity of the previous dielectric mixing model, we performed complex permittivity measurements for a sand/sea water mixture with the same frequency range, moisture content and salinity values.

Measurements were carried out by means of a vectorial network analyzer coupled to an open-ended coaxial probe (SMA type) providing the reflection coefficient $S11$ (amplitude and phase) of the electromagnetic wave at the sample surface [32].

Since the electromagnetic field at the probe/sample interface can be represented by a capacitive equivalent circuit (capacitor), a calibration procedure performed on standard chemical solutions (for which the variations of the complex permittivity with the frequency are well known) allows to define the probe parameters. The knowledge of such parameters combined with measurements of the $S11$ reflection coefficient then makes it possible to retrieve real and imaginary parts of the dielectric constant of geological material samples using a capacitive inversion algorithm.

Fig. 3 displays the measurements results of real and imaginary parts of sand/saline water mixture as function of frequency and moisture for two salinity values ($S = 40$ and $100\%$). These results
confirm the predicted salinity and frequency dependence of the
dielectric constant. As the real part is concerned, measurements
results clearly indicate that $\varepsilon'$ decreases with increment in salinity
as well as in frequency. Moreover, $\varepsilon'$ values derived from the Wang
model are in good agreement with those derived from
measurements in the [1-3GHz] frequency range. Dealing with
the imaginary part, laboratory results clearly indicate the influence
of salinity on $\varepsilon''$ leading to a strong increase of the imaginary part
with increment of salinity. Laboratory measurements also confirm
the theoretical frequency dependence of $\varepsilon''$ displaying a steep
variation rate in the [1-2GHz] frequency range although the
theoretical values appear to underestimate the measured ones. It
would thus be necessary to make some modifications to the
dielectric mixing model according to experimental data sets.

Nevertheless, it should be noticed that the experimental results
showing a transition moisture value ($W_\text{t}$, ~29% for $S = 100\%_\text{e}$ and
~33% for $S = 40\%_\text{e}$), they confirm the bimodal approach proposed by
Wang [15] which will then be used on the following.

V. NUMERICAL SIMULATIONS OF THE
BACKSCATTERING COEFFICIENT

In order to assess the impact of salts on airborne or orbital SAR
data, we computed the radar backscattering coefficients at L-Band
(1.5 GHz) for the complex permittivity values previously measured.
Assuming smooth surfaces (rms-height of 0.3 cm and correlation
length of 2.7 cm), we used the analytical IEM and SPM scattering
models. Considering the surface scattering term only, the single
backscattering coefficient is expressed by:

$$\sigma^0_{\text{IEM}} (\theta) = \frac{k}{4} e^{-2k \cos \theta \sin \theta} \sum_{n=0}^{\infty} \left( \frac{k \sin \theta}{n!} \right)^2 . \frac{W^2 (2k \sin \theta, 0)}{n!}$$

for the IEM scattering model, and:

$$\sigma^0_{\text{pp}} = 8k^4 \sigma^2 \cdot \cos^4 \theta \cdot \alpha_{\text{pp}} \cdot W^2 (2k \sin \theta, 0)$$

for the SPM. $pp$ indicates the polarization state of the
emitted/scattered wave respectively (HH or VV), $\theta$ is the incident
angle, $k$ the wavenumber, $W$ the Fourier transform of the $n$th
power of the surface correlation function and $\alpha_{\text{pp}}$ are the Fresnel
reflexion coefficients.

Results presented in Fig. 4 indicate that the sensitivity of the
backscattering coefficient to the salinity depends on the moisture
content. This sensitivity is more important for the vertical
polarization (VV). Although salinity more slightly affects the
horizontal polarization (HH), in particular for high moisture
contents, the strong dependence of the backscattering coefficient on
the salinity for low moisture values constitutes an important result
for the detection of small amounts of water when salt is present.
Assuming a typical instrument detection limit of about -30dB for an
orbital radar, this result is particularly interesting for the Martian
case where the expected moisture variations would not exceed a
few percent [33-35].

Fig. 3: Frequency variations of real (left) and imaginary (right) parts of the dielectric constant of the sand/saline water mixture derived from laboratory measurements for several moisture content and fixed salinity values $S = 100\%_\text{e}$ (at the top) and $S = 40\%_\text{e}$ (at the bottom)
VI. FUTURE WORK

We initially considered the influence of salinity on the amplitude of the radar backscattering. As the copolar phase difference is a potential indicator for soil moisture detection [1, 24], we will also study the impact of salinity on radar phase variations.

REFERENCES


