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## Superplurals in English*

## 1. Plurals, superplurals, and their philosophical significance

It is now widely believed among philosophers and logicians that ordinary English contains plural terms and plural predicates. For instance,
(1a) Alice, Bob, and Charlie cooperate
should be seen as having the logical form
(1b) $F(a a)$
where ' $a a$ ' is a plural term, and ' $F$ ' a plural predicate. Following George Boolos (1984) and others, ${ }^{1}$ many philosophers and logicians also think that plural expressions should be analyzed as not introducing any new ontological commitments to some sort of "plural entities" but rather as involving a new form of reference to objects to which we are already committed. For instance, the plural term ' $a a$ ' refers to Alice, Bob, and Charlie simultaneously, and the plural predicate ' $F$ ' is true of some things just in case these things cooperate.

A natural question that arises is whether the step from the singular to the plural can be iterated. Are there terms that stand to ordinary plural terms the way ordinary plural terms stand to singular terms? Let's call such terms superplural. A superplural term would thus, loosely speaking, refer to several "pluralities" at once, much as an ordinary plural term refers to several objects at once. ${ }^{2}$ Further, let's call a predicate superplural if it is capable being predicated of superplural terms.

It is reasonably straightforward to devise a formal logic of superplural terms, superplural predicates, and even superplural quantifiers. ${ }^{3}$ But does this formal logic reflect any features of natural languages? In particular, does ordinary English contain superplural terms and predicates? The purpose of this note is to address these questions. We examine some earlier arguments for the existence of superplural expressions in English, and find these arguments to be either inconclusive or not sufficiently far-reaching. Then we present some better examples of the superplural in ordinary English.

[^0]Our question about the existence of superplural expressions in English and other natural languages is obviously important to linguistics and the philosophy of language. Less obviously, the question is also important to philosophical logic and philosophy in general. The reason is as follows. The discovery of plural expressions has led to the development of a plural logic, which extends ordinary first-order logic by adding plural variables, plural predicates, and plural quantifiers that bind plural variables (Boolos 1984, Linnebo 2004). Plural logic appears to have some very attractive features, and this has made it an extremely popular tool in philosophical analysis. Since plural quantifiers are logically just like second-order quantifiers over monadic (or one-place) concepts, plural logic has the expressive and deductive power of monadic second-order logic. But unlike second-order logic with its vast ontology of concepts (or classes or other "second-order entities"), plural logic does not appear to be committed to any new entities over and above the objects that its ordinary singular quantifiers range over. ${ }^{4}$

However, plural logic is also more limited than traditional higher-order logic. One uncontroversial limitation of plural logic is that there is no (primitive) plural counterpart of quantification over relations (that is, of concepts taking more than one argument). But this limitation can be overcome if ordered pairs are available; for quantification over relations can be simulated by plural quantification over ordered pairs. A second alleged limitation is that there is no plural counterpart of quantification over second- and higher-level concepts (where a concept of one level takes as arguments concepts of the level immediately below). If real, this limitation could not easily be overcome. However, this purported limitation is highly controversial. Some theorists believe there are higher-level versions of plural logic with the same virtues as ordinary plural logic, while other researchers disagree. ${ }^{5}$

How can this matter be settled? Both parties agree that a sufficient condition for the legitimacy of a form of quantification is its presence in English or some other natural language. So if our arguments in this note are correct, this goes some way towards justifying a superplural logic, expressively and deductively equivalent to monadic thirdorder logic. And this suggests that further extensions may be legitimate as well. ${ }^{6}$

## 2. Plural expressions in English

Before we start looking for superplural expressions in English, it will be useful to review some of the evidence that has been given for the existence of ordinary plural expressions.

One way in which predicates can be classified is in terms of the number of their argument places. For instance, the predicate $x$ is hungry' takes one argument, and $x$ loves $y$ '

[^1]takes two. But as has long been realized (cf. Leonard and Goodman 1940, Oliver and Smiley 2004), some predicates appear capable of taking many different numbers of arguments at the same argument place. The verb 'cooperate' is a case in point:
(2a) Alice and Bob cooperate.
(2b) Alice, Bob, and Charlie cooperate.
(2c) Alice, Bob, Charlie, and David cooperate.
In these sentences, two, three, and four arguments occur at what looks like the same argument place. Let's call such predicates multigrade.

Some multigrade predicates are such that any predication based on such predicates are analytically equivalent to a sentence involving only ordinary predications with one argument at each argument place. Consider for instance
(3a) Chirac and Sarkozy are French.
This sentence is analytically equivalent to
(3b) Chirac is French and Sarkozy is French.
More generally, say that a predicate $P$ is distributive just in case the predication $P\left(a_{1}\right.$ and $\ldots$ and $\left.a_{n}\right)$ is analytically equivalent to the conjunction $P\left(a_{1}\right) \& \ldots \& \mathrm{P}\left(a_{n}\right)$. Perhaps a predication based on a distributive predicate can be analyzed in terms of the associated conjunction of ordinary predications. Let's call this the conjunctive analysis.

We may postpone the question whether the conjunctive analysis of (3a) as (3b) is acceptable. For present purposes, it suffices to observe that there are many nondistributive plural predicates for which this kind of conjunctive analysis is obviously unavailable. For instance, sentence (2b), on its most natural reading, is not analytically equivalent to
(2d) Alice cooperates, Bob cooperates, and Charlie cooperates.
A non-distributive plural predicate $P$ is therefore essentially multigrade in the sense that not every predication based on $P$ is analytically equivalent to a sentence involving only ordinary predications with one argument at each argument place.

Essentially multigrade predicates thus pose a challenge to logicians and semanticists: How are they to be analyzed? The analysis that is currently most popular among philosophers and logicians is in terms of plural predication (McKay 2006, Oliver and Smiley 2004, Yi 2005). ${ }^{7}$ For instance, the sentences (2a) - (2c) are taken to involve the

[^2]same plural predicate, namely ' $x x$ cooperate', where the argument place ' $x x$ ' can be any plural argument (such as 'Alice and Bob' and the other plural arguments involved in the above sentences). A plural argument may refer to several things at once. A plural predication then says that a given plural predicate is satisfied by those things that are referred to severally by its plural argument. This motivates the following principle.
(P) Multigrade predicates are plural predicates.

Once we have established the existence of some plural terms and plural predicates, we can go on to find more such expressions. For instance, (3a) too should presumably be seen as consisting of a plural term and a plural predicate, as this appears to provide the best explanation of the well formedness of similar sentences with more complex predicates, such as the following sentence:
(3c) Chirac and Sarkozy are French and cooperate.

## 3. Searching for superplurals: earlier proposals

In this section, we discuss some earlier attempts to establish the existence of the superplural in ordinary English. We point out some shortcomings of these attempts. In the next section, we present what we take to be some better examples of the superplural.

We begin with two alleged instances of the superplural. The following sentence has been proposed as an example containing a superplural term:
(4a) Russell and Whitehead, and Hilbert and Bernays co-authored multivolume treatises on logic (Oliver and Smiley 2005, p. 1063)

For it appears that in (4a) the term 'Russell and Whitehead, and Hilbert and Bernays' denotes two twosomes and thus is superplural. However, it is not clear that (4a) actually requires a superplural analysis, as (4a) is analytically equivalent to the following sentence without any superplural expressions:
(4b) Russell and Whitehead co-authored multi-volume treatises on logic, and Hilbert and Bernays co-authored multi- volume treatises on logic.

This means that (4a) may lend itself to a conjunctive analysis that uses only ordinary plural expressions. As in the case of the conjunctive analysis of (3a) as (3b), we postpone the question whether (4b) is actually an acceptable analysis of (4a). Our claim is just that this purported example of a superplural term fails to be compelling by itself and without further supporting discussion.

[^3]Another class of possible examples of the superplural is due to Landman (1989). Consider the following sentences:
(5a) The cards below seven and the cards from seven up have been separated.
(5b) The cows, the pigs, and the sheep have been separated.
But here too a conjunctive analysis may be possible. One option is to use a one-place plural predicate ' $x x$ have been separated' that is true of any plurality of objects that have been separated from the other objects in the universe of discourse. Another option is to use a two-place predicate $x x$ have been separated from $y y^{\prime}$ and analyze (5a-b) as respectively
(6a) The cards below seven have been separated from the cards from seven up.
(6b) The cows have been separated from the pigs, the cows have been separated from the sheep, and the pigs have been separated from the sheep.

For a different kind of attempted example of the superplural, consider the following sentence: ${ }^{8}$
(7) The Beatles and the Rolling Stones gave a joint concert.

The idea is that 'the Beatles' and 'the Rolling Stones' are plural terms, making the subject of (7) superplural. Since the predicate 'gave a joint concert' is non-distributive, (7) does not allow of any kind of conjunctive analysis. But there is a different problem with this attempted example. For it is not clear that the expressions 'the Beatles' and 'the Rolling Stones' actually function as plural terms in (7). In many cases-such as 'The Beatles is my favorite band'-these expressions function instead as singular terms denoting rock groups. Perhaps these expressions function this way in (7) as well. But if so, then the subject of (7) would be an ordinary plural term referring to two rock groups, not a superplural term. We will refer to this style of analysis-where an apparent superplural term $\dot{\text { s }}$ analyzed as an ordinary plural term referring to a number of groups, classes, sets, events (or some other object in the range of singular variables)-as a partial singularization.

There is some evidence in favor of the partial singularization analysis of (7), which takes the expressions 'the Beatles' and 'the Rolling Stones' to function in (7) as singular terms. For (7) can be true in situations where different members of the Beatles are present; (7) could for instance be true even if Ringo Starr had been ill and unable to participate. But it is doubtful that this would be so if 'the Beatles' functioned as a plural term denoting four musicians severally. For instance, it appears false to say that 'Paul, John, George, and Ringo gave a concert' in a case where Ringo didn't participate. Is this evidence for a partial singularization analysis of (7) compelling? For the purposes of this note we need not take a stand. It suffices for us to observe that this purported example of

[^4]a superplural term fails to be compelling by itself and without further supporting discussion.

We now turn to a more theoretical approach to the search for superplurals. According to the analysis proposed by linguists Brendan Gillon and Roger Schwarzschild, the interpretation of every plural sentence implicitly involves something analogous to the superplural. Gillon (1992) and Schwarzschild (1996) argue that the interpretation of a sentence containing a plural noun phrase always depends on the choice of a cover of the objects denoted by the noun phrase, where a cover is characterized as a set of sets whose union is the set of objects denoted by the plural expression. The idea is best explained in terms of an example.
(8) Hammerstein, Rodgers, and Hart wrote musicals.

The historical facts are that Hammerstein and Rodgers wrote musicals together, that Rodgers and Hart did so too, but that none of them wrote musicals (either singly or jointly) in any other combination. (8) is thus true with respect to the cover $\left\{\{\right.$ Hammerstein, Rogers $\},\left\{\right.$ Rogers, Hart \}\} but not with respect to any other covers. ${ }^{9}$

Of course, the analysis of Gillon and Schwarzschild is based on a set theoretic semantics of plural expressions. But the core idea of their analysis appears to be independent of this set theoretic basis and capable of being transposed to a plural framework. When sets are replaced by pluralities, a cover becomes a plurality of pluralities. So if this pluralist adaptation of Gillon and Schwarzschild's analysis is right, then superpluralities will be needed for the analysis of ordinary plural sentences.

However, we have at least two reasons to continue our search for superplurals. Firstly, while the analysis of plural sentences proposed by Gillon and Schwarzschild is quite popular in linguistics, it is far from universally accepted. ${ }^{10}$ It would be nice if we could find less controversial examples.

Secondly, even if (the above pluralist adaptation of) Gillon and Schwarzschild's analysis is correct, it does not give us everything we would like. For on this analysis, the plural noun phrase 'Hammerstein, Rodgers, and Hart' denotes a plurality, not a superplurality. A superplurality is invoked only when the sentence is interpreted. The whole sentence makes a complex predication, whereby the property expressed by the verbal expression

[^5]'wrote musicals' is predicated of each plurality of a certain superplurality. Thus, under this analysis, plural noun phrases do not function as superplural terms, and verbal expressions do not function as superplural predicates. But the semantics of such sentences makes covert appeal to a superplural term and to universal quantification over the pluralities of the superplurality (i.e. the cover) that this term denotes. It would be nice if we could find examples of sentences that involve the superplural in a more explicit way.

## 4. Searching for superplurals: our new proposal

Principle (P) from Section 2 suggests a strategy for searching for superplurals in English: look for special multigrade predicates that are capable of taking different numbers of plural arguments at the same argument place. If such special multigrade predicates can be found, then reasoning analogous to that leading to principle ( P ) suggests that these are superplural predicates. Here are two examples based on this strategy.

For the first example, imagine a video game in which any finite number $n$ of teams can compete against each other in an $n$-way competition. Then consider the sentences:
(9a) These people and those people play against each other.
(9b) These people, tho se people, and these other people play against each other.
(Analogous sentences with greater numbers of plural arguments are obviously possible as well.) On the reading that is most natural in the specified context, sentences like (9b) with three or more plural arguments are not analytically equivalent to any conjunction of atomic sentences based on the two-place, reciprocal predicate ' $x x$ and $y y$ play against each other'. For no conjunction of such claims about two-way competition can imply a claim about $n$-way competition. This rules out any kind of conjunctive analysis of the sentences. And unlike expressions such as 'the Beatles' and 'the Rolling Stones', it would be odd to take expressions such as 'these people' and 'those people' to be singular terms denoting, say, groups. ${ }^{11}$ This makes it implausible to adopt the partial singularization analysis that we proposed for (7).

For the second example, consider the predicate 'overlap' as it applies to pluralities of objects. Assume we are looking at a variety of colored geometrical figures that are made from different materials and are of different sizes.

[^6]We can then say that
(10a) The square things and the blue things overlap
in the sense that there are some things that belong to both pluralities. Likewise, the following sentence may well be true:
(10b) The square things, the blue things, and the wooden things overlap. ${ }^{12}$
This sentence is demonstrably not analytically equivalent to a conjunction of atomic sentences based on the two-place plural predicate $x x$ overlap $y y$ '. To see this, observe that the following sentence
(11a) The square things overlap the blue things, the blue things overlap the wooden things, and the wooden things overlap the square things
does not analytically imply (10b): for there are interpretations under which (11a) is true and (10b) is false.

Another attempted analysis of (10b) would be as ${ }^{13}$
(11b) There is a thing that is one of the square things, the blue things, and the wooden things.

This in turn could receive a conjunctive analysis as
(11c) There is a thing such that it is one of the square things, it is one of the blue things, and it is one of the wooden things.

However, this analysis would require 'overlap' to be a defined term. ${ }^{14}$ But it seems extremely plausible that 'overlap' is in fact a primitive, and that it can be taught to a child as a lexical atom.

Finally, we observe that a partial singularization analysis of (10a-b) is unattractive, as it would be implausible to take expressions such as 'the square things' to be singular terms denoting, say, groups. ${ }^{15}$

[^7]By reasoning analogous to that leading to principle (P), sentences $9 \mathrm{a}-\mathrm{b}$ ) and (10a-b) all seem to involve superplural predicates, namely ' $x x x$ play against eachother' and ' $x x x$ overlap'. Note that we do not claim that the English predicates 'play against each other' and 'overlap' are always superplural; clearly, they often function as ordinary plural predicates as well. Our claim is just that these predicates are capable of functioning superplurally as well.

We end this section by considering some other attempts to resist our examples. We have already ruled out the conjunctive analysis illustrated by (4b), and the partial singularization analysis proposed for (7). What alternatives might there be?

Firstly, could an unadorned purely plural reading of sentences such as (9a-b) and (10a-b) work (where a reading is purely plural if it does not involve the superplural)? Let ' + ' be the operation of amalgamating pluralities. One may then propose the following analyses of (9b) and (10b) respectively:
(12) Play-against-each-other(these people + those people + these other people)
(13) Overlap(the square things + the blue things + the wooden things)

But these analyses are easily seen to ascribe incorrect truth-conditions. Consider the case of (10b). Assume the square things, the blue things, and the wooden things overlap. Divide all these things into three pluralities that do not overlap: these things, those things, and these other things. Now consider the sentence:
(10c) These things, those things, and these other things overlap.
On the view in question, (10c) receives an analysis equivalent to that of (10b), namely (13), although (10b) has been assumed to be true, and (10c) false.

Secondly, could a purely plural analysis of sentences such as (9a-b) or (10a-b) be rescued by combining it with Gillon and Schwarzschild's ideas on the use of covers in the interpretation of plural sentences? The answer appears to be negative. To begin with, in sentences like (8) the predicate is applied to each plurality of the superplurality that is associated with the cover in question. So this kind of treatment cannot apply to cases that resist a conjunctive analysis, such as those involving our superplural predicates.

But even if this problem could be overcome-say by allowing the predicate to apply in a collective way to all the pluralities of the superplurality associated with the coveranother problem would remain. ${ }^{16}$ To see this, consider the sentence:
(14) The things that are square, blue, or wooden overlap.

On the purely plural analysis in question, the same plurality serves as the subject of both (10b) and (14). And in both these sentences the square things, the blue things, and the wooden things are equally salient and thus provide the same basis for the cover

[^8]\{\{the square things \}, \{the blue things\}, \{the wooden things \}\}. The analysis in question thus predicts that (14) should lend itself to (or at least allow) the reading that is so natural for (10b), where the predicate is ascribed in an irreducibly collective way to the superplurality associated with the above cover. But this reading is simply not available for (14).

## 5. Concluding remarks

We conclude that ( $9 \mathrm{a}-\mathrm{b}$ ) and (10a-b) are genuine cases of superplural predications in English, involving a superplural predicate applied to a superplural term. These examples avoid the problematic features of the sentences discussed in Section 3; moreover, they go further than Gillon and Schwarzschild's own examples (even on the assumption that their analysis is correct).

We end with some brief remarks about the broader philosophical significance of our examples. Firstly, if correct, these examples show that superplural terms and predicates are just as legitimate as ordinary plural terms and predicates.

Secondly, many of the arguments that have been given for the ontological innocence of plural terms can be extended to superplural terms. For instance, sentences such as (9a-b) and (10a-b) no more appear to introduce new ontological commitments than do (2a-c). So if ( $2 \mathrm{a}-\mathrm{c}$ ) are ontologically innocent, so should be ( $9 \mathrm{a}-\mathrm{b}$ ). It should be noted, however, that this conditional is compatible with two opposite conclusions: either that both plural and superplural terms are ontologically innocent, or that neither is and the arguments provided for the ontological innocence of ordinary plural terms are flawed. Nothing we have said here bears on which conclusion to draw.

Thirdly, we have not provided any examples of superplural quantification in ordinary English. But given our examples of superplural sentences in English, and given that a formal logic of superplural quantification has been formulated (Rayo 2006), we have given at least some reason to accept superplural quantification as legitimate.

## 6. References

Boolos, George, 1984, "To Be is to Be a Value of a Variable (or to Be Some Values of Some Variables," Journal of Philosophy 81:430-449
Does Jap van der and Henk J. Verkuyl, 1996, "Quantification and Predication", in K. van Deemter and S. Peters (eds.), Semantic Ambiguity and Underspecification (Stanford: CSLI Publications)
Gillon, Brendan S., 1992, "Towards a Common Semantics for English Count and Mass Nouns", Linguistics and Philosophy 15: 597-639
Hazen, Allen P., 1997, "Relations in Lewis's Framework without Atoms," Analysis 57(4): 243-248

Landman, Fred, 1989, 'Groups I’', Linguistics and Philosophy 12: 559-605
-----------------, 2000, Events and Plurality(London: Kluwer Academic Publishers)
Lasersohn, Peter, 1995, Plurality, Conjunction, and Events (London: Kluwer Academic Publishers)
Leonard, Henry S. and Nelson Goodman, 1940, "The Calculus of Individuals and its Uses," Journal of Symbolic Logic 5(2): 45-55
Link, Godehard, 1998, Algebraic Semantics in Language and Philosophy (Stanford: CSLI Publications)
Linnebo, Øystein, 2003, "Plural Quantification Exposed," Noûs 37(1): 71-92
------------------, 2004, "Plural Quantification," in Edward N. Zalta (ed.), Stanford Encyclopedia of Philosophy, URL = [http://plato.stanford.edu/entries/pluralquant/](http://plato.stanford.edu/entries/pluralquant/)
McKay, Thomas, 2006, Plural Predication (Oxford: Oxford University Press)
Nicolas, David, 2007, Unpublished manuscript, "Can Mereological Sums Serve as the Semantic Values of Plurals?"
Oliver, Alex and Timothy Smiley, 2004, "Multigrade Predicates," Mind 113: 609-681
------------------------------- 2005, "Plural Descriptions and Many-Valued Functions," Mind 114: 1039-1068
Rayo, Agustín, 2006, "Beyond Plurals," in A. Rayo and G. Uzquiano (eds.), Absolute Generality (Oxford: Oxford University Press)
Rayo, Agustín and Gabriel Uzquiano (eds.), 2006, Absolute Generality (Oxford: Oxford University Press)
Schein, Barry, 2006, Plurals, in E. Lepore and B. Smith (eds.), Handbook of Philosophy of Language (Oxford: Oxford University Press)
Schwarzschild, Roger, 1996, Pluralities (London: Kluwer Academic Publishers)
Uzquiano, Gabriel, 2004, "Plurals and Simples," The Monist 87(3): 429-451
Yi, Byeong-Uk, 2005, "The Logic and Meaning of Plurals, Part I," Journal of PhilosophicalLogic 34: 459-506


[^0]:    * For comments, we would like to thank Agustin Rayo, Barry Schein, Philippe Schlenker, and Gabriel Uzquiano.
    ${ }^{1}$ For an overview and further details, see Linnebo 2004.
    ${ }^{2}$ This is only loosely speaking, as one need not be committed to such entities as pluralities over and above the objects in question considered simultaneously.
    ${ }^{3}$ See Rayo 2006.

[^1]:    ${ }^{4}$ However, this alleged ontological innocence of plural quantification is a matter of some controversy. See Linnebo 2004 for references and a survey of the debate.
    ${ }^{5}$ See Hazen 1997, Linnebo 2003, and Rayo 2006 for the former view, and McKay 2006, pp. 46-53 and 137-139, and Uzquiano 2004 for the latter.
    ${ }^{6}$ However, this need not be the only way of settling the matter. In particular, it is controversial whether the above condition for the legitimacy of a form of quantification is necessary. This is denied by Hazen 1997, Linnebo 2003, and Rayo 2006, who pursue alternative defenses of higher-level versions of plural logic.

[^2]:    ${ }^{7}$ This is not true of linguistics, where plural logic is less well known. The popular analyses in linguistics are in terms of sets, mereological sums, or events. For a representative sample, see Schwarzschild 1996, Link 1998, and Landman 2000. However, the analyses in terms of sets and events threaten to be inconsistent when one allows quantification over absolutely everything; cf. the articles in Rayo and

[^3]:    Uzquiano 2006 (though see Schein 2006 for a recent semantics of plurals based on events and taking research on plural logic into account). And the analysis in terms of mereological sums is widely assumed to be inadequate (but see Nicolas 2007 for critical discussion).

[^4]:    ${ }^{8}$ Although this example is familiar from the philosophical folklore, we have been unable to find a reference.

[^5]:    ${ }^{9}$ Here are further examples:
    (i) John shuffled the cards.

    Imagine that there were several decks of cards. Then the sentence may be true because John shuffled each deck separately (rather than shuffling all the cards together).
    (ii) The soldiers hit the targets.
    (iii) Marc, Tim, and Donald hit target 1 , target 2, target 3, target 4 and target 5 .

    Suppose the subjects of sentences (ii) and (iii) are co-referential, and so are the direct objects of the verb 'hit'. The sentences may be true when, say, Marc hit target 1 and target 2, Tim hit target 2, target 3, and target 4, and Donald hit target 5. According to Gillon and Schwarzschild, this is explained by the fact that the verb 'hit' has two plural arguments, and so a cover of each argument must be chosen.
    ${ }^{10}$ For opposition, see for instance Lasersohn 1995, and van der Does and Verkuyl 1996.

[^6]:    ${ }^{11}$ In linguistics, it is generally assumed that a plural expression denotes a single entity, like a mereological sum or a set. Landman (1989) suggested that in sentences like (5a) and (5b), a plural expression denotes a different kind of entity than what it usually denotes. He would presumably hold that this is also happening for (9a) and (9b). But this suggestion can be set aside for present purposes. For our goal is to explore the prospects for the superplural on the assumption (now widely shared in philosophy and logic) that a nonsingularizing interpretation of plurals is correct. And while we gave some evidence that expressions like 'the Beatles' are special, functioning as singular terms, there is no such evidence concerning phrases like 'these people'.

[^7]:    ${ }^{12}$ Here is a similar example. A teacher may observe that
    (iv) The students of my English class, those of my French class, and those of my Italian class overlap. ${ }_{14}^{13}$ This was suggested by Barry Schein.
    ${ }^{14}$ A sentence like (11a) would be defined to mean the same as (11b).
    ${ }^{15}$ Moreover, even for someone undeterred by this apparent implausibility, other problems would remain (as pointed out by Gabriel Uzquiano). Consider for instance the (true) claim that in modern set theory the ordinals and the cardinals overlap. A partial singularization analysis of this claim would require us to postulate proper classes or other objects capable of 'singularizing', pluralities that are too large to formsets. This reintroduces a threat of paradox.

[^8]:    ${ }^{16}$ Thanks to Barry Schein for this observation.

